

$\div \hat{E}^a \vee]$ $\wr U \hat{U} \hat{E} \ddot{E},^a \dots \prod U \wedge U \hat{E}_i - \partial \hat{E},$

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$\text{"}\hat{A}, \hat{Y} \square, \neg \hat{E} \square S \approx U \sum \square \S$
 $\ddagger \hat{E} \hat{E} \hat{A} \sum \S \sum \square \S \hat{Y}^a \mathbb{C} \div \hat{E}^a \tilde{A} \hat{E} \hat{Y}$
 $\hat{A} \approx U \sum \S \approx U), \sum \square \S \neg " \square \cdot \hat{a} \hat{E}$
 $\hat{E}. w - w \vee - \wr U \hat{U} \hat{E} \ddot{E},^a \dots \prod U$
 $\hat{A} \div \langle \hat{E} \beta, \hat{A} \mathbb{C} \hat{Y} \hat{E} \mathbb{C} \sum \S x \hat{A} - z -$
 $w \hat{A} \hat{E} \vee."$

$\neg \mathbb{C}_i \hat{E} \hat{Y} \hat{Y} \sum " \S \diamond \hat{E} \mathbb{C} \sum \S$
 $\text{"}\wr U \hat{U} \hat{E} \ddot{E},^a \dots \prod U / \mathbb{C} \hat{E}^a /$
 $\hat{A} \sim / w \hat{A} \vee x - w \hat{A} \vee z."$

$\wr U \hat{U} \hat{E} \ddot{E},^a \dots \prod U$
 $\wedge U \hat{E}_i - \partial \hat{E}$

$\neg " \hat{E} \hat{A} \mathbb{C} \sum \S \hat{E} \wedge U, \square$
 $\neg " \sum \S \hat{E} \hat{A} \ddagger \hat{E} \tilde{A}$

 $\sum " \S \diamond \hat{E} \mathbb{C} \sum \S \vee \hat{A}]$

$\wedge U \hat{E} \hat{Y} - \hat{E} U, \ddagger \hat{E} \hat{E} \sum " \S \Pi \hat{E} U, \hat{A} \mathbb{C} \hat{Y} \hat{E} \mathbb{C} \sum \S \sim \diamond \hat{E} \sigma, w \hat{A} \vee \} \diamond \S \hat{E} \hat{A}^a \hat{E} \hat{Y} \vee \},$
 $\ddagger \hat{E} \sum \S \vee \sim x \sim$

 $\hat{A} \Pi \cdot \hat{y} \circ, \hat{I} \sigma \ddot{E}$

$\div \hat{E}^a \vee. \circ (v) \wedge U \hat{E} \ddot{O} \hat{Y} \ddagger \hat{E} \hat{E}, \hat{Y} \sum \square \S \cdot \hat{E} \mathbb{C} \square \ddagger \hat{E}, (w) \hat{A} \Pi \div \hat{E}^a - " \diamond \hat{E} \pi \hat{E} \square \mathbb{Y} \sum \square \S \cdot \hat{E} \mathbb{C} \square \ddagger \hat{E}, \div \hat{E}^a$
 $x. \circ (v) \hat{A} \Pi \diamond \hat{E} \hat{E} - \hat{Y} \cdot \hat{E} \hat{O} U \hat{A} \Pi \hat{A} \Pi \mathbb{C}, \hat{I} \sigma \hat{Y} \hat{E} \infty \mathbb{C}, (w) \hat{E} \mathbb{C} \hat{A} \hat{A} \hat{Y} \sum \S \hat{E} \hat{Y} (x) \odot U \hat{E} \sigma$
 $\hat{a} \hat{Y} \hat{E} \hat{Y} \hat{E} \hat{Y} \sum \square \S \cdot \hat{E} \mathbb{C} \square \ddagger \hat{E} \cdot \hat{E} \hat{O} U \cdot \hat{A} \mathbb{C}, \hat{I} \sigma \hat{Y} \hat{E} \infty \mathbb{C}, (y) \hat{I} \sigma \hat{Y} \hat{E} \infty \mathbb{C}.$

$\wedge U \hat{E} \ddot{O} \hat{Y} \ddagger \hat{E} \hat{E}, \hat{Y} \sum \square \S, \mathbb{C} \sum \S \hat{A} \neg, (z) \div \hat{E} U \hat{A} \ddagger \hat{E} \hat{E}, \hat{Y} \sum \square \S \cdot \hat{E} \mathbb{C} \square \ddagger \hat{E} \cdot \hat{E} \hat{O} U$

$\cdot \hat{A} \mathbb{C}, \hat{I} \sigma \hat{Y} \hat{E} \infty \mathbb{C}, (\{) \hat{A} \hat{Y} \Pi \hat{E}, \sigma \hat{Y} \cdot \hat{E} \hat{Y} \hat{E} \square^a, \div \hat{E} U \hat{A} \sum \S \hat{E} \cdot \hat{A} \mathbb{C}, \hat{I} \sigma \hat{Y} \hat{E} \infty \mathbb{C}, \div \hat{E}^a y. \circ (\sum \S) (v)$

$\wr U \hat{U} \hat{E} \ddot{E},^a \dots \prod U \hat{A} \Pi \mathbb{C} \square \hat{Y} \sum \S, (w) - " \Pi U, \hat{A} \diamond \hat{A} \tilde{A} \sum \square \S (I) \langle \hat{E} \square \sum \S - \div \hat{E} \cdot \hat{E}$

$\neg \hat{A} U \hat{A} \ddagger \hat{E} \mathbb{C} \hat{O} U.$

$\neg " \hat{A} \tilde{A} \Pi \square \mathbb{C} \hat{Y}, (x) \mathbb{C}, \mathbb{C} \diamond \square \mathbb{Y}$

$\neg \hat{E} U - \text{S} \hat{O} \hat{E} \hat{A} - \tilde{A} \hat{A} \Pi \mathbb{C} \square \hat{Y} \sum \S, (\pi) (v)$

$\cdot \hat{a} \hat{Y} \hat{E} \mathbb{C} \square \ddagger \hat{E}, (w) \wr U \hat{U} \hat{E} \ddot{E},^a \dots \prod U$

$\cdot \hat{A} \mathbb{C} \hat{A} \hat{Y} \hat{Y} \diamond, (x) \mathbb{C}, \mathbb{C} \sim \hat{O} \sum \square \S$

$\div \hat{E}^a w. \circ \text{S} \hat{O} \hat{E} \hat{Y} \hat{E} \hat{Y} \hat{A} \hat{Y} \sum \S \hat{E} \hat{Y} \sum \S \hat{E}$
 $\cdot \hat{A} \mathbb{C}, \hat{I} \sigma \hat{Y} \hat{E} \infty \mathbb{C}.$

$\cdot \hat{A} \mathbb{C} \hat{A} \hat{Y} \hat{Y} \diamond, (a) (v) - " \hat{E} M \S - \hat{A} \hat{Y} \hat{Y} \diamond, (w) \cdot \mathbb{C} \hat{A} \tilde{A} \diamond$
 $\hat{A} \hat{Y} \hat{Y} \diamond.$

 $\div \hat{E}^a 1$

$\wedge U \hat{E} \hat{I} \hat{Y} \ddagger \hat{E} \hat{E}, \hat{Y} \sum \square \S \cdot \hat{E} \mathbb{C} \square \ddagger \hat{E}$

$\cdot \hat{E} \diamond \hat{E} \hat{a} \hat{Y} - " \ddagger \hat{E} \hat{E}, \hat{Y}$

$\hat{A} \Pi \div \hat{E}^a$

$\diamond \mathbb{C} \diamond \hat{E} \hat{E} \hat{Y},$

$\diamond, U \hat{E} \hat{Y} \mathbb{C} \hat{E} \div \Pi \hat{Y},$

$\hat{Y} \hat{Y} \hat{E} \wedge U \hat{E} \hat{Y} - \hat{E} U$

$\hat{Y} \hat{Y} \hat{E} \wedge U \hat{E} \hat{Y} - \hat{E} U, \hat{A} \mathbb{C} \hat{Y} \hat{E} \mathbb{C} \sum \S \vee \{ \gg \S U \Pi U \hat{E} U w \hat{A} \vee \}$

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09 districts are inserted—1. Surguja, 2. Jashpur, 3. Janjgir-Champa, 4. Korba, 5. Dhamtari, 6. Kawardha, 7. Mahasamund,
8. Balrampur, 9. Surjpur.

¿UûÊË,^a...ΠU Σ□§/UÊÖÿ-Ê< Σ□§
ÿÊ◊, □ ÆÕÊ •ÊÆ□‡ÊËÿÈ,ÊU,
•ÆÊ< ΣÊ\$◊ÊU
‡ÊËÆ<, Áøfl.

ÁflÁæ •ÊÒU
ÁflæÊÿË Σ§Êÿ,
Áfl÷Ê^a

◊øòÊÊ<ÿ, ◊,,UÊÿÆË
÷flÿ, ÿÿÊ/UÊÿ-ÈU

ÿÿÊ/UÊÿ-ÈU, ÁÆÿÊøΣ§ vÆ ¡Íÿ wÆv{

Σ"§◊Ê¥Σ§ z|y|vw|wv-/¿U.^a/wÆv{.óUÊÖÿ ‡ÊË,ÿ ∞ÃÆ~ÔmÊUÊ, -ífl, ◊□¥
¡Ê/UÊ, ◊SÃ •ÊÆ□‡ÊË□¥ Σ§Ê◊ •ÃÃÁDÔUÃ Σ§UÃ□ „ÈU∞ ÿ,,U •ÊÆ□ÁÊÃΣ§UÃÊ „ÒU
ÁΣ§ •fl◊ÊÿÿÊ -"Σ§UáÊÊ□¥ ◊□¥ ‡ÊË,Σ§Êÿ •ÁæΣ§ÊUÊ/Σ§◊,øÊUÊ Σ§Ê •Ê□U, □
◊ÊÿÿËÿ ¿UûÊË,^a...ΠU ©Uø ãÿÊÿÊ<ÿ, Á'Ê,-ÈU Σ□§, ◊'Ê /UÊÖÿ ‡ÊË,ÿΣ§Ê
-"ÃÃÁÿÁæáfl Σ§Uÿ□ „□UÃÊ ÁÿÿÈQ§ ÁflÁæ •ÁæΣ§ÊUÊ/•ÁæflQ§Ê Σ§Ê◊ -"ãÿ□Σ§
-"÷ÊflË, ÈÿflÊß, ÁÃÁÕ „□UÃÊ /UÊÁ‡Ê L§-ÿ□ vz,ÆÆÆ/- (L§-ÿ□ -ã",U „U¡ÊU
◊ÊòÊ)Σ§ÊÆU, □ ‡ÊËÆΣ§ ÷ÊÃÊÿ ÁΣ§ÿË ¡Êfl□^aÊ.

ÿ,,U sflËΣÍ§ÃÁ ÁflûÊ Áfl÷Ê^a Σ□§ Σ"§◊ÊøΣ§ ∞»§ wÆv{-wv-ÆÆ|z|/'Ê-x/øÊU y ÁÆÿÊøΣ§
Æ|-Æ{-wÆv{ Σ□§ mÊUÊ -"Æÿÿ Σ§Ê^aß,,ÒU.

¿UûÊË,^a...ΠU Σ□§/UÊÖÿ-Ê< Σ□§
ÿÊ◊, □ ÆÕÊ •ÊÆ□‡ÊËÿÈ,ÊU,
∞. Σ□§, ÊøÆÁUÊÿ,
-"◊Èπ, Áøfl.

÷Ê^a v]

¿UûÊË,^a...ΠU/UÊ¡-òÊ, ÁÆÿÊøΣ§ ~

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üÊ◊ Áfl÷Ê^a
◊øòÊÊ<ÿ, ◊,,UÊÿÆË ÷flÿ,
ÿÿÊ/UÊÿ-ÈU

ÿÿÊ/UÊÿ-ÈU, ÁÆÿÊøΣ§ w »§UflUÊ wÆv{

Σ"§◊Ê¥Σ§ ∞»§ vÆ-y/wÆv{v{.óUÊÖÿ ‡ÊË,ÿ ∞ÃÆ~ÔmÊUÊ ãÿÍÿÃ◊ fl□Ãÿ
•ÁæÁÿÿ◊, v~y} (Σ"§◊ÊøΣ§ vv, ÿ~Ô v~y}) Á¡, M§¬ ◊□¥¿UûÊË,^a...ΠU /UÊÖÿ ◊□¥ -"ÿÈQ§
„ÒU, Σ§Ê æÊUÊ-x Σ§Ê ©U-æÊUÊ (v) Σ□§ πá«U ('Ê) Σ□§ mÊUÊ -"ÆûÊ ‡ÊÁQ§ÿÊ□¥
Σ§Ê -"ÿÊ□^a Σ§UÃ□ „ÈU∞ -"Æ□‡Ê ◊□¥^aΔUÃ ãÿÍÿÃ◊ fl□Ãÿ,Ê,,UΣ§ÊU 'Ê◊«U Σ§Ê
•ÿÈ‡Êø,Ê ¬U ãÿÍÿÃ◊ fl□Ãÿ •ÁæÁÿÿ◊ Σ□§ -ÁUÁ‡ÊCÔU ◊□¥ ©UÀ◊ÁπÃ “ÁΣ§,Ê
Ãê'ÊΣÍ§ (Á¡,◊ø□ 'Ê«ΠUÊ 'ÿÊÿË ÷Ê, Áæ◊ÁÃ „ÒU) Σ□§ ÁflÁÿ◊Ê,áÊ Σ□§ ÁÿÿÊ□¡ÿ”
Σ□§ Á<∞ •Áπ< ÷ÊUÃËÿ ©U¬÷Ê□Q§Ê ÓÍáÿ, ÍøΣ§ÊøΣ§ yv~v (wÆÆv=vÆÆ) Σ□§ •ÊæÊU
¬U •ÊøΣ§«ΠUÊ□¥ Σ□§,ÊÕ ¡Ê<Êß, wÆv{, □¡ÿÿ wÆv| ÆΣ§ •flÁæ ◊□¥ „ÈUß, •ÊÒ,Ã
Á'ãÆÊ•Ê□¥ Σ□§ ΣÊ\$< ÿÊ□^a {xwv (yv~v + wvxÆ = {xwv -ÊBZ~U) Σ§Ê flÍÁf Σ§Ê◊ ÓÍ<
fl□Ãÿ Σ□§,ÊáÊ Áfl<ÿ Σ§Uÿ□Σ□§ ©U¬UÊøÃ -"Ê# ãÿÍÿÃ◊ fl□Ãÿ Σ§ÊÆUÊ□¥ Σ§Ê
-ÈÿUÊ-ÊáÊ Σ§U ãÿÍÿÃ◊ fl□Ãÿ wÆ% Σ§Ê flÍÁf Σ§UÃ□ „ÈU∞ ÿflËÿ ãÿÍÿÃ◊ fl□Ãÿ
Σ§ÊÆU¥U ÁÿæÊ,ÁUÃ Σ§UÿË-"SÃÊÁfl Σ§UÃÊ „ÒU, ¡Ê□ ©UÃÃ •ÁæÁÿÿ◊ Σ§Ê
æÊUÊ-z Σ§Ê ©U-æÊUÊ (v) Σ□§ πá«U ('Ê) Σ§Ê •¬◊ÊÿË,ÊU ∞□, □, ◊SÃ √ÿÁQ§ÿÊ□¥
Σ□§ Á<∞ Á¡ÿΣ□§ ÁΣ§ß,,□ -"÷ÊÁflÃ „UÊ◊ÿ Σ§Ê,ø÷ÊflÿÊ „ÒU, Σ§Ê ¡ÊÿΣ§ÊUÊ Σ□§

Á<ÿ□ -"Σ§ÊÁ‡ÊÃ ÁΣ§ÿÊ ;ÊÃÊ „ÒU •ÊÒU ∞ÃÊ~Ô mÊUÊ ÿ„U ,ÍøÿÊ ÆÊ ;ÊÃÊ „ÒU ÁΣ§
©UÃÃ -"SÃÊfl →U β,•Áœ,ÍøÿÊ Σ□§ ¿UûÊÊ,^a...ΠU /UÊ;-òÊ ◇□¥ -"Σ§ÊÁ‡ÊÃ „UÊ□ÿ□
Σ§Ê ÁÆÿÊ¢Σ§ , □ ÆÊ□ ◇Ê„U Σ§Ê •flÁœ √ÿÃÊÃ „UÊ□ÿ□ Σ□§ -‡øÊÃ ÁfløÊU ÁΣ§ÿÊ
;Êfl□^aÊ.

∞□,Ê ÁΣ§,Ê •Ê-ÁûÊ ÿÊ ,ÊæÊÊfl →U ;Ê□ ©UQ§ -"SÃÊfl Σ□§ ,¢'¢œ ◇□¥ ÁΣ§,Ê
√ÿÁQ§ , □ ÁflÁÿÁÆ,CÔU ÃÊUÊπ Σ□§ -Ífl, -"Ê# „UÊ□, /UÊÖÿ , /UΣ§ÊU mÊUÊ
ÁfløÊUÁΣ§ÿÊ ;Êfl□^aÊ.

•ÿÊ,ÍøÊ

Ã¢'ÊΣÍ§ (Á; ,◇□¥ 'Ê«ΠUÊ 'ÿÊÿÊ ÷Ê ,Áæ◇ÁÃ „ÒU) ÁflÁÿ◇Ê,áÊ ◇□¥ ÁÿÿÊ□;ÿ

Σ§◇,øÊUÿÊ□¥	◇Í< fl□Ãÿ	¬ÁUflÃ,ÿ‡ÊÊ< ÷ûÊ□ Σ§Ê Æ/□¥U	ΣÊ§< fl□Ãÿ
(v)	(w)	(x)	(y)
'Ê«ΠUÊ (vÆÆÆ 'Ê«ΠUÊ 'ÿÊÿ□ Σ□§ Á<∞)	L§. }Æ.wÆ		L§. ~{.wy -"ÁÃ „U;ÊU
ΛU<Êβ, ûÊÁ◇Σ§			
ÁΣ§,Ê ,#Ê„U ◇□¥ -"Ê# „UÊ□ÿ□ flÊ< fl□Ãÿ Σ§Ê ÿÊ□ ^a L§-ÿ□ y~y.ÆÆ , □ Σ§◇ „UÊ□ ÃÊ□ ©U, □ β,•Áœ,ÍøÿÊ Σ§Ê ¬ÁUÁ‡ÊCÔU ◇□¥ 'ÃÊβ, ^a β, ‡ÊÃÊ□Z Σ□§•ÿÊ,ÊU Σ§◇ , □ Σ§◇ L§-ÿ□ y~y.ÆÆ Σ§Ê ÷Ê ^a ÃÊÿ©U, ,áÊÊ„U ◇□¥ ÁΣ§ÿÊ ;Êfl□ ^a Ê.			
'Ê«ΠUÊ Σ□§ Σ§~UÔ~UÊ□¥ →U ÁæÊÀ<Ê < ^a ÊÿÊ			
<□'< Áø¬Σ§Êÿ□ Σ§Ê□ 'ÿÊÿ□ ÿÊ , '¢œÊ Σ§Êÿ.	L§. yy.xw -"ÁÃ vÆÆÆ	∞Σ§ ¬Ò, □ -"ÁÃ ¬"ÁÃ ÆÊ□ „U;ÊU.	zx.v}
ÿÁÆ Σ§~UÔ~□U <□'< < ^a ÊÿÊ ;ÊÃÊ ÁæÊÀ<Ê ∞fl¢ <□'< < ^a Êÿ□ , '¢œÊ Σ§Êÿ.	L§. y{;~{ vÆÆÆ	∞Σ§ ¬Ò, □ -"ÁÃ ¬"ÁÃ ÆÊ□ „U;ÊU.	z{.xz
ÁæÊÀ<Ê <□'< < ^a ÊÿÊ ÁæÊÀ<Ê <□'< < ^a ÊÿÊ	L§. yÆ.Æz vÆÆÆ Σ§~UÔ~UÊ□¥	v ¬Ò, □ -"ÁÃ Á'ãÆÊ ¬"ÁÃ ÆÊ□ „U;ÊU	y}.Æ{
ÁæÊÀ<Ê < ^a ÊÿÊ	L§. w~.xx vÆÆÆ	y.z ¬Ò, □ -"ÁÃ øÊU „U;ÊU.	xz.wÆ
504	¿UûÊÊ, ^a ...ΠU /UÊ;-òÊ, ÁÆÿÊ¢Σ§ ~		[÷Ê ^a v

(v)	(w)	(x)	(y)
<□'< < ^a ÊÿÊ	L§. vÆ.~w vÆÆÆ Σ§~UÔ~UÊ□¥	v ¬Ò, □ -"ÁÃ Á'ãÆÊ ¬"ÁÃ •ÊΔU „U;ÊU	vx.vÆ
¬Ê«ΠUÊ 'ÿÊÿÊ ÿÊ Áø¬Σ§ÊÿÊ	L§. vv.wÆ vÆÆÆ	v ¬Ò, □ -"ÁÃ Á'ãÆÊ ¬"ÁÃ •ÊΔU „U;ÊU	vx.yy
∞Σ§ „U;ÊU Σ§~UÔ~UÊ□¥ →U ;'ÁΣ§ wz			'ÊÁ«ΠUÿÊ□¥ Σ§Ê Σ§~UÔ~UÊ „UÊ□
•Ê«ΠUÊ ÃÔÊ < ^a Êÿ□ Σ§Ê Σ§Êÿ, „UÊ□.	L§. v{z.x ¬"ÁÃ ∞Σ§ 'Ê«ΠUÊ ¬U	w ¬Ò, □ -"ÁÃ ¬"ÁÃ <Êπ Á'«ΠUÊ	v~}.}}
ÁæÊÀ<Ê •Ê«ΠUÊ ¬~UÔ~UÊ < ^a Êÿ□	L§. v}Æ.Æw ¬"ÁÃ ∞Σ§	w ¬Ò, □ -"ÁÃ ¬"ÁÃ <Êπ 'Ê«ΠUÊ	wv{.Æw

ΣΣΔ, □ ΣΣΔ z{ÆÆ 'Ê«ΠUÊ Σ□§ Á<∞ Æ□ÿ fl□Ãÿ ÃÔÊ Áfl‡Ê□ · Δ,,ÚçUªÊß, ÷ûÊÊ -"ÁÃ
 ,#Ê,,U Á_i, □ ·Êª □ ·ÊªUª~□U«U fl□_i ΣΣ,,UÊ _iÊ∞ªÊ, -"Ê# ΣΣUÿ□ ΣΣÊ ·ÁæΣΣÊUÊ ,,UÊ□ªÊ.
 z. ªÊçU~UÊ fl□_i Δ□¥ ΣΣΔ,øÊUÊ mÊUÊ ÁΣΣ,Ê ÷Ê ÁÆÿ ©U,Σ□§ ÁÿÿÊ□_iΣΣ mÊUÊ
 ÁÆÿ□ ¢ÿ□ ΣΣiÊ □ ΔÊ< ΣΣÊ ΔÊòÊÊ Δ□¥ flÊSÃfl Δ□¥ 'ÿÊß, 'Ê«ΠUÊ ΣΣÊ _iÊ □ fl□Ãÿ ·Á_i,Ã
 ΣΣ□UªÊ, fl,,U ÷Ê ,ÁêΔÁÃ ,,UÊ□ªÊ.

{. ÿÁÆ ΣΣΔ,øÊUÊ ·ãÿ BêçUÊ , □ ÁΣΣ,Ê ÷Ê ÁÆÿ ©U,Σ□§ ÁÿÿÊ□_iΣΣ mÊUÊ ÁÆÿ□
 ¢∞ ΣΣiÊ □ ΔÊ< ΣΣÊ ΔÊòÊÊ Δ□¥ flÊSÃfl Δ□¥ 'ÿÊß, 'Ê«ΠUÊ ΣΣÊ _iÊ □ fl□Ãÿ ·Á_i,Ã
 ΣΣ□UªÊ, ÿ,,U ÷Ê ,ÁêΔÁÃ ,,UÊ□ªÊ.

|. _iÊ □ ΣΣΔ,øÊUÊ ÁÆÿ□ ¢ÿ□ ΣΣiÊ □ ΔÊ< ΣΣÊ ΔÊòÊÊ ÿlÁ-ÿ,,U z{ÆÆ 'ÊÁ«ΠUÿÊÚç
 ,#Ê,,U Δ□¥ 'ÿÊÿ □ Σ□§ Á<∞ -ÿÊ,# ,,UÊ □ ÁΣΣ -lÁÊ, M§-, □ ©U-÷Êª ¢ÿ,,UÊ¥ ΣΣU
 -ÊÃÊ ,,ÒU ÃÊ □ ÿ,,U ¢çU~UÊ fl□_i -"Ê# ΣΣUÿ□ ΣΣÊ ·ÁæΣΣÊUÊ ÿ,,UÊ¥ ,,UÊ□ªÊ.

}. ·Êª, Áfl-ÁûÊ Δ,,UÊΔÊUÊ, ·,ÒÁÿΣΣ 'ÊÊÒ¥-ÿÊ ß,Σ□§ ,ΔÊÿ ·ãÿ ÁSÔÃ Δ□¥ _iÊ □
 ÁÿÿÊ□_iΣΣ Σ□§ ÁÿÿçòÊáÊ Σ□§ 'Ê,,UU ,,ÒU, ÿÁÆ ÁÿÿÊ□_iΣΣ ΣΣΔ,øÊUÊ ΣΣÊ □ ΣΣiÊ
 ΔÊ< ÿ,,UÊ¥ Æ □ -ÊÃÊ ÃÊ □ ΣΣΔ,øÊUÊ fl□_i -"Ê# ΣΣUÿ□ ΣΣÊ ·ÁæΣΣÊU ÿ,,UÊ¥ ,,UÊ□ªÊ.

ÿÿÊUÊÿ-ÊU, ÁÆÿÊçΣΣ w »§UflUÊ wÆv}

Σ"§ΔÊ¥ΣΣ ∞»§ vÆ-y/wÆv{v{.óUÊÖÿ ‡ÊÊ,ÿ ∞ÃÊ~ÔmÊUÊ ãÿlÿÃ Δ fl□Ãÿ
 ·ÁæÁÿÿΔ, v~y} (Σ"§ΔÊçΣΣ vv ,ÿ~Ô v~y}) Á_i, M§- Δ□¥çUûÊÊ,ª...ΠU/UÊÖÿ Δ□¥ -"ÿÊQ§
 ,,ÒU, ΣΣÊ æÊUÊ-x ΣΣÊ ©U-æÊUÊ (v) Σ□§ πá«U ('Ê) Σ□§ mÊUÊ -"ÆûÊ ‡ÊÁQ§ÿÊ□¥
 ΣΣÊ -"ÿÊªª ΣΣUÃ □ ,,ÈU∞, -"Æ□‡Ê Δ□¥ ¢ÁΔUÃ ãÿlÿÃ fl□Ãÿ,Ê,,UΣΣÊU 'Ê□«,U ΣΣÊ
 ·ÿÊ‡Êç,Ê -U ãÿlÿÃ fl□Ãÿ ·ÁæÁÿÿ Σ□§ -ÁUÁ‡ÊÇÔU Δ□¥ ©UÀ□Áπ ¢ªU~UÊÊ
 ©UIÊªª Δ□¥ ÁÿÿÿÊÿÿ Σ□§ Á<∞ ·Áπ< ÷ÊUÃÊÿ©U-÷ÊªQ§Ê ÓlÁÿ ,lôΣΣÊçΣΣ vw}z
 (wÆÆv=vÆÆ) Σ□§ ·ÊæÊU -U ·ÊçΣΣ«ΠUÊ¥ Σ□§ ,ÊÖ _iÊ<Êß, wÆv{ , □ _iÿ wÆv| ÃΣΣ
 ·flÁæ Δ□¥ ,,ÈUß, ·ÊÒ,Ã Á'ãÆÊ·Ê¥ Σ□§ΣΣÊç ÿÊªª vw}z ΣΣÊ fllÁf ΣΣÊ □ Ól fl□Ãÿ Σ□§
 ,ÊáÊ Áflç ΣΣUÿ □ Σ□§ ©U-UÊçÃ -"Ê# ãÿlÿÃ fl□Ãÿ ΣΣÊ ÇUÊ□¥ ΣΣÊ -ÊÿUÊÊáÊ
 ΣΣU ãÿlÿÃ fl□Ãÿ zÆ% ΣΣÊ fllÁfΣΣUÃ □ ,,ÈU∞ ÿflÿÿ ãÿlÿÃ fl□Ãÿ ΣΣÊ ÇU¥U
 ÁÿæÊ,ÁUÃ ΣΣUÿÊ -"SÃÊÁflÃ ΣΣUÃÊ ,,ÒU, _iÊ □ ©UÃ ·ÁæÁÿÿ ΣΣÊ æÊUÊ-z ΣΣÊ
 ©U-æÊUÊ (v) Σ□§ πá«U ('Ê) ΣΣÊ·-ÿÊÊÿÊ,ÊU ∞□, □ ,ðSÃ √ÿÁQ§ÿÊ□¥ Σ□§ Á<∞
 Á_iÿΣ□§ ÁΣΣ ß,, □ -"÷ÊÁflÃ ,,UÊ□ÿ ΣΣÊ ,ç÷ÊflÿÊ ,,ÒU, ΣΣÊ _iÊÿΣΣÊUÊ Σ□§ Áç□
 -"ΣΣÊÁ‡ÊÃ ÁΣΣÿÿ _iÊÃÊ ,,ÒU ·ÊÒU ∞ÃÊ~ÔmÊUÊ ÿ,,U ,lôÿÊ ÇÊ _iÊÃÊ ,,ÒU ÁΣΣ ©UÃ
 -"SÃÊfl -U ß, ·Áæ,lôÿÊ Σ□§ çUûÊÊ,ª...ΠU/UÊç-òÊ Δ□¥ -"ΣΣÊÁ‡ÊÃ ,,UÊ□ÿ ΣΣÊ
 ÁÆÿÊçΣΣ , □ ÇÊ □ ΔÊ,,U ΣΣÊ ·flÁæ √ÿÃÊÃ,,UÊ□ÿ Σ□§ -‡øÊÃ ÁflôÊU ÁΣΣÿÊ
_iÊfl□ªÊ.

∞□,Ê ÁΣΣ,Ê ·Ê-ÁûÊ ÿÊ ,ÊæÊfl -U _iÊ □ ©UQ§ -"SÃÊfl Σ□§ ,ç'çæ Δ□¥ ÁΣΣ,Ê
 √ÿÁQ§ , □ ÁflÁÿÁÆ,CÔU ÃÊUÊπ Σ□§ -lfl, -"Ê# ,,UÊ□,UÊÖÿ ,UÊΣΣU mÊUÊ
 ÁflôÊUÁΣΣÿÿ _iÊfl□ªÊ.

·ÿÊ,lôÊ

·ªU~UÊÊ ©UIÊªª Δ□¥ ÁÿÿÊ□Á;Ã ûÊÁΔΣΣÊ□¥ Σ□§ Áç□ ãÿlÿÃ Δ_iÇUÊ ΣΣÊ ÇU¥U

ΣΣΔ,øÊÁUÿÊ□¥ ãÿlÿÃ Δ _i ÇUÊ ãÿlÿÃ Δ _i ÇUÊ ΣΣÊ ΣÊç< fl□Ãÿ -ÊÿUÊÁÊÃ Δ,,ªÊß, ÷ûÊ □ ΣΣÊ ÇU¥U				
(v)	(w)	(x)	(y)	(z)
·.	·ªU~UÊÊ/UÊ□ç,, (vÆÆÆ ·ªU~UÊÊ/UÊ□ç ΣΣUÿ -U)	L§. v .~ -Ò, □	z -Ò,Ê -"ÁÃ y (v.wz -Ò, □ -"ÁÃ Á'ãÆÊ)	w{.~{
	,ÊæÊUáÊ ,ÊªçÁæÃ	L§. v}.yy	z -Ò,Ê -"ÁÃ y (v.wz -Ò, □ -"ÁÃ Á'ãÆÊ)	w .{{
506	çUûÊÊ,ª...ΠU/UÊç-òÊ, ÁÆÿÊçΣΣ ~ ΔÊø,U wÆv}			[÷Êª v

(v)	(w)	(x)	(y)	(z)
•Ê.	ÁŸêŸ fl _i Ÿ Σ□§ •ŸÈ,ÊU •U'ûÊÊ Á'ŸŸÊ, '≈UU _˘ ¬□¬U Σ§Ê Á'ÊÀ.Ê <¬□≈UŸÊ, '¢œ Σ§UŸÊ.			
	Á'ŸÊ Á,Ê□»□§Ÿ ŸÊ Á; _i <□Á≈UŸ Σ□§			
v.	vÆ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. vy. Æ	z -Ò,Ê -"ÁÃ Á'ãœÈ zÆÆ	ww.Æz
			(v -Ò,Ê -"ÁÃ Á'ãœÈ)	
w.	wÆ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. vz.v -Ò,□	z -Ò,Ê -"ÁÃ Á'ãœÈ zÆÆ	ww. {
			(v -Ò,Ê -"ÁÃ Á'ãœÈ)	
x.	xÆ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. vz.v -Ò,□	z -Ò,Ê -"ÁÃ Á'ãœÈ zÆÆ	ww. {
			(v -Ò,Ê -"ÁÃ Á'ãœÈ)	
y.	yÆ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. v~.w{	z -Ò,Ê -"ÁÃ Á'ãœÈ yÆÆ	w}.~
			(v.wz -Ò,Ê -"ÁÃ Á'ãœÈ)	
z.	Æ _˘ a"Ê◊ fl _i Ÿ Σ□§ -"ÁÃ	L§. wz.}{	z -Ò,Ê -"ÁÃ Á'ãœÈ xÆÆ	x}. ~
			(v.{ -Ò,Ê -"ÁÃ Á'ãœÈ)	
{.	}Æ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. w~. v	z -Ò,Ê -"ÁÃ Á'ãœÈ wzÆ	yy.z
			(w -Ò,Ê -"ÁÃ Á'ãœÈ)	
.	vÆÆ a"Ê◊ fl _i Ÿ Σ□§	L§. xÆ.z}	z -Ò,Ê -"ÁÃ Á'ãœÈ wzÆ	yz.}
			(w -Ò,Ê -"ÁÃ Á'ãœÈ)	
}.	wÆÆ a"Ê◊ fl _i Ÿ Σ□§	L§. x . {v -Ò,□	z -Ò,Ê -"ÁÃ Á'ãœÈ wÆÆ	z{.yv
			(w.zÆ -Ò,Ê -"ÁÃ Á'ãœÈ)	
	Á,Ê□»□§Ÿ ŸÊ Á; _i <□Á≈UŸ Σ□§			
v.	vÆ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. vz.v -Ò,□	z -Ò,Ê -"ÁÃ Á'ãœÈ zÆÆ	ww. {
			(v -Ò,Ê -"ÁÃ Á'ãœÈ)	
w.	wÆ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. v}.~v	z -Ò,Ê -"ÁÃ Á'ãœÈ yÆÆ	w}.x
			(v.wz -Ò,Ê -"ÁÃ Á'ãœÈ)	
x.	xÆ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. wy.wÆ	z -Ò,Ê -"ÁÃ Á'ãœÈ xÆÆ	x{.xÆ
			(v.{ -Ò,Ê -"ÁÃ Á'ãœÈ)	
y.	yÆ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. wy. Æ	z -Ò,Ê -"ÁÃ Á'ãœÈ xÆÆ	x .Æz
			(v.{ -Ò,Ê -"ÁÃ Á'ãœÈ)	
z.	Æ _˘ a"Ê◊ fl _i Ÿ Σ□§ -"ÁÃ	L§. w{.vÆ	z -Ò,Ê -"ÁÃ Á'ãœÈ xÆÆ	x~.vz
			(v.{ -Ò,Ê -"ÁÃ Á'ãœÈ)	
{.	}Æ _˘ a"Ê◊ fl _i Ÿ Σ□§	L§. xÆ.z}	z -Ò,Ê -"ÁÃ Á'ãœÈ wzÆ	yz.}
			(w -Ò,Ê -"ÁÃ Á'ãœÈ)	
÷Ê ^a v		¿UûÊÊ, ^a ...[]U/UÊ _i -òÊ, ÁœŸÊ¢Σ§ ~ ◊Êø,U		507

(v)	(w)	(x)	(y)	(z)
.	vÆÆ a"Ê◊ fl _i Ÿ Σ□§	L§. x{.{{ -Ò,□	z -Ò,Ê -"ÁÃ Á'ãœÈ wÆÆ	zy.~
			(w.zÆ -Ò,Ê -"ÁÃ Á'ãœÈ)	
}.	wÆÆ a"Ê◊ fl _i Ÿ Σ□§	L§. x}.zy	z -Ò,Ê -"ÁÃ Á'ãœÈ wÆÆ	z .}v

(w.zÆ ÑÒ,Ê Ñ"ÁÃ Á'ãŒÈ)

Б. $\begin{aligned} & \dot{A} \ddot{Y} e \ddot{Y} \ddot{Y} \ddot{E}, \dot{E} U - \dot{E} \varphi^a \dot{E} \cdot \ddot{Y} \dot{E} \Sigma \S U - \dot{O} \Sigma \S \Sigma \S U \ddot{Y} \dot{E} \dot{A} \ddot{Y} e \ddot{Y} \cdot \varphi \dot{A} \ddot{Y} \dot{E} \diamond \square \P \cdot {}^a U \cdot \dot{A} \dot{u} \dot{E} \ddot{Y} \dot{E} \square \P \\ & \Sigma \S \dot{E} \square \dot{A}^a \ddot{Y} \Sigma \S U \dot{A} \dot{O} \dot{E} \dot{A} \cdot \dot{E} \prec \square \sim U \ddot{Y} \dot{E}, - \dot{E} \varphi^a \dot{A} \cdot \ddot{Y} \dot{E} \square \P \diamond \square \P \P \div U \Sigma \S U, \langle \square \cdot \rangle \ddot{Y} \dot{E} \dot{A}, \langle \dot{E} \square \rangle \square \S \ddot{Y} \\ & \ddot{Y} \dot{E} \dot{A} \dot{J}, \square \dot{A} \sim U \ddot{Y} \cdot {}'' \dot{E} \odot U \ddot{Y} - \square \cdot \neg U \cdot {}^a \dot{E} \Sigma \S U \cdot \varphi \dot{E} \Sigma \S U \dot{A} \dot{O} \sim U \cdot {}^a \dot{E} \ddot{Y} \dot{E}. \end{aligned}$

$$\hat{A}' \hat{Y} \hat{E} \hat{A}, \langle \hat{E} \square \rangle \square \S \hat{Y} \hat{y} \hat{E} \hat{A}; \langle \square \hat{A} \approx U \hat{Y} \Sigma \square \S$$
$$\begin{aligned} \text{v.} \quad & \text{v}\mathbb{A}\mathbb{E} \cdot \text{a}\mathbb{U} \cdot \text{u}\hat{\mathbb{E}}\hat{\mathbb{E}} \cdot \Sigma \square \S \hat{\mathbb{A}} \cdot \tilde{\mathbb{Y}} \square \quad \text{L}\S. \text{vw.v} \sim \quad \text{z} \rightarrow \hat{\mathbb{O}}, \hat{\mathbb{E}} \rightarrow \text{A}\tilde{\mathbb{A}} \hat{\mathbb{A}} \cdot \tilde{\mathbb{a}} \mathbb{E} \mathbb{E} \{ \mathbb{A} \mathbb{E} \quad \text{v} \} . \text{w} \sim \\ & (\mathbb{A} . \mathbb{A} \mathbb{E} \mathbb{A} \mathbb{E} \} \text{x} \rightarrow \hat{\mathbb{O}}, \hat{\mathbb{E}} \rightarrow \text{A}\tilde{\mathbb{A}} \hat{\mathbb{A}} \cdot \tilde{\mathbb{a}} \mathbb{E} \mathbb{E}) \end{aligned}$$

w. vw •^aU_zûÊË_Σ□_§ Á_zÿ□ L§. vw. {y z -Ò, Ê -"ÁÃ Á'ãÆÈ {ÆÆ v}. ~{ (Æ.ÆÆ)_x -Ò, Ê -"ÁÃ Á'ãÆÈ)

x. wx •⁴U_~ûÊË_~Σ□§ Á_~ÿ□ L§. v_z.v_z z -Ò,Ê -"ÁÃ Á'ãÆÈ zÆÆ ww.|x
(v -Ò,Ê -"ÁÃ Á'ãÆÈ)

y. zÆ •ªU~ûÊË_Σ□§ Á¿ÿ□ L§. vz. {y z -Ò,Ê -"ÁÃ Á'ãÆÈ zÆÆ wx.y{
(v -Ò,Ê -"ÁÃ Á'ãÆÈ)

$$z.\quad v\in E \cdot^a U' \hat{=} \Sigma \square \S \check{\Delta} \check{\gamma} \square \quad L\S. \{v\} \sim v \quad z - \hat{O}, \hat{E} - " \check{A}\tilde{A} \check{A}' \check{a} \in E y \in E \quad w\}.x|$$

(v.wz - \hat{O}, \hat{E} - " \check{A}\tilde{A} \check{A}' \check{a} \in E)

$$\{. \quad w \in E \cdot \hat{a} U' \hat{u} \hat{E} \hat{E} \sum \square \S \hat{A} \hat{y} \square \quad L \S. w \in E. E | \quad z \rightarrow \hat{O}, \hat{E} \rightarrow \hat{A} \hat{A} \hat{A}' \hat{a} \hat{E} \hat{E} \{ \hat{A} \hat{E} \quad x \in E. v v$$

$$(v. w z \rightarrow \hat{O}, \hat{E} \rightarrow \hat{A} \hat{A} \hat{A}' \hat{a} \hat{E} \hat{E})$$
$$\beta_{\cdot}, \hat{E} \square U \acute{A} \gg \S \hat{E} \gg \square \S \diamond \square \yen \bullet^a U' \hat{u} \hat{E} \ddot{E} \wedge U \pi \Sigma \S U$$
[illegible][illegible]

x. -Èçª«Ë ¢ÿÊÛ∑ ∑§ ∑§Êª; L\$. y. } } -Ò, □ z -Ò, Ê -"ÁÃ Á'ãÆÈ v zÆÆ | . xw
 (Æ.ÆÆxx -Ò, Ê -"ÁÃ Á'ãÆÈ)

ŸÊ◻≈U—ó•ℳ'ûÊÊ ©UÎ◻ª,◻,ç'çfΣ§ð,øÊUÊ ¡Ò,◻¬◻≈UÊ ÷ŸÊŸ◻ flÊÊ, ÁÐSòÊÊ,
«UÊß,flU,¬◻≈UÊ ÷UŸ◻ flÊÊ,ð,ÊÊ ÂÊ◻,Ÿ◻ flÊÊ,∞Σ§Ê©çU≈U
Σ◻\$Á‡ÊŸU,ªÊ◻«UÊ©UŸ Σ§Ê¬U,≈UÊß,Á¬S≈U,Ã◻Σ.§,÷ÌàŸ•ÊÁÆ Σ§Ê ÆÒÁŸΣ§
ŸÊ ðÊÁ,Σ§ð¡ÆÍUÊ ãŸÍŸÃð fl◻ÃŸ•ÁæÁŸŸð Σ◻§•æÊŸ,ΣÈ§‡Ê<•f,ΣÈ§‡Ê<
∞flç•ΣÈ§‡Ê<¬flª,Σ§Êð¡ÆÍUÊ Σ◻§•ŸÊ,ÊU ÁflÁŸŸÁðÃ Σ§Ê ¡Êfl◻ªÊ.
•ℳ'ûÊÊ ÁŸŸÊ◻¡Ÿð◻¥©U¬UÊ◻Q§ÊŸÊ,ÊU ðÊÁ,Σ§ÆU¬U Σ§ÊŸUÃ~Ò
Σ§ð,øÊÁUŸÊ◻¥,,◻UÃÈ flÃ,ðÊŸð◻¥‡ÊÊ,Ÿ mÊUÊ yz•Áæ,ÍÁøÃ ÁŸŸÊ◻¡ŸÊ◻¥
Σ◻§Á<∞

$$\acute{A}\ddot{Y}\alpha\hat{E}\acute{A}U\tilde{A}\tilde{a}\ddot{y}\acute{I}\ddot{Y}\tilde{A}\Diamond fl\Box\tilde{A}\ddot{Y} fl^a, fl\hat{E}U/; \hat{E}\Box\ddot{Y} fl\hat{E}U - " \div \hat{E} fl \ddot{\ddot{E}} \langle _, U\hat{E}\Box^a\hat{E}.$$

508 $\{U^a \dots \prod U^a \neg \partial E, A \in Y \notin \Sigma\} \sim [\div E^a v$

S-ŦCÔUËΣ&UáÊ

v. •YÈ,ÍòÊ ∑□§ ∑§ÊÛ◊◊-w◊□¥©U-ƐÁ‡Ê,Ã äýÍYÃ◊◊;ƐÍUÊ ∑□§ •ÁÃÁUÃÃ
 -ÁUflÃ,Y‡ÊÊ◊◊,¥UªÊß,U÷ûÊÊ(√,UÊ.«UÊ.∞.) ;È◊Êß,UwÆv{,□ÁƐ,ê'U wÆv{◊□¥
 •ÊÒ,Ã•Áπ÷ÊUÃÊÿ◊ÍÁÿ,Íò∑§Ê¥∑§(Á;◊□BU,◊□¥BU,∑□§-‡øÊÃ~,Íò∑§Ê¥∑§∑§,UÊ
 ;Êÿ◊ªÊ)vw}z(wÆÆv=vÆÆ),□•ÄÊ∑§¬U BU,•ÄÊ,ÍòYÊ ∑□§ ∑§ÊÛ◊◊x◊□¥
 ©U-ƐÁ‡Ê,Ã¬"äý◊∑§ ∑§Ê◊ ∑□§ Áÿ◊¬"ÁÃ Á'ãƐÈ,ê◊Èπ•¥Á∑§Ã Á∑§ÿ◊ª∞•YÈ,ÊU
 ƐU,□ÃÕÊ◊ÊÁ,∑§ƐU¬U∑§Êÿ,UÃ∑§◊,øÊÁUÿÊ◊¥∑□§ Áÿ◊L§-ÿ◊v.wz-Ò,□
 ¬"ÁÃ Á'ãƐÈ¬"ÁÃ◊Ê,,U∑§ÊƐU,□,¥Ɛ◊,,U,,UÊ◊ªÊ. Á;∑§ÊªÊYÊ¬"äý◊∑§¿U—◊Ê,,U
 ;YflUÊ,□ÍYÃÕÊ ;È◊Êß,U,□ÁƐ,ê'U ;Ò,Ê÷ÊÁSÕÁÁ,,UÊ◊,∑□§•ÊÒ,Ã,Íò∑§Ê¥∑§

$\Sigma \square \S \cdot \hat{E} \hat{a} \hat{E} \hat{U} \rightarrow \mathcal{U} \Sigma \S \hat{E} \hat{I} \hat{E} \square^a \hat{E} \cdot \hat{E} \hat{O} \mathcal{U} \Sigma'' \S \diamond \ddagger \hat{E} - v \cdot -'' \hat{O} \hat{c} \hat{A} \hat{O} \hat{E} v \cdot \hat{A} \approx \hat{I} \mathcal{U} \mathcal{U} \quad , \square \mathcal{E} \square \ddot{y}$
 $\text{,,} \mathcal{U} \hat{E} \square^a \hat{E} . \mathcal{B} \mathcal{U} , -'' \Sigma \S \hat{E} \mathcal{U} , \square , \mathbb{P}^a \hat{A} \hat{a} \hat{E} \hat{A} - \hat{A} \mathcal{U} \mathcal{U} \hat{A} , \ddot{Y} \ddagger \hat{E} \hat{E} \hat{c} \diamond , \mathbb{P} \mathcal{U}^a \hat{E} \mathcal{B} , \mathcal{U} \div \hat{u} \hat{E} \hat{E} \hat{a} \hat{Y} \hat{I} \hat{Y} \hat{A} \diamond \mathcal{U} \square \hat{A} \hat{Y} \Sigma \S \hat{E} \div \hat{E}^a$
 $\text{,,} \mathcal{U} \hat{E} \square^a \hat{E} . \odot \mathcal{U} \hat{A} \hat{A} \cdot \hat{E} \hat{O} , \hat{A} , \hat{I} \hat{O} \Sigma \S \hat{E} \mathbb{P} \Sigma \S \hat{a} \hat{Y} \hat{I} \hat{Y} \hat{A} \diamond \mathcal{U} \square \hat{A} \hat{Y} \quad \cdot \hat{A} \hat{a} \hat{E} \hat{A} \hat{Y} \hat{y} \diamond , v \sim y \} \Sigma \square \S \cdot \hat{a} \hat{E} \hat{E} \hat{Y} , \hat{E} \diamond$
 $-'' \hat{E} \hat{A} \hat{a} \hat{E} \Sigma \S \hat{E} \mathcal{U} \hat{E} m \hat{E} \mathcal{U} \hat{E} \text{,,} \hat{I} \mathcal{U} \hat{u} \hat{E} \hat{E} ,^a \dots \prod \mathcal{U} \mathcal{U} \hat{E} \hat{I} - \hat{O} \hat{E}'' \diamond \square \mathbb{P} -'' \Sigma \S \hat{E} \hat{A} \ddagger \hat{E} \hat{A} \hat{A} \Sigma \S \hat{y} \hat{E} \hat{I} \hat{E} \square^a \hat{E} .$

w. $\cdot \hat{A} \hat{a} \hat{E} , \hat{I} \hat{O} \hat{Y} \hat{E} \hat{a} \hat{Y} \hat{I} \hat{Y} \hat{A} \diamond \diamond \hat{I} \mathcal{E} \hat{I} \mathcal{U} \hat{E} \Sigma \S \hat{E} \mathcal{E} \mathcal{U} \hat{E} \square \mathbb{P} \Sigma \S \hat{E} -'' \mathcal{U} \hat{A} , \hat{Y} \hat{A} \Sigma \S , \hat{E} \div \hat{E} \Sigma \S \diamond , \hat{O} \hat{E} \mathcal{U} \hat{E} \rightarrow \mathcal{U}$
 $-'' \hat{A} \hat{A} \Sigma \hat{I} \S \hat{c} -'' \div \hat{E} \mathcal{U} \hat{Y} , \mathcal{U} \hat{E} \mathbb{P} \langle \mathcal{U} \hat{E} \hat{c} \square^a \hat{E} , \hat{y} \hat{A} \mathcal{E} \hat{A} \mathcal{U} \hat{O} \hat{E} \hat{Y} \diamond \hat{I} \mathcal{E} \hat{I} \mathcal{U} \hat{E} \Sigma \S \hat{E} \mathcal{E} \mathcal{U} \hat{E} \hat{a} \hat{Y} \hat{I} \hat{Y} \hat{A} \diamond \diamond \hat{I} \mathcal{E} \hat{I} \mathcal{U} \hat{E} \Sigma \S \hat{E}$
 $- \hat{E} \hat{Y} \mathcal{U} \hat{E} \hat{A} \hat{E} \hat{A} \mathcal{E} \mathcal{U} \hat{E} \square \mathbb{P} , \square \cdot \hat{A} \hat{a} \hat{E} \Sigma \S , \hat{O} \mathcal{U} \hat{A} \hat{E} \square \mathcal{U} , \mathcal{U} \hat{A} \Sigma \S , \hat{E} \div \hat{E} - \hat{A} \mathcal{U} \hat{A} \hat{S} \hat{O} \hat{A} \hat{A} \diamond \square \mathbb{P} \Sigma \S \diamond \hat{Y} , \mathcal{U} \hat{E} \mathbb{P}$
 $\Sigma \S \hat{E} \hat{I} \hat{E} \mathcal{U} \hat{E} \square^a \hat{E} . \hat{a} \hat{Y} \hat{I} \hat{Y} \hat{A} \diamond \mathcal{U} \square \hat{A} \hat{Y} \cdot \hat{A} \hat{a} \hat{E} \hat{A} \hat{Y} \hat{y} \diamond , v \sim y \} \quad \Sigma \S \hat{E} \hat{a} \hat{E} \hat{E} \mathcal{U} \hat{E} v x \Sigma \S \hat{E} \odot \mathcal{U} - \hat{a} \hat{E} \hat{E} \mathcal{U} \hat{E} (v) \Sigma \square \S$
 $\pi \hat{a} \langle \mathcal{U} (\pi) \Sigma \square \S \cdot \hat{a} \hat{E} \hat{E} \hat{Y} - \hat{A} \mathcal{U} \Sigma \S \hat{A} \hat{A} - \hat{A} \hat{A} \Sigma \S \hat{y} \square^a \hat{y} \square \cdot \hat{Y} \hat{E} , \hat{E} \mathcal{U} \hat{A} \mathcal{U} \hat{u} \hat{E} \hat{E} \diamond \hat{A} \mathcal{E} \mathcal{U} , \Sigma \square \S , \mathbb{P} \mathbb{P} \hat{a} \hat{E} \diamond \square \mathbb{P}$
 $- \hat{E} \hat{Y} \mathcal{U} \hat{E} \hat{A} \hat{E} \hat{A} \mathcal{E} \mathcal{U} \hat{E} \square \mathbb{P} \diamond \square \mathbb{P} - \hat{E} \hat{A} \mathcal{U} \hat{u} \hat{E} \hat{A} \diamond \Sigma \S , \hat{A} \hat{e} \diamond \hat{A} \hat{c} \hat{A} , \hat{O} \mathcal{U} .$

x. $\hat{A} \hat{Y} \hat{a} \hat{E} \hat{E} , \hat{A} \mathcal{U} \hat{A} \hat{O} \hat{E} \hat{A} , \Sigma \S \diamond \hat{I} \mathcal{E} \hat{I} \mathcal{U} \hat{E} \Sigma \hat{O} \S \langle \square \hat{a} \langle \mathcal{U} \mathcal{U} \hat{O} \hat{E} , \mathcal{U} \Sigma \S \hat{E} , \hat{O} \hat{E} \hat{A} \hat{a} \hat{A} - \mathcal{U} \mathcal{E} \square \ddot{y} , \mathcal{U} \hat{E} \square^a \hat{E} ,$
 $\hat{I} , \mathcal{U} \hat{E} \mathbb{P} \diamond \hat{I} \mathcal{E} \hat{I} \mathcal{U} \hat{E} \Sigma \S \hat{E} \hat{O} \hat{E} \hat{A} , \Sigma \S \mathcal{E} \mathcal{U} \hat{A} \hat{Y} \hat{y} \hat{A} \Sigma \S \hat{E}^a \mathcal{B} , \mathcal{U} , \hat{O} \mathcal{U} , \mathcal{U} \hat{E} \mathbb{P} \hat{y} \hat{A} \mathcal{E} \infty \Sigma \S \hat{A} \mathcal{E} \hat{Y} \quad \Sigma \S \hat{E}$
 $\diamond \hat{I} \mathcal{E} \hat{I} \mathcal{U} \hat{E} , \mathbb{P}^a \hat{A} \hat{a} \hat{E} \hat{A} \Sigma \S \hat{E} \hat{I} \hat{E} \hat{Y} \hat{E} , \mathcal{U} \hat{E} \square \hat{A} \hat{E} \square , \hat{O} \hat{E} \hat{A} , \Sigma \S \diamond \hat{I} \mathcal{E} \hat{I} \mathcal{U} \hat{E} \Sigma \S \hat{E} \square w \{ , \square \div \hat{E}^a \mathcal{E} \square \Sigma \S \mathcal{U}$
 $\cdot \hat{A} \div -'' \hat{E} \hat{a} \hat{A} \Sigma \S \hat{E} \hat{I} \hat{E} \mathcal{U} \hat{E} \square^a \hat{E} , \hat{A} \hat{I} , \diamond \square \mathbb{P} \hat{a} \hat{Y} \hat{I} \hat{Y} \hat{A} \diamond \diamond \hat{I} \mathcal{E} \hat{I} \mathcal{U} \hat{E} \cdot \hat{A} \hat{a} \hat{E} \hat{A} \hat{Y} \hat{y} \diamond \quad \Sigma \S \hat{E} \hat{a} \hat{E} \hat{E} \mathcal{U} \hat{E} v x \diamond \square \mathbb{P} \cdot \hat{A} \hat{E} \hat{y} \square$
 $^a \hat{y} \square \cdot \hat{Y} \hat{E} , \hat{E} \mathcal{U} \hat{A} \mathcal{U} \hat{u} \hat{E} \hat{E} \diamond \hat{A} \mathcal{E} \mathcal{U} , \Sigma \S \hat{E} - \hat{E} \hat{A} \mathcal{U} \hat{u} \hat{E} \hat{A} \diamond \Sigma \S , \hat{A} \hat{e} \diamond \hat{A} \hat{c} \hat{A} , \mathcal{U} \hat{E} \square^a \hat{E} .$

$\hat{I} \mathcal{U} \hat{u} \hat{E} \hat{E} ,^a \dots \prod \mathcal{U} \Sigma \square \S \mathcal{U} \hat{E} \hat{O} \hat{y} - \hat{E} \hat{c} \Sigma \square \S$
 $\hat{Y} \hat{E} \diamond , \square \hat{A} \hat{O} \hat{E} \cdot \hat{E} \mathcal{E} \square \ddagger \hat{E} \hat{E} \hat{Y} \hat{E} , \hat{E} \mathcal{U} ,$
 $\cdot \hat{E} \mathcal{U} . \ddagger \hat{E} \hat{c}^a \hat{E} \hat{A} \hat{E} , \hat{A} \mathcal{U} \ddagger \hat{E} \square \cdot , \hat{A} \hat{O} \mathcal{U} .$

$\pi \hat{A} \hat{Y} \hat{I} , \hat{E} \hat{c} \hat{Y} \hat{A} \mathcal{U} \hat{I} \div \hat{E}^a$
 $\diamond \hat{c} \hat{O} \hat{E} \hat{E} \hat{c} \hat{y} , \diamond , \mathcal{U} \hat{E} \hat{Y} \mathcal{E} \hat{E}$
 $\div \mathcal{U} \hat{Y} , \hat{Y} \hat{y} \hat{E} \mathcal{U} \hat{E} \hat{y} - \hat{E} \mathcal{U}$

$\hat{Y} \hat{y} \hat{E} \mathcal{U} \hat{E} \hat{y} - \hat{E} \mathcal{U} , \hat{A} \mathcal{E} \hat{Y} \hat{E} \hat{c} \Sigma \S z \hat{O} \hat{E} \hat{O} , w \hat{E} v \}$

$\Sigma'' \S \hat{O} \hat{E} \mathbb{P} \Sigma \S \infty \gg \S \mid - w \sim / w \hat{E} v w / v w . \hat{O} \pi \hat{E} \hat{Y} \infty \mathcal{U} \hat{c} \pi \hat{A} \hat{Y} \hat{I} (\hat{A} \mathcal{U} \Sigma \S \hat{E} , \cdot \hat{E} \hat{O} \mathcal{U} \hat{A} \mathcal{U} \hat{A} \hat{Y} \hat{y} \diamond \hat{Y})$
 $\cdot \hat{A} \hat{c} \hat{A} \hat{Y} \hat{y} \diamond , v \sim z \mid (v \sim z \mid \Sigma \S \hat{E} , \hat{c} . \{ \}) \Sigma \S \hat{E} \hat{c} \hat{E} \mathcal{U} \hat{E} v z , \mathcal{U} - \hat{A} \Delta \mathcal{U} \hat{A} \hat{I} \mathcal{U} \hat{u} \hat{E} \hat{E} ,^a \dots \prod \mathcal{U} \hat{a} \hat{E} \hat{O} \hat{a} \hat{E} \pi \hat{A} \hat{Y} \hat{I}$
 $\hat{A} \hat{Y} \hat{y} \diamond , w \hat{E} v z \Sigma \square \S \hat{A} \hat{Y} \hat{y} \diamond y \sim \Sigma \square \S \odot \mathcal{U} - \hat{A} \hat{Y} \hat{y} \diamond (z) m \hat{E} \mathcal{U} \hat{E} -'' \mathcal{E} \hat{u} \hat{E} \ddagger \hat{E} \hat{A} \mathcal{Q} \S \hat{y} \hat{E} \square \mathbb{P} \Sigma \S \hat{E} -'' \hat{y} \hat{E} \square^a$
 $\diamond \square \mathbb{P} \langle \hat{E} \hat{A} \square , \hat{E} \mathcal{U} \infty , \mathcal{U} \hat{E} \hat{O} \hat{y} \mathcal{U} \Sigma \S \hat{E} \mathcal{U} , \infty \hat{A} \mathcal{E} \hat{O} m \hat{E} \mathcal{U} \hat{E} , \odot \mathcal{U} \mathcal{Q} \S \hat{A} \hat{Y} \hat{y} \diamond \diamond \square \mathbb{P} \hat{A} \hat{Y} \hat{e} \hat{Y} \hat{A} \hat{c} \pi \hat{Y} \hat{A}$
 $\hat{c} \ddagger \hat{E} \hat{E} \square \hat{c} \hat{Y} \Sigma \S \mathcal{U} \hat{A} \hat{E} , \hat{O} \mathcal{U} , \hat{I} \hat{E} \square v \cdot -'' \hat{O} \hat{c} , w \hat{E} v \} , \square -'' \div \hat{E} \mathcal{U} \hat{E} , \mathcal{U} \hat{E} \square^a \hat{E} , \cdot \hat{O} \hat{E} , \hat{A} \hat{c} \hat{O} - \hat{O}$
 $\hat{c} \ddagger \hat{E} \hat{E} \square \hat{c} \hat{Y}$

$\odot \mathcal{U} \mathcal{Q} \S \hat{A} \hat{Y} \hat{y} \diamond \hat{E} \square \mathbb{P} \Sigma \S \hat{E} \cdot \hat{Y} \hat{E} , \hat{I} \hat{O} \hat{E} \diamond \square \mathbb{P} , \hat{O}$

v. $\cdot \hat{Y} \hat{E} , \hat{I} \hat{O} \hat{E} - \hat{A} \hat{E} \hat{Y} \Sigma \square \S \hat{S} \hat{O} \hat{E} \hat{Y} \rightarrow \mathcal{U} , \hat{A} \hat{Y} \hat{e} \hat{Y} \hat{A} \hat{c} \pi \hat{A}$
 $-'' \hat{A} \hat{A} \hat{S} \hat{O} \hat{E} \hat{A} - \hat{A} \hat{A} \Sigma \S \hat{y} \hat{E} \hat{I} \hat{E} \infty , \cdot \hat{O} \hat{E} , \hat{A} \hat{c} \hat{O} - \hat{O}$

$\text{,,} \cdot \hat{Y} \hat{E} , \hat{I} \hat{O} \hat{E} -$
 $\hat{A} \hat{E} \hat{Y}$
 $(\hat{A} \hat{Y} \hat{y} \diamond y \sim$
 $\mathcal{E} \square \hat{A} \pi \infty)$

$S \mathcal{U} \hat{E} \hat{A} \hat{O} \hat{a} \mathcal{U} \Sigma \S \hat{E} \mathcal{E} \square \mathbb{P} \mathcal{U}$

,, (v)	$\pi \hat{A} \hat{Y} \hat{I}$ (w)	$\mathcal{E} \square \mathbb{P} \mathcal{U}$ (x)
v.	$\cdot \hat{E} \Sigma \S \hat{E} \mathcal{U} \hat{E} \hat{y} - \hat{a} \hat{O} \mathcal{U} \hat{O}^a \square \hat{Y} \hat{E} \hat{B} \approx \mathcal{U} , \langle \mathcal{U} \hat{E} \square \langle \square \mathcal{U} \hat{E} \hat{B} \approx \mathcal{U}$ $- \hat{A} \mathcal{U} \mathcal{U} \hat{A} \hat{A} , \hat{A} \hat{O} \sim \mathcal{U} \hat{O} \sim \mathcal{U} \hat{E} \hat{Y} \square , \hat{A} \hat{I} \hat{Y} \Sigma \S \hat{E}$ $\odot \mathcal{U} - \hat{y} \hat{E} \square^a \Sigma \S \hat{E} \approx \mathcal{U} \Sigma \S \mathcal{U} \cdot \hat{E} \hat{O} \mathcal{U} \hat{A} \mathcal{U} \hat{E} \ddagger \hat{E} \Sigma \S \mathcal{U}$ $\hat{A} \mathcal{U} \hat{A} \ddagger \hat{E} \hat{C} \hat{O} \mathcal{U}$ $\cdot \hat{E} \Sigma \S \hat{E} \mathcal{U} \diamond \square \mathbb{P} \hat{e} \hat{A} \hat{A} , S \langle \square \hat{e} , \approx \mathcal{U} \hat{E} \hat{B} \hat{A} , \cdot \hat{Y} \hat{E} \hat{Y} \square$ $\Sigma \square \S \hat{A} \hat{c} \hat{y} \square \hat{A} \Sigma \S \hat{y} \hat{E} \hat{I} \hat{E} \hat{A} \hat{E} , \hat{O} \mathcal{U} - \hat{O}$ $(\Sigma \S) \quad \Sigma \S \hat{E} \hat{c} \hat{E} / \hat{c} \mathcal{U}^a$	$\hat{O}$

$L \S - \hat{y} \square w \hat{E} \hat{E} \hat{E} -'' \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y}$

$\div \hat{E}^a v$ (π) $\bullet \tilde{a} \tilde{y} / \epsilon U^a$ $\hat{U} \hat{u} \hat{E} \hat{E},^a \dots \prod U / U \hat{E}_i \neg \hat{o} \hat{E}, \hat{A} \hat{C} \hat{E} \hat{Y} \hat{E} \epsilon \Sigma \S \sim \diamond \hat{E} \emptyset, U$ $L \S \neg \tilde{y} \square | z \hat{A} \neg " \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y} \hat{E}$
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(v)	(w)	(x)
w.	$\epsilon^a \diamond U \diamond U, \hat{A}_i, \Sigma \S \hat{E} \odot U \neg \tilde{y} \hat{E} \square^a \Sigma \S \hat{E} \sim \Sigma \S U \bullet \hat{E} \hat{O} U$ $\epsilon \hat{E} \hat{A},, S \square \epsilon,, \sim U \hat{E} \hat{B} \hat{A}, ' \hat{Y} \hat{E} \hat{Y} \square \Sigma \square \S \hat{A} \tilde{y} \square \hat{A} \Sigma \S \tilde{y} \hat{E} ; \hat{E} \hat{A} \hat{E} ,, \hat{O} U.$	$L \S \neg \tilde{y} \square \} z \hat{A}$
x.	$\bullet \tilde{a} \tilde{y} \neg " \tilde{y} \hat{E} \square ; \tilde{Y} \Sigma \square \S \hat{A} \tilde{y} \square \neg " \tilde{y} \hat{E} Q \S, \epsilon^a \diamond U \diamond U \neg \hat{a} \hat{O} U$	$L \S \neg \tilde{y} \square \vee \hat{A} \hat{E}$ $\neg " \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y} \hat{E} \sim \prod U$
y.	$\epsilon \langle \square^a S \sim U \hat{E} \square \tilde{Y} \neg " \hat{E} \Sigma \hat{I} \S \hat{A} \hat{A} \Sigma \S \neg U \hat{A} \hat{C} \hat{E} \hat{E} U \neg \hat{a} \hat{O} U,$ $\Sigma \square \S \hat{A} \tilde{y} \square \hat{A} \Sigma \S \tilde{y} \hat{E} ; \hat{E} \hat{A} \hat{E} ,, \hat{O} U.$	$L \S \neg \tilde{y} \square \vee w \hat{A} \neg " \hat{A} \hat{A}$
z.	$, \hat{E} \epsilon \hat{E} U \hat{a} \hat{E} / \square U \hat{A}, ' ; U \hat{E}$	$L \S \neg \tilde{y} \square z \hat{A} \neg " \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y} \hat{E} \diamond \hat{E} \sim U U$
{.	$\diamond \hat{E} M \S \diamond$	$L \S \neg \tilde{y} \square z \hat{A} \neg " \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y} \hat{E} \diamond \hat{E} \sim U U$
.	$\neg \hat{a} \hat{O} U$ $(\Sigma \S) \quad ' \hat{E} \square \hat{A} \ll U U$ $(\pi) \quad \hat{A}^a \sim U \hat{O} \sim U \hat{E}, / U \hat{E} \square \ll U \diamond \square \sim U \langle$ $(^a) \quad \neg \hat{A} U \epsilon \Sigma \hat{I} \S \hat{A} \neg \hat{a} \hat{O} U, \pi \hat{a} \ll U \hat{E},$ $\prod U \neg \neg \neg \epsilon \hat{E}$	$L \S \neg \tilde{y} \square \vee x \hat{A} \neg " \hat{A} \hat{A}$
}.	$, \hat{E} \epsilon \hat{E} U \hat{a} \hat{E} \hat{A} \diamond \sim U \hat{O} \sim U \hat{E} \text{ —}$ $B Z \sim U, ' \hat{A}, \tilde{Y} \infty f \epsilon \Sigma \S f \square \langle \hat{I} ' \tilde{Y} \hat{E} \hat{Y} \square \Sigma \square \S$ $\hat{A} \langle \infty / \hat{A} \tilde{Y} \diamond \hat{E}, \hat{a} \hat{E} \Sigma \S \hat{E} \tilde{y}, \diamond \square \S \sqrt{\tilde{y} f}, \hat{E} \hat{A} \tilde{y} \Sigma \S$ $\odot U \neg \tilde{y} \hat{E} \square^a \Sigma \square \S \hat{A} \langle \infty \hat{A} \diamond \sim U \hat{O} \sim U \hat{E}.$	$L \S \neg \tilde{y} \square z \hat{A} \neg " \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y} \hat{E} \diamond \hat{E} \sim U U$
~.	$(\Sigma \S) \quad \ll U \hat{E} \square \langle \hat{E} \square \diamond \hat{E} \beta \sim U (\odot U \hat{I} \hat{E} \square^a \hat{E} \square \S \diamond \square \S \odot U \neg \tilde{y} \hat{E} \square^a$ $(\pi) \quad \ll U \hat{E} \square \langle \hat{E} \square \diamond \hat{E} \beta \sim U (\langle \prod U \Sigma \S \infty f \epsilon \div f \tilde{Y} \hat{A} \tilde{Y} \diamond \hat{E}, \hat{a} \hat{E})$	$L \S \neg \tilde{y} \square \sim \hat{A}$
v\hat{A}.	$\Sigma \S \hat{E} \square / U \hat{a} \ll U \diamond$	$\hat{A} f \Sigma " \S \tilde{y} \diamond \hat{I} \hat{A} \tilde{y} \Sigma \S \hat{E} v z$ $\neg " \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y} \hat{E} \sim \prod U$
vv.	$, \hat{E} \square \neg S \sim U \hat{E} \square \tilde{Y}$	$\hat{A} f \Sigma " \S \tilde{y} \diamond \hat{I} \hat{A} \tilde{y} \Sigma \S \hat{E}$ $\dots \neg " \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y} \hat{E} \sim \prod U$
vw.	$\gg \S \hat{E} \tilde{y} U \hat{A} \langle \square / \emptyset \hat{E} \beta, \tilde{Y} \hat{E} \hat{A} \langle \square / \bullet \tilde{a} \tilde{y} \hat{A} \langle \square$	$\hat{A} f \Sigma " \S \tilde{y} \diamond \hat{I} \hat{A} \tilde{y} \Sigma \S \hat{E}$ $\dots \neg " \hat{A} \hat{A} \hat{E} \hat{E} \hat{Y} \hat{E} \sim \prod U$
vx.	$\bullet \hat{E} \acute{U} \Sigma \S U$	$L \S \neg \tilde{y} \square x \hat{A} \neg " \hat{A} \hat{A}$ $\neg \neg \neg \neg$
vy.	$\langle \hat{O} \sim \square U U \hat{E} \beta \sim U \text{ —}$ $\epsilon \hat{E} \hat{A} \hat{E} \Sigma \S \diamond, \diamond \square \S \odot U \neg \tilde{y} \hat{E} \square^a / \bullet \tilde{a} \tilde{y} \odot U \neg \tilde{y} \hat{E} \square^a \diamond \square \S$	$L \S \neg \tilde{y} \square \{ \hat{A} \neg " \hat{A} \hat{A}$ $\sim \neg \neg \neg$
vz.	$\hat{A} f \hat{E} \sim U \hat{O}, ;$	$L \S \neg \tilde{y} \square \sim \hat{A} \neg " \hat{A} \hat{A}$ $\sim \neg \neg \neg$
v{.	$\hat{A} f \hat{E} \sim, \sim U ; \hat{E} \beta U \sim U$	$L \S \neg \tilde{y} \square v y \hat{A} \neg " \hat{A} \hat{A}$ $\sim \neg \neg \neg$
v ..	$\hat{A}, \hat{A} \langle \Sigma \S \hat{E}, \square \hat{a} \ll U / \bullet \tilde{a} \tilde{y} ' \hat{E} \hat{I}$	$L \S \neg \tilde{y} \square z \neg " \hat{A} \hat{A}$ $\neg \neg \neg \neg \neg \neg \neg \neg \neg \neg \neg \neg \neg$
v}.	$\bullet \tilde{a} \tilde{y}^a \hat{E} \hat{O} \hat{a} \hat{E} \pi \hat{A} \tilde{Y} ;$	$L \S \neg \tilde{y} \square \{ \hat{A} \neg " \hat{A} \hat{A}$ $\hat{E} \hat{E} \hat{Y} \hat{E} \sim \prod U$

w. $\bullet \tilde{Y} \hat{E}, \hat{I} \hat{O} \hat{E} \neg \emptyset \hat{E} U \diamond \square \S, / U \langle \Sigma " \S \diamond \hat{E} \epsilon \Sigma \S \{ \Sigma \square \S \neg \hat{I} \hat{O} \hat{E} \hat{A} \sim, \hat{A} \tilde{Y} \epsilon \tilde{Y} \hat{A} \langle \pi \hat{A}$
 $\bullet \hat{E} \hat{A} \text{ — } S \hat{O} \hat{E} \hat{A} \neg \hat{A} \hat{A} \Sigma \S \tilde{y} \hat{E} ; \hat{E} \infty, \bullet \hat{O} \hat{E}, \hat{A} \sim \hat{O} \text{ — } \hat{O}$

“{ $\bullet \tilde{Y} \hat{E}, \hat{I} \hat{O} \hat{E} \neg \infty \Sigma \S \Sigma \square \S \div \hat{E}^a \neg \pi \diamond \square \S \hat{A} \tilde{Y} / \epsilon U \Sigma \S \quad z, \hat{A} \hat{E} \hat{A} \hat{E} \quad |, z \hat{A} \hat{E} \hat{O}$
 $\pi \hat{A} \tilde{Y} ; \hat{E} \square \S.$

$\hat{U} \hat{u} \hat{E} \hat{E},^a \dots \prod U \Sigma \square \S / U \hat{E} \hat{O} \tilde{y} \neg \hat{E} \langle \Sigma \square \S$
 $\tilde{Y} \hat{E} \diamond, \square \hat{A} \hat{O} \hat{E} \bullet \hat{E} \hat{C} \square \hat{I} \hat{E} \hat{E} \hat{Y} \hat{E}, \hat{E} U,$
 $\beta \epsilon \gg \S \hat{A} \bullet \hat{E} U \hat{E},$
 $\odot U \neg, \hat{A} \emptyset f.$

$\sim U \hat{E} \neg \text{ — } \hat{O} \hat{U} \hat{u} \hat{E} \hat{E},^a \dots \prod U^a \hat{E} \hat{O} \hat{a} \hat{E} \pi \hat{A} \tilde{Y} ; \hat{A} \tilde{Y} \tilde{y} \diamond, w \hat{A} v z \Sigma \S \hat{E} \square \hat{U} \hat{u} \hat{E} \hat{E},^a \dots \prod U / U \hat{E}_i \neg \hat{o} \hat{E}$
 $(\bullet, \hat{E} \epsilon \hat{E} U \hat{a} \hat{E}) \hat{A} \hat{C} \hat{E} \hat{Y} \hat{E} \epsilon \Sigma \S \quad w | \neg \hat{A} x \neg w \hat{A} v z \diamond \square \S \neg " \Sigma \S \hat{E} \hat{A} \hat{I} \hat{E} \hat{A} \hat{A} \Sigma \S \tilde{y} \hat{E} \tilde{a} \tilde{y} \hat{E} \hat{O} \hat{E},$

Á_i, Σ□§Á,, UāCEĒ -ĒΔU ◇□¥ ‡ĒĒÁf-òĒ ÁCEŸĒ¢Σ§ xĒ-Ēv-wĒv{ ĩĒUĒ ÁΣ§ŸĒ
 ªŸĒ. •Áœ, ĩŸĒ Σ"§ŸĒ¢Σ§ ∞»§ {-yw/wĒvw/vw, ÁCEŸĒ¢Σ§ wx-Ēx-wĒv{, vx-Ēw-
 wĒv| ĀŌĒ vw-Ēy-wĒv| mĒUĒ, ¢‡ĒĒ□ÁœĀ ÁΣ§ŸĒ ªŸĒ. ◇Ĭ ÁŸŸ◇ Σ§Ē□ •¢ÁĀ◇
 'ĒU •Áœ, ĩŸĒ Σ"§ŸĒ¢Σ§ ∞»§ {-yw/wĒvw/vw, ÁCEŸĒ¢Σ§ w{-vĒ-wĒv| mĒUĒ
 , ¢‡ĒĒ□ÁœĀ ÁΣ§ŸĒ ªŸĒ.

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$$\zeta U \hat{E} \hat{E}, ^a \dots \prod U \wedge \hat{E}_i - \hat{O} \hat{E}, \hat{A} \hat{C} \hat{E} \hat{Y} \hat{E} \hat{C} \hat{\Sigma} \hat{\Sigma} \sim$$

[÷Ēª v

$$\hat{Y} \hat{Y} \hat{E} \wedge \hat{U} \hat{E} \hat{Y} - \hat{E} \hat{U}, \hat{A} \hat{C} \hat{E} \hat{Y} \hat{E} \hat{C} \hat{\Sigma} \hat{\Sigma} z \hat{O} \hat{E} \hat{\sigma}, w \hat{E} v \}$$

Σ"§ŸĒ¢Σ§ ∞»§ |-w~/wĒvw/vw.ó÷ĒUĀ Σ□§ , ¢ÁflœĒŸ Σ□§ •ŸĒĒ; □UĒ xy} Σ□§
 πá«U (x) Σ□§ •ŸĒ, UáĒ ◇□¥ B, Áfl÷Ēª Σ□§ •Áœ, ĩŸĒ Σ"§ŸĒ¢Σ§ ∞»§ |-w~/wĒvw/vw,
 ÁCEŸĒ¢Σ§ z ŸĒ, wĒv} Σ§Ē •¢ª"□ ĩĒ •ŸĒflĒCE/UĒÖŸ-Ē< Σ□§ -"ĒÁœΣ§ĒU , □
 ∞ĀCE~ŌmĒUĒ -"Σ§ĒÁ‡ĒĒ ÁΣ§ŸĒ ĩĒĒĒ , ŌU.

$$\zeta U \hat{E} \hat{E}, ^a \dots \prod U \Sigma \square \Sigma \wedge \hat{U} \hat{E} \hat{O} \hat{Y} - \hat{E} \hat{U} \Sigma \square \Sigma$$

$$\hat{Y} \hat{E} \hat{O} , \square \hat{A} \hat{O} \hat{E} \cdot \hat{E} \hat{C} \hat{E} \hat{\Sigma} \hat{\Sigma} \hat{E} \hat{Y} \hat{E}, \hat{E} \hat{U},$$

$$\mathbf{B} \hat{C} \gg \hat{\Sigma} \hat{A} \cdot \hat{E} \hat{U} \hat{E},$$

©U~-, Áøfl.

Naya Raipur, the 5th March 2018

No. F-7-29/2012/12.—In Exercise of the powers conferred by Section 15 of the Mines and Minerals (Devel-opment and Regulation) Act, 1957 (No. 67 of 1957) read with sub-rule (5) of rule 49 of the Chhattisgarh Minor Mineral Rules, 2015, the State Government, hereby, makes the following further amendment in the said rules with effect from 1st April, 2018, namely:i;s

AMENDMENT

In Schedule of the said rules,—

- For Schedule-III, the following shall be substituted, namely:i;s

“SHCDULE-III
(See Rule 49)

Rates of Royalty

S. No. (1)	Mineral (2)	Rates (3)
1.	Dimensional Stone-Granite, dolerite, and other igneous, sedimentary and metamorphic rocks which are used for cutting and polishing purpose for making blocks, slabs, tiles of specific dimension.	
	(a) Black colour	Rs. 2000 per cubic metre
	(b) Other colour	Rs. 750 per cubic metre
2.	Marble, used for cutting and polishing purpose for making blocks, slabs, tiles of specific dimension.	Rs. 850 per cubic metre
3.	Marble stone used for other purposes	Rs. 400 per cubic metre
4.	Flagstone-natural sedimentary rock which is used for flooring, roof top etc.	Rs. 120 per cubic metre
5.	Ordinary Sand, bajri	Rs. 50 per cubic metre
6.	Murum	Rs. 50 per cubic metre
7.	Stone	Rs. 130 per cubic metre
	(a) Boulder	
	(b) Gitti, rodmetal	
	(c) Dressed Stone, Khanda, Dhoka	
8.	Ordinary Soil; Soil for making bricks, pots and tiles/soil for commercial used in construction works.	Rs. 50 per cubic metre

(1)	(2)	(3)
9.	(a) Dolomite (industrial use) (b) Dolomite (Road and building construction)	Rs. 90 per tonne
10.	corundum	15 percent of sale price
11.	Soapstone	20 percent of sale price
12.	Fire Clay/China Clay/Other Clay	15 percent of sale price
13.	Ochre	Rs. 30 per tonne
14.	Laterite : Metallurgical use/Other use	Rs. 60 per tonne
15.	Quartz	Rs. 90 per tonne
16.	Quartzite	Rs. 140 per tonne
17.	Silica sand and other sand	Rs. 75 per cubic metre
18.	Other Minor Minerals	Rs. 60 per cubic metre”

2. In Schedule-IV, after Serial No. 6, the following shall be inserted, namely, :is

(1)	(2)	(3)	(4)	(5)
“6A	Minerals specified in Part B of Schedule I	Nil	5,000	7,500”

By order and in the name of the Governor of Chhattisgarh,
EFFAT ARA, Deputy
Secretary.

Note :— The Chhattisgarh Minor Mineral Rules, 2015, were notified in the Chhattisgarh Rajpatra (Asadharan) dated 27-3-2015, corrigendum dated 30.01.2016 issued for Hindi part of it. The Rules were further amended vide notification number F 6-42/2012/12, dated 23.3.2016, 13.2.2017 and dated 12.4.2017. The principal rules were lastly amended vide notification number F 6-42/2012/12, dated 26.10.2017.

¬ÁUfl,,Uÿ Áfl÷Êª

ØçòÊÊÿ, Ø,,UEÿÆË ÷flÿ, ÿÿÊ/UEÿ-ÈU

ÿÿÊ/UEÿ-ÈU, ÁÆÿÊçΣ§ ~ ØÊø, wÆv}

Σ§ØÊÆΣ§ ∞»§ z-Æv/•ÊΔU-¬ÁU./wÆv}.óĩUûÊÊª,ª...ΠU ØÊ□≈UUÿÊÿ ÁÿÿØ, v~y
Øç□ •ÊòU ,ç‡ÊÊ□æÿ Σ§Ê ÁÿçÿÁ<ÁπÃ -¬ÊM§¬, Áĭ,□ /UEÿÿ, /UΣ§ÊU, ØÊ□≈UUÿÊÿ
•ÁæÁÿÿØ, v~}} (v~}} Σ§Ê ,ç. z~) Σ§Ê æÊUE { } Σ§Ê ©U¬ æÊUE (z) „,U¬ÁΔUÃ æÊUE ~{
Σ§Ê ©U¬æÊUE (w) mÊUE -¬æÊÊ ‡ÊÁQ§ÿÊ□¥Σ§Ê□ -¬ÿÊ□ª Ø□¥ <ÊÃ□ „ÈU∞ ’ÿÊÿÊ
¬¬SÃÊÁflÃ Σ§UÃÊ „òU, ©UQ§ •ÁæÁÿÿØ Σ§Ê æÊUE wvw Σ§Ê ©U¬æÊUE (v) mÊUE
•¬□Á¬ÊÃ ÁΣ§ÿ□ ¢ÿ□ •ÿÊ,ÊU, ©Uÿ ,ØSÃ√ÿÁQ§ÿÊ□¥, ÁĭÿΣ□§ ÁΣ§ ß,,□ -¬÷ÊÁflÃ
„UE□ÿ□ Σ§Ê ,ç÷ÊflÿÊ „òU, ÁΣ§ ĭÊÿΣ§ÊUE Σ□§ Á<∞ ∞ÃÆ¬òmÊUE -¬Σ§ÊÁ‡ÊÃ
ÁΣ§ÿÊ ĭÊÃÊ „òU ÃòÊ ∞ÃÆ¬òmÊUE ,ÍæÃ ÁΣ§ÿÊ ĭÊÃÊ„òU ÁΣ§ ©UQ§ -¬ÊM§¬¬¬U ß,
,ÍæÿÊ Σ□§ /UEĭ-òÊ Ø□¥ -¬Σ§Ê‡Êÿ Σ§Ê ÃÊUEπ ,□ æ, ÁÆfl, Σ□§ •fl,Êÿ Σ□§ -¬‡øÊÃ¬
ÁfløÊU ÁΣ§ÿÊ ĭÊÿ□ªÊ.

Σ§Ê□ß, •Ê¬ÁûÊ ÿÊ ,ÈæÊÊfl, ĭÊ□ ©UQ§ -¬ÊM§¬¬Σ□§ ,ç’çæ Ø□¥ ÁΣ§,Ê √ÿÁQ§ ,□
ÁflÁÿÁÆ,CòU Σ§ÊÊflÁæ Σ□§ -Ífl,, -ÁUfl,,Uÿ •ÊÿÊQ§, ĩUûÊÊª,ª...ΠU

†ÊÊ,ÿ,¬ÁUfl,,Uÿ Áfl÷Êª, ÆÏÃËÿ Æ<, Æ-éÊÚΣ§, Æª°ÊflÃË ÷flÿ, ÿÿÊ ÆËÿ-ÈU Σ□§ Σ§ÊÿÊ,ÿ ◊□¥, Σ§ÊÿÊ,ÿÿÿÿ,◊ÿ ◊□¥ ¬Ê# „UÊ□, ¬U ¿UûÊÊ,ª...ΠU †ÊÊ,ÿ mÊUÊÁfløÊU ÁΣ§ÿÊ ;ÊÿªÊ.

,¢†ÊÊ□œÿ ¬ÊM§¬

©UQ§ Áÿÿ◊ ◊□¥,ó

Áÿÿ◊ {{ ◊□¥,

(∞Σ§)πá«U (Σ§) Σ□§ ¬†øÊÃ~ ÁÿÿÿÁ<ÁπÃ •ãÃ—SÕÊÁ-Ã ÁΣ§ÿÊ ;Êÿ□, •ÕÊ,Ã~Ô —ó
“(Σ§-Σ§) ◊Ê□~UUÿÿÿ •ÁœÁÿÿ◊, v~}} Σ§Ê œÊUÊ |w ÿÊ œÊUÊ }v Σ□§ •¢Ãª,Ã
“ÆË;œÊÿÿ ’, ,□flÊ” „UÃÊ •ÿËøÊÊ-øÊÊ□¥ Σ§Ê□ SflÊΣÍ§Ã Σ§UÿÊ,
ÿflÊÿÿΣÍ§Ã Σ§UÿÊ ÿÊ •SflÊΣÍ§Ã Σ§UÿÊ,Ô”

(ÆÊ□)πá«U (¿U§) Σ□§ ¬†øÊÃ~, ÁÿÿÿÁ<ÁπÃ ;Ê□«ΠÊ ;Êÿ□, •ÕÊ,Ã~Ô —ó
“(j)◊Ê□~UUÿÿÿ •ÁœÁÿÿ◊, v~}} Σ§Ê œÊUÊ }v Σ□§ •¢Ãª,Ã •ãÃUÊ,Öÿÿÿ ◊ÊªÊ□Z
Σ□§ SflÊΣÍ§Ã •ÿËøÊÊ-øÊÊ□¥ Σ§Ê ÿflÊÿÿΣ§UaÊ SflÊΣÍ§Ã Σ§UÿÊ ÿÊ
•SflÊΣÍ§Ã Σ§UÿÊ.”

No. F-5-01/VIII/Trans./2018.—The following further draft to amend the Chhattisgarh Motor Vehicles Rules 1994, which the State Government proposes to make in exercise of the powers conferred by sub-section (5) of Section 68 read with sub-section (2) of Section 96 of the Motor Vehicles Act, 1988 (No. 59 of 1988), is hereby, published as required by sub-section (1) of Section 212 of the said Act, for the information of all persons likely to be affected thereby and notice is hereby given that the said draft shall be taken into consideration after the expiry of ten days from the date of publication of this notice in the official Gazette;

Any Objection or suggestions regarding the said draft received from any person, before the specified period, during office hours by the office of the Transport Commissioner, Government of Chhattisgarh, Department of Transport, Third Floor, C-Block, Indrawati Bhavan, Naya Raipur shall be considered by the Government of Chhattisgarh.

DRAFT AMENDMENT

In the said rules,

In rule 66,—

- (i) After clause (a), the following shall be inserted namely :—
“(a-a) To grant renew or rject the permit for “Rajdhani Bus Sewa” under Section 72 or Section 81 of the Motor Vehicles Act, 1988;”
- (ii) After clause (g), the following shall be added namely :—
“(h) To grant or refuse renewal of sanctioned permits of Inter State Route under Section 81 of the Motor Vehicle Act, 1988.”

ÿÿÊ ÆËÿ-ÈU, ÁœÿÊ¢Σ§ ~ ◊Êø, wÆv}

Σ”§◊Ê¥Σ§ ∞»§ zÆw/•ÊΔU-¬ÁU./wÆv}.óÿÃ—ÆËÿ ÆUΣ§ÊU Σ§Ê ÆËÿ „ÒU ÁΣ§
“ÆË;œÊÿÿ ’, ,□flÊ” ÿÊ□;ÿÊ Σ□§ •¢Ãª,Ã <¢’Ê œÍUÊ, ÿÊÚÿ-S~UÊÚ¬, flÊÃËÿÿÿΣÍ§Á<Ã,
¬“Σ”§◊ flÊ,,Uÿ ,□flÊ•Ê□¥ Σ§Ê□ ¬Ê□à,ÊÁ,,UÃ Σ§Uÿ□ Σ□§ Áÿ□ ¬Õ◊ •ÿË,ÍøÊ Σ□§ ◊Ê
øÊU Σ□§ ©U¬-◊œ (ÊÊ) Σ□§ πá«U (v) Σ□§ ©U¬-πá«U (,) Σ□§ •¢Ãª,Ã ÷ÊªÃËÿ ÿÊ□Çÿ
◊ÊÁ,Σ§ Σ§U ,□ zÆ% Σ§Ê ¿ÍU~U œÊ ;Êÿ□;

•Ã∞fl, ¿UûÊÊ,ª...ΠU ◊Ê□~UUÿÿÿ Σ§UÊœÊÿ •ÁœÁÿÿ◊, v~v (Σ”§. wz ,ÿ~Ô v~v)
Σ§Ê œÊUÊ wv Σ§Ê ©U¬-œÊUÊ (v) mÊUÊ ¬œÊÊ †ÊÁÃÿÿÿΣ§Ê□¬ÿÿÊª ◊□¥ <ÊÃ□
„ÈU∞,ÆËÿ ÆËΣ§U, ∞Ãœ~ÔmÊUÊ ¬Õ◊ •ÿË,ÍøÊ Σ□§ ◊Ê øÊU Σ□§ ©U¬-◊œ (ÊÊ)
Σ□§ πá«U (v) Σ□§ ©U¬-πá«U (,) Σ□§ •ãÃª,Ã ÷ÊªÃËÿ
÷Êª v] ¿UûÊÊ,ª...ΠU ÆË-øÊ, ÁœÿÊ¢Σ§ ~

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ÿÊ□Çÿ ◊ÊÁ,Σ§ Σ§U ,□ ÁÿÿÿÁ<ÁπÃ †ÊÃÊ□Z Σ□§ •äÿœÿÿU,,UÃ□ „ÈU∞ zÆ% Σ§Ê
¿ÍU~U ¬œÊÿ Σ§UÃÊ „ÒU, ;Ê□ ÆË-øÊ ◊□¥ Æ,Σ□§ ¬Σ§Ê†Êÿ Σ§Ê ÆÊUÊπ ,□
¬÷ÊflÊ,,UÊ□¥Ê, •ÕÊ,Ã~Ô —ó

v. Æ, •Áœ,ÍøÿÊ Σ□§ ¬Σ§Ê†Êÿ Σ□§ ¬†øÊÃ~, zÆ% Σ§Ê ¿ÍU~U flÒœ •ÿËøÊÊ Σ□§
•ãÃª,Ã ,□flÊ Σ□§ ,¢øÊÿ Σ§Ê ÆÊUÊπ ,□ ∞Σ§ fl·, Σ§Ê Σ□§ Áÿ□ flÒœ „UÊªÊ.

w. $\tilde{A}\hat{E}\hat{A}\langle\S\S\hat{E} \cdot \cdot \diamond\Box\forall \hat{A}\hat{C}\hat{E}\hat{y}\Box^a\hat{y}\Box \diamond\hat{E}^a\hat{E}\Box Z \diamond\Box\forall \odot U\hat{A}\hat{A}\langle\hat{A}\pi\hat{A}\hat{O} S\approx U\hat{E}\neg\Box_i, \Box \hat{A}\div\hat{a}\hat{Y}$
 $\hat{A}\Sigma\S, \hat{E} S\approx U\hat{E}\neg\Box_i \neg U \hat{y}\hat{E}\hat{A}\hat{o}\hat{E}\hat{y}\hat{E}\Box\forall\S\S\hat{E}, \hat{E}\hat{A}\hat{f}\hat{c}\hat{e}\hat{E} \Sigma\Box\S \hat{A}\langle\infty \hat{f}\hat{E}, U\hat{Y} \hat{Y}, U\hat{E}\forall U\hat{E}\Box\S\Box\forall\S^a\Box$
 $\cdot\hat{E}\hat{O}U \hat{y}\hat{E}\hat{A}\hat{o}\hat{E}\hat{y}\hat{E}\Box\forall\S\S\hat{E}\Box \div\hat{E} \hat{Y}, U\hat{E}\forall \emptyset \dots \prod U\hat{E}\hat{y}\Box\forall^a\Box.$

x. $,\hat{c}\hat{o}\hat{E}\langle\S\S, \cdot\hat{E}\hat{f}\hat{c}\hat{A}\approx U\hat{A}, \diamond\hat{y}, \hat{E}U\hat{a}\hat{E}\hat{E} \Sigma\Box\S \cdot\hat{E}\hat{c}\hat{e}\hat{U} \neg U \neg \neg\S\S\hat{E} \diamond \hat{f}\hat{E}, U\hat{Y} \Sigma\S\hat{E}, \hat{c}\hat{o}\hat{E}\langle\hat{Y}$
 $\Sigma\S\Box\forall U^a\Box.$

y. $,\hat{c}\hat{o}\hat{E}\langle\S\S, \odot UQ\S U\hat{E}_i\hat{c}\hat{E}\hat{Y}\hat{E}', \Box \hat{f}\hat{E} (\hat{f}\hat{E}\hat{A}\hat{E}\hat{Y}\hat{E}\Sigma\hat{I}\hat{S}\hat{A}\langle\hat{A}) \Sigma\Box\S \hat{A}\langle\hat{y}\Box \ddagger\hat{E}\hat{E}, \hat{Y} m\hat{E}U\hat{E} \hat{y}\hat{O}\hat{E}$
 $\hat{A}\hat{f}\hat{A}\hat{Y}\hat{A}\ddagger\hat{o}\hat{A}/\hat{c}U^a \hat{y}\hat{E}\Box_i\hat{Y}\hat{E} \Sigma\S\hat{E} \cdot\hat{Y}\hat{E}-\hat{E}\langle\hat{Y} \Sigma\S\Box\forall U^a\Box. z. \beta, \hat{y}\hat{E}\Box_i\hat{Y}\hat{E}, \hat{f}\hat{E}\Box \hat{A}\Sigma\S U\hat{E}_i\hat{c}\hat{E}\hat{Y}\hat{E}',$
 $,\Box \hat{f}\hat{E} \Sigma\Box\S M\S\neg \diamond\Box\forall \cdot\hat{A}\div\hat{A}, U\hat{A}, \hat{O}U, \Sigma\Box\S \cdot\hat{c}\hat{A}^a, \hat{A}, \hat{c}\hat{o}\hat{E}\hat{A}\langle\hat{A} \neg\S\S\hat{E} \diamond \hat{y}\hat{E}\hat{o}\hat{E}\hat{E} \hat{f}\hat{E}, U\hat{Y},$
 $\odot U\hat{Y}\Sigma\Box\S \neg\hat{c}_i\hat{E}\hat{y}\hat{Y} \Sigma\S\hat{E} \hat{A}\hat{E}U\hat{E}\pi, \Box z \hat{f}\cdot, \Box \cdot\hat{A}\hat{c}\hat{e}\Sigma\S \neg\hat{E}U\hat{E}\hat{Y}\hat{E} \hat{Y}, U\hat{E}\forall, U\hat{E}\Box^a\hat{E} \hat{A}\hat{O}\hat{E}$
 $\neg U\hat{A}\hat{o}\approx U S\hat{f}\hat{E}\Sigma\hat{I}\hat{S}\hat{A}\hat{A} \Sigma\Box\S, \diamond\hat{y}, \hat{y}, U, \neg\hat{c}_i\hat{E}\hat{y}\hat{Y} \Sigma\S\hat{E} \hat{A}\hat{E}U\hat{E}\pi, \Box w \hat{f}\cdot, \cdot\hat{A}\hat{c}\hat{e}\Sigma\S \neg\hat{E}U\hat{E}\hat{Y}\hat{E} \hat{Y}, U\hat{E}\forall$
 $, U\hat{E}\Box^a\hat{E}.$

{. $\infty\Box, \Box \neg\S\S\hat{E} \diamond \hat{y}\hat{E}\hat{o}\hat{E}\hat{E} \hat{f}\hat{E}, U\hat{Y}, \langle U\hat{E}\langle\hat{A}, \hat{f}\hat{E}\hat{A}\hat{E}\hat{Y}\hat{E}\Sigma\hat{I}\hat{S}\hat{A}\langle\hat{A}, U\hat{E}\Box^a\hat{E} \infty\hat{f}\hat{c} \odot U, \Sigma\S\hat{E}$
 $\hat{O}\Delta U\S\S \hat{Y}\hat{O}\hat{A}\hat{E} xz+w, \hat{E}\approx U\hat{E}\Box\forall, \Box \Sigma\S\hat{E} \hat{Y}, U\hat{E}\forall, U\hat{E}\Box^a\hat{E}.$

|. $\hat{c}_iU\hat{u}\hat{E}\hat{E},^a\dots\prod U \diamond\hat{E}\Box\approx U U\hat{y}\hat{E}\hat{Y} \hat{A}\hat{Y}\hat{y}\hat{o}, v\sim\sim y \Sigma\Box\S \hat{A}\hat{Y}\hat{y}\hat{o} v|\hat{A}\neg\S\S, \Box \hat{A}\hat{Y}\hat{y}\hat{o} v|\hat{A}\neg\emptyset \Sigma\Box\S$
 $\cdot\hat{c}\hat{A}^a, \hat{A} \hat{A}\hat{Y}\hat{A}\hat{o}, \hat{A} S\hat{c}\hat{E}\neg U \Sigma\S\hat{E}\Box\emptyset, \beta, \hat{y}\hat{E}\Box_i\hat{Y}\hat{E} \Sigma\Box\S \cdot\hat{c}\hat{A}^a, \hat{A} \cdot\hat{Y}\hat{E}\hat{o}\hat{E}\hat{E}\hat{A} \hat{Y}, U\hat{E}\forall \hat{A}\Sigma\S\hat{y}\Box$
 $\hat{f}\hat{E}\hat{y}\Box\forall^a\Box.$

}. $,\hat{c}'\hat{c}\hat{A}\hat{c}\hat{e}\hat{A} \cdot\hat{Y}\hat{E}\hat{o}\hat{E}\hat{E}\neg\hat{o}\hat{E} S\hat{f}\hat{E}\Sigma\hat{I}\hat{S}\hat{A} \Sigma\S U\hat{Y}\Box \hat{f}\hat{E}\langle\Box \neg\hat{E}\hat{A}\hat{c}\hat{e}\Sigma\S\hat{E}U\hat{E}, \infty\Box, \Box \neg\S\S\hat{E} \diamond$
 $\hat{f}\hat{E}, U\hat{Y}, \Box \hat{f}\hat{E} \Sigma\Box\S, \hat{c}\hat{o}\hat{E}\langle\hat{Y} \Sigma\S\hat{E} \hat{A}\hat{E}U\hat{E}\pi \cdot\hat{f}\hat{c}\hat{e}\hat{A}\hat{U}\hat{A} \Sigma\S\Box\forall U^a\Box \cdot\hat{E}\hat{O}U, \hat{c}'\hat{c}\hat{A}\hat{c}\hat{e}\hat{A} \Sigma\S U$
 $U\hat{A}_i S\approx U U \diamond\Box\forall, \hat{c}\hat{o}\hat{E}\langle\hat{Y} \Sigma\S\hat{E} \infty\Box, \hat{E} \hat{A}\hat{E}U\hat{E}\pi \Sigma\S\hat{E} \odot U\hat{A}\langle\Box\pi \Sigma\S\Box\forall U^a\Box.$

~. $\cdot\hat{Y}\hat{E}\hat{o}\hat{E}\hat{E}\neg\hat{o}\hat{E} S\hat{f}\hat{E}\Sigma\hat{I}\hat{S}\hat{A} \Sigma\S U\hat{Y}\Box \hat{f}\hat{E}\langle\Box \neg\hat{E}\hat{A}\hat{c}\hat{e}\Sigma\S\hat{E}U\hat{E} m\hat{E}U\hat{E} \cdot\hat{A}\hat{c}\hat{e}U\hat{E}\Box\hat{A}\neg\hat{A} \Sigma\S\hat{E}\Box\beta,$
 $\cdot\hat{a}\hat{y} \ddagger\hat{E}\hat{A}\hat{E}\Box Z \Sigma\S\hat{E} \cdot\hat{Y}\hat{E}-\hat{E}\langle\hat{Y}', \hat{c}\hat{o}\hat{E}\langle\S\S m\hat{E}U\hat{E} \hat{A}\Sigma\S\hat{y}\hat{E} \hat{f}\hat{E}\hat{y}\Box^a\hat{E}.$

$\tilde{A}\hat{E}\hat{A}\langle\S\S\hat{E} \text{“}\cdot\text{”}$

$,\neg\S\S\hat{E}.$ (v)	$\diamond\hat{E}^a,$ (w)
v.	$U\hat{E}\hat{y}\neg\hat{E}U, \Box \cdot\hat{Y}\hat{A}'\Sigma\S\hat{E}\neg\hat{E}U (S\approx U\hat{E}\neg\Box_i \hat{A}'\langle\hat{E}, \neg\hat{E}U$
w.	
x.	$\infty\hat{f}\hat{c} \hat{A}'\langle\hat{E}, \neg\hat{E}U, U\hat{E}\beta, U\S\S\hat{E}\Box\approx, U)U\hat{E}\hat{y}\neg\hat{E}U, \Box$
y.	$\hat{O}\Sigma\S\hat{E}\hat{a}\Delta U\neg\hat{E}U (S\approx U\hat{E}\neg\Box_i \hat{A}'\langle\hat{E}, \neg\hat{E}U \infty\hat{f}\hat{c}$
z.	
{.	$\hat{A}'\langle\hat{E}, \neg\hat{E}U, U\hat{E}\beta, U\S\S\hat{E}\Box\approx, U)U\hat{E}\hat{y}\neg\hat{E}U, \Box$
.	$\Sigma\S\hat{E}\Box U'\hat{E} (S\approx U\hat{E}\neg\Box_i \hat{A}'\langle\hat{E}, \neg\hat{E}U \infty\hat{f}\hat{c} \hat{A}'\langle\hat{E}, \neg\hat{E}U$
}.	
~.	$,U\hat{E}\beta, U\S\S\hat{E}\Box\approx, U)U\hat{E}\hat{y}\neg\hat{E}U, \Box \hat{A}'\langle\hat{E}, \neg\hat{E}U$
v $\hat{A}$.	$(S\approx U\hat{E}\neg\Box_i \hat{A}'\langle\hat{E}, \neg\hat{E}U, U\hat{E}\beta, U\S\S\hat{E}\Box\approx, U)$ $U\hat{E}\hat{y}\neg\hat{E}U, \Box \hat{f}\hat{E}\hat{y}_i^a\hat{E}U\hat{E}\hat{y}\neg\hat{E} (S\approx U\hat{E}\neg\Box_i \hat{A}'\langle\hat{E}, \neg\hat{E}U$ $,U\hat{E}\beta, U\S\S\hat{E}\Box\approx, U)$ $U\hat{E}\hat{y}\neg\hat{E}U, \Box U\hat{E}\hat{y}^a\dots\prod U (S\approx U\hat{E}\neg\Box_i \hat{A}'\langle\hat{E}, \neg\hat{E}U$ $\hat{c}_iU\hat{u}\hat{E}\hat{E},^a\dots\prod U U\hat{E}_i\neg\hat{o}\hat{E}, \hat{A}\hat{C}\hat{E}\hat{Y}\hat{E}\hat{c}\Sigma\S\hat{E} \sim$

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[$\div\hat{E}^a v$

(v)

(w)

- vv. $\mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, \square \sum \S \hat{\mathcal{E}}\mathcal{Y} \sum \square \S \mathcal{U} (\mathcal{Y}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\mathcal{S}\approx\mathcal{U}\hat{\mathcal{E}}\rightarrow)$
- vw. $\mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, \square \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U} (\mathcal{S}\approx\mathcal{U}\hat{\mathcal{E}}\rightarrow\square; \nabla \S \hat{\mathcal{E}} \square \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U})$
- vx. $\mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, \square \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U} (\mathcal{S}\approx\mathcal{U}\hat{\mathcal{E}}\rightarrow\square; \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U})$
- vy. $\mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, \square \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, (\mathcal{Y}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\mathcal{S}\approx\mathcal{U}\hat{\mathcal{E}}\rightarrow)$
- vz. $\mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, \square \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U} (\mathcal{Y}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\mathcal{S}\approx\mathcal{U}\hat{\mathcal{E}}\rightarrow)$
- v{. $\mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, \square \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U} (\mathcal{Y}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\mathcal{S}\approx\mathcal{U}\hat{\mathcal{E}}\rightarrow)$
- v|. $\mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, \square \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U} (\mathcal{Y}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\mathcal{S}\approx\mathcal{U}\hat{\mathcal{E}}\rightarrow)$
- v}. $\mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U}, \square \sum \S \hat{\mathcal{E}}\mathcal{Y} \sum \square \S \mathcal{U} (\mathcal{S}\approx\mathcal{U}\hat{\mathcal{E}}\rightarrow\square; \mathcal{U}\hat{\mathcal{E}}\mathcal{Y}\rightarrow\hat{\mathcal{E}}\mathcal{U})$

No. F-5-02/VIII/Trans./2018.—Whereas, the State Government is of the opinion that 50% exemption from monthly tax payable under sub-clause (C) of clause (1) of sub-item (d) of item IV of first Schedule should be given for the promotion of long distance, non-stop, air conditioned, stage carriage services under the scheme “Rajdhani Bus Sewa”

Now therefore, in exercise of the powers conferred by sub-section (1) of Section 21 of the Chhattisgarh Motor Vehicle Act, 1991 (No. 25 of 1991), the State Government, hereby, exempts, monthly tax payable under sub-clause (C) of clause (1) of sub-item (d) of item IV of First Schedule by 50% subject to the following conditions and with effect from the date of publication in the Official Gazette, namely :—

1. After the publication of this notification, 50% of the exemption shall be valid for one year from the date of operation of the services under valid permits.
2. The vehicle shall not be stopped for the convenience of passengers and picking up of passengers at any stoppage other than the stoppage mentioned in the routes given in Table “A”
3. The operators shall operate the stage carriages on the basis of allotted time table.
4. The operator shall comply with the colors scheme of said Rajdhani Bus Sewa (air conditioned) as decided by the Government.
5. The stage carriage plying in this scheme designed as Rajdhani Bus Sewa shall not be more than 5 years old from the date of registration and at the time of granting the permit it shall not be more than 02 years old from the date of registration.
6. Such stage carriage shall be Deluxe air conditioned and the seating capacity shall not be less than 35+2 seats.
7. A sleeper coach constructed under rules 170-A to 170-F of the Chhattisgarh Motor Vehicles rules 1994 shall not be allowed under this scheme.
8. Concerned permit granting authority shall determine the date of operation of such stage carriage service and shall mention such date of operation in the concerning tax register.

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9. Any other conditions imposed by the permit granting authority shall be observed by the bus operator.

TABLE “A”

S. No. (1)	Routes (2)
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1. Raipur to Ambikapur (Stoppage Bilaspur and Bilaspur High Court)
- 2.
3. Raipur to Baikunthpur (Stoppage Bilaspur and Bilaspur High Court)
4. Raipur to Korba (Stoppage Bilaspur and Bilaspur High Court) Raipur
5. to Bilaspur (Stoppage Bilaspur High Court)
- 6.
7. Raipur to Janjgir-Champa (Stoppage Bilaspur High Court)
- 8.
9. Raipur to Raigarh (Stoppage Bilaspur High Court)
- Raipur to Sarangarh (Stoppage Baloda Bazar)
10. Raipur to Mahasamund (Non-stop)
- Raipur to Gariyaband (Non-stop)
11. Raipur to Dhamtari (Non-stop)
- Raipur to Kanker (Non-stop)
12. Raipur to Jagdalpur (Stoppage Kondagaon)
- Raipur to Balod (Stoppage Durg)
13. Raipur to Durg (Non-stop)
- Raipur to Rajnandgaon (Non-stop)
14. Raipur to Bemetara (Non-stop)
- Raipur to Mungeli (Non-stop)
15. Raipur to Kawardha (Stoppage Bemetara)

$\zeta U\hat{u}\hat{E}\hat{E},^a \dots \Pi U \Sigma \square \S \mathcal{U}\hat{E}\hat{O}\hat{y}-\hat{E} \times \Sigma \square \S$
 $\hat{Y}\hat{E} \diamond, \square \tilde{A}\hat{O}\hat{E} \bullet \hat{E} \mathcal{E} \square \ddagger \hat{E}\hat{E}\hat{Y}\hat{E}, \hat{E} U,$
 $\bullet \hat{E} \square. -\hat{E}. -\hat{E} \times,$
 $\hat{A} fl \ddagger \hat{E} \square \cdot, \hat{A} \phi fl.$

$\diamond \zeta U \times \hat{E} -\hat{E} \times \hat{Y} \hat{A} fl \div \hat{E}^a$

$\diamond \phi \hat{o} \hat{E} \hat{E} \times \hat{y}, \diamond, \mathcal{U} \hat{E} \hat{Y} \mathcal{E} \hat{E}$

$\div fl \hat{Y}, \hat{Y} \hat{y} \hat{E} \mathcal{U} \hat{E} \hat{y} -\hat{E} U$

$\hat{Y} \hat{y} \hat{E} \mathcal{U} \hat{E} \hat{y} -\hat{E} U, \hat{A} \mathcal{E} \hat{Y} \hat{E} \phi \Sigma \S w \sim \hat{A} \mathcal{E}, \hat{e} \mathcal{U} w \mathcal{A} v |$

$\Sigma'' \S \diamond \hat{E} \mathcal{Y} \Sigma \S \infty \gg \S \{-wv/x \{ / \tilde{A} \Sigma \S \hat{Y} \hat{E} \Sigma \S \hat{E} / w \mathcal{A} \mathcal{E} / z \{ v. \acute{o} \mathcal{U} \hat{E} \hat{O} \hat{y} \ddagger \hat{E} \hat{E}, \hat{Y}, \infty \tilde{A} \mathcal{E} \sim \hat{O} m \hat{E} U \hat{E} \Sigma \square \S.$
 $\Sigma \square \S. \phi \hat{E} \hat{O} \mathcal{E} U \hat{E}, \phi \hat{e}^a \hat{E} \square \mathcal{U} \hat{E} \div \hat{E} \Delta U \hat{E}, \mathcal{U} \hat{E} \hat{y} -\hat{E} U \Sigma \S \hat{E} \square \text{“} \zeta U \hat{u} \hat{E} \hat{E},^a \dots \Pi U \diamond \hat{E} \zeta \hat{E} U \bullet \hat{E} \Sigma \S \hat{A} \hat{y} \hat{E} \acute{a} \hat{E}$
 $\hat{E} \square \ll, U \text{”} \diamond \square \mathcal{Y}, \mathcal{E} \mathcal{S} \hat{y} \Sigma \square \S M \S \neg \diamond \square \mathcal{Y} \hat{Y} \hat{E} \diamond \hat{E} \phi \hat{A} \Sigma \S \tilde{A} \Sigma \S U \tilde{A} \hat{E} \text{,,} \hat{O} U.$

$\zeta U \hat{u} \hat{E} \hat{E},^a \dots \Pi U \Sigma \square \S \mathcal{U} \hat{E} \hat{O} \hat{y} -\hat{E} \times \Sigma \square \S$
 $\hat{Y} \hat{E} \diamond, \square \tilde{A} \hat{O} \hat{E} \bullet \hat{E} \mathcal{E} \square \ddagger \hat{E}\hat{E}\hat{Y}\hat{E}, \hat{E} U,$
 $\bullet \hat{Y} \hat{E} \neg \Sigma \hat{E} \S \diamond \hat{E} U \hat{u} \hat{E} \hat{E} fl \hat{E} \hat{S} \hat{A} fl, \hat{A} \phi fl.$

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$\zeta U \hat{u} \hat{E} \hat{E},^a \dots \Pi U \mathcal{U} \hat{E} \neg \hat{o} \hat{E}, \hat{A} \mathcal{E} \hat{Y} \hat{E} \phi \Sigma \S \sim$

$[\div \hat{E}^a v$

$\bullet \hat{E} fl \hat{E}, \infty fl \mathcal{Y} \neg \hat{y} \hat{E}, fl U \acute{a} \hat{E} \hat{A} fl \div \hat{E}^a$

$\diamond \phi \hat{o} \hat{E} \hat{E} \times \hat{y}, \diamond, \mathcal{U} \hat{E} \hat{Y} \mathcal{E} \hat{E} \div fl \hat{Y}, \hat{Y} \hat{y} \hat{E} \mathcal{U} \hat{E} \hat{y} -\hat{E} U$

$\hat{Y} \hat{y} \hat{E} \mathcal{U} \hat{E} \hat{y} -\hat{E} U, \hat{A} \mathcal{E} \hat{Y} \hat{E} \phi \Sigma \S wy \hat{Y} fl \hat{e} \mathcal{U} w \mathcal{A} v |$

$\ddagger \hat{E} \hat{E} \hat{A} h U -\hat{o} \hat{E}$

$\Sigma''\S\Diamond\hat{E}\Psi\S\S\infty\gg\S|-/\mathcal{A}\{w/\mathcal{A}v\}/xw-\hat{E}\sim,U-w.\acute{o}\acute{A}\acute{I}\langle\hat{E}\Diamond,U\hat{E},\Diamond\hat{E}\Psi\mathcal{A}\Sigma\Box\S\cdot\Psi\hat{A}^a,\hat{A}\div f\Psi U-\hat{E}U$
 $\acute{A}\hat{Y}\Pi\Box\ddagger\hat{E}\sim\hat{E}\Box\hat{o}\hat{E}\Sigma\S\hat{E},\hat{E}\Diamond\hat{E}\cdot\hat{E}\Box\Psi\Diamond\Psi\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U\div\acute{I}\acute{A}\Diamond\acute{A}\Pi\S\S\hat{E},\acute{A}\hat{Y}\hat{y}\Diamond,v\sim\}y\langle\hat{E}^a\acute{I}\Sigma\S U\hat{Y}\Box$
 $,\Psi^a\P\hat{a}\hat{E}\hat{E}\beta U,\acute{A}\Pi\div\hat{E}^a\S\S\hat{E},\Diamond,\Psi\hat{A}\hat{y}\Sigma\S\cdot\acute{A}\hat{a}\hat{E},\acute{I}\hat{o}\hat{Y}\hat{E}\acute{A}\mathcal{E}\hat{Y}\hat{E}\Psi\S\S v\mathcal{A}-\mathcal{A}\}\cdot w/\mathcal{A}v\}|\hat{E}\Box\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U$
 $U\hat{E}\hat{I}\cdot\hat{o}\hat{E}ww\sim\cdot w/\mathcal{A}v\}\Diamond\Psi-\Sigma\S\hat{E}\hat{A}\ddagger\hat{E}\hat{A},\hat{E}U\beta,U,,\hat{O}U,\Diamond\Psi\cdot\P\hat{A}\Sigma\S\hat{A}\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U\div\acute{I}\acute{A}\Diamond$
 $\acute{A}\Pi\S\S\hat{E},\acute{A}\hat{Y}\hat{y}\Diamond,“v\mathcal{A}\}y”\Sigma\Box\S S\hat{O}\hat{E}\hat{Y}\neg U“v\sim\}y”\neg\ldots\Pi U\hat{E}\hat{I}\hat{E}\hat{y}\Box.$

$\hat{Y}\hat{y}\hat{E}U\hat{E}\hat{y}-\hat{E}U,\acute{A}\mathcal{E}\hat{Y}\hat{E}\mathcal{C}\Sigma\S w\sim\hat{Y}\Pi\hat{e}^aU w/\mathcal{A}v|$

$\Sigma''\S\Diamond\hat{E}\Psi\S\S\infty\gg\S y-vw/w/\mathcal{A}y/xw.\acute{o}\infty\Box,\Box\mathcal{C}U\hat{I}\hat{E}\Box^a\hat{E}\Box\Psi/\pi\mathcal{A}\hat{E}\hat{Y}\hat{E}\Box\Psi/\hat{Y}^aU\hat{E}\hat{y}$
 $\acute{A}\hat{Y}\Sigma\S\hat{E}\hat{y}\hat{E}\Box\Psi/\beta,U\S\S\hat{E}\Box-\acute{A}\langle'S\S\acute{I}\S\langle,\Psi S\hat{O}\hat{E}/\sqrt{y}\acute{A}\hat{A}\hat{A}\hat{y}\hat{E}\Box\Psi,\acute{A}\hat{I}\hat{Y}\Sigma\S\hat{E}-\neg\mathcal{A}\ddagger\hat{E},\hat{Y}-\hat{y}\hat{E},fU\hat{a}\hat{E}$
 $\Sigma\Box\S\hat{E}\Box\hat{o}\hat{E}\Diamond\Psi\mathcal{C}U\hat{a}\Pi\acute{I}\S\mathcal{C}U,,U\hat{E}\Box,\Sigma\S\hat{E}\Box f\Psi\Pi\hat{E},\hat{E},\Psi\hat{A}^a\acute{A},U\hat{U}\hat{E}^a\hat{E}M\S\hat{I}\hat{E}\Diamond,U\hat{E}U\hat{E}\hat{I}$
 $\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U-\hat{y}\hat{E},fU\hat{a}\hat{E}-\hat{E}U\S\S\hat{E}U-\neg\mathcal{A}\hat{E}\hat{Y}\Sigma\S U\hat{Y}\Box,,\Box U\hat{A}\hat{E}U\hat{E}\hat{I}\hat{y},U\S\S\hat{E}U\S\Box\S$
 $\acute{A}\hat{Y}\hat{a}\hat{E},\hat{y}\Sigma\Box\S\cdot\hat{Y}\hat{E}\ddagger\hat{E}U\hat{a}\hat{E}\Diamond\Psi,U\hat{E}\hat{I}\hat{y},U\S\S\hat{E}U,\infty\mathcal{A}\mathcal{E}^m\hat{E}U\hat{E},\acute{A}\hat{Y}\hat{e}\hat{Y}\acute{A}\langle\pi\hat{A}\acute{A}\hat{Y}\hat{y}\Diamond\hat{Y}\hat{E}\hat{A}\Box$
 $,,\hat{O}\Psi U,\cdot\hat{O}\hat{E},\hat{A}\sim-\acute{o}$

$\acute{A}\hat{Y}\hat{y}\Diamond$

v. $,\Psi\hat{A}^a\hat{E}\hat{a}\hat{A}\hat{Y}\hat{E}\Diamond\infty f\Psi-\neg\hat{E}\hat{A}U\div.\acute{o}$

(v) $\hat{y}\Box\acute{A}\hat{Y}\hat{y}\Diamond f\Psi\Pi\hat{E},\hat{E},\Psi\hat{A}^a\acute{A},U\hat{U}\hat{E}^a\hat{E}M\S\hat{I}\hat{E}\Diamond,U\hat{E}U\hat{E}\hat{I}\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U-\hat{y}\hat{E},fU\hat{a}\hat{E}$
 $-\hat{E}U\S\S\hat{E}U\acute{A}\hat{Y}\hat{y}\Diamond,w/\mathcal{A}v|\Sigma\S,,U\langle\hat{E}\hat{y}\Box^a\hat{E}.$

(w) $\hat{y}\Box\acute{A}\hat{Y}\hat{y}\Diamond U\hat{E}\hat{I}\cdot\hat{o}\hat{E}\Diamond\Psi\beta U,\Sigma\Box\S-\neg\S\S\hat{E}\hat{I}\hat{E}\hat{Y}\Sigma\S\hat{E}\hat{A}\hat{E}U\hat{E}\pi,\Box-\neg f\Pi\hat{u}\hat{E},U\hat{E}\Box\Psi^a\Box.$

w. $-\hat{E}U\S\S\hat{E}U\S\S\hat{E}\hat{Y}\hat{E}\Diamond.\acute{o} f\Psi\Pi\hat{E},\hat{E},\Psi\hat{A}^a\acute{A},U\hat{U}\hat{E}^a\hat{E}M\S\hat{I}\hat{E}\Diamond,U\hat{E}U\hat{E}\hat{I}\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U$
 $-\hat{y}\hat{E},fU\hat{a}\hat{E}-\hat{E}U\S\S\hat{E}U.$

x. $-\hat{E}U\S\S\hat{E}U\S\S\hat{E}\hat{u}\hat{E}\Box\acute{A}\hat{a}\hat{E}\hat{y}\hat{E}\Psi.\acute{o}\acute{A}\hat{Y}\hat{y}\Diamond w\Diamond\Psi\mathcal{C}U\hat{A}\langle\Box\acute{A}\pi\hat{A}-\hat{E}U\S\S\hat{E}U$
 $(-\hat{E}U\S\S\hat{E}U\S\S\hat{E}U\S\S\hat{E}U\hat{E}\hat{A}\ddagger\hat{E},\acute{A},U\hat{A}),\acute{A}\hat{Y}\hat{e}\hat{Y}\acute{A}\langle\pi\hat{A}\hat{u}\hat{E}\Box\acute{A}\hat{a}\hat{E}\hat{y}\hat{E}\Box\Psi\Diamond\Psi\acute{A}\mathcal{E}\hat{y}\hat{E}\hat{I}\hat{E}\hat{y}\Box^a\hat{E},$
 $\cdot\hat{O}\hat{E},\hat{A}\sim-\acute{o}$

$\Sigma''\S.$ (v)	$\hat{u}\hat{E}\Box\acute{a}\hat{E}\hat{E}$ (w)	$U\hat{E}\hat{A}\ddagger$ (x)
v.	$\Diamond\hat{a}\hat{y}\Diamond\infty f\Psi f\Pi\hat{I},U\mathcal{A}\hat{u}\hat{E}\Box\acute{a}\hat{E}\hat{E}\Sigma\Box\S\mathcal{C}U\hat{I}\hat{E}\Box^a$	L§.
w.	$\langle\hat{E}\hat{E}\hat{E}\hat{u}\hat{E}\Box\acute{a}\hat{E}\hat{E}\Sigma\Box\S\mathcal{C}U\hat{I}\hat{E}\Box^a$	L§.
x.	$\mathcal{C}U\hat{a}\pi\hat{Y}\hat{Y}U\hat{A}\pi\mathcal{A}\hat{E}\hat{Y}$	—ó
y.	$\hat{Y}^aU-\hat{E}\hat{A}\langle\S\S\acute{A}\hat{Y}^a\Diamond/\hat{Y}^aU-\hat{E}\hat{A}\langle\S\S\hat{E}/\hat{Y}^aU$	L§.
z.	$\beta,U\S\S\hat{E}\Box-\acute{A}\langle'S\S\acute{I}\S\langle$	—ó
{.	$,\Psi S\hat{O}\hat{E}$	—ó
.	$\sqrt{y}\acute{A}\hat{A}\hat{A}^a\hat{A}\hat{u}\hat{E}\Box\acute{a}\hat{E}\hat{E}$	—ó

y. $-\hat{E}U\S\S\hat{E}U,,\Box U\hat{A}\hat{E}\hat{y}\hat{Y},\acute{A}\Diamond\hat{A}\hat{A}-\acute{o}\hat{y}\hat{Y},\acute{A}\Diamond\hat{A}\hat{A}\Diamond\Psi\acute{A}\hat{Y}\hat{e}\hat{Y}\acute{A}\langle\pi\hat{A}$
 $,\hat{A}\hat{e}\Diamond\hat{A}\langle\hat{A},U\hat{E}\Box\Psi^a\Box,\cdot\hat{O}\hat{E},\hat{A}\sim-\acute{o}$

$\Sigma''\S.$ (v)	$,\mathcal{E}S\hat{y}$ (w)	$-\mathcal{A}\hat{Y}\hat{E}\Diamond$ (x)
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v. $\cdot\hat{a}\hat{y}\sim\hat{E},\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U-\hat{y}\hat{E},fU\hat{a}\hat{E},\Psi U^-\hat{E}\hat{a}\hat{E}$
 $\div\hat{E}^a v] \zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U/U\hat{E}\hat{I}\cdot\hat{o}\hat{E},\acute{A}\mathcal{E}\hat{Y}\hat{E}\mathcal{C}\Sigma\S\sim\hat{O}\hat{E}\emptyset,U w/\mathcal{A}v\}$

$\cdot\hat{a}\hat{y}\sim\hat{E}$

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(v)	(w)	(x)
w.	$-\neg\Diamond\hat{E}\pi,\acute{A}\hat{o}f\hat{I},\acute{A}\hat{o}f\hat{I},\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U\ddagger\hat{E}\hat{E},\hat{Y}\cdot\hat{E}\Pi\hat{E},$	$,\mathcal{E}S\hat{y}$
x.	$-\neg^a\hat{E}\hat{E}\hat{Y}\Diamond\hat{E}\hat{A}\hat{y} f\Psi\hat{Y},\Psi\hat{U}^-\hat{E}\Sigma\S,\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U$	$,\mathcal{E}S\hat{y}$
y.	$,\acute{A}\hat{o}f\hat{I},\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U\ddagger\hat{E}\hat{E},\hat{Y},\mathcal{C}U\hat{I}\hat{E}\Box^a\acute{A}\Pi\div\hat{E}^a$	$,\mathcal{E}S\hat{y}$
z.	$,\Psi\hat{o}\hat{E}\langle\S\S,\hat{Y}^aU\hat{E}\hat{y}-\neg\ddagger\hat{E}\hat{E},\hat{Y}\infty f\Psi\acute{A}\Pi\S\S\hat{E},$	$,\mathcal{E}S\hat{y}$
{.	$-\neg^a\hat{E}\hat{E},\Psi\hat{o}\hat{E}\langle\S\S, \hat{E}.\infty,\cdot\hat{E}\beta,U.\langle U\hat{E}.,\hat{E}.,$	$,\mathcal{E}S\hat{y}$
.	$,\mathcal{E}S\hat{y},\acute{A}\hat{o}f\hat{I},\zeta U\hat{u}\hat{E}\hat{E},^a\ldots\Pi U-\hat{y}\hat{E},fU\hat{a}\hat{E},\Psi U^-\hat{E}\hat{a}\hat{E}$ $\Diamond\Psi\langle U\langle$	$,\mathcal{E}S\hat{y},\acute{A}\hat{o}f\hat{I}$ —ó

$\Sigma''\S\Diamond\hat{E}\Psi\S\S\{w/\bullet-\}w/w\mathcal{A}v|-v\}.\acute{o}\acute{o}\acute{I}\acute{c}\acute{A}\Sigma\S\mathcal{U}\hat{E}\ddot{O}\ddot{y}\ddot{\ddot{E}}\hat{E},\ddot{Y}\Sigma\S\hat{E}\square\ddot{y},U-''\tilde{A}\tilde{E}\tilde{A},U\hat{E}\square\tilde{A}\tilde{E},\acute{O}U$
 $\acute{A}\Sigma\S\beta,\square,\phi\langle\mathcal{C}\ddot{Y}\cdot\ddot{Y}\hat{E},\acute{I}\acute{o}\hat{E}\Sigma\square\S\pi\hat{E}\ddot{Y}\square(v),\square(y)\Diamond\square\Psi\text{fl}\acute{A}\acute{a}\hat{E},\tilde{A}\div\acute{I}\acute{A}\Diamond\S\S\hat{E}\cdot\ddot{Y}\hat{E},\acute{I}\acute{o}\hat{E}\Sigma\square\S\pi\hat{E}\ddot{Y}\square$
 $(\{\})\Diamond\square\Psi\odot U,\Sigma\square\S,\hat{E}\Diamond\ddot{Y}\square\acute{A}\mathcal{E}\ddot{y}\square\mathfrak{a}\ddot{y}\square,\hat{E}\text{fl},\mathfrak{A}\ddot{Y}\Sigma\S-''\ddot{y}\hat{E}\square;\ddot{Y}\Sigma\square\S\acute{A}\langle\ddot{y}\square\cdot\hat{E}\text{fl}\ddot{\ddot{y}}\Sigma\S\tilde{A}\hat{E},\acute{O}U$
 $\cdot\hat{O}\text{fl}\hat{E}\cdot\hat{E}\text{fl}\ddot{\ddot{y}}\Sigma\S\tilde{A}\hat{E}-\ll\Pi U\ddot{Y}\square\S\S\hat{E},\phi\div\hat{E}\text{fl}\ddot{Y}\hat{E},\acute{O}U\cdot\tilde{A}-\div\acute{I}\acute{A}\Diamond\cdot\mathfrak{A},\ddot{Y},-\hat{E}\ddot{Y}\text{fl}\hat{E},\ddot{Y}\cdot\hat{E}\acute{O}U$
 $-\hat{E}\ddot{Y}\sqrt{\ddot{y}},\text{fl}\hat{S}\hat{O}\hat{E}-\ddot{Y}\Diamond\square\Psi\odot U\acute{A}\acute{o}\tilde{A}-''\acute{A}\tilde{A}\Sigma\S\mathcal{U}\cdot\hat{E}\acute{O}U-\hat{E}U\mathcal{A}\acute{A}\ddot{\ddot{E}},\tilde{A}\hat{E}\Sigma\S\hat{E}\cdot\acute{A}\tilde{a}\hat{E}\Sigma\S\hat{E}U$
 $\cdot\acute{A}\tilde{a}\hat{E}\acute{A}\ddot{Y}\ddot{y}\Diamond,w\mathcal{A}v\mathbf{x}(\mathfrak{A}\hat{A}\ddot{y}\hat{E}\mathbf{x}\mathcal{A},\ddot{Y}\sim w\mathcal{A}v\mathbf{x})\Sigma\S\hat{E}\tilde{a}\hat{E}\hat{E}U\hat{E}v\S\S\hat{E}\odot U-\tilde{a}\hat{E}\hat{E}U\hat{E}(v)\Sigma\square\S$
 $\odot U-\mathfrak{A}\tilde{a}\hat{E}\hat{E}\square\Psi\S\S\cdot\ddot{Y}\hat{E},\hat{E}U,\div\hat{E},\Psi\mathfrak{A}\tilde{a}\hat{E}\tilde{A}\sqrt{\ddot{y}}\acute{A}Q\S\ddot{y}\hat{E}\square\Psi\S\S\hat{E}\square\beta U,\Sigma\square\S\mathfrak{m}\hat{E}U\hat{E}\beta U,\cdot\hat{E}\ddot{\ddot{E}}\ddot{y}$
 $\Sigma\S\hat{E},\acute{I}\acute{o}\ddot{Y}\hat{E}\mathcal{A}\hat{E}\mathfrak{A}\hat{E},\acute{O}U\acute{A}\Sigma\S\mathcal{U}\hat{E}\ddot{y}\ddot{\ddot{E}}\hat{E},\ddot{Y}\infty\tilde{A}\mathcal{E}\sim\mathfrak{m}\hat{E}U\hat{E}\cdot\ddot{Y}\hat{E},\acute{I}\acute{o}\hat{E}\Sigma\square\S\pi\hat{E}\ddot{Y}\square(z)\Diamond\square\Psi$
 $\odot U\acute{A}\langle\square\acute{A}\pi\tilde{A}-''\hat{E}\acute{A}\tilde{a}\hat{E}\Sigma\S\hat{E}U\hat{E}\Sigma\S\hat{E}\square\odot U\tilde{A}\tilde{A}\div\acute{I}\acute{A}\Diamond\S\S\mathfrak{A},\Psi\mathfrak{A}\tilde{a}\hat{E}\Diamond\square\Psi\tilde{a}\hat{E}\hat{E}U\hat{E}vw\S\S\cdot\mathfrak{A}\tilde{A}^a,\tilde{A}$
 $\mathcal{A}\hat{E}\mathfrak{a}\ddot{y}\hat{E}\ddot{\ddot{E}}\acute{A}\tilde{A}\tilde{A}\ddot{y}\hat{E}\square\Psi\S\S\hat{E}-''\ddot{y}\hat{E}\square^a\S\S\mathcal{U}\ddot{Y}\square\S\S\acute{A}\infty-''\hat{E}\acute{A}\tilde{a}\hat{E}\Sigma\hat{I}\tilde{A}\Sigma\S\mathcal{U}\tilde{A}\hat{E},\acute{O}U-\acute{o}$

$\cdot\ddot{Y}\hat{E},\acute{I}\acute{o}\hat{E}$

$\div\acute{I}\acute{A}\Diamond\S\S\hat{E}$		$\alpha\hat{E}U\hat{E}vw\mathfrak{m}\hat{E}U\hat{E}-''\hat{E}\acute{A}\alpha\S\hat{I}\tilde{A}$	
$\acute{A}_i\langle\hat{E}$	$\tilde{A},,U,\hat{E}\langle$	$\hat{Y}^a\mathcal{U}/\mathfrak{a}''\hat{E}\Diamond$	$\langle\mathfrak{a}\div\mathfrak{a}$
		$(\infty\S\S\langle\Pi\Diamond\square\Psi)$	
(v)	(w)	(x)	(y)
			(z)
			(\{)
$\acute{A}'\langle\hat{E},-\hat{E}/\tilde{A}\pi\tilde{A}-\hat{E}U\ \phi\ddot{Y}\hat{E}\langle U\hat{E}\square\Psi^aU\ ww.\}\sim$		$\Sigma\S\hat{E}\ddot{y},-\hat{E}\langle\ddot{Y}\cdot\acute{A}\div\ddot{y}\mathfrak{A}\tilde{A}\hat{E},\quad\bullet U-\hat{E}$	
U		$,\mathfrak{A}\div\hat{E}^a,\Sigma\S\hat{E}\square\approx U\hat{E}.$	
$\neg.,,U.\ddot{Y}\mathfrak{A}.vz$		$-\acute{A}\tilde{U}\ddot{y}\hat{E}\square;\hat{Y}\hat{E}$	
		$\Diamond\hat{E}\beta,\ddot{Y}U\ \ddot{Y},,UU\ \acute{A}\ddot{Y}\Diamond\hat{E},\acute{a}\hat{E}.$	
$\div\acute{I}\acute{A}\Diamond\S\S\hat{E}\ \ddot{Y}\tilde{A}\ddot{\ddot{E}}\hat{E}(\hat{a}\langle\hat{E}\ddot{Y})\Sigma\S\hat{E}\ \acute{A}\ddot{Y}U\hat{E}\sim\hat{E}\acute{a}\hat{E}\cdot\ddot{Y}\hat{E}\acute{A}\text{fl}\div\hat{E}^a\ddot{y}\cdot\acute{A}\tilde{a}\hat{E}\Sigma\S\hat{E}U\hat{E}\ (U\hat{E};s\text{fl}),\Sigma\S\hat{E}\square\approx U\hat{E}$			
$\Sigma\square\S\S\S\hat{E}\ddot{y}\hat{E},\langle\ddot{y}\Diamond\square\Psi\acute{A}\Sigma\S\ddot{y}\hat{E}\ i\hat{E}\ ,\Sigma\S\tilde{A}\hat{E}\ ,,\acute{O}U.$			
		$\mathfrak{A}\text{fl}\div\hat{E}^a$	
$\acute{A}'\langle\hat{E},-\hat{E}U,\acute{A}\mathcal{E}\ddot{Y}\hat{E}\Psi\S\S\ \mathbf{x}\Diamond\hat{E}\phi,\ w\mathcal{A}v\}$		$\}\mathcal{A}x/v$	
		$\}\mathcal{A}/v$	
		$\}\mathcal{A}/z$	
		$\}\mathcal{A}\}/v$	
$\Sigma''\S\Diamond\hat{E}\Psi\S\S\mathcal{A}/\bullet-\}\mathbf{w}/\mathbf{w}\mathcal{A}v -v\}.\acute{o}\phi\acute{I}\acute{c}\acute{A}\Sigma\S\mathcal{U}\hat{E}\ddot{O}\ddot{y}$		$\}\mathcal{A}\}/v$	
$\cdot\hat{E}\tilde{A}\ \Sigma\S\hat{E}\ ,\Diamond\hat{E}\alpha\hat{E}\ddot{Y}\ ,U\hat{E}\square\ \mathfrak{a}\ddot{y}\hat{E}\ ,,\acute{O}U\ \acute{A}\Sigma\S\ \ddot{Y}\hat{E}\phi\ \mathcal{A}\hat{E}$		$\}\mathcal{A}\}/v$	
$\text{fl}\acute{A}\acute{a}\hat{E},\tilde{A}\ ,\div\acute{I}\acute{A}\Diamond\S\S\hat{E}\cdot\ddot{Y}\hat{E},\acute{I}\phi\hat{E}\ \Sigma\square\S\ \neg\mathcal{A}\ (w)\Diamond\square\Psi$		$\}\mathcal{A}\}/v$	
$\Sigma\square\S\ \acute{A}\infty\cdot\hat{E}\text{fl}\ddot{\ddot{y}}\Sigma\S\tilde{A}\hat{E}\ ,,\acute{O}U.\cdot\tilde{A}-\div\acute{I}\acute{A}\Diamond\cdot\mathfrak{A},\ddot{Y},$		$\}\mathcal{A}\}/v$	
$-\hat{E}\ddot{Y}\text{fl}\hat{E},\ddot{Y}\cdot\hat{E}\acute{O}U$		$\}\mathcal{A}\}/v$	
$-\hat{E}\ddot{Y}\sqrt{\ddot{y}},\text{fl}\hat{S}\hat{O}\hat{E}-\ddot{Y}\Diamond\square\Psi\odot U\acute{A}\phi\tilde{A}\ -''\acute{A}\tilde{A}\Sigma\S\mathcal{U}$		$\}\mathcal{A}\}/v$	
$\cdot\hat{E}\acute{O}U-\hat{E}U\mathcal{A}\acute{A}\ddot{\ddot{E}},\tilde{A}\hat{E}\Sigma\S\hat{E}\cdot\acute{A}\tilde{a}\hat{E}\Sigma\S\hat{E}U$		$\}\mathcal{A}\}/v$	
$\cdot\acute{A}\alpha\acute{A}\ddot{Y}\ddot{y}\Diamond,\ w\mathcal{A}vx\ (\acute{A}_i,\square\infty\tilde{A}\mathcal{E}\sim-\ddot{\ddot{E}}\hat{E}\tilde{A}\sim$		$\}\mathcal{A}\}/v$	
$\Sigma\S\hat{E}\ \alpha\hat{E}U\hat{E}\ v\sim\S\S\cdot\tilde{a}\tilde{A}^a,\tilde{A}\ \beta,\Sigma\square\S\ \mathfrak{m}\hat{E}U\hat{E}\ \ddot{y},,U\ \hat{E}\hat{E}\square\acute{A}\cdot\tilde{A}\ \acute{A}\Sigma\S\ddot{y}\hat{E}\ i\hat{E}\tilde{A}\hat{E}\ ,,\acute{O}U\ \acute{A}\Sigma\S$		$\}\mathcal{A}\}/v$	
$\odot UQ\S\div\acute{I}\acute{A}\Diamond\S\S\hat{E}\ \odot UQ\S-''\ddot{y}\hat{E}\square;\ddot{Y}\Sigma\square\S\ \acute{A}\infty\cdot\hat{E}\text{fl}\ddot{\ddot{y}}\Sigma\S\tilde{A}\hat{E}\ ,,\acute{O}U-\acute{o}$		$\}\mathcal{A}\}/v$	
$(w)\ ,\hat{E}\text{fl},\mathfrak{A}\ddot{Y}\Sigma\S-''\ddot{y}\hat{E}\square;\ddot{Y}\ \acute{A}_i,\Sigma\square\S\ \acute{A}\infty\cdot\hat{E}\text{fl}\ddot{\ddot{y}}\Sigma\S\tilde{A}\hat{E}\ ,,\acute{O}U\cdot\bullet U-\hat{E}\div\hat{E}\phi\mathfrak{A},\hat{E}\phi\hat{E}\hat{E}U$		$\}\mathcal{A}\}/v$	
$\cdot\ddot{Y}\hat{E},\acute{I}\phi\hat{E}$		$\}\mathcal{A}\}/v$	
$\Diamond\hat{E}\beta,U\ddot{Y}U\ \ddot{Y},,UU\ \acute{A}\ddot{Y}\Diamond\hat{E},\acute{a}\hat{E}\ ,,\square U\tilde{A}\hat{E}.$		$\}\mathcal{A}\}/v$	
$(v)\ \div\acute{I}\acute{A}\Diamond\S\S\hat{E}\ \text{fl}\acute{A}\hat{E},\ddot{Y}-$		$\}\mathcal{A}\}/v$	
$(\Sigma\S)\acute{A}_i\langle\hat{E}-\acute{A}'\langle\hat{E},-\hat{E}U$		$\}\mathcal{A}\}/v$	

provision of sub-section (4) of section 15 of the said Adhiniyam, which shall be conclusive evidence of the fact that the above map and register have been duly prepared and adopted on date.



SCHEDULE

Limit of Pratappur Planning Area

NORTH : Village Satpurkha Pahad, Baraul, Khajuri, Rampur, Shivpur, Baikona, Sautar, Semarkala & upto the Northern limit of Silauta.

EAST : Village Silauta, Semarkala, Sautar, Baikona, Tukudand & upto the Eastern limit of Jami Pahad.

SOUTH : Village Jami Pahad & upto the Southern limit of Gotgawan.

WEST : Village Gotgawan, Khorma, Karanjwar & upto the Western limit of Satpurkha Pahad.

The said adopted map and Register shall be available for inspections of general public at following place during office hours for a period of 15 days from the publication of the notice in the Chhattisgarh Gazette.

Inspection Site : Office of the Assistant Director, Town & Country Planning, Ring Road No. 1, Old Employment Office, Namnakala, Ambikapur (C.G.).

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•Áê'ΣΣÊ-ÈU, ÁÆÿÊÆΣΣ vÆ ÿflê'U wÆv|

Σ"ΣÔÊÆΣΣ yw{v/ÿª"ÊÁÿ/•Áê'ΣΣÊ-ÈU/Áfl.ÿÊ□.ÆÿÊÔÊÿÊªÆi/wÆv|.ó∞ÃÆ~mÊUÊ ÿ,,U ,ÍØÿÊ ÆË ;ÊÃË ,,ÒU ÁΣΣ ÿUûÊÊ,ª...ΠU ÿªU ÃÔÊ ª"ÊÔ Áÿfl□±Ê•ÁäÊÁÿÿ v~|x (Σ"ΣÔÊÆΣΣ wx ,ÿ~ v~|x) ΣΣÊ äÊÊUÊ vz ΣΣÊ ©U-äÊÊUÊ (x) Σ□§ •ÿÊ,ÆUÁÊ □□Æ ,fl,ÊäÊÊUÁÊ ΣΣÊ ;ÊÿΣΣÊUÊ ,,□UÃË ÿ,,U -ΣΣÊÁ±ÊÃ ÁΣΣÿÿ ;ÊÃË,,ÒU ÁΣΣ ,,UÊÿΣΣ ,ÆÔÊ<ΣΣ, ÿªU ÃÔÊ ª"ÊÔ Áÿfl□±Ê, •ÆÁ'ΣΣÊ-ÈU (ÿU.ª) mÊUÊ Áÿeÿ •ÿÊ,ÍØË □□Æ ÁflÁÿÁÆ,CU ÆÿÊÔÊÿÊªÆi Áÿfl□±Ê ÿÊ□ÔÊ Σ□§ flÃ,ÔÊÿ ÷ÍÁ©U-ÿÊ□ª ,ÆªÊÊ ðÊÿÁÔðÊ ΣΣÊ□U ,êÿΣ~Σ MΣ-, □ •ÆËΣÍÏÃ ÁΣΣ∞ ;ÊÃ□ ,,ÒÆU. BU, ,ÍØÿÊ ΣΣÊ -"ÁÃÁ<Á- ÿUûÊÊ,ª...ΠU ÿªU ÃÔÊ ª"ÊÔ Áÿfl□±Ê •ÁäÊÁÿÿ v~|x (Σ"ΣÔÊÆΣΣ wx, ,ÿ~ v~|x) ΣΣÊ äÊÊUÊ vz ΣΣÊ ©U-äÊÊUÊ (y) Σ□§ •ÿÊ,ÆUÁÊ □□Æ ÿUûÊÊ,ª...ΠU ÆÿÊ-ÔÊ □□Æ -"ΣΣÊ±Êÿ ,,□UÃË ÷□;Ê ;Ê ÆU,,UÊ ,,ÒU. ;Ê□ BU, 'ÊÃ ΣΣÊÁÿÿÆÿΣΣ ,Êÿÿ ,,UÊ□Ê ÁΣΣ ©UÃÃ ðÊÿÁÔðÊ ,êÿΣ~Σ MΣ-, □ ÃÿÿÊU ÃÔÊ •ÆËΣÍÏÃ ΣΣU Á<ÿÊ ªÿÊ ,,ÒU.

•ÿÊ,ÍØË

ÆÿÊÔÊÿÊªÆi Áÿfl□±Ê ÿÊ□ÔÊ ΣΣÊ ,ÊÔÊ∞Æ

©UûÊU □□Æ —ª"ÊÔ ΣΣÿΣΣ-ÈU ©U»,§ ~UÊ~ÍU, <ÍUªÊ ∞flÆ ÆÿÊÔÊÿÊªÆi ª"ÊÔÊ□Æ ΣΣÊ ©UûÊUÊ ,ÊÔÊ ÃΣΣ.

-Ífl, □□Æ —ª"ÊÔ ÆÿÊÔÊÿÊªÆi, -ÈUÊÿ«UÊ,,U, ΣΣÔ<-ÈU ∞flÆ ΣÍÏcáÊÿªU ª"ÊÔÊ□Æ ΣΣÊ -ÍflÊ, ,ÊÔÊ ÃΣΣ.

ÆÁ'ÊáÊ □□Æ —ª"ÊÔ ÿflÊ-ÈUÊ, ÃÊê'□±flU ÿªU, ÷ÆflUÔÊ< ∞flÆ ΣÍÏcáÊÿªU ª"ÊÔÊ□Æ ΣΣÊ ÆÁ'ÊáÊÊ ,ÊÔÊ ÃΣΣ.

-Á±Ø □□Æ —ª"ÊÔ ΣΣÿΣΣ-ÈU ©U»,§ ~UÊ~Í, •ÊUÊªÊ,,UÊ, ÿflÊ-ÈUÊ, ÃÊê'□±flU ÿªU ∞flÆ ÷ÆflUÔÊ< ª"ÊÔÊ□Æ ΣΣÊ -Á±ØÊ ,ÊÔÊ ÃΣΣ.

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ÁÿUÊ'ÊáÊ SÔ<- ΣΣÊÿÊ,ÿÿ ,,UÊÿΣΣ ,ÆÔÊ<ΣΣ ÿªU ÃÔÊ ª"ÊÔ Áÿfl□±Ê, -ÈUÊÿ ÆUÊ□ªÊU ΣΣÊÿÊ,ÿÿ, ÁÆUª ÆUÊ□<U, ÿðÿÊΣΣÊ, •Áê'ΣΣÊ-ÈU (ÿU.ª)

No. 4261/ÿª"ÊÁÿ/•Áê'ΣΣÊ-ÈU/Áfl.ÿÊ□.ÆÿÊÔÊÿÊªÆi/2017.— Notice is hereby given for general information of the public that the Existing Land use map and Register of Ramanujganj Planning Area, Existing land use map and Register so prepared and published are duly adopted by the Assistant Director Town & Country Planning Ambikapur under the Provision of sub-section (3) of section 15 of the Chhattisgarh Nagar Tatha Gram Nivesh Adhiniyam, 1973 (No. 23 of 1973) and a copy of the notice is also sent of its publication in Chhattisgarh Gazette. Under the provision of sub-section (4) of section 15 of the said Adhiniyam, which shall be conclusive evidence of the fact that the above map and register have been duly prepared and adopted on date.

SCHEDULE

Limit of Ramanujganj Planning Area

- NORTH** : Village Kanakpur alias Tatoo, Lurgi & upto Tha Northern limit of Ramanujganj.
- EAST** : Village Ramanujganj, Purandih, Kamalpur & upto the Eastern limit of Krishna Nagar.
- SOUTH** : Village Nawapara, Tambeshwar Nagar, Bhanwarmal & upto the Southern limit of Krishna Nagar.
- WEST** : Village Kanakpur alias Tatoo Aragahi, Nawapara, Tambeshwar Nagar & upto the Western limit of Bhanwarmal.

The said adopted map and Register shall be available for inspections of general public at following place during office hours for a period of 15 days from the publication of the notice in the Chhattisgarh Gazette.

Inspection Site : Office of the Assistant Director, Town & Country Planning, Ring Road No. 1, Old Employment Office, Namnakala, Ambikapur (C.G.).

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HIGH COURT OF CHHATTISGARH, BILASPUR

Bilaspur, the 22nd January 2018

No. 34/Confdl./2018/II-3-1/2018.—The Following Senior Civil Judge as specified in Column No. (2) of the table below, is hereby transferred from the place shown in Column No. (3) to the place shown in Column No. (4) in the Revenue District mentioned in Column No. (5) and is posted in the capacity as mentioned in Column No. (6) from the date she assumes charge of their offices :—

TABLE

S. No. (1)	Name & presently posted as (2)	From (3)	To (4)	Revenue District (5)	Posted as (6)
1.	Ku. Sweta, Secretary, District Legal Services Authority.	Jagdalpur	Jagdalpur	Bastar (Jagdalpur)	II Civil Judge Class-I.

Note :— The Registry order No. 19/Confdl./2018/II-3-1/2018 dated 18-01-2018, so far it relates to transfer of Ku. Sweta, Secretary, District Legal Services Authority, Jagdalpur to Raipur, is hereby cancelled.

By order of the High Court,
 GAUTAM CHOURADIA, Registrar
 General.