

$$\textcircled{R} \dots v^{\text{TM}} \dots | \dots n^{\sim} \% \partial \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots$$

$$G\acute{U}\textcircled{R} \dots \Delta E\acute{U} 15 \int \dots x \dots \neg 1990$$

$$\textcircled{R} \dots v^{\text{TM}} \dots | \dots n^{\sim} \% \partial \dots \textcircled{R} \dots J \dots x \dots \pm \dots \pm \dots S \dots i \dots \div \text{¥} \dots \hat{E} n^{\sim} \text{“}$$

$$\text{Æ}^{\cdot} \dots \pi] \text{r}^{\sim} \text{“}^{\text{TM}} \dots \{ \dots j \dots E\acute{U} \dots \text{Æ}^{\cdot} i \dots B \text{¥} \dots \Delta \int \dots \Delta S \dots \text{Æ}^{\cdot}$$

$$\text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots, + v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots, 1990$$

$$\text{¥} \dots \pi \dots^{\text{TM}} \dots - \int \dots \text{S} \dots \text{“}$$

$$v \dots \text{Æ}^{\cdot} \dots B \Delta :$$

$$1. \int \dots \Delta I \dots \{ i \dots x \dots \textcircled{R} \dots + \dots \ddot{E} \text{Æ}^{\cdot} | \dots \text{Æ}^{\cdot} \Delta \P \dots$$

$$2. \{ \dots \text{Æ}^{\cdot} \P \dots \pi \dots B \Delta$$

$$3. \textcircled{R} \dots J \dots x \dots \pm \dots \pm \dots S \dots i \dots \div \text{¥} \dots \hat{E} n^{\sim} \text{“} \text{Æ}^{\cdot} \dots \pi] \text{r}^{\sim} \text{“}^{\text{TM}} \dots \{ \dots j \dots E\acute{U} \dots \\ \text{Æ}^{\cdot} i \dots B \text{¥} \dots \Delta \int \dots \Delta S \dots \text{Æ}^{\cdot} \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E\acute{U} \text{“} \\ \int l \dots \{ \dots x \dots + \dots \ddot{E} \text{Æ}^{\cdot} x \dots M \dots \textcircled{R} \dots x \dots$$

$$4. \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E \% \acute{U} = q^{\sim} \% \partial^{\text{TM}} \dots$$

$$5. \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E\acute{U} \text{“} \partial \dots H\acute{U}^{\text{TM}} \dots \Delta i \dots l \dots E f i \acute{U} i^{\text{TM}} \dots$$

$$6. \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots \int \dots \% \int \dots \Delta \S \dots \Delta v \dots i \dots \int \dots \textcircled{R} \dots \int i \dots \\ \text{¥} \dots \pi \dots^{\text{TM}} \dots \hat{A} \textcircled{R} \dots \hat{A} \text{¥} \dots \P \dots \% \partial n^{\sim} E\acute{U} \dots | \dots i \dots \S \dots \% \partial v \dots$$

$$7. \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots \textcircled{R} \dots \hat{A} + v^{\text{TM}} \dots \{ \dots x \dots$$

$$8. \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E\acute{U} \dots E \div \acute{U} \pm \dots v^{\text{TM}} \dots I \dots$$

$$9. \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E \% \acute{U} + v \dots E\acute{U} \dots \text{Æ} \text{“}$$

$$10. E \div \acute{U} \pm \dots \{ \dots i \dots$$

$$11. E \div \acute{U} \pm \dots v \dots \int \dots S \dots \text{¥} \dots$$

$$12. \text{¥} \dots \P \dots M \dots v^{\text{TM}} \dots I \dots$$

$$13. + x^{\text{TM}} \dots + v \dots E\acute{U} \dots \text{Æ} \text{“} + \dots \ddot{E} \text{Æ}^{\cdot} E\acute{U} \textcircled{R} \dots \text{«} S \dots \text{Æ} \text{“}$$

$$14. \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E \% \acute{U} | \dots v \dots E\acute{U} \text{Æ}^{\cdot} h \dots$$

$$15. \textcircled{R} \dots \Omega_c \dots - \{ \dots \text{Æ}^{\cdot} \pi \dots n^{\sim} \neg$$

$$16. + v^{\text{TM}} \dots I \dots + \dots \ddot{E} \text{Æ}^{\cdot} \int \dots S \dots \text{¥} \dots$$

$$17. \textcircled{R} \dots \Omega_c \dots - \{ \dots \text{Æ}^{\cdot} \pi \dots n^{\sim} \neg E \% \acute{U} \int \dots n^{\sim} \int^{\text{TM}} \dots \hat{A} E\acute{U} \text{“} \{ \dots n^{\sim} \dots \text{¥} \dots v \dots$$

$$18. \textcircled{R} \dots \Omega_c \dots - \{ \dots \text{Æ}^{\cdot} \pi \dots n^{\sim} \neg E\acute{U} \text{“} \partial \dots H\acute{U}^{\text{TM}} \dots \Delta$$

$$19. \textcircled{R} \dots \Omega_c \dots - \{ \dots \text{Æ}^{\cdot} \pi \dots n^{\sim} \neg E\acute{U} \dots \int \dots \textcircled{R} \textcircled{R} \dots \pm \dots x \dots$$

$$19 E\acute{U}. M \dots h \dots \{ \dots / i \dots \text{«}$$

$$20. \text{¥} \dots \partial \dots \% \partial \pi \dots \int \dots \textcircled{R} \textcircled{R} \dots \pm \dots x \dots \S \dots \div \pm \dots x \dots \% E\acute{U} \text{“} + v^{\text{TM}} \dots I \dots \\ E\acute{U} \text{“} \partial \dots H\acute{U}$$

$$21. \int l \dots M \dots x \dots$$

22. $|\dots\partial x\dots\hat{A} E\acute{U}\dots \forall\dots x\dots\partial S\dots^{TM}\dots \S\dots\Omega_c\div\otimes\dots i\dots u\checkmark\dots\mathcal{A}\dots$
 $E\acute{U}^{TM}\dots V\dots^{TM}\dots\%M\dots$
23. $E\acute{U}\dots^{TM}\dots\langle\forall\dots f i k\dots-\{\dots\div j i\dots E\acute{U}\dots$
24. $\otimes\dots\Omega_c\dots-\{\dots\mathcal{A}\pi\dots n\checkmark\neg E\acute{U}\dots\partial\dots H\acute{U}^{TM}\dots\Delta+\dots\ddot{E}\mathcal{A}\dots E f i \acute{U} i^{TM}\dots$
25. $\otimes\dots\Omega_c\dots-\{\dots\mathcal{A}\pi\dots n\checkmark\neg u\checkmark\dots\mathcal{A}\dots\int l\dots^{TM}\dots\int\dots\otimes\dots i\dots E\acute{U}\dots$
 $M\dots\hat{\text{`}}x\dots+\dots\ddot{E}\mathcal{A}\dots i\dots n\checkmark l\dots\langle\int\dots\otimes\dots i\dots^{TM}\dots\hat{A} E\acute{U}\dots x\dots^{TM}\dots\div H\acute{U}\dots$
26. $\forall\dots t\dots\{\dots\mathcal{A}\pi\dots n\checkmark\neg$
27. $\forall\dots t\dots\{\dots\mathcal{A}\pi\dots n\checkmark E\acute{U}\dots\partial\dots H\acute{U}^{TM}\dots\Delta i\dots l\dots E\acute{U} i\dots\langle\forall^{TM}\dots$
28. $\forall\dots t\dots\{\dots\mathcal{A}\pi\dots n\checkmark E\% \acute{U}\int\dots\otimes\otimes\dots\pm\dots x\dots E\acute{U}\dots|\dots G\acute{U}^{TM}\dots$
29. $|\dots\S\dots\Delta v\dots\int\dots\otimes\dots i\dots$
30. $|\dots\S\dots\Delta v\dots\int\dots\otimes\dots i\dots E\acute{U}\dots\partial\dots H\acute{U}^{TM}\dots\Delta i\dots l\dots$
 $E\acute{U} k\dots\langle\forall^{TM}\dots$
31. $|\dots\S\dots\Delta v\dots\int\dots\otimes\dots i\dots E\% \acute{U}\int\dots\otimes\otimes\dots\pm\dots x\dots\hat{A} E\acute{U}\dots|\dots$
 $G\acute{U}^{TM}\dots$
32. $\forall\dots k\dots\int\dots\otimes\dots i\dots$
33. $S\dots^{TM}\dots x\dots\int\dots\otimes\dots i\dots$
34. $\forall\dots\partial\forall\dots\forall\dots t\dots\pm\dots^{TM}\dots E\acute{U}\dots x\dots v\dots^{TM}\dots f$
35. $\forall\dots\dots\pi\dots\langle E\acute{U}\pm\dots\% J\dots i\dots l\dots\int\dots\Delta\{\dots\mathcal{A}\dots I\dots$
36. $\forall\dots k\dots\text{“}^{TM}\dots|\dots C E\acute{U}\pm\dots x\dots$
37. $\int\dots\Delta\forall\dots n\checkmark\dots+\dots\hat{A} E\acute{U}\dots x\dots\pi\{\dots n\checkmark x\dots$
38. $\forall\dots t\dots l\dots\langle^{TM}\dots\hat{A} E\acute{U}\dots|\dots\forall\dots\% \partial\dots E\% \acute{U}\pm\dots B\{\dots j\dots i\dots$
39. $U\grave{U}\dots j\dots x\dots\forall\dots\int\dots$
40. $\otimes\dots\dots x\dots n\checkmark=\{\dots v\dots$
41. $=\{\dots v\dots^{TM}\dots\{\dots j\dots\% \{\dots v\dots E\acute{U}\dots\forall\dots\{\dots\int\dots$
 $\pm\dots^{TM}\dots V\dots x\dots$
42. $+x\dots\div\partial\dots\int\dots x\dots$
43. $|\dots^{TM}\dots\% V\dots i\dots\int E\acute{U}\dots\otimes\dots\hat{A}$
44. $\forall\dots\partial\forall\dots\forall\dots t\dots\pm\dots^{TM}\dots E\acute{U}\dots\% +x\dots\div n\checkmark\dots x\dots$
45. $\int\dots\otimes\{\dots k\dots E\acute{U}\dots+\Delta i\dots\mathcal{A}\dots h\dots$
46. $\forall\dots\partial\forall\dots\forall\dots t\dots\pm\dots^{TM}\dots E\acute{U}\dots E\acute{U}\dots^{TM}\dots\langle\forall\dots\Omega_c^{TM}\dots f\mathcal{A}\dots$
 $H\acute{U}^{TM}\dots\hat{A} E\% \acute{U} E\acute{U}\dots\mathcal{A}\dots h\dots+\forall\dots v\dots\otimes\dots x^{TM}\dots x\dots\Omega_c\text{”}$
 $\Omega_c\dots\hat{A} M\dots\text{“}$
47. $E\acute{U}\dots\hat{\text{`}}x\dots<^{TM}\dots\hat{A} E\acute{U}\dots x\dots\mathcal{A}\dots E\acute{U}\mathcal{A}\dots h\dots$
48. $+\int l\dots^{TM}\dots\text{“}=\{\dots\S\dots x v\dots$
49. $\int\dots\Delta\mathcal{A}\dots I\dots h\dots$

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v... x...TM...®...*

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1990 Ω_ε Ë*

(2)TM...Ω_ε B%∫...“ i.....Æ'“J... EÚ...%

$$\begin{aligned} & *| \dots \% \text{or} \tilde{\mathcal{A}} \text{h} \dots (\int \dots < \hat{\mathcal{A}} \text{1} \partial \dots \text{x} \dots) \mathbb{Y} \dots \text{fi} \Omega_i \dots \text{x} \dots \text{\textcircled{R}} \dots (\pm \dots \Delta \text{M} \dots \\ & \text{1} \dots < \text{1} \pm \dots) \text{B} \mathbb{Y} \dots \Delta \text{v} \dots \mathcal{A} \dots \text{1} (1) \text{E} \acute{\text{U}} \dots \int \dots \Delta \partial \dots \% \text{o} \text{v} \dots \text{x} \dots \\ & \text{\textcircled{R}} \dots \text{v}^{\text{TM}} \dots | \dots \text{n} \% \partial \dots \text{\textcircled{R}} \dots \text{J} \dots \text{x} \dots \pm \dots \pm \dots \text{S} \dots \text{i} \dots \div \mathbb{Y} \dots \hat{\text{E}} \text{n} \tilde{\text{``}} \mathcal{A} \dots \pi \text{]} \approx \text{1}^{\text{TM}} \dots \\ & \{ \dots \text{j} \dots \text{E} \acute{\text{U}} \dots \mathcal{A} \text{i} \dots \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots \text{t} \dots \pm \dots^{\text{TM}} \dots \int \dots \Delta \text{1} \dots \text{x} \dots \\ & (\int \dots \Delta \partial \dots \% \text{o} \text{v} \dots \text{x} \dots) + \text{v} \dots \text{x} \dots^{\text{TM}} \dots \text{\textcircled{R}} \dots 2006 \text{ (G} \acute{\text{U}} \text{. 8} \int \dots \text{x} \dots \neg 2006) \text{ u} \tilde{\text{``}} \dots \mathcal{A} \dots \\ & \text{E} \acute{\text{U}}^{\text{TM}} \dots \text{M} \dots^{\text{TM}} \dots * \\ & \# \int \dots \Delta \partial \dots \% \text{o} \text{v} \dots \text{x} \dots + \text{v} \dots \text{x} \dots^{\text{TM}} \dots \text{\textcircled{R}} \dots \text{G} \acute{\text{U}} \text{. 8} \int \dots \text{x} \dots \neg 2006 \text{ u} \tilde{\text{``}} \dots \mathcal{A} \dots \int \text{l} \dots \dots \\ & \{ \dots \text{i} \dots * \end{aligned}$$

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$$\begin{aligned}
 & E\acute{U}\textcircled{TM} \dots \div x \dots E\% \acute{U} \partial \dots x \dots \\
 & E\% \acute{U} x \dots \textcircled{R} \dots \int \dots \% V \dots x \dots \\
 & V \dots BM \dots, \\
 & (x \dots \text{""} E \div \acute{U} \pm \dots \{ \dots i \dots \text{""} \int \dots \% + \\
 & \textcircled{R} \dots J \dots x \dots \pm (1) B \% \int \dots \text{""} i \dots \textcircled{A} \text{""} J \dots \int \dots \% V \dots \% \\
 & \textcircled{A} \dots \pi \int \approx \text{""} \textcircled{TM} \dots \{ \dots j \dots E \acute{U} \dots \textcircled{A} \dots i \dots \\
 & B \textcircled{Y} \dots \Delta \int \dots \Delta S \dots \textcircled{A} \textcircled{Y} \dots \textcircled{Y} \dots t \dots \pm \dots \textcircled{TM} \dots E \acute{U} \text{""} \int \dots \{ \dots x \dots \\
 & + \dots \ddot{E} \textcircled{A} \textcircled{Y} \dots x \dots M \dots \textcircled{R} \dots x \dots \\
 (2) & \textcircled{Y} \dots \partial \textcircled{Y} \dots \textcircled{Y} \dots t \dots \pm \dots \textcircled{TM} \dots \{ \dots \textcircled{A} \dots \hat{E} H \acute{U} x \dots \textcircled{R} \dots \int \dots \% B E \acute{U} x \dots M \dots \\
 & \textcircled{R} \dots i \dots x \dots E \acute{U} \dots \textcircled{TM} \dots \Omega_c \dots \% M \dots \\
 & = \int \dots E \acute{U} \dots \partial \dots \partial \textcircled{Y} \dots i \dots = k \dots \textcircled{A} \textcircled{Y} \dots v \dots E \acute{U} \dots \textcircled{A} \textcircled{Y} \dots + \dots \ddot{E} \textcircled{A} \textcircled{Y} \dots \\
 & \int \dots \textcircled{R} \dots x \textcircled{TM} \dots \textcircled{R} \dots \div p \dots \Omega_c \dots \% M \dots \text{""}, = \int \dots \% \\
 & < \int \dots + v \dots x \dots \textcircled{TM} \dots \textcircled{R} \dots E \% \acute{U} = \{ \dots \S \dots \Delta v \dots \hat{A} E \% \acute{U} + v \textcircled{TM} \dots v \dots \text{""} x \dots \\
 & \textcircled{A} \textcircled{Y} \dots i \dots \% \Omega_c \div B, \int \dots \Delta \{ \dots k \dots \\
 & + V \dots \langle i \dots E \acute{U} \textcircled{A} \textcircled{Y} \dots x \dots \% , v \dots \textcircled{A} \textcircled{Y} \dots h \dots E \acute{U} \textcircled{A} \textcircled{Y} \dots x \dots \% , \int \dots \Delta \textcircled{Y} \dots n \dots \\
 & E \acute{U} \textcircled{A} \textcircled{Y} \dots x \dots \% E \acute{U} \text{""} \partial \dots H \acute{U} \Omega_c \dots \% M \dots \text{""} \\
 & i \dots l \dots \textcircled{Y} \dots \Omega_c = H \acute{U} x \dots \textcircled{R} \dots \int \dots \% \textcircled{Y} \dots n \dots S \dots \pm \dots BM \dots \\
 & + \dots \ddot{E} \textcircled{A} \textcircled{Y} \dots = \int \dots E \% \acute{U} \textcircled{Y} \dots \textcircled{O}^\circ r \textcircled{Y} \dots n \dots \\
 & S \dots \pm \dots \textcircled{TM} \dots V \dots BM \dots * \\
 (3) & \textcircled{Y} \dots \partial \textcircled{Y} \dots \textcircled{Y} \dots t \dots \pm \dots \textcircled{TM} \dots u \dots \textcircled{A} \textcircled{Y} \dots \textcircled{TM} \dots = \int \dots E \% \acute{U} \textcircled{Y} \dots \textcircled{O}^\circ r \textcircled{Y} \dots \int \dots \textcircled{R} \dots \int i \dots \\
 & \textcircled{Y} \dots n \dots \hat{A} i \dots l \dots + x \textcircled{TM} \dots \\
 & \textcircled{Y} \dots v \dots E \acute{U} E \acute{U} \dots \textcircled{TM} \dots \langle \textcircled{Y} \dots \Omega_c \textcircled{TM} \dots \hat{A} \textcircled{R} \dots \hat{A} + \P \dots \textcircled{Y} \dots S \dots x \dots \\
 & E \div \acute{U} \pm \dots \{ \dots i \dots u \dots \textcircled{A} \textcircled{Y} \dots \int \dots \textcircled{R} \textcircled{TM} \dots E \acute{U} \dots \infty, \{ \dots \\
 & \int \dots \% | \dots v \dots E f i \acute{U} i \dots \textcircled{Y} \textcircled{TM} \dots H \acute{U} u \dots \textcircled{A} \textcircled{Y} \dots \Omega_c \int i \dots I \dots \textcircled{A} \textcircled{Y} \dots + \dots \ddot{E} \textcircled{A} \textcircled{Y} \dots \\
 & \int \dots i \textcircled{TM} \dots \{ \dots i \dots E \acute{U} \textcircled{TM} \dots \% \\
 & V \dots B \Delta M \dots \% + \dots \ddot{E} \textcircled{A} \textcircled{Y} \dots B \% \int \dots \% \textcircled{Y} \dots n \dots \hat{A} \textcircled{R} \dots \hat{A} \int \dots \textcircled{R} \dots \int i \dots \\
 & + \dots n \dots \% \partial \dots E \acute{U} \dots B \Delta B \% \int \dots \% | \dots v \dots E f i \acute{U} i \dots \\
 & \textcircled{Y} \textcircled{TM} \dots H \acute{U} E \acute{U} \dots \% V \dots \textcircled{A} \textcircled{Y} \text{""} E \acute{U} \text{""} V \dots B \Delta M \dots \text{""} i \dots l \dots = \int \dots \{ \dots \textcircled{A} \textcircled{Y} \dots \\
 & i \dots \textcircled{R} \dots \text{""} \pm \dots E \acute{U} \text{""} V \dots B \Delta M \dots \text{""} \\
 (4) & \textcircled{Y} \dots \partial \textcircled{Y} \dots \textcircled{Y} \dots t \dots \pm \dots \textcircled{TM} \dots E \acute{U} \dots \textcircled{R} \dots \div J \textcircled{TM} \dots \pm \dots \textcircled{TM} \dots \P \dots \% \{ \dots \pm \dots \\
 & \textcircled{R} \dots \hat{A} \Omega_c \dots \% M \dots * \\
 & \textcircled{Y} \dots \partial \textcircled{Y} \dots *4. \textcircled{Y} \dots \partial \textcircled{Y} \dots \textcircled{Y} \dots t \dots \pm \dots \textcircled{TM} \dots E \% \acute{U} \\
 & = q \% \sim \partial (B E \acute{U}) \textcircled{Y} \dots \partial \textcircled{Y} \dots \textcircled{Y} \dots t \dots \pm \dots \textcircled{TM} \dots E \acute{U} \dots \% \\
 & \int \dots l \dots \{ \dots j \dots E \acute{U} \dots \textcircled{A} \textcircled{Y} \dots, \\
 & V \dots x \dots \int \dots \Delta S \dots \textcircled{A} \textcircled{Y} \dots, \int \dots \textcircled{S} \dots x \dots \\
 & | \dots \ddot{E} t \dots \% M \dots E \acute{U} \text{""} E \% \acute{U} I \dots \% j \dots \\
 & i \dots l \dots \int \dots \Omega_c \S \dots r \textcircled{Y} I \dots \% j \dots \hat{A} \textcircled{R} \dots \hat{A} \\
 & + v \textcircled{TM} \dots \{ \dots x \dots, | \dots \partial \dots I \dots h \dots + \dots \ddot{E} \textcircled{A} \textcircled{Y} \dots \\
 & + x \dots \div \int \dots \Delta v \dots x \dots E \% \acute{U} \\
 & \textcircled{A} \textcircled{Y} \dots \pi \int \approx \text{""} \textcircled{TM} \dots E \% \acute{U} x p \textcircled{Y} E \% \acute{U} \infty, \{ \dots \textcircled{R} \dots \hat{A} \\
 & \textcircled{Y} \dots E \acute{U} \int \dots i \dots E \acute{U} \textcircled{A} \textcircled{Y} \dots,
 \end{aligned}$$

$$\begin{aligned}
 (n \dots \%) &= \{ \dots v \dots^{\text{TM}} \dots \Delta, \\
 \{ \dots j \dots \% \{ \dots v \dots^{\text{TM}} \dots \Delta, | \dots \textcircled{R} \dots h \dots - \\
 \{ \dots j \dots i \dots l \dots \text{¥} \dots t \dots \int \dots \Delta \S \dots \Delta v \dots " \\
 + x^{\text{TM}} \dots \text{¥} \dots \partial \dots \% \pi \dots &= \{ \dots v \dots^{\text{TM}} \dots \Delta \\
 \int \dots \Delta \int l \dots i \dots E \acute{U} \text{Æ} \cdot x \dots, \\
 (i \dots "x \dots) \{ \dots \div x \dots \partial S \dots^{\text{TM}} \dots \ll \\
 \{ \dots \text{``} \text{G} \acute{U} \textcircled{R} \dots, M \dots \% \pm \dots \textcircled{R} \dots \% V \dots, \\
 \text{¥} \dots S \dots \text{Æ} \cdot M \dots \% \pi \text{``}^{\text{TM}} \dots \Delta i \dots l \dots \\
 E \acute{U} \dots^{\text{TM}} \dots \ll \partial \dots \pm \dots B \Delta + \dots^{\text{TM}} \dots \% \\
 V \dots i \dots E \acute{U} \text{Æ} \cdot x \dots, \\
 (S \dots \text{Æ} \cdot) &= i E f i \acute{U} \pi] i \dots E \% \acute{U} \int \dots l \dots \\
 \text{¥} \dots f i k \dots E \acute{U} \text{¥} \dots E \acute{U} \dots \int \dots E \acute{U} \text{Æ} \cdot x \dots, \\
 (\{ \dots f S \dots) | \dots E \acute{U} \dots \partial \dots x \dots \\
 x \dots E \acute{U} \dots \pm \dots x \dots, + \dots \ddot{E} \text{Æ} \cdot \\
 (U \acute{U} \Omega_c) &= \{ \dots \text{Æ} \cdot \text{¥} \dots h \dots \ll i \dots = q \text{``} \% \partial^{\text{TM}} \dots \hat{A} \\
 E \acute{U} \dots \% | \dots \{ i \dots E \acute{U} \text{Æ} \cdot x \dots \% E \% \acute{U} \\
 \pm \dots^{\text{TM}} \dots \% \int \dots \textcircled{R} \dots \int i \dots + \dots \text{¥} \dots \partial^{\text{TM}} \dots E \acute{U} \\
 &= \{ \dots^{\text{TM}} \dots E \acute{U} \text{Æ} \cdot x \dots * \\
 * \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots \text{G} \acute{U} \textcircled{R} \dots \Delta E \acute{U} \text{ } 8 \int \dots x \dots \neg 2006 \\
 u \text{``} \dots \text{Æ} \cdot \dots \int l \dots \{ \dots i \dots - l \dots \textcircled{R} \dots / \pm \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots \textcircled{R} \dots \hat{A} \\
 " \int \dots \Delta \int l \dots x \dots, " \textcircled{R} \dots \Omega_c \dots x \dots n \% \sim \partial \dots E \acute{U}, " E \acute{U} \dots^{\text{TM}} \dots \ll \{ \dots \pm \dots E \acute{U} \\
 x \dots n \% \sim \partial \dots E \acute{U} V \dots \Omega_c \dots \Delta - V \dots \Omega_c \dots \Delta + \dots B \Omega \ddot{E}_c E \% \acute{U} \int l \dots x \dots \{ \dots \text{Æ} \cdot " \\
 \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots " E \div \acute{U} \pm \dots \{ \dots i \dots, " E \div \acute{U} \pm \dots v \dots \int \dots S \dots \text{¥} \dots ' \\
 \partial \dots \S n \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots \text{G} \acute{U}. 8 \int \dots x \dots \neg 2006 u \text{``} \dots \text{Æ} \cdot \dots \\
 \text{G} \acute{U} \textcircled{R} \dots \partial \dots : \int l \dots \{ \dots i \dots E \acute{U}^{\text{TM}} \dots \% M \dots^{\text{TM}} \dots \% * \\
 \text{¥} \dots \partial \text{¥} \dots 5. \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E \acute{U} " \partial \dots H \acute{U}^{\text{TM}} \dots \Delta \\
 \partial \dots (E \acute{U}) \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots i \dots l \dots \\
 E \hat{A} \acute{U} p \text{``} \dots \hat{A} E \acute{U} \dots | \dots \partial \dots \int \dots x \dots i \dots l \dots | \dots \S \dots \Delta v \dots E \acute{U} \text{Æ} \cdot x \dots \\
 V \dots \% \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E \% \acute{U} \\
 = q \% \sim \partial^{\text{TM}} \dots \hat{A} E \acute{U} \dots \% + O \dots \int \dots \text{Æ} \cdot E \acute{U} \text{Æ} \cdot x \dots \% E \% \acute{U} \\
 \pm \dots^{\text{TM}} \dots \% + \dots \text{¥} \dots \partial^{\text{TM}} \dots E \acute{U} \Omega_c \dots \hat{A}, \\
 2(n \dots \%) Y \dots x \dots^{\text{TM}} \dots \text{¥} \dots t \dots E \acute{U} " B \% \int \dots " \\
 \partial \dots J \dots + \dots \hat{A} \textcircled{R} \dots \hat{A}, V \dots x \Omega_c \hat{A} \text{¥} \dots \partial \text{¥} \dots \\
 \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots \\
 + \{ \dots x \dots \% = q \text{``} \% \partial^{\text{TM}} \dots \hat{A} E \acute{U} \dots \% + O \dots \int \dots \text{Æ} \cdot E \acute{U} \text{Æ} \cdot x \dots \% \textcircled{R} \dots \hat{A} = \\
 S \dots i \dots \int \dots \textcircled{R} \dots Z \dots \% , \partial \dots l \dots h \dots E \% \acute{U} \\
 \pm \dots^{\text{TM}} \dots \% \text{¥}^{\text{TM}} \dots \text{¥} \dots \int l \dots E \acute{U} \text{Æ} \cdot x \dots + \dots \ddot{E} \text{Æ} \cdot + x \dots \div \int \dots \Delta v \dots x \dots \\
 i \dots l \dots Y \dots x \dots E \% \acute{U} + \P \dots \text{¥} \dots v \dots \ll x \dots \\
 B \text{¥} \dots \Delta | \dots \int \dots \text{Æ} \cdot h \dots E \% \acute{U} \pm \dots^{\text{TM}} \dots \% \text{¥}^{\text{TM}} \dots \text{¥} \dots \int l \dots \\
 E \acute{U} \text{Æ} \cdot x \dots, 2 \\
 (i \dots "x \dots) x \dots \text{¥} \dots \% \partial \dots \S \dots j + v^{\text{TM}} \dots \{ \dots x \dots \\
 E \acute{U} \dots^{\text{TM}} \dots \ll i \dots l \dots \text{¥} \dots \int i \dots \text{Æ} \cdot " \int \dots \% \text{¥} \dots B \Delta \\
 + \dots^{\text{TM}} \dots \% V \dots i \dots
 \end{aligned}$$

$$\begin{aligned}
 &E\acute{U}\acute{A}E^{\cdot}x.....i...1.....=x\Omega_{\epsilon}\hat{A}\Omega_{\epsilon}...1...@... \hat{A} \\
 &\quad \pm...\%x....., \\
 &(S.....\acute{A}E^{\cdot})\{\dots\acute{A}E^{\cdot}I.....B\Delta+...^{TM}.....\%V...i... \\
 &E\acute{U}\acute{A}E^{\cdot}x.....+...\ddot{E}\acute{A}E^{\cdot}\{\dots j.....\%\{\dots v...^{TM}..... \\
 &\quad |\dots @.....h...\{\dots j...|\dots n^{\sim}...x... \\
 &E\acute{U}\acute{A}E^{\cdot}x.....+...\ddot{E}\acute{A}E^{\cdot}\nmid^{TM}...H\acute{U}^{TM}.....\hat{A}E\acute{U}...\%=\{\dots v...^{TM}.....\Delta \\
 &\quad i...1.....\nmid t... \int \dots \Delta \S \dots \Delta v... " +x^{TM}... \\
 &\nmid \dots \partial \dots \% \pi \dots =\{\dots v...^{TM}.....\Delta B\% \int \dots " \partial \dots i.....\hat{E}E\% \acute{U} \\
 &\quad +v^{TM}...v... "x... \acute{A}E^{\cdot}\Omega_{\epsilon}i...\% \Omega_{\epsilon} \div B |\dots n^{\sim}...x... E\acute{U}\acute{A}E^{\cdot}x..... \\
 &V...\ddot{E} \int \dots " \nmid \dots \partial \nmid \dots \nmid \dots t... \pm ...^{TM}... +\nmid \dots v..... \acute{A}E^{\cdot}i... E\acute{U}\acute{A}E^{\cdot}\hat{A}+...\ddot{E}\acute{A}E^{\cdot} \\
 &\quad \int \dots @ @ x...E\acute{U}=\{\dots v...E\acute{U}...\% \\
 &U\grave{U}...\%cE\acute{U}\acute{A}E^{\cdot}E\acute{U} \int \dots " B\% \int \dots " \{\dots j.....\%\{\dots v..., \\
 &\quad |\dots @.....h...\{\dots j...=\{\dots v...^{TM}.....\nmid \dots t... \\
 &\int \dots \Delta \S \dots \Delta v... " +x^{TM}... \nmid \dots \partial \dots \% \pi \dots =\{\dots v...^{TM}.....\hat{A}E\acute{U}...\% \\
 &\quad +SU\grave{U}\% i...1..... \{\dots ^{TM}.....\ll \{i...E\acute{U}...\acute{A}E^{\cdot}h.....\hat{A} \int \dots \% \\
 &\quad \nmid \dots \{\dots \int \dots \pm...\%x....., \\
 &(\{\dots \Delta S...\)\nmid \dots x...^{TM}...@.....\hat{A} @... \hat{A}+v...E\acute{U} \\
 &\quad l...i... \acute{A}E^{\cdot}i... @... \hat{A} \int \dots @ @ x...i...=\{\dots \\
 &\quad v...^{TM}.....\Delta ^{TM}..... \\
 &+x^{TM}... \nmid \dots \partial \dots \% \pi \dots =\{\dots v...^{TM}.....\Delta |\dots n^{\sim}...x... \\
 &\quad E\acute{U}\acute{A}E^{\cdot}x....., \\
 &(U\grave{U}\Omega_{\epsilon})^{\circ} \acute{U} " \int \dots i...1..... +x^{TM}... |\dots \P \dots \acute{A}E^{\cdot} \\
 &\quad x...^{TM}...i... E\acute{U}\acute{A}E^{\cdot}x....., =x...E\acute{U} " @.....\Delta M... \\
 &\quad E\acute{U}\acute{A}E^{\cdot}x..... \\
 &i...1.....=x\Omega_{\epsilon}\hat{A} |\dots \{i... E\acute{U}\acute{A}E^{\cdot}x....., \\
 &\quad (\int \dots i...) \nmid \dots \partial \nmid \dots \nmid \dots t... \pm ...^{TM}... E\% \acute{U} U\grave{U}...j.....\hat{A} \\
 &\quad E\% \acute{U} \pm ...^{TM}...\% U\grave{U}...j.....\nmid \dots \int \dots \Delta \int l...i... \\
 &\quad E\acute{U}\acute{A}E^{\cdot}x.....i...1..... \\
 &=x...E\acute{U}...+x... \div \acute{A}E^{\cdot}I...h... E\acute{U}\acute{A}E^{\cdot}x.....+...\ddot{E}\acute{A}E^{\cdot}+...\nmid \dots \int \dots \\
 &\quad \int l.....x.....\hat{A}E\acute{U}...\% @.....x^{TM}...i.....n^{\sim}\%x..... \\
 &i...1..... E\acute{U} \int \dots " B\% \int \dots \% \int l.....x...^{TM}.....+...\nmid \dots \int \dots E\acute{U}...\% n^{\sim} " \\
 &\quad M...<\ll @.....x^{TM}...i.....\nmid \dots \{\dots \int \dots \\
 &\quad \pm...\%x....., \\
 &(+...\text{``})B\% \int \dots \% \nmid \dots \partial \dots \% \pi \dots E\% \acute{U}xp^{\sim}, \nmid \dots \partial \dots \pi]_1 \\
 &\quad +v^{TM}...^{TM}...x... E\% \acute{U}xp^{\sim} ^{TM}.....+x... \div \int \dots \Delta v.....x... \\
 &\quad i...1..... \\
 &\partial \dots I...h... E\% \acute{U} \pm ...^{TM}...\% +x^{TM}... <E\acute{U}...<^{TM}.....\Delta \int l..... \{\dots i... \\
 &\quad E\acute{U}\acute{A}E^{\cdot}x.....V...\ddot{E} \int \dots " E\acute{U}
 \end{aligned}$$

$$\begin{aligned}
 & \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots \text{TM} \dots \text{E} \dot{\text{U}} \text{“} \mathbb{A} \dot{\text{E}} \dots \text{TM} \dots \mathbb{R} \dots \hat{\text{A}} = \int \dots \text{E} \% \dot{\text{U}} \\
 & = q \check{\text{U}} \% \partial \text{TM} \dots \hat{\text{A}} \text{E} \dot{\text{U}} \dots \% + \text{O} \dots \int \dots \mathbb{A} \dot{\text{E}} \text{E} \dot{\text{U}} \mathbb{A} \dot{\text{E}} \text{x} \dots \% \text{E} \% \dot{\text{U}} \\
 & \pm \dots \text{TM} \dots \% + \dots \mathbb{Y} \dots \partial \text{TM} \dots \text{E} \dot{\text{U}} \Omega_{\epsilon} \dots \%, \\
 & (\text{x} \dots \ddot{\text{E}}) \mathbb{Y} \dots t \dots \int \dots \Delta \S \dots \Delta \text{v} \dots \text{“}, i \dots \text{E} \dot{\text{U}} \text{x} \dots \text{“E} \dot{\text{U}} \text{“}, \\
 & | \dots \partial \dots \int \dots \text{x} \dots \text{E} \dot{\text{U}}, + \text{x} \dots \div \int \dots \text{S} \dots \mathbb{Y} \dots \text{“TM} \dots + \dots \ddot{\text{E}} \mathbb{A} \dot{\text{E}} \text{“} \\
 & + \text{x} \text{TM} \dots \\
 & \{ \dots \check{\text{n}} \int \dots \text{fi} \text{V} \dots i \dots \text{E} \dot{\text{U}} \mathbb{A} \dot{\text{E}} \text{x} \dots + \dots \ddot{\text{E}} \mathbb{A} \dot{\text{E}} \text{“} = \text{x} \dots \{ \dots \mathbb{A} \dot{\text{E}} \text{x} \dots \text{TM} \dots \div \\
 & \text{H} \dot{\text{U}} \text{TM} \dots \Delta \text{E} \dot{\text{U}} \mathbb{A} \dot{\text{E}} \text{x} \dots, \\
 & (\text{n} \check{\int} \dots) \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots \text{TM} \dots \text{E} \% \dot{\text{U}} \text{E} \dot{\text{U}} \mathbb{R} \dots \ll \text{S} \dots \\
 & \mathbb{A} \dot{\text{E}} \text{“TM} \dots \hat{\text{A}} \mathbb{R} \dots \hat{\text{A}} + \text{x} \dots \div \partial \dots \int \dots \text{x} \dots \mathbb{Y} \dots \text{x} \dots \text{TM} \dots \\
 & \mathbb{R} \dots i \dots \text{E} \dot{\text{U}} \mathbb{A} \dot{\text{E}} \text{x} \dots \\
 & i \dots l \dots = \int \dots \text{E} \dot{\text{U}} \dots \{ \dots \pm \dots \text{x} \dots \text{E} \dot{\text{U}} \mathbb{A} \dot{\text{E}} \text{x} \dots + \dots \ddot{\text{E}} \mathbb{A} \dot{\text{E}} \text{“} \text{B} \% \int \dots \% \\
 & + \text{x} \dots \div \partial \dots \int \dots \text{x} \dots i \mathbb{R} \dots \text{E} \dot{\text{U}} = \{ \dots \text{TM} \dots \\
 & 2 \int \dots \Delta \partial \dots \% \text{v} \dots \text{x} \dots + \text{v} \dots \text{x} \dots \text{TM} \dots \mathbb{R} \dots \text{G} \dot{\text{U}}. 8 \int \dots \text{x} \dots \neg 2006 \text{u} \check{\text{“}} \dots \mathbb{A} \dot{\text{E}} \dots \int l \dots \{ \dots i \dots * \\
 & \text{E} \dot{\text{U}} \mathbb{A} \dot{\text{E}} \text{x} \dots \text{V} \dots \ddot{\text{E}} \int \dots \text{E} \dot{\text{U}} \mathbb{Y} \dots \\
 & \text{x} \dots \text{TM} \dots \mathbb{R} \dots \hat{\text{A}} \mathbb{R} \dots \hat{\text{A}} + \text{v} \dots \text{E} \dot{\text{U}} \\
 & l \dots i \dots \mathbb{A} \dot{\text{E}} \text{“} i \dots \mathbb{R} \dots \hat{\text{A}} + \dots \mathbb{Y} \dots \partial \text{TM} \dots \text{E} \dot{\text{U}} \\
 & \int \dots \mathbb{R} \dots \text{Z} \dots \text{V} \dots \text{B}, \\
 & (\text{M} \text{TM} \dots \mathbb{A} \dot{\text{E}} \Omega_{\epsilon}) + \dots \text{S} \dots \text{TM} \dots \ll \{ \dots \check{\text{n}}, \\
 & \int \dots \Omega_{\epsilon} + \dots \text{S} \dots \text{TM} \dots \ll \{ \dots \check{\text{n}}, \int \dots \Omega_{\epsilon} \dots \text{TM} \dots \text{E} \dot{\text{U}} \\
 & + \dots \text{S} \dots \text{TM} \dots \ll \{ \dots \check{\text{n}}, \\
 & = \{ \dots \text{S} \dots \text{TM} \dots \ll \{ \dots \check{\text{n}}, \\
 & | \dots \text{v} \text{TM} \dots \{ \dots \text{E} \dot{\text{U}} \{ \dots \check{\text{n}} + \dots \ddot{\text{E}} \mathbb{A} \dot{\text{E}} \text{“} + \text{x} \text{TM} \dots \\
 & + \text{v} \text{TM} \dots \{ \dots \text{x} \dots, \mathbb{Y} \dots t \dots \int \dots \Delta \S \dots \Delta \text{v} \dots \text{“} \\
 & \text{TM} \dots + \text{x} \dots \div \int \dots \Delta \text{v} \dots \text{x} \dots \int \dots \Delta \S \dots \Delta \text{v} \dots \text{“} \\
 & \{ \dots \check{\text{n}} \text{V} \dots \% \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots \text{TM} \dots \\
 & \text{u} \check{\text{“}} \dots \mathbb{A} \dot{\text{E}} \dots + \{ \dots \% \text{I} \dots i \dots \Omega_{\epsilon} \dots \hat{\text{A}}, \int \dots \Delta \int l \dots i \dots \\
 & \text{E} \dot{\text{U}} \mathbb{A} \dot{\text{E}} \text{x} \dots, \\
 & (\S \dots \mathbb{A} \dot{\text{E}} \Omega_{\epsilon}) \mathbb{Y} \text{TM} \dots \text{H} \dot{\text{U}} \text{TM} \dots \hat{\text{A}} \text{E} \dot{\text{U}} \dots \% \\
 & \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots \text{TM} \dots \text{E} \% \dot{\text{U}} \\
 & + \dots \text{S} \dots \text{TM} \dots \ll, \int \dots \Omega_{\epsilon} + \dots \text{S} \dots \text{TM} \dots \ll, \\
 & \int \dots \Omega_{\epsilon} \dots \text{TM} \dots \text{E} \dot{\text{U}} + \dots \text{S} \dots \text{TM} \dots \ll, \\
 & = \{ \dots \text{S} \dots \text{TM} \dots \ll, | \dots \text{v} \text{TM} \dots \{ \dots \text{E} \dot{\text{U}} \\
 & \text{E} \% \dot{\text{U}} \infty, \{ \dots \mathbb{R} \dots \hat{\text{A}} + \dots \ddot{\text{E}} \mathbb{A} \dot{\text{E}} \text{“} + \text{x} \text{TM} \dots l \dots \\
 & + \text{v} \text{TM} \dots \{ \dots \text{E} \dot{\text{U}} + \dots \ddot{\text{E}} \mathbb{A} \dot{\text{E}} \text{“} \\
 & + \text{x} \dots \div \int \dots \Delta \text{v} \dots \text{x} \dots \text{E} \dot{\text{U}} i \dots \ll \text{E} \% \dot{\text{U}} \infty, \{ \dots \\
 & \mathbb{R} \dots \hat{\text{A}} \text{x} \dots \text{TM} \dots \div \text{H} \dot{\text{U}} \text{E} \dot{\text{U}} \mathbb{A} \dot{\text{E}} \text{x} \dots, \\
 & (i \dots \% \mathbb{A} \dot{\text{E}} \Omega_{\epsilon}) + \text{v} \text{TM} \dots \% i \dots \mathbb{Y} \dots \text{fi} \\
 & k \dots \text{TM} \dots \Delta (\circ \% \dot{\text{U}} \pm \dots \% \partial \dots \{ \dots) \\
 & \text{U} \dot{\text{U}} \dots j \dots \mathbb{Y} \dots \text{fi} k \dots \text{TM} \dots \Delta, \{ \dots \div \mathbb{A} \dot{\text{E}} \int \text{E} \dot{\text{U}} \dots \mathbb{A} \dot{\text{E}} \text{“}
 \end{aligned}$$

$i...l..... \{...n\tilde{E}\dot{U}\}...\Delta \int l...i... +... \ddot{E}\dot{A}$
 $|\dots n\tilde{...}x... \dot{E}\dot{U}\dot{A}\dot{x}.....,$
 ${}_3'''(S.....\ddot{E}n\tilde{\Omega}_\epsilon)=x... \quad \textcircled{R}... \Omega_\epsilon...$
 $\pounds...t... \pm...^{\text{TM}}.....\hat{A} \quad i...l.....$
 $\int... \Delta \int l..... +... \hat{A} \quad \dot{E}\dot{U}... \%, \quad V..... \%$
 $\pounds... \partial \pounds... \quad \pounds...t... \pm...^{\text{TM}}.....$
 $u\tilde{...}\dot{A}\dot{x}... \Omega_\epsilon'' \quad S... \pm.....^{\text{TM}}... \%$
 $V.....i... \% \quad \Omega_\epsilon \dot{E} \quad + \{...x... \%$
 $\pounds... \partial... \% \pi..... \quad v... \dot{E}\dot{U}... \dot{A}$
 $n\tilde{\%}x....., \quad <x... \quad \pounds... \partial... \% \pi.....$
 $v... \dot{E}\dot{U}... \dot{A} \textcircled{R}... \hat{A} \quad \int... \%$
 $\int... \textcircled{R}... \int i... \quad ^{\text{TM}}..... \quad \dot{E}\dot{U}... \% < \ll$
 $\pounds... \partial... \% \pi..... \quad v... \dot{E}\dot{U}... \dot{A}$
 $\pounds..... \{... \int... \quad \pm... \% x..... \quad +... \ddot{E}\dot{A}$
 $\pounds... \quad x...^{\text{TM}}... \textcircled{R}..... \hat{A} u\tilde{...}\dot{A}\dot{x}... \quad \pounds...$
 $\Omega_\epsilon i... \quad \dot{A}'' \quad i... \quad \textcircled{R}... \hat{A} \quad i...l.....$
 $\partial...i..... \hat{E} \Delta \quad E\% \dot{U} \quad + v... "x...$
 $|\dots \S... \Delta v... \quad O... \Omega_\epsilon h... \dot{E}\dot{U}\dot{A}\dot{x}....., {}_3$
 $(\{...x p\tilde{\Omega}_\epsilon) \{...j... \dot{E}\dot{U}... \dot{A} i..... i...l.....$
 $V...x... \int... \Delta S..... \dot{A} \quad E\% \dot{U} \int... \textcircled{R}... \int i...$
 $\{... \Omega_\epsilon \pm... \div +... \hat{A} \textcircled{R}... \hat{A}$
 $+x... \div \int... \Delta v..... x... \dot{E}\dot{U}...^{\text{TM}}... \ll$
 $|\dots...^{\text{TM}}..... \% V...i... \dot{E}\dot{U}\dot{A}\dot{x}..... i...l.....$
 $\Omega_\epsilon...l... \textcircled{R}... \hat{A} \pm... \% x.....,$
 $(\int... \% \pm... \Omega_\epsilon) \{...j... \dot{E}\dot{U}... \dot{A} i.....$
 $+... \ddot{E}\dot{A} \quad V...x... \int... \Delta S..... \dot{A} \quad \textcircled{R}... \hat{A},$
 $B\% \int... \% \quad |\dots^{\text{TM}}..... \% V...x..... \hat{A} E\% \dot{U}$
 $\pm... B \quad V... \ddot{E} \int... \quad \dot{E}\dot{U} i...^{\text{TM}}... \{.....^{\text{TM}}.....$
 $V..... B, B\% \int... \% \quad x... \S... \Delta v... x..... \hat{A}$
 $i...l..... \quad \partial...i..... \hat{E} \quad \{... \dot{A} \quad V... \ddot{E} \int... \quad \dot{E}\dot{U}$
 $\pounds... \partial \pounds... \quad \pounds...t... \pm...^{\text{TM}}... \int... \textcircled{R}...^{\text{TM}}... -$
 $\int... \textcircled{R}...^{\text{TM}}... \quad \{... \dot{A} + \pounds... v..... \dot{A} i...$
 $\dot{E}\dot{U}\dot{A}\dot{x} \%, \quad \partial... I....., \quad |\dots \partial... I... h... +... \ddot{E}\dot{A}$
 $+x... \div \int... \Delta v..... x... E\% \dot{U} \quad \pounds... \pi...^{\text{TM}}... \textcircled{R}... \hat{A}$
 $\dot{E}\dot{U} \int... " + x^{\text{TM}}... \int... \Delta M... \hat{x}... \int... \%$
 $\int... \Omega_\epsilon^{\text{TM}}..... \% M... \dot{E}\dot{U}\dot{A}\dot{x}.....,$
 $(\int... j... \Omega_\epsilon) \int... \Delta \int... \dot{A} \quad E\% \dot{U} \quad \dot{E}\dot{U} \int... " \P... "$
 $\P..... M... \textcircled{R}... \hat{A} B\% \int... " = SS... i... \dot{A}$
 $\partial... I... h... \dot{E}\dot{U} " \int... \Delta \int l..... +... \hat{A} E\% \dot{U}$
 $\int..... l..., \quad V...x... E\% \dot{U} = q\tilde{\%} \partial^{\text{TM}}...$
 $\{... h... \ll i...: {}^{\text{TM}}..... \P..... M... i...: \pounds... \partial \pounds...$

$\forall \dots t \dots \pm \dots \text{TM} \dots E\%_0 \dot{U} = q\%_0 \partial \text{TM} \dots \hat{A} E\%_0 \dot{U}$
 $\int \dots \textcircled{R} \dots x \dots \Omega_c \dots \hat{A}, + v^{\text{TM}} \dots \{ \dots E\dot{U} \dots \hat{A}$
 $+ \dots \ddot{E}\dot{A} \cdot \forall \dots u \dots x \dots \hat{A} E\dot{U} \dots$
 $+ \dots n \dots x \dots | \dots n \dots x \dots E\dot{U}\dot{A} \cdot E\%_0 \dot{U} + \dots \ddot{E}\dot{A} \cdot$
 $\int \dots \textcircled{R} \dots x^{\text{TM}} \dots i \dots B\%_0 \int \dots \text{“} \dot{A} \text{“} i \dots \textcircled{R} \dots \hat{A}$
 $V \dots \%_0 \int \dots \textcircled{R} \dots x^{\text{TM}} \dots = q\%_0 \partial \text{TM} \dots \hat{A}$
 $E\dot{U} \text{“} | \dots \{ i \dots \textcircled{R} \dots \hat{A} \int \dots \Omega_c \dots \text{TM} \dots E\dot{U}$
 $\Omega_c \dots \%_0, \int \dots \Omega_c^{\text{TM}} \dots \%_0 M \dots E\dot{U}\dot{A} \cdot x \dots,$
 $(+ \text{“} \dots \dot{A} \cdot \Omega_c) \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots \text{TM} \dots E\%_0 \dot{U}$
 $\forall^{\text{TM}} \dots \text{TM} \dots \hat{A} E\dot{U} \dots \%_0 \forall \dots x \dots \text{TM} \dots \textcircled{R} \dots i \dots$
 $E\dot{U}\dot{A} \cdot x \dots + \dots \ddot{E}\dot{A} \cdot \pm \dots \%_0 J \dots + \dots \hat{A} E\dot{U} \dots$
 $| \dots \S \dots \Delta v \dots E\dot{U}\dot{A} \cdot x \dots,$
 $(= z \dots \text{“} \int \dots) B\%_0 \int \dots \%_0 E\dot{U}I \dots E\dot{U} \textcircled{R} \dots \dot{A} \cdot \dots \hat{A},$
 $+ v^{\text{TM}} \dots \text{TM} \dots x \dots \P \dots \forall \dots x \dots \hat{A},$
 $E\dot{U} \dots \text{TM} \dots \ll \pm \dots \text{TM} \dots + \dots \ddot{E}\dot{A} \cdot + i \dots$
 $l \dots M \dots \text{fi} \Omega_c \dots \hat{A} E\dot{U} \dots \%_0 \forall \dots \partial \forall \dots$
 $\forall \dots t \dots \pm \dots \text{TM} \dots E\%_0 \dot{U} \{ \dots \dot{A} \cdot \int \dots \dot{A} \cdot \textcircled{R} \dots \hat{A}$
 $\text{TM} \dots + x^{\text{TM}} \dots j \dots \int l \dots \{ \dots i \dots$
 $E\dot{U}\dot{A} \cdot x \dots + \dots \ddot{E}\dot{A} \cdot = x \dots E\dot{U} \dots$
 $+ x \dots \div \dot{A} \cdot I \dots h \dots E\dot{U}\dot{A} \cdot x \dots V \dots \ddot{E} \int \dots E\dot{U}$
 $\forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots \text{TM} \dots$
 $+ \dots \forall \dots \partial^{\text{TM}} \dots E\dot{U} \int \dots \textcircled{R} \dots Z \dots \%_0 + \dots \ddot{E}\dot{A} \cdot$
 $= x \Omega_c \hat{A} \{ \dots \text{TM} \dots \ll \{ i \dots \int \dots \div \int \dots VV \dots i \dots$
 $\dot{A} \cdot J \dots x \dots + \dots \ddot{E}\dot{A} \cdot B\%_0 \int \dots \%_0$
 $\{ \dots \div \int i \dots E\dot{U} \dots \pm \dots \text{TM} \dots + \dots \ddot{E}\dot{A} \cdot$
 $+ v^{\text{TM}} \dots \text{TM} \dots x \dots E\dot{U}I \dots \int l \dots \{ \dots i \dots$
 $E\dot{U}\dot{A} \cdot x \dots + \dots \ddot{E}\dot{A} \cdot = x \Omega_c \hat{A} \S \dots x \dots B$
 $\dot{A} \cdot J \dots x \dots$

${}_3 \int \dots \Delta \partial \dots \%_0 v \dots x \dots + v \dots x \dots \text{TM} \dots \textcircled{R} \dots G\dot{U}. 8 \int \dots x \dots \neg 2006 u \dots \dot{A} \cdot \dots \int l \dots \{ \dots i \dots *$
 $V \dots \%_0 \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots \text{TM} \dots E\%_0 \dot{U} \pm \dots B + \dots \forall \dots \partial^{\text{TM}} \dots E\dot{U}$
 $| \dots i \dots \text{“} i \dots \Omega_c \dots \hat{A},$

$(\S \dots \text{“} \int \dots) \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots \text{TM} \dots E\%_0 \dot{U}$
 $| \dots \text{TM} \dots \%_0 V \dots x \dots E\%_0 \dot{U} \pm \dots B + \dots \ddot{E}\dot{A} \cdot$
 $= x \dots = q\%_0 \partial^{\text{TM}} \dots \hat{A} \int \dots \%_0, V \dots x \dots E\%_0 \dot{U}$
 $\pm \dots B \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots \text{TM} \dots \int l \dots \{ \dots i \dots$
 $E\dot{U}^{\text{TM}} \dots M \dots \text{TM} \dots \Omega_c \ddot{E},$
 $\int \dots \div \int \dots \Delta M \dots i \dots = q\%_0 \partial^{\text{TM}} \dots \hat{A} E\%_0 \dot{U} \pm \dots B$
 $+ x \dots \div n \dots x \dots, + \dots l \dots \ll E\dot{U}$
 $\int \dots \Omega_c \dots \text{TM} \dots i \dots, + \P \dots n \dots \text{TM} \dots,$
 $\int \dots \Delta n \dots x \dots + \dots \ddot{E}\dot{A} \cdot n \dots x \dots | \dots \{ i \dots$
 $E\dot{U}\dot{A} \cdot x \dots,$

($\langle \text{CEÚ} \text{“} \int \dots \text{B} \% \int \dots \text{“} \text{EÚ} \dots \% \langle \ll \P \dots / \text{®} \dots$
 $\text{TM} \dots \dots \P \dots \P \dots \text{x} \dots \text{TM} \dots \dots$
 $\int \dots \Delta \text{EÚ} \text{®} \dots \ll \text{V} \dots \dots \% \P \dots \partial \P \dots$
 $\P \dots \text{t} \dots \pm \dots \text{TM} \dots$
 $\text{E} \% \text{Ú} | \dots \text{TM} \dots \dots \% \text{V} \dots \text{x} \dots \text{E} \% \text{Ú} \pm \dots \text{B}$
 $+ \dots \P \dots \partial \text{TM} \dots \text{EÚ} \text{TM} \dots \dots \int \dots \div$
 $\P \dots \text{v} \dots \dots \text{V} \dots \text{x} \dots \text{EÚ} \Omega_{\epsilon} \ddot{\text{E}}, + \dots \ddot{\text{E}} \text{Æ} \cdot$
 $\text{B} \% \int \dots \% \text{x} \dots \S \dots \text{xv} \dots \text{x} \dots \hat{\text{A}}$
 $\text{i} \dots \text{l} \dots \partial \dots \text{i} \dots \hat{\text{E}} \{ \dots \text{Æ} \cdot \text{V} \dots \dots \%$
 $\text{EÚ} \P \dots \Omega_{\epsilon} \text{“} \text{“EÚ} + \dots \ddot{\text{E}} \text{Æ} \cdot = \text{S} \dots \text{i} \dots$
 $\int \dots \text{®} \dots \text{Z} \dots \% \text{GÚ}^{\text{TM}} \dots \text{EÚ} \text{Æ} \cdot \text{x} \dots \dots,$
 $\{ \dots \wedge 1 \% \{ \dots \text{Æ} \cdot \pm \dots \% \text{x} \dots \dots \text{TM} \dots \dots$
 $\text{n} \sim \dots \text{x} \dots \text{E} \% \text{Ú} \infty, \{ \dots \text{®} \dots \hat{\text{A}} \text{TM} \dots \dots$
 $+ \text{x}^{\text{TM}} \dots \text{l} \dots \dots \int \P \dots \text{“EÚ} \dots \text{Æ} \cdot$
 $\text{EÚ} \text{Æ} \cdot \text{x} \dots \dots + \dots \ddot{\text{E}} \text{Æ} \cdot \text{B} \% \int \dots \%$
 $\text{EÚ} \int \dots \text{“} \P \dots \P \dots \text{x} \dots \text{TM} \dots \dots$
 $\int \dots \Delta \text{EÚ} \text{®} \dots \ll \text{EÚ} \dots \dots \int \dots$
 $\text{z} \dots \text{®} \dots \ll \text{h} \dots \text{EÚ} \text{Æ} \cdot \text{x} \dots \dots \text{TM} \dots \dots$
 $= \int \dots \text{®} \dots \hat{\text{A}} \{ \dots \text{Æ} \cdot \P \dots \text{i} \dots \ll \text{x} \dots$
 $\text{EÚ} \text{Æ} \cdot \text{x} \dots \dots,$

($\S \dots \dots \langle \ll \int \dots \text{“} \P \dots \partial \P \dots \P \dots \text{t} \dots \pm \dots \text{TM} \dots \text{EÚ} \text{“}$
 $\text{V} \dots \Delta \text{M} \dots \text{®} \dots \text{TM} \dots \dots \int \text{l} \dots \dots \P \dots \text{Æ} \cdot,$
 $\int \dots \text{®} \dots \int \text{i} \dots \int \dots \Delta \{ \dots \text{k} \dots \text{TM} \dots \dots = \int \dots \text{E} \%$
 $\text{EÚ} \int \dots \text{“} \P \dots \dots \text{M} \dots \text{E} \% \text{Ú}, \text{B} \% \int \dots \%$
 $\text{x} \dots \S \dots \Delta \text{v} \dots \text{x} \dots \dots \hat{\text{A}} \{ \dots \text{Æ} \cdot \text{V} \dots \ddot{\text{E}} \int \dots \dots \text{EÚ}$
 $\P \dots \partial \P \dots \P \dots \text{t} \dots \pm \dots \text{TM} \dots \text{“} \text{“EÚ} + \dots \ddot{\text{E}} \text{Æ} \cdot =$
 $\text{S} \dots \text{i} \dots \int \dots \text{®} \dots \text{Z} \dots \% \P \dots \partial \P \dots$
 $\P \dots \text{t} \dots \pm \dots \text{TM} \dots \text{E} \% \text{Ú} \Omega_{\epsilon} \text{i} \dots + \dots \ddot{\text{E}} \text{Æ} \cdot$
 $\text{EÚ} \dots \text{TM} \dots \ll \text{EÚ} \pm \dots \dots \{ \dots \hat{\text{A}} \{ \dots \text{Æ} \cdot | \dots$
 $\text{i} \dots \text{EÚ} \pm \dots | \dots \P \dots \dots \P \dots \text{b} \sim \dots \pm \dots \% \S \dots \text{x} \dots \dots$
 $\P \dots \text{GÚ}^{\text{TM}} \dots \text{EÚ} \text{Æ} \cdot \text{x} \dots \dots, \P \dots \text{x} \dots \text{®} \dots \text{TM} \dots$
 $\text{EÚ} \text{Æ} \cdot \text{x} \dots \dots \{ \dots \wedge \% 1 \{ \dots \text{Æ} \cdot \text{n} \% \sim \text{x} \dots \dots \text{TM} \dots \dots$
 $+ \text{x}^{\text{TM}} \dots \text{l} \dots \dots \P^{\text{TM}} \dots \text{TM} \dots \text{x} \dots \text{EÚ} \text{Æ} \cdot \text{x} \dots \dots,$
 $(\text{i} \dots \% \langle \ll \int \dots \text{“} \text{Æ} \cdot \dots \text{V}^{\text{TM}} \dots \int \dots \text{Æ} \cdot \text{EÚ} \dots \text{Æ} \cdot \text{EÚ} \text{“}$
 $\{ \dots \text{Æ} \cdot \dots \ll + \text{x} \dots \div \text{Y} \dots \dots \int \dots \% , \P \dots \dots \text{Æ} \cdot \text{i} \dots$
 $\int \dots \text{Æ} \cdot \text{EÚ} \dots \text{Æ} \cdot \text{E} \% \text{Ú} \P \dots \text{S} \dots \text{x} \dots \{ \dots \text{j} \dots$
 $\pm \dots \text{J} \dots \text{x} \dots \dots + \dots \ddot{\text{E}} \text{Æ} \cdot | \dots \text{i} \dots \text{M} \dots \text{fi} \Omega_{\epsilon} \text{“i} \dots$
 $\text{EÚ} \text{Æ} \cdot \text{x} \dots \dots, \S \dots \text{x} \dots \dots \text{x} \dots \dots \text{TM} \dots \dots$
 $= \text{x} \dots \text{EÚ} \dots \{ \dots \text{fi} \pi \text{“} \dots \Delta \text{EÚ} \text{x} \dots \text{EÚ} \text{Æ} \cdot \text{x} \dots \dots$
 $+ \dots \ddot{\text{E}} \text{Æ} \cdot = \text{x} \dots \text{EÚ} \dots \text{®} \dots \text{i} \dots \text{EÚ} \dots \int 1 \% \{ \dots \text{Æ} \cdot$

$\P \dots \div M \dots i \dots x \dots E\acute{U}\acute{A} \cdot x \dots + \dots \ddot{E}\acute{A} \cdot$
 $\{ \dots \acute{A} \cdot G\acute{U} \dots \textcircled{R} \dots h \dots E\acute{U}\acute{A} \cdot x \dots ,$
 $(S \dots \ddot{E}\S \dots \text{“} \int \dots) \P \dots \partial \P \dots \P \dots t \dots \pm \dots ^{TM} \dots$
 $E\acute{U} \text{“} ^{TM} \dots \P \dots \partial \P \dots \P \dots t \dots \pm \dots ^{TM} \dots E\% \acute{U}$
 $| \dots ^{TM} \dots \% V \dots x \dots E\% \acute{U} \pm \dots B + V \dots \langle i \dots$
 $E\acute{U} \text{“} V \dots x \dots \% \P \dots \pm \dots \text{“} , V \dots \Delta M \dots \textcircled{R} \dots$
 $^{TM} \dots \int l \dots \P \dots \acute{A} \cdot \int \dots \textcircled{R} \{ \dots k \dots E\% \acute{U} ,$
 $V \dots \int \dots E\% \acute{U} + x i \dots M \dots \langle i \dots \P \dots \partial \P \dots$
 $\P \dots t \dots \pm \dots ^{TM} \dots E\acute{U} \text{“} \int \dots \acute{A} \cdot E\acute{U} \dots \acute{A} \text{“} | \dots$
 $i \dots \P \dots / i \dots ^{TM} \dots \Delta \Omega \acute{E} , \int \dots \Delta \S \dots \Delta v \dots$
 $\textcircled{R} \dots \hat{A} \Omega \int i \dots \Delta i \dots \acute{A} \cdot h \dots \{ \dots j \dots ,$
 $+ x i \dots \acute{A} \cdot h \dots , \{ \dots \div x \dots \Omega \acute{E} \langle \int i \dots x i \dots \acute{A} \cdot h \dots$
 $\{ \dots j \dots , \S \dots \Delta v \dots E\acute{U} , \{ \dots ^1 \% , + x \dots \div Y \dots$
 $\{ i \dots ^{TM} \dots \Delta + \dots \ddot{E}\acute{A} \cdot E\acute{U}\acute{A} \cdot \dots \acute{A} \cdot x \dots \pi \{ \dots$
 $n \check{i} \dots E\acute{U}\acute{A} \cdot x \dots ,$
 $(\{ \dots SS \dots \text{“} \int \dots) \P \dots \partial \P \dots \P \dots t \dots \pm \dots ^{TM} \dots E\acute{U} \text{“}$
 $E\acute{U} \dots \% \langle \langle \pm \dots J \dots i \dots , x \dots \pi \{ \dots n \check{i} \dots$
 $E\acute{U}\acute{A} \cdot x \dots \% ^{TM} \dots \P \dots \partial \P \dots \P \dots t \dots \pm \dots ^{TM} \dots$
 $E\% \acute{U} E\acute{U} \int \dots \text{“} E\acute{U} \dots \acute{A} \cdot \S \dots \acute{A} \cdot E\acute{U}\acute{A} \cdot x \dots \%$
 $E\% \acute{U} \pm \dots B B \% \int \dots \% E\acute{U} \int \dots \text{“} \P ^{TM} \dots H\acute{U}$
 $E\acute{U} \dots \%, V \dots \int \dots \% \P \dots \Omega \acute{E} \text{“} \text{“} E\acute{U}$
 $\int \dots \textcircled{R} \dots Z \dots \%, x \dots ^{TM} \dots \div H\acute{U} E\acute{U}\acute{A} \cdot x \dots ,$
 $(U\grave{U} \S \S \dots \text{“} \int \dots) \P \dots \partial \P \dots \P \dots t \dots \pm \dots ^{TM} \dots E\acute{U} \text{“}$
 $E\acute{U} \dots \% \langle \langle E\acute{U} I \dots B \Delta ^{TM} \dots = \int \dots E\% \acute{U}$
 $\P \dots \P \dots M \dots \hat{A} E\acute{U} \dots \%$
 $\int \dots \textcircled{R} \dots \{ i \dots E\acute{U}\acute{A} \cdot x \dots + \dots \ddot{E}\acute{A} \cdot \S \dots \Delta n \check{~}$
 $E\acute{U}\acute{A} \cdot x \dots ,$
 $(\int \dots k \dots \langle \langle \int \dots) E\% \acute{U} x p \check{~} \int \dots \acute{A} \cdot E\acute{U} \dots \acute{A} \cdot ,$
 $\acute{A} \cdot \dots V^{TM} \dots \int \dots \acute{A} \cdot E\acute{U} \dots \acute{A} \cdot , \P \dots \partial \P \dots$
 $\P \dots t \dots \pm \dots ^{TM} \dots + x \dots \div n \check{~} \dots x \dots$
 $+ \dots ^{TM} \dots \% M \dots ^{TM} \dots E\acute{U} \int \dots \text{“}$
 $+ x^{TM} \dots | \dots v \dots E\acute{U}\acute{A} \cdot h \dots \hat{A} \int \dots \%$
 $+ x \dots \div n \check{~} \dots x \dots | \dots \{ i \dots E\acute{U}\acute{A} \cdot x \dots \%$
 $E\% \acute{U} \pm \dots B E\acute{U}\acute{A} \cdot \dots \acute{A} \cdot E\acute{U}\acute{A} \cdot x \dots ,$
 $(+ _ \dots \langle \langle \int \dots) v \dots x \dots + x \dots \div n \check{~} \dots x \dots , | \dots$
 $i \dots \P \dots / i \dots ^{TM} \dots \Delta ^{TM} \dots E\acute{U} \int \dots \text{“} \P \dots \text{“}$
 $| \dots E\acute{U} \dots \acute{A} \cdot E\acute{U} \text{“} \int \dots \Delta \{ \dots k \dots B \% \int \dots \%$
 $x \dots \S \dots \Delta v \dots x \dots \hat{A} \{ \dots \acute{A} \cdot V \dots \%$
 $\int \dots \textcircled{R} \dots \text{“} S \dots \text{“} x \dots \int \dots \textcircled{R} \dots Z \dots \% V \dots B \Delta ,$
 $\int \P \dots \text{“} E\acute{U} \dots \acute{A} \cdot E\acute{U}\acute{A} \cdot x \dots ,$

$(=xi...“j...)\ \forall... \partial \forall... \forall... t... \pm...^{TM}... E\acute{U}“$
 $\int... \textcircled{R}... \int i...^{TM}... E\acute{U}x\Omega_c” \P...“ \int... \Delta \{...$
 $k...^{TM}... \hat{A} +... \ddot{E}\mathcal{A} +... \int i...^{TM}... \hat{A}E\% \acute{U}$
 $+... v... \mathcal{A} \cdot \{... \mathcal{A} \cdot^{TM}... E\acute{U}x\Omega_c” |...$
 $i... \P... / i...^{TM}... \hat{A} E\% \acute{U} \ \S... x... +... \ddot{E}\mathcal{A} \cdot$
 $B\% \int... \% x... \S... \Delta v... x... \hat{A} +... \ddot{E}\mathcal{A} \cdot$
 $\partial... i... \hat{E} \{... \mathcal{A} \cdot, V... \% \forall... \Omega_c \text{ ``}“ E\acute{U}$
 $\int... \textcircled{R}... Z... \% , \S... \Delta v... \{... j... \hat{A},$
 $\S... \Delta v... E\acute{U}... \hat{A}, \forall... S... x... \{... j... \hat{A}^{TM}...$
 $+x^{TM}... \S... v^{TM}... i... +... \hat{A}^{TM}... |...$
 $i... \P... / i...^{TM}... \hat{A} \{... \mathcal{A} \cdot v... x...$
 $V... \div] l... x...^{TM}... =v... \mathcal{A} \cdot \pm... \% x...$
 $+... \ddot{E}\mathcal{A} \cdot \forall... \partial \forall... \forall... t... \pm...^{TM}... E\acute{U}“ x...$
 $v...^{TM}... \hat{A} \textcircled{R}... \hat{A} \int... \% \forall... \%$
 $\int... \textcircled{R}... \int i... \forall^{TM}...^{TM}... S... \div E\acute{U}... x...$
 $V... \% v... x... V... \div] l... x... \% \int... \%$
 $+... x... \div \pi... \Delta M... E\acute{U} \Omega_c \hat{E} i... l...$
 $=v... \mathcal{A} \cdot \pm... B M... B E\acute{U} \int...“ v... x... E\acute{U}...$
 $|... i... n^{\sim}...^{TM}...^{TM}... \textcircled{R}... \% S... x...$
 $E\acute{U}\mathcal{A} \cdot x...,$
 $(i...“j...)\ \forall... \partial \forall... \forall... t... \pm...^{TM}... E\acute{U}“ x...$
 $v...^{TM}... \Delta^{TM}... \forall... \partial \forall... \forall... t... \pm...^{TM}...$
 $E\acute{U}... \% \int... \hat{E} \{... \% M... B v... x... E\acute{U}... \%$
 $B\% \int...“ |... i... \P... / i...^{TM}... \hat{A} \textcircled{R}... \hat{A}^{TM}...$
 $\{... \mathcal{A} \cdot +... \ddot{E}\mathcal{A} \cdot B\% \int...“ \mathcal{A} \cdot“ i... \textcircled{R}... \hat{A}$
 $V... \ddot{E} \int... E\acute{U} \forall... \Omega_c \text{ ``}“ E\acute{U} \int... \textcircled{R}... Z... \% ,$
 $\forall... x... v... x... E\acute{U}\mathcal{A} \cdot x... +... \ddot{E}\mathcal{A} \cdot$
 $B\% \int... \% \forall... x... v... x... \hat{A} E\acute{U}...$
 $\int... \textcircled{R}...^{TM}... - \int... \textcircled{R}...^{TM}... \{... \mathcal{A} \cdot +xi... \forall... \ll$
 $x... \textcircled{R}...^{TM}... E\acute{U}\mathcal{A} \cdot x...,$
 $(<E\acute{U}i...“j...)\ \forall... \partial \forall... \forall... t... \pm...^{TM}... E\% \acute{U}$
 $E\acute{U}...^{TM}... \ll E\acute{U} \pm... \{... \hat{A} +... \ddot{E}\mathcal{A} \cdot$
 $|... \S... \Delta v... E\acute{U}... \% \forall... x...^{TM}...$
 $\textcircled{R}... i... E\acute{U}\mathcal{A} \cdot x... \% E\% \acute{U} \pm... B,$
 $B\% \int... \% \forall... x...^{TM}... \textcircled{R}...$
 $\S... x... x... V... \% \int... \textcircled{R}...^{TM}... -$
 $\int... \textcircled{R}...^{TM}... \{... \mathcal{A} \cdot +... \forall... \partial^{TM}... E\acute{U}$
 $\int... \textcircled{R}... Z... \% V... B \Delta +... \ddot{E}\mathcal{A} \cdot$
 $=x... \textcircled{R}... \hat{A} \{... \mathcal{A} \cdot \forall... i... \ll x...$
 $E\acute{U}\mathcal{A} \cdot x... =x\Omega_c \hat{A} =\{... xi...$
 $\mathcal{A} \cdot i... E\acute{U}\mathcal{A} \cdot x... +... \ddot{E}\mathcal{A} \cdot \forall... J... \Delta$
 $b^{\sim} i... E\acute{U}\mathcal{A} \cdot x...,$

$(\S\dots k\dots\text{“}\int\dots)\P\dots\partial\P\dots\P\dots t\dots\pm\dots^{\text{TM}}\dots E\%_0\acute{U}$
 $\P\dots t\dots\int\dots\Delta\S\dots\Delta v\dots\text{“}i\dots E\acute{U}x\dots\text{“}E\acute{U}\text{“},$
 $|\dots\partial\dots\int\dots x\dots E\acute{U} + \dots\ddot{E}\mathcal{A} + x^{\text{TM}}\dots$
 $E\acute{U}\textcircled{R}\dots\ll S\dots\dots\mathcal{A}\text{“}\P\dots\text{fix}n\sim E\%_0\acute{U}$
 $^\circ\acute{U}\dots^{\text{TM}}\dots n\sim\%_0 E\%_0\acute{U} \pm\dots B B\%_0\int\dots\text{“}\mathcal{A}\text{“}i\dots$
 $\textcircled{R}\dots\hat{A} + \dots\ddot{E}\mathcal{A} B\%_0\int\dots\text{“}\partial\dots i\dots\dots\hat{E} E\%_0\acute{U}$
 $+v\dots\text{“}x\dots\mathcal{A}\text{“}\Omega_i\dots\%_0\Omega_i\div B, V\dots\dots\%_0\P\dots$
 $x\dots^{\text{TM}}\dots\textcircled{R}\dots\dots\hat{A} u\sim\dots\mathcal{A}\text{“}\dots\P\dots\Omega_i\dots E\acute{U}\text{“}$
 $V\dots\dots B, B\%_0\int\dots\text{“}\{\dots\hat{A}\partial\dots x\dots, \S\dots\text{“}\textcircled{R}\dots\dots,$
 $\P\dots\P\dots\pi^{\text{TM}}\dots x\dots v\dots + \dots\ddot{E}\mathcal{A}\text{“}$
 $=\{\dots\dots n\sim\dots x\dots E\acute{U}\dots M\dots\text{“}x\dots E\acute{U}\mathcal{A}\text{“}x\dots\dots$
 $V\dots\dots\%_0\P\dots\Omega_i\text{“}\text{“}E\acute{U}\int\dots\textcircled{R}\dots Z\dots\%_0 + \dots\ddot{E}\mathcal{A}\text{“}$
 $\P\dots\partial\P\dots\P\dots t\dots\pm\dots^{\text{TM}}\dots E\%_0\acute{U} E\acute{U}\textcircled{R}\dots\ll S\dots\dots$
 $\mathcal{A}\text{“}^{\text{TM}}\dots\dots\hat{A}E\%_0\acute{U} \pm\dots B B\%_0\int\dots\%_0$
 $+x\dots\div n\sim\dots x\dots n\sim\%_0x\dots\dots V\dots\dots\%_0\P\dots\Omega_i$
 $\text{“}\text{“}E\acute{U}\int\dots\textcircled{R}\dots Z\dots\%_0 + \dots\ddot{E}\mathcal{A}\text{“}\P\dots\partial\P\dots$
 $\P\dots t\dots\pm\dots^{\text{TM}}\dots E\%_0\acute{U}$
 $E\acute{U}\textcircled{R}\dots\ll S\dots\dots\mathcal{A}\text{“}\P\dots\text{fix}n\sim + \dots\ddot{E}\mathcal{A}\text{“}\P\dots t\dots$
 $l\dots\ll^{\text{TM}}\dots\dots\hat{A} E\%_0\acute{U} ^\circ\acute{U}\dots^{\text{TM}}\dots n\sim\%_0E\%_0\acute{U}$
 $\pm\dots B |\dots E\acute{U} \pm \{\dots i\dots\int\dots\Delta\int l\dots\dots B\Delta, x\dots$
 $v\dots^{\text{TM}}\dots\dots\Delta, x^{\text{TM}}\dots\dots\int\dots + \dots\ddot{E}\mathcal{A}\text{“}$
 $|\dots\P\dots\Omega_i h\dots E\%_0\acute{U} \int l\dots\dots\{\dots x\dots + \dots\ddot{E}\mathcal{A}\text{“}$
 $\{\dots\dots\%_0\pi\dots h\dots\textcircled{R}\dots\hat{A} \int\dots\Omega_i\dots^{\text{TM}}\dots i\dots\dots$
 $n\sim\%_0x\dots\dots,$
 $_4(i\dots\hat{E}i\dots\text{“}\int\dots) + \{\dots x\dots\text{“}\int\dots\textcircled{R}\dots\int i\dots\partial\dots$
 $H\acute{U}^{\text{TM}}\dots\dots f^{\text{TM}}\dots\dots = x\dots\textcircled{R}\dots\hat{A} \int\dots\%_0$
 $E\acute{U}\dots\%_0\ll\partial\dots H\acute{U}\P\dots\partial\P\dots$
 $\P\dots t\dots\pm\dots^{\text{TM}}\dots E\%_0\acute{U} E\div\acute{U}\pm\dots\{\dots i\dots,$
 $E\div\acute{U}\pm\dots\dots v\dots\int\dots S\dots\P\dots E\acute{U}\dots\%_0^{\text{TM}}\dots\dots$
 $+ \{\dots x\dots\%_0 x\dots E\acute{U}\dots^{\text{TM}}\dots E\acute{U}\text{“} E\acute{U}\int\dots\text{“}\int\dots$
 $\textcircled{R}\dots i\dots^{\text{TM}}\dots\dots = \{\dots\int\dots\textcircled{R}\dots i\dots E\acute{U}\dots\%_0$
 $^{\text{TM}}\dots\dots E\acute{U}\int\dots\text{“} BE\acute{U}^{\text{TM}}\dots\dots BE\acute{U} \int\dots\%_0 +$
 $v\dots E\acute{U}\int\dots n\sim^{\text{TM}}\dots\dots\hat{A} E\acute{U}\dots\%_0^{\text{TM}}\dots\dots$
 $+ \{\dots x\dots\%_0 + v\dots E\acute{U}\dots\mathcal{A}\text{“}^{\text{TM}}\dots\dots\hat{A} E\acute{U}\dots\%_0$
 $|\dots i^{\text{TM}}\dots\dots^{\text{TM}}\dots\dots\%_0 V\dots i\dots E\acute{U}\mathcal{A}\text{“}x\dots\dots,$
 $+ \dots\ddot{E}\mathcal{A}\text{“}_4$
 $(S\dots\dots\hat{E}i\dots\text{“}\int\dots)\int\dots\textcircled{R}\dots\int i\dots B\%_0\int\dots\%_0 + x^{\text{TM}}\dots$
 $E\acute{U}\dots^{\text{TM}}\dots\ll + \dots\ddot{E}\mathcal{A}\text{“}\S\dots\dots i\dots\hat{A} E\acute{U}\mathcal{A}\text{“}x\dots\dots$
 $V\dots x\Omega_i\hat{A}\P\dots\partial\P\dots$
 $\P\dots t\dots\pm\dots^{\text{TM}}\dots\{\dots\mathcal{A}\dots\dots\hat{E}H\acute{U}$
 $=q\sim\%_0\partial^{\text{TM}}\dots\dots\hat{A}^{\text{TM}}\dots\dots = x\dots\textcircled{R}\dots\hat{A} \int\dots\%_0$
 $E\acute{U}\int\dots\text{“} = q\sim\%_0\partial^{\text{TM}}\dots E\acute{U}\text{“} |\dots\dots\{i\dots^{\text{TM}}\dots\dots$

$$\begin{aligned} & \forall \dots \int i \dots \mathcal{A} \cdot E \% \dot{U} \pm \dots B + \dots \forall \dots \partial^{\text{TM}} \dots E \dot{U}, \\ & \int \dots \Omega_{\epsilon} \dots^{\text{TM}} \dots E \dot{U}^{\text{TM}} \dots + \dots x \dots \div \pi \dots \Delta \\ & M \dots E \dot{U} \int \dots \mathbb{R} \dots Z \dots \% * \end{aligned}$$

$$4 \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{\text{TM}} \dots \mathbb{R} \dots G \dot{U}. 8 \int \dots x \dots \neg 2006 u \checkmark \dots \mathcal{A} \cdot \dots \int l \dots \{ \dots i \dots *$$

$$\begin{aligned} & \forall \dots \partial \forall \dots \quad 6. \quad \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{\text{TM}} \dots < \int \dots + v \dots \\ & \int \dots \Delta \S \dots \Delta v \dots i \dots \int \dots \mathbb{R} \dots \int i \dots \end{aligned}$$

$$\forall \dots \pi \dots^{\text{TM}} \dots \hat{A} \mathbb{R} \dots \hat{A} \forall \dots \P \dots \% n \checkmark$$

$$\partial \dots H \dot{U}^{\text{TM}} \dots \hat{A} E \dot{U} \dots | \dots^{\text{TM}} \dots \% M \dots E \dot{U} \mathcal{A} \cdot x \dots \% \mathbb{R} \dots \hat{A}$$

$$^{\text{TM}} \dots = \int \dots \{ \dots \mathcal{A} \cdot + v \dots \mathcal{A} \cdot \dots \% \{ \dots i \dots E f i \dot{U} i^{\text{TM}} \dots \hat{A}$$

$$E \dot{U} \dots \{ \dots \pm \dots x \dots E \dot{U} \mathcal{A} \cdot x \dots \% \mathbb{R} \dots \hat{A} \P \dots \mathcal{A} \cdot i \dots E \% \dot{U}$$

$$E \dot{U} \int \dots \text{“} \P \dots \text{“} x \dots M \dots \mathcal{A} \cdot E \dot{U} E \% \dot{U} \forall \dots \emptyset^{\circ} r \checkmark v \dots \mathbb{R} \dots \text{“},$$

$$E \dot{U} \dots | \dots i \dots \pi \dots \% v \dots \forall \dots \Delta \partial \dots V \dots i \dots, \pm \dots \Delta M \dots,$$

$$V \dots x \mathbb{R} \dots \int l \dots x \dots, \mathcal{A} \cdot \dots V \dots x \dots \ddot{E} i \dots E \dot{U}^{\text{TM}} \dots + x^{\text{TM}} \dots$$

$$\forall \dots S \dots \mathcal{A} \cdot \dots \hat{A}^{\text{TM}} \dots = x \dots \mathbb{R} \dots \hat{A} \int \dots \% E \dot{U} \int \dots \text{“} B E \dot{U}$$

$$E \% \dot{U} + \dots v \dots \mathcal{A} \cdot \{ \dots \mathcal{A} \cdot \forall \dots \P \dots \% n \checkmark x \dots \Omega_{\epsilon} \text{”}$$

$$E \dot{U} \mathcal{A} \cdot \% M \dots *$$

$$\begin{aligned} & \forall \dots \partial \forall \dots \quad 7. \quad (1) \quad \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{\text{TM}} \dots E \dot{U} \text{“} = \{ \dots \dots \\ & + v^{\text{TM}} \dots \int \dots \Delta \S \dots \Delta v \dots \hat{A} \mathbb{R} \dots \hat{A} \int \dots \mathbb{R} \dots \int i \dots \\ & + v \dots \text{“} x \dots \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{\text{TM}} \dots \\ & E \% \dot{U} + v^{\text{TM}} \dots \{ \dots E \dot{U} \dots \hat{A}^{\text{TM}} \dots + \\ & i \dots 1 \dots \int \dots \Delta E \dot{U} \dots^{\text{TM}} \dots u \checkmark \dots \mathcal{A} \cdot \dots \\ & \forall \dots x \dots^{\text{TM}} \dots \mathbb{R} \dots \hat{A} u \checkmark \dots \mathcal{A} \cdot \dots \forall \dots \\ & \Omega_{\epsilon} i \dots \{ \dots \neg^{\circ} G \dot{U} \mathbb{R} \dots E \% \dot{U} \\ & + x \dots \div \int \dots \mathcal{A} \cdot \int \dots \Delta S \dots \pm \dots i \dots \\ & E \dot{U} B \\ & V \dots B \Delta M \dots \% * \end{aligned}$$

$$\begin{aligned} & (2) \{ \dots \neg^{\circ} \text{TM} \dots G \dot{U} \mathbb{R} \dots + \dots \ddot{E} \mathcal{A} \cdot \\ & \{ \dots \neg^{\circ} \text{TM} \dots S \dots^{\text{TM}} \dots \ll + \dots \ddot{E} \mathcal{A} \cdot B \% \int \dots \% \\ & + v^{\text{TM}} \dots \{ \dots x \dots + \dots^{\text{TM}} \dots \% V \dots i \dots \\ & E \dot{U} \mathcal{A} \cdot x \dots \% E \% \dot{U} \pm \dots B \\ & = k \dots \mathcal{A} \cdot n \checkmark \dots^{\text{TM}} \dots \text{“} | \dots v \dots E \dot{U} \mathcal{A} \cdot h \dots \\ & B \% \int \dots \% \Omega_{\epsilon} \dots \hat{A} M \dots \% V \dots \% E \dot{U} \forall \dots \\ & x \dots^{\text{TM}} \dots \mathbb{R} \dots \hat{A} u \checkmark \dots \mathcal{A} \cdot \dots \forall \dots \Omega_{\epsilon} i \dots E \dot{U} B \\ & V \dots B \Delta * \end{aligned}$$

$$\begin{aligned} & \forall \dots \partial \forall \dots \quad 8. \quad (1) \quad \P \dots \mathcal{A} \cdot i \dots E \dot{U} \dots = \{ \dots \mathcal{A} \cdot \dots \pi | i \approx \{ \dots \\ & E \dot{U} \dots \quad (2) \quad E \div \dot{U} \pm \dots v^{\text{TM}} \dots I \dots - \\ & E \div \dot{U} \pm \dots v^{\text{TM}} \dots I \dots \quad (B E \dot{U}) \quad n \checkmark \text{“} I \dots x i \dots \int \dots \mathbb{R} \dots \mathcal{A} \cdot \dots \% \Omega_{\epsilon} \dots \hat{A} \\ & (n \checkmark \dots E \dot{U} \dots \% \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{\text{TM}} \dots \\ & E \dot{U} \dots^{\text{TM}} \dots \ll E \dot{U} \pm \dots \{ \dots E \dot{U} \dots \{ \dots \\ & \mathcal{A} \cdot n \checkmark \partial \dots \ll x \dots + \dots \ddot{E} \mathcal{A} \cdot x \dots \mathcal{A} \cdot \text{“} I \dots h \dots \end{aligned}$$

$$\Omega_c \dots \%00\text{M} \dots \dots,$$

$$\Omega \ddot{E}[\dots \Delta] \dots \mathcal{S} \dots x \dots \dots E \div \dot{U} \pm \dots \{ \dots i \dots E \dot{U} "$$

$$\begin{aligned}
 & \textcircled{R} \dots \circ \ll \acute{U}i \dots E \div \acute{U} \pm \dots v^{\text{TM}} \dots I \dots E \acute{U} \dots \% \\
 & n^{\sim} \% M \dots \text{“} * \\
 & \text{9. } \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E \% \acute{U} + \\
 & \quad + \\
 & \quad (B \quad E \div \acute{U} \pm \dots \{ \dots i \dots, \\
 & \quad (n^{\sim} \quad E \div \acute{U} \pm \dots v \dots \int \dots S \dots \text{¥} \dots, \\
 & \quad (i \quad \text{¥} \dots \P \dots M \dots v^{\text{TM}} \dots I \dots, + \dots \ddot{E} \acute{A} \text{“} \\
 & \quad (S \quad B \% \int \dots \% + x^{\text{TM}} \dots + v \dots E \acute{U} \dots \acute{A} \text{“} \\
 & \quad E \div \acute{U} \pm \dots \{ \\
 & \quad 10. \textcircled{6}(1) \quad \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E \acute{U} \dots \\
 & \quad V \dots \text{BM} \dots : \\
 & \quad \{ \dots \acute{A} \text{“} \Delta i \dots \div \quad \textcircled{R} \dots v^{\text{TM}} \dots | \dots n^{\sim} \% \partial \dots \\
 & \quad \textcircled{R} \dots J \dots x \dots \pm \dots \pm \dots \\
 & \quad S \dots i \dots \div \text{¥} \dots \hat{E} n^{\sim} \text{“} \quad \acute{A} \text{“} \dots \pi]_1 \approx \text{“}^{\text{TM}} \dots \\
 & \quad \{ \dots j \dots E \acute{U} \dots \quad \acute{A} \text{“} i \dots \\
 & \quad \text{¥} \dots \partial \text{¥} \dots \quad \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots \\
 & \quad \int \dots \Delta \int 1 \dots x \dots (\int \dots \Delta \partial \dots \% v \dots x \dots) + \\
 & \quad v \dots \quad x \dots^{\text{TM}} \dots \textcircled{R} \dots \quad 2006 \quad (G \acute{U} \quad 8 \\
 & \quad \int \dots x \dots \neg \quad 2006) \quad E \% \acute{U} \quad | \dots \text{¥} \dots \text{fik} \dots \\
 & \quad \Omega_{\epsilon} \dots \% x \dots \% E \acute{U} \text{“} i \dots \acute{A} \text{“} J \dots E \% \acute{U} \\
 & \quad \text{“} \text{“} E \acute{U} \quad \{ \dots \Omega_{\epsilon} \pm \dots \% \\
 & \quad \{ \dots n^{\sim} \dots \int \dots \text{“} x \dots \quad \text{“} \textcircled{R} \dots \Omega_{\epsilon} \dots \\
 & \quad x \dots n^{\sim} \% \partial \dots E \acute{U}' = \int \dots E \acute{U} \text{“} \quad x \dots^{\text{TM}} \dots \div \\
 & \quad H \acute{U} \quad E \acute{U} \text{“} + x \dots \text{¥} \dots \int \dots i \dots \{ \dots n^{\sim} \dots \text{¥} \dots \\
 & \quad v \dots \\
 & \quad E \% \acute{U} \quad \pm \dots^{\text{TM}} \dots \% \{ \dots n^{\sim} \quad \{ \dots \acute{A} \text{“} \\
 & \quad \S \dots x \dots \quad \acute{A} \text{“} \Omega_{\epsilon} \% M \dots \quad i \dots 1 \dots \\
 & \quad "E \div \acute{U} \pm \dots \{ \dots i \dots' \quad E \% \acute{U} \quad \infty, \{ \dots \textcircled{R} \dots \hat{A} \\
 & \quad V \dots x \dots \\
 & \quad V \dots \text{BM} \dots * _6
 \end{aligned}$$

$$\begin{aligned}
 & (2) \textcircled{R} \dots \Omega_{\epsilon} \dots \{ \dots \acute{A} \text{“} \pi \dots n^{\sim} \neg E \% \acute{U} \quad \text{¥} \dots \\
 & \quad x \dots \tilde{A} n^{\sim} \pi]_1 + \dots \ddot{E} \acute{A} \text{“} \int \dots \textcircled{R} \dots x^{\text{TM}} \dots \\
 & \quad x \dots n \% \partial \dots \hat{A} \quad E \% \acute{U} \\
 & \quad + v^{\text{TM}} \dots v \dots \text{“} x \dots \acute{A} \text{“} \Omega_{\epsilon} i \dots \% \Omega \div B, E \div \acute{U} \pm \dots \{ \dots \\
 & \quad i \dots \text{¥} \dots \partial \text{¥} \dots \text{¥} \dots t \dots \pm \dots^{\text{TM}} \dots E \% \acute{U} \\
 & \quad | \dots \S \dots \Delta v \dots + \dots \ddot{E} \acute{A} \text{“} | \dots \partial \dots \int \dots x \dots \\
 & \quad E \% \acute{U} \int \dots \Delta \S \dots \Delta v \dots \textcircled{R} \dots \hat{A} | \dots \S \dots \Delta v \dots \int \dots \textcircled{R} \dots \\
 & \quad i \dots E \acute{U} \text{“} = x \dots \int \dots \textcircled{R} \dots \int i \dots \partial \dots H \acute{U}^{\text{TM}} \dots \hat{A} \\
 & \quad E \acute{U} \dots | \dots^{\text{TM}} \dots \% M \dots E \acute{U} \acute{A} \% \text{“} M \dots \\
 & \quad V \dots \% | \dots \S \dots \Delta v \dots \int \dots \textcircled{R} \dots i \dots u^{\sim} \dots \acute{A} \text{“} \dots \\
 & \quad = \int \dots \% | \dots i^{\text{TM}} \dots^{\text{TM}} \dots \% V \dots i \dots E \acute{U} \text{“} \\
 & \quad M \dots < \ll \Omega \ddot{E}_{\epsilon},
 \end{aligned}$$

(3) $E \div \dot{U} \pm \dots \{ \dots i \dots \{ \dots j \dots E \dot{U} \dots \mathcal{A} \cdot i \dots$
 $\text{TM} \dots \dots V \dots x \dots \int \dots \Delta S \dots \dots \mathcal{A} \cdot E \dot{U} \dots E \dot{U} \int \dots$
 $\P \dots \dots \partial \dots \dots J \dots \dots \textcircled{R} \dots \hat{A} \int \dots \% \textcircled{M} \dots \text{fi} k \dots E \dot{U}$
 $\textcircled{M} \dots H \dot{U} \Omega_c \dots \% \textcircled{M} \dots \dots V \dots \int \dots \%$
 $\int \dots \dots \textcircled{M} \dots \ll V \dots x \dots E \dot{U} \text{TM} \dots \dots x \dots V \dots$
 $I \dots \% \textcircled{M} \dots \textcircled{R} \dots \hat{A} \textcircled{M} \dots \mathcal{A} \cdot \pi \cdot \int i \dots \mathcal{A} \cdot E \dot{U} \dots$
 $\S \dots \dots \int \dots \textcircled{M} \dots \pi \dots \ll \int \dots \% + v \dots E \dot{U} E \dot{U} \dots$
 $+ x \dots \div \P \dots \textcircled{M} \dots \Omega_c \dots \% *$

(4) $E \div \dot{U} \pm \dots \{ \dots i \dots -$
 $(E \dot{U})^{\text{TM}} \dots \Omega_c \int \dots \div x \dots \partial S \dots i \dots E \dot{U} \mathcal{A} \cdot \% \textcircled{M} \dots$
 $E \dot{U} < \int \dots + v \dots x \dots \text{TM} \dots \textcircled{R} \dots + \dots \ddot{E} \mathcal{A} \cdot \textcircled{M} \dots$
 $x \dots \text{TM} \dots \textcircled{R} \dots \dots \hat{A} E \% \dot{U} = \{ \dots \S \dots \Delta v \dots \dots \hat{A}$
 $E \dot{U} \dots \int \dots \textcircled{R}^{\text{TM}} \dots E \dot{U} \neg \infty, \{ \dots \int \dots \%$
 $+ x \dots \div \{ \dots \dots \pm \dots x \dots E \dot{U}^{\text{TM}} \dots \dots V \dots$
 $\mathcal{A} \cdot \Omega_c \dots \Omega_c \ddot{E} + \dots \ddot{E} \mathcal{A} \cdot = \int \dots \% = \int \dots$
 $| \dots \text{TM} \dots \dots \% V \dots x \dots E \% \dot{U} \pm \dots B \partial \dots$
 $H \dot{U}^{\text{TM}} \dots \dots f \Omega_c \dots \hat{A} M \dots \dots V \dots \dots \%$
 $+ \dots \textcircled{M} \dots \partial^{\text{TM}} \dots E \dot{U} \Omega_c \dots \hat{A},$
 $(J \dots) \textcircled{R} \dots \Omega_c \dots \{ \dots \mathcal{A} \cdot \pi \dots n \neg E \% \dot{U} \int \dots$
 $\textcircled{R} \textcircled{R} \dots \pm \dots x \dots \S \dots \div \pm \dots \dots B M \dots \dots + \dots \ddot{E} \mathcal{A} \cdot$
 $B \% \int \dots \% \int \dots \textcircled{R} \dots \int i \dots + x^{\text{TM}} \dots E \dot{U} \dots \text{TM} \dots \ll$
 $E \dot{U} \mathcal{A} \cdot \% \textcircled{M} \dots \dots V \dots \dots \% < \int \dots + v \dots$
 $x \dots \text{TM} \dots \textcircled{R} \dots E \% \dot{U} = \{ \dots \S \dots \Delta v \dots \dots \hat{A} E \dot{U} \dots \%$
 $E \dot{U} \dots \text{TM} \dots \dots \ll x \textcircled{M} \dots i \dots E \dot{U} \mathcal{A} \cdot x \dots \% E \% \dot{U}$
 $\pm \dots B + \dots \textcircled{M} \dots \partial^{\text{TM}} \dots E \dot{U} \Omega_c \dots \hat{A},$
 $(M \dots) \textcircled{M} \dots \partial \textcircled{M} \dots \textcircled{M} \dots t \dots \pm \dots \text{TM} \dots u \dots \dots \mathcal{A} \cdot \dots$
 $\text{TM} \dots \dots = \int \dots E \% \dot{U} \textcircled{M} \dots \textcircled{R} \dots \textcircled{R} \dots n \dots \hat{A}$
 $\text{TM} \dots \dots E \dot{U} \dots \text{TM} \dots \ll \textcircled{M} \dots \dots \Omega_c^{\text{TM}} \dots \dots \hat{A} \textcircled{R} \dots \hat{A}$
 $\textcircled{M} \dots \partial \textcircled{M} \dots \textcircled{M} \dots t \dots \pm \dots \text{TM} \dots E \dot{U} \dots | \dots i \dots x \dots$
 $v \dots i \textcircled{M} \dots E \dot{U} \mathcal{A} \cdot \% \textcircled{M} \dots \dots,$
 $\textcircled{R} \dots \div J i \dots \dots \mathcal{A} \cdot x \dots \dots \textcircled{R} \dots \hat{A} \{ \dots \mathcal{A} \cdot$
 $\Omega_c \int i \dots \dots I \dots \mathcal{A} \cdot E \dot{U} \mathcal{A} \cdot \% \textcircled{M} \dots \dots + \dots \ddot{E} \mathcal{A} \cdot +$
 $\P \dots \textcircled{M} \dots S \dots x \dots \dots \hat{A} E \dot{U} \dots \% \int \dots i^{\text{TM}} \dots \{ \dots i \dots$
 $E \dot{U} \mathcal{A} \cdot \% \textcircled{M} \dots \dots \text{TM} \dots \dots < \int \dots$
 $| \dots \text{TM} \dots \dots \% V \dots x \dots E \% \dot{U} \pm \dots B | \dots i \dots x \dots$
 $v \dots \text{TM} \dots \dots \hat{A} E \dot{U} \dots \% | \dots i \dots x \dots \text{TM} \dots \div H \dot{U}$
 $E \dot{U} \mathcal{A} \cdot \% \textcircled{M} \dots \dots,$

$5 \int \dots \Delta \partial \dots \dots \% v \dots x \dots + v \dots x \dots \text{TM} \dots \textcircled{R} \dots G \dot{U}. 8$
 $\int \dots x \dots \neg 2006 u \dots \mathcal{A} \cdot \dots \int l \dots \{ \dots i \dots *$
 $6 \int \dots \Delta \partial \dots \dots \% v \dots x \dots + v \dots x \dots \text{TM} \dots \textcircled{R} \dots G \dot{U}. 8$

$\int \dots x \dots \neg 2006 u \dots \mathcal{A} \dots v \dots \mathcal{A} \dots 10 (1) \int l \dots$
 $\{ \dots i \dots \}^*$

$(P \dots) \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots \textcircled{R} \dots \hat{A} = S \dots i \dots$
 $\infty, \{ \dots \int \dots \% + x \dots \div \partial \dots \int \dots x \dots \S \dots x \dots B$
 $\mathcal{A} \dots J \dots x \dots \% \int \dots \Delta \S \dots \Delta v \dots \text{“} \int \dots \textcircled{R} \dots \int i \dots \partial \dots$
 $H \acute{U}^{\text{TM}} \dots f \mathcal{A} \dots J \dots \% M \dots \text{“}$

$(5)^{\text{TM}} \dots n \checkmark E \div \acute{U} \pm \dots \{ \dots i \dots E \acute{U} \text{“} \mathcal{A} \dots^{\text{TM}} \dots$
 $\textcircled{R} \dots \hat{A} E \acute{U} \dots \% < \ll + \dots \{ \dots i \dots \int l \dots i \dots$
 $= i \{ \dots z \dots \Omega_{\epsilon} \dots \% M \dots < \ll \Omega_{\epsilon} \ddot{E} V \dots \int \dots E \% \acute{U}$
 $E \acute{U} \dots \mathcal{A} \dots h \dots i \dots \div \mathcal{A} \dots x i \dots E \acute{U} \dots \mathcal{A} \dots \ll \mathbb{Y} \dots < \ll$
 $E \acute{U} \text{“} V \dots x \dots + \{ \dots \% I \dots i \dots \Omega_{\epsilon} \ddot{E},$
 $i \dots \% E \div \acute{U} \pm \dots \{ \dots i \dots B \% \int \dots \text{“}$
 $E \acute{U} \dots \mathcal{A} \dots \ll \mathbb{Y} \dots < \ll E \acute{U} \mathcal{A} \dots \% M \dots V \dots \%$
 $\mathbb{Y} \dots \Omega_{\epsilon} + \dots \mathbb{Y} \dots \partial^{\text{TM}} \dots E \acute{U} \int \dots \textcircled{R} \dots Z \dots i \dots \Omega_{\epsilon} \ddot{E},$
 $+ \dots \ddot{E} \mathcal{A} \dots = \int \dots E \% \acute{U} \{ \dots \partial S \dots i \dots \neg$
 $^{\text{TM}} \dots l \dots \partial \dots \text{“} Q \dots \int \dots \mathbb{Y} \dots \ll | \dots l \dots \textcircled{R} \dots$
 $+ \mathbb{Y} \dots \int \dots \mathcal{A} \dots \{ \dots \mathcal{A} \dots$
 $+ \{ \dots x \dots \text{“} E \acute{U} \dots \mathcal{A} \dots \ll \mathbb{Y} \dots < \ll E \acute{U} \text{“}$
 $\mathcal{A} \dots \{ \dots \%]_1 \ll B \% \int \dots \% + v \dots E \acute{U} \dots \mathcal{A} \dots \text{“},$
 $| \dots v \dots E \acute{U} \mathcal{A} \dots h \dots, \int \dots \textcircled{R} \dots i \dots$
 $^{\text{TM}} \dots + x^{\text{TM}} \dots x \dots E \acute{U} \dots^{\text{TM}} \dots E \acute{U} \dots \%$
 $n \checkmark \% M \dots V \dots \int \dots x \dots \% \int \dots \textcircled{R} \dots x^{\text{TM}} \dots$
 $+ x \dots \div G \acute{U} \textcircled{R} \dots \textcircled{R} \dots \hat{A} = \int \dots \mathbb{Y} \dots \pi \dots^{\text{TM}} \dots \textcircled{R} \dots \hat{A}$
 $E \acute{U} \dots \mathcal{A} \dots \ll \mathbb{Y} \dots < \ll E \acute{U} \text{“} \Omega_{\epsilon} \dots \% i \dots \text{“} :$

$\{ \dots \mathcal{A} \dots x i \dots \div E \div \acute{U} \pm \dots \{ \dots i \dots$
 $u \checkmark \dots \mathcal{A} \dots E \acute{U} \text{“} M \dots < \ll$
 $E \acute{U} \dots \mathcal{A} \dots \ll \mathbb{Y} \dots < \ll \mathbb{Y} \dots \partial \mathbb{Y} \dots$
 $\mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots E \acute{U} \dots \%$
 $U \grave{U} \Omega_{\epsilon} \textcircled{R} \dots \int \dots \int \dots \% + v \dots E \acute{U}$
 $E \acute{U} \text{“} E \acute{U} \dots \pm \dots \mathbb{Y} \dots v \dots E \% \acute{U}$
 $\pm \dots B E \acute{U} \int \dots \text{“} + \dots \mathbb{Y} \dots i \dots \text{“}$
 $\mathbb{Y}^{\text{TM}} \dots^{\text{TM}} \dots E \% \acute{U} \pm \dots^{\text{TM}} \dots \% | \dots$
 $i \dots \S \dots r \checkmark x \dots \Omega_{\epsilon} \text{”} E \acute{U} \mathcal{A} \% \text{”} M \dots \text{“}$
 $+ \dots \ddot{E} \mathcal{A} \dots^{\text{TM}} \dots \Omega_{\epsilon} \P \dots \text{“} E \acute{U}$
 $E \div \acute{U} \pm \dots \{ \dots i \dots | \dots \S \dots \Delta v \dots \int \dots \textcircled{R} \dots$
 $i \dots E \acute{U} \text{“} \textcircled{R} \dots \Delta V \dots / \mathcal{A} \text{“} E \% \acute{U}$
 $\S \dots x \dots E \acute{U} \dots \% < \ll \{ \dots n \checkmark$
 $\int \dots f i V \dots i \dots x \dots \Omega_{\epsilon} \text{”}$
 $E \acute{U} \mathcal{A} \% \text{”} M \dots^{\text{TM}} \dots E \acute{U} \dots \% < \ll$
 $x \dots^{\text{TM}} \dots \div H \acute{U} x \dots \Omega_{\epsilon} \text{”}$
 $E \acute{U} \mathcal{A} \% \text{”} M \dots :$

{...Æ'xi...÷TM...Ω_ε +...ËÆ' ¶...“
EÚ V...Ω_ε...Δ E÷Ú±...{... i...
u~...Æ'... EÚ“ M...<« EÚ]...“
B%o]...“ EÚ...Æ'«¥.....<«
¥...∂¥... ¥...t...±...TM... EÚ“
]...%o¥..... E%oÚ EÚ]...“ ¥TM...
HÚ EÚ...%o
|...¶..... ¥...i... EÚÆ'i...“ Ω_εË,
¥...Ω_ε...Δ B%o]..... ¥TM... HÚ =]...
i.....Æ'“J...]...%o,
V...]...EÚ...%o B%o]...“
EÚ...Æ'«¥.....<« =]...%o]...Δ].../
S...i... EÚ“ M...<« Ω_εË, i...“]...
n~x...
E%oÚ ¶...“i...Æ' ®...Ω_ε...- {...
Æ'π...n~ EÚ...%o +{...“±...
EÚÆ'x...%o EÚ... Ω_εEÚn~...Æ'
Ω_ε...%oM.....*

(6) = {...v.....Æ'... (5) E%oÚ +v...“x...
Æ' {.....%o]1« |..... {i... Ω_ε...%ox...%o {...Æ'
TM... n~]...Δ§...Δ v...i...|..... v...EÚÆ'h...,
]... ®... i... TM..... x...EÚ...TM...
E÷Ú±...{... i... u~...Æ'... EÚ“ M...<«
EÚ...Æ'«¥.....<«EÚ... +x...÷®.....%on~x...
x...Ω_ε” EÚÆ'i..... Ω_εË i.....%o ¥...Ω_ε =]...
®.....®...±...%o EÚ...%o +vTM...I...EÚ...%o
x...n~Ê ∂...i... EÚÆ'%oM..... V...]...EÚ...
=]... {...Æ' ¥... x...∂S...TM... +Δ i...®...
Ω_ε...%oM.....*

(7) E÷Ú±...{... i... u~...Æ'... = {...v.....Æ'...
(5) E%oÚ +v...“x... EÚ“ M...<«
EÚ...Æ'«¥.....<« E%oÚ]...Δ§...Δv... ®...Â
TM...Ω_ε]...®...Z..... V.....BM..... EÚ
¥...Ω_ε EÚ...Æ'«¥.....<«]...®...÷ S...i...
|..... v...EÚÆ'h...u~...Æ'... EÚ“ M...<«
Ω_εË V...§... i...EÚ EÚ =]...%o
= {...v.....Æ'... (6) E%oÚ +v...“x... EÚB
M...B x...n~Ê∂... {...Æ' +vTM...I...
u~...Æ'... + {.....]i... x...Ω_ε” EÚÆ'
n~TM..... V.....i.....TM..... = {...v.....Æ'...
(5) E%oÚ +v...“x... + {...“±... ®...Â

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$$\begin{aligned}
& \{ \dots \partial S \dots i \dots \neg \textcircled{\text{R}} \dots \Omega_c \dots \{ \dots \mathcal{A} \pi \dots n \neg E \% \mathcal{U} + v^{\text{TM}} \dots I \dots u \dots \mathcal{A} \dots \\
& \quad x \dots^{\text{TM}} \dots \div H \mathcal{U} \quad E \mathcal{U}^{\text{TM}} \dots V \dots \text{BM} \dots : \\
& \quad \{ \dots \mathcal{A} \text{xi} \dots \div \textcircled{\text{R}} \dots v^{\text{TM}} \dots | \dots n \% \partial \dots \textcircled{\text{R}} \dots J \dots x \dots \pm \dots \pm \dots \\
& \quad S \dots i \dots \div \mathbb{Y} \dots \hat{E} n \neg \mathcal{A} \pi]_1 \approx^{\text{TM}} \dots \{ \dots j \dots E \mathcal{U} \dots \mathcal{A} \dots i \dots \\
& \quad \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots \int \dots \Delta \int l \dots x \dots (\int \dots \Delta \partial \dots \% v \dots x \dots) + v \dots \\
& \quad \quad \quad x \dots^{\text{TM}} \dots \textcircled{\text{R}} \dots, 2006 E \% \mathcal{U} \\
& \quad | \dots \mathbb{Y} \dots \text{fik} \dots \Omega_c \dots \% x \dots \% E \mathcal{U} \neg i \dots \mathcal{A} \neg J \dots E \% \mathcal{U} \neg \neg \mathcal{A} E \mathcal{U} \{ \dots \Omega_c \pm \dots \% \\
& \quad \quad \quad \{ \dots n \neg \dots \int \dots \neg x \dots E \mathcal{U} \dots^{\text{TM}} \dots \ll \{ \dots \pm \dots E \mathcal{U} \\
& \quad \quad \quad x \dots n \% \partial \dots E \mathcal{U}, + \{ \dots x \dots \neg x \dots^{\text{TM}} \dots \div H \mathcal{U} E \mathcal{U} \neg + x \dots \mathbb{Y} \dots \int \dots i \dots \\
& \quad \quad \quad \{ \dots n \neg \dots \mathbb{Y} \dots v \dots E \% \mathcal{U} \pm \dots B \\
& \quad \{ \dots n \neg \{ \dots \mathcal{A} \neg \S \dots x \dots \mathcal{A} \neg \Omega_c \% M \dots i \dots l \dots \neg E \div \mathcal{U} \pm \dots v \dots \int \dots \\
& \quad \quad \quad S \dots \mathbb{Y} \dots \neg E \% \mathcal{U} \infty, \{ \dots \textcircled{\text{R}} \dots \hat{A} \\
& \quad V \dots x \dots V \dots \text{BM} \dots * \\
& \quad (2) E \div \mathcal{U} \pm \dots v \dots \int \dots S \dots \mathbb{Y} \dots, E \div \mathcal{U} \pm \dots \{ \dots i \dots E \mathcal{U} \neg \\
& \quad \quad B \% \int \dots \neg \partial \dots H \mathcal{U}^{\text{TM}} \dots \hat{A} E \mathcal{U} \dots | \dots^{\text{TM}} \dots \% M \dots \\
& \quad \quad + \dots \ddot{E} \mathcal{A} \neg \\
& \quad = \int \dots E \% \mathcal{U} \quad B \ddot{E} \int \dots \% E \mathcal{U} i \dots \ll \mathbb{Y}^{\text{TM}} \dots \hat{A} E \mathcal{U} \dots \{ \dots \pm \dots x \dots \\
& \quad \quad E \mathcal{U} \mathcal{A} \neg \% M \dots, V \dots \ddot{E} \int \dots E \mathcal{U} E \div \mathcal{U} \pm \dots \{ \dots i \dots \\
& \quad = \int \dots \% | \dots i^{\text{TM}} \dots^{\text{TM}} \dots \% V \dots i \dots E \mathcal{U} \mathcal{A} \neg \% * \\
& \quad (3) E \div \mathcal{U} \pm \dots v \dots \int \dots S \dots \mathbb{Y} \dots, B \% \int \dots \mathbb{Y}^{\text{TM}} \dots H \mathcal{U} \\
& \quad \quad \Omega_c \dots \% M \dots, V \dots \int \dots \% | \dots \partial \dots \int \dots x \dots E \% \mathcal{U} \\
& \quad \quad I \dots \% j \dots \textcircled{\text{R}} \dots \hat{A} \\
& \quad E \mathcal{U} \int \dots \neg = k \dots \mathcal{A} \neg n \neg \dots^{\text{TM}} \dots \neg \{ \dots n \neg \{ \dots \mathcal{A} \neg E \mathcal{U} \textcircled{\text{R}} \dots \int \dots \% E \mathcal{U} \textcircled{\text{R}} \dots \S \dots \neg \int \dots \\
& \quad \quad \quad \mathbb{Y} \dots \pi \dots \ll E \mathcal{U} \dots + x \dots \div \P \dots \mathbb{Y} \dots \\
& \quad \quad \quad \Omega_c \dots \% * \\
& \quad (4) E \div \mathcal{U} \pm \dots v \dots \int \dots S \dots \mathbb{Y} \dots, \mathbb{Y} \dots \partial \mathbb{Y} \dots \\
& \quad \quad \mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots E \% \mathcal{U} \int \dots \textcircled{\text{R}} \dots x^{\text{TM}} \dots \\
& \quad \quad | \dots \partial \dots \int \dots x \dots + \dots \ddot{E} \mathcal{A} \neg \mathbb{Y} \dots k \dots \neg^{\text{TM}} \dots \\
& \quad | \dots \partial \dots \int \dots x \dots E \mathcal{U} \dots | \dots \textcircled{\text{R}} \dots \div J \dots \Omega_c \dots \% M \dots * _7 \\
& \quad 12. (1) \quad \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots \textcircled{\text{R}} \dots \hat{A} \\
& \quad \quad \Omega_c \dots \% M \dots * \\
& \quad (2) \mathbb{Y} \dots \P \dots M \dots v^{\text{TM}} \dots I \dots \hat{A} E \mathcal{U} \neg \partial \dots \\
& \quad \quad H \mathcal{U}^{\text{TM}} \dots \Delta, = x \dots E \% \mathcal{U} E \text{fi} \mathcal{U} i^{\text{TM}} \dots, = x \dots E \mathcal{U} \neg \\
& \quad \quad x \dots^{\text{TM}} \dots \div H \mathcal{U} E \mathcal{U} \neg \\
& \quad \mathcal{A} \neg \neg i \dots + \dots \ddot{E} \mathcal{A} \neg \int \dots \% \mathbb{Y} \dots \partial \dots i \dots \hat{E} B \% \int \dots \neg \Omega_c \dots \hat{A} M \dots \neg V \dots \% \\
& \quad \quad \mathbb{Y} \dots x \dots^{\text{TM}} \dots \textcircled{\text{R}} \dots \hat{A} u \neg \dots \mathcal{A} \neg \dots \mathbb{Y} \dots \Omega_c i \dots E \mathcal{U} \neg \\
& \quad \quad V \dots B \Delta * \\
& \quad \neg \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{\text{R}} \dots G \mathcal{U}. 8 \int \dots x \dots \neg 2006 u \neg \dots \mathcal{A} \neg \dots \int l \dots \{ \dots i \dots *
\end{aligned}$$

+xTM... + 13. (1) <∫... |...TM.....%V...x... E%Ú
+...ËÆ' Ω_ç÷B ¥...∂¥... ¥...t...±...TM... EÚ...
±... J...i... ∫...Δ ¥...n~... E%Ú
+v...“x... x...TM...÷HÚ EÚTM.....
V.....BM..... V...∫...®...Â ¥...
x...TM...®.....Â
u~...Æ'... TM...l..... ¥... Ω_çi...
∫...%¥..... EÚ“ ∂...i...Ê n~“
V.....BM...“ +...ËÆ' V.....%
¥...∂¥... ¥...t...±...TM...
E%Ú {.....∫... Æ'J...“
V.....BΔM...“ +...ËÆ' =∫...EÚ“
BEÚ |... i... ∫...Δ§...Δ v...i... +
v...EÚ...Æ'“
TM..... EÚ®...«S.....Æ'“ EÚ...%
n~“ V.....BM...“*

(2) ¥...∂¥... ¥...t...±...TM... +...ËÆ'
=∫...E%Ú + v...EÚ... Æ'TM.....Â TM.....
EÚ®...«S..... Æ'TM.....Â ®...Â ∫...%
EÚ∫...“ E%Ú §...“S... Ω_ç÷<« ∫...Δ ¥...n~...
∫...% =i{...z... Ω_ç...%x...% ¥.....±.....
EÚ...%<« ¥...¥.....n~,∫...Δ§...Δ v...i... +
v...EÚ...Æ'“ TM..... EÚ®...«S.....Æ'“
E%Ú +x...÷Æ'...%v... {...Æ' TM.....
¥...∂¥... ¥...t...±...TM...EÚ“ |...%Æ'h.....
{...Æ' + v...EÚÆ'h... EÚ...%
®.....vTM...∫l...®... E%Ú ±...B x...nÊ
∂...i... EÚTM..... V.....BM.....,
V...∫...®...Â ¥... x...TM...®.....Â u~...Æ'...
TM...l..... ¥... Ω_çi... ®...Ω_ç...- {...
Æ'π...n~u~...Æ'... x...TM...÷HÚ i...“x...
∫...n~TM... Ω_ç...ÂM...% +√ v...EÚÆ'h...
EÚ... ¥... x...∂S...TM... +Δ i...®...+...ËÆ'
§...Δv...x...EÚ...Æ'“ Ω_ç...%M.....*

¥...∂¥... 14. ¥...∂¥... ¥...t...±...TM... E%Ú
|..... (BE ®...Ω_ç...- {... Æ'π...n~¬,
v...EÚÆ'h... (n~... ¥...t...- {... Æ'π...n~¬,
(i...“ |...§...Δv... ∫... ®... i...,
(S... ¥...k... ∫... ®... i...,
({... E÷Ú±... {... i...,
(UÚ E÷Ú±..... v...∫... S...¥..., +...ËÆ'
(∫... B%∫...% +xTM... |..... v...EÚÆ'h...,

|..... v...EÚÆ`h... P.....%o π...i... EÚB V.....BΔ*₈

®...Ω_ε...- 15. 1. ®...Ω_ε...- { ... Æ`π...n~¬ x...®x... ±...
{... (BE ®...÷JTM...®...Δj...“,
Æ`π...n~ (n~... ¶|.....Æ`∫.....v...EÚ ®...Δj...“,
(i...“ ¶|.....Æ`∫.....v...EÚ ®...Δj...“,
(S... ¶|.....Æ`∫.....v...EÚ ®...Δj...“,
({... ®...vTM...|...n~%o∂... ¥...v.....x...
(UÙ BEÚ ∫...Δ∫...n~ ∫...n~fTM..., V.....%o

x...n~Ê ∂...i... EÚTM..... V.....BM.....,

(∫.....i...)Æ`...VTM... ∫...¶|..... EÚ... BEÚ
∫...n~fTM..., V.....%o Æ`...VTM... ∫...¶|.....
E%oÚ ∫...¶|..... { ... i... u~...Æ`...x.....®...
x...n~Ê ∂...i... EÚTM..... V.....BM.....,

8∫...Δ∂.....%ov...x... + v... x...TM...®... GÚ. 8 ∫...x...¬ 2006 u~...Æ`... ∫l..... { ...i...*
(+...`^)+v<sup>TM</sup>...I..., ¶|.....Æ`i...“TM... |...%o∫... { ...
Æ`π...n~¬,

(x.....Ë)®...vTM...|...n~%o∂... E%oÚ
®...÷JTM...®...Δj...“ u~...Æ`... S...TM... x...i...
{ ΔS... Æ`...VTM.....Â ®...Â ∫...%o

|...iTM...%oEÚ EÚ... BEÚ-BEÚ |... i... x... v..., V.....%o =x...E%oÚ
+ { ...x...%o-+ { ...x...%o Æ`...VTM.....Â

E%oÚ ®...÷JTM... ®...Δ j...TM.....Â u~...Æ`... x.....®... x...n~Ê
∂...i... EÚTM..... V.....BM.....,

(n~∫...) Bb~“]1∫...« M...±b~ EÚ... BEÚ x.....®...
x...n~Ê ∂...i...“ V.....%o ¶|.....Æ`i...“TM...
¶|.....π..... |...%o∫...
EÚ... Ω_ε...%o,

(MTM.....Æ`Ω_ε) BEÚ JTM.....i...
V...x...∫...ΔS.....Æ` ¥...∂...%oπ...Y..., V.....%o
Æ`...V<sup>TM</sup>... ∫...Æ`EÚ...Æ` u~...Æ`... x.....®...
x...n~Ê ∂...i...

EÚTM..... V.....BM.....,

(§.....Æ`Ω<sub>ε</sub>) { ...j...EÚ... Æ`i..... EÚ... BEÚ
JTM.....i... +vTM..... { ...EÚ, V.....%o Æ`...VTM...
∫...Æ`EÚ...Æ` u~...Æ`...

x.....®... x...n~Ê ∂...i... EÚTM..... V.....BM.....,

(i...%oÆ`Ω<sub>ε</sub>) { ... §±...EÚ Æ`±...%o∂...x∫...
∫.....%o∫.....<]1“ +...İ°Ú <xb~TM..... EÚ... BEÚ
x.....®... x...n~Ê ∂...i...“,

$$\begin{aligned}
 & (S \dots \ddot{E} n \sim \Omega_{\epsilon}) \circ | \dots \mathbb{R} \dots \div J \dots \int \dots S \dots \mathbb{Y} \dots, \\
 & V \dots x \dots \int \dots \mathbb{R} \{ \dots E \ll \dot{U}, \mathbb{R} \dots v^{TM} \dots | \dots n \sim \% \partial \dots \\
 & \partial \dots \int \dots x \dots, \\
 & (\{ \dots x p \sim \Omega_{\epsilon} \} + v^{TM} \dots I \dots, \P \dots \mathbb{A} \dot{i} \dots "TM \dots \\
 & V \dots x \dots \int \dots \Delta S \dots \mathbb{A} \dot{i} \dots \int \dots \Delta \int l \dots x \dots (< \Delta b \sim^{TM} \dots x \dots \\
 & < x \int l " \int l " \int l + \dots \ddot{I}^{\circ} \dot{U} \\
 & \mathbb{R} \dots \ddot{I} \int \dots E \dot{U} \mathbb{R}^{TM} \dots / x \dots E \% \dot{U} \partial \dots x \dots) ^{TM} \dots = \int \dots E \dot{U} \dots \\
 & \quad x \dots \mathbb{R} \dots x \dots n \hat{E} \partial \dots i \dots, \\
 & (\int \dots \% \pm \dots \Omega_{\epsilon}) \mathbb{R} \dots x \dots \mathbb{Y} \dots \int \dots \Delta \int \dots v \dots x \dots \\
 & \mathbb{R} \dots \Delta j \dots \pm \dots ^{TM} \dots, \P \dots \mathbb{A} \dot{i} \dots \int \dots \mathbb{A} \dot{E} \dot{U} \dots \mathbb{A} \dot{E} \dot{U} \dots \\
 & BE \dot{U} x \dots \mathbb{R} \dots x \dots n \hat{E} \partial \dots i \dots, \\
 & {}_{10} (\int \dots j \dots \Omega_{\epsilon}) \int \dots \mathcal{S} \dots x \dots | \dots \ddot{E} t \dots \% M \dots E \dot{U} " E \% \dot{U} I \dots \% j \dots \int \dots \% \\
 & BE \dot{U} \mathbb{Y} \dots \partial \dots \% \pi \dots Y \dots V \dots \% \mathbb{A} \dot{E} \dots V^{TM} \dots \int \dots \mathbb{A} \dot{E} \dot{U} \dots \mathbb{A} \dot{E} \dot{E} \dot{U} \dots \\
 & u \sim \dots \mathbb{A} \dot{E} \dots x \dots \mathbb{R} \dots x \dots n \hat{E} \partial \dots i \dots E \dot{U}^{TM} \dots \\
 & \quad V \dots ^{TM} \dots M \dots, \\
 & (\int \dots j \dots \Omega_{\epsilon} - E \dot{U}) \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots ^{TM} \dots + v^{TM} \dots \{ \dots x \dots \mathbb{Y} \dots \P \dots M \dots \\
 & E \dot{U} \dots BE \dot{U} + \dots S \dots ^{TM} \dots \ll, V \dots \% E \div \dot{U} \pm \dots \{ \dots i \dots \\
 & u \sim \dots \mathbb{A} \dot{E} \dots S \dots G \dot{U} \dots x \dots \div G \dot{U} \mathbb{R} \dots \mathbb{R} \dots \hat{A} x \dots \mathbb{R} \dots x \dots n \hat{E} \partial \dots i \dots \\
 & \quad E \dot{U}^{TM} \dots V \dots ^{TM} \dots \% M \dots, {}_{10} \\
 & {}_{10} (+ \wedge \dots \mathbb{A} \dot{E} \Omega_{\epsilon}) \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots ^{TM} \dots + x \dots \div n \sim \dots x \dots \\
 & + \dots ^{TM} \dots \% M \dots E \dot{U} \dots BE \dot{U} x \dots \mathbb{R} \dots x \dots n \hat{E} \partial \dots i \dots, \\
 & (= z \dots " \int \dots) \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots ^{TM} \dots E \dot{U} \dots E \div \dot{U} \pm \dots \{ \dots \\
 & i \dots, {}_{10} \\
 & (\S \dots " \int \dots) \P \dots \mathbb{A} \dot{i} \dots \mathbb{R} \dots \hat{A} \int \dots \mathbb{Y} \dots \ll v \dots E \dot{U} \{ \dots \\
 & \mathbb{A} \dot{E} \dot{S} \dots \pm \dots i \dots \P \dots \mathbb{A} \dot{i} \dots "TM \dots \P \dots \pi \dots E \% \dot{U} \\
 & \int \dots \mathbb{R} \dots S \dots \mathbb{A} \dot{E} \{ \dots j \dots \\
 & E \dot{U} \dots \int \dots \Delta \{ \dots n \sim E \dot{U}, \\
 & (< CE \dot{U} " \int \dots) \P \dots \mathbb{A} \dot{i} \dots \mathbb{R} \dots \hat{A} \int \dots \mathbb{Y} \dots \ll v \dots E \dot{U} \{ \dots \mathbb{A} \dot{E} \dot{S} \dots \pm \dots i \dots \\
 & \Omega_{\epsilon} x n \sim " n \ddot{E} x \dots E \dot{U} \int \dots \mathbb{R} \dots S \dots \mathbb{A} \dot{E} \{ \dots j \dots E \dot{U} \dots \\
 & \int \dots \Delta \{ \dots n \sim E \dot{U}, \\
 & {}_{10} (\S \dots < \ll \int \dots) | \dots \mathbb{R} \dots \div J \dots \int \dots S \dots \mathbb{Y} \dots \mathbb{Y} \dots k \dots, \\
 & \mathbb{R} \dots v^{TM} \dots | \dots n \sim \% \partial \dots \partial \dots \int \dots x \dots, {}_{10} \\
 & (i \dots \% < \ll \int \dots) \mathbb{R} \dots v^{TM} \dots | \dots n \sim \% \partial \dots E \% \dot{U} BE \dot{U} \Omega_{\epsilon} x n \sim " \\
 & n \ddot{E} x \dots E \dot{U} E \dot{U} \dots \int \dots \Delta \{ \dots n \sim E \dot{U}, \\
 & {}_{10} (S \dots \ddot{E} \S \dots " \int \dots) \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots ^{TM} \dots E \dot{U} \dots \\
 & E \div \dot{U} \pm \dots v \dots \int \dots S \dots \mathbb{Y} \dots, {}_{10}
 \end{aligned}$$

$$\begin{aligned}
 & (\{ \dots SS \dots \text{"} \int \dots \} \mathbb{P} \dots \mathcal{A} \cdot i \dots \text{"}^{\text{TM}} \dots \int \dots \mathbb{R} \dots S \dots \mathcal{A} \cdot \\
 & \{ \dots j \dots \int \dots \% \int \dots < \int \text{"} \mathcal{E} \mathcal{U} \dots \mathcal{B} \mathcal{E} \mathcal{U} \text{ } x \dots \mathbb{R} \dots x \dots n \hat{\mathcal{E}} \\
 & \partial \dots i \dots \text{"}, V \dots \% \\
 & \mathbb{P} \dots \mathcal{A} \cdot i \dots \text{"}^{\text{TM}} \dots \mathbb{P} \dots \pi \dots | \dots \% \int \dots \mathcal{E} \mathcal{U} \dots \\
 & \Omega_c \dots \% M \dots, \\
 & 9^{\text{"}} \int \dots S \dots \mathbb{Y} \dots \text{"} \mathcal{E} \% \mathcal{U} \int l \dots x \dots \{ \dots \mathcal{A} \cdot \text{"} | \dots \mathbb{R} \dots \div J \dots \int \dots S \dots \mathbb{Y} \dots \text{"} \int \dots \Delta \partial \dots \% + v \dots \mathcal{G} \mathcal{U}. \\
 & 8 \int \dots x \dots \neg 2006 \text{ } u \checkmark \dots \mathcal{A} \cdot \dots \int l \dots \{ \dots i \dots \\
 & 10 \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots \text{TM} \dots \mathbb{R} \dots \mathcal{G} \mathcal{U}. 8 \int \dots x \dots \neg 2006 \text{ } u \checkmark \dots \mathcal{A} \cdot \dots \int l \dots \{ \dots i \dots * \\
 & (\mathcal{U} \mathcal{U} \S \S \dots \text{"} \int \dots) \mathbb{R} \dots v^{\text{TM}} \dots | \dots n \checkmark \% \partial \dots \int \dots \% \\
 & \int \dots \Delta \S \dots n \neg \mathcal{P} \dots n \checkmark \% | \dots J^{\text{TM}} \dots i \dots \int \dots \mathbb{Y} \dots \langle V \dots \\
 & x \dots \mathcal{E} \mathcal{U} \mathbb{Y}^{\text{TM}} \dots \mathcal{H} \mathcal{U} V \dots \% \mathcal{A} \cdot \dots V^{\text{TM}} \dots \\
 & \int \dots \mathcal{A} \cdot \mathcal{E} \mathcal{U} \dots \mathcal{A} \cdot u \checkmark \dots \mathcal{A} \cdot \dots x \dots \mathbb{R} \dots x \dots n \hat{\mathcal{E}} \partial \dots i \dots \mathcal{E} \mathcal{U} \mathcal{B} \\
 & V \dots \mathcal{B} \Delta M \dots \% , \\
 & (\int \dots k \dots < \langle \int \dots) \mathbb{P} \dots \mathcal{A} \cdot i \dots \text{"}^{\text{TM}} \dots \mathbb{P} \dots \pi \dots | \dots \% \int \dots \int \dots \% \\
 & \{ \dots \Delta S \dots \int \dots \Delta \{ \dots n \checkmark \mathcal{E} \mathcal{U}, < \int \dots \partial \dots i \dots \langle \mathcal{E} \% \mathcal{U} + v^{\text{TM}} \dots v \dots \text{"} x \dots \\
 & \mathcal{A} \cdot \Omega_c i \dots \% \Omega_c \div \mathcal{B} \mathcal{E} \mathcal{U} \mathcal{B} \mathcal{E} \mathcal{U} \mathbb{P} \dots \pi \dots \mathcal{E} \% \mathcal{U} \pm \dots \mathcal{B} \mathcal{B} \mathcal{E} \mathcal{U} \int \dots \% + \\
 & v \dots \mathcal{E} \mathcal{U} \int \dots \Delta \{ \dots n \checkmark \mathcal{E} \mathcal{U} \text{ } x \dots \Omega_c \text{"} \\
 & \Omega_c \dots \% M \dots, V \dots \% \mathcal{A} \cdot \dots V^{\text{TM}} \dots \int \dots \mathcal{A} \cdot \mathcal{E} \mathcal{U} \dots \mathcal{A} \cdot u \checkmark \dots \mathcal{A} \cdot \dots \\
 & x \dots \mathbb{R} \dots x \dots n \hat{\mathcal{E}} \partial \dots i \dots \mathcal{E} \mathcal{U} \mathcal{B} V \dots \mathcal{B} \Delta M \dots \% , \\
 & (+ _ \wedge \dots < \langle \int \dots) \{ \dots \Delta S \dots \mathbb{Y} \dots \mathbb{P} \dots z \dots \mathcal{A} \cdot \dots V^{\text{TM}} \dots \hat{\mathcal{A}} \mathbb{R} \dots \hat{\mathcal{A}} \int \dots \% \\
 & | \dots i^{\text{TM}} \dots \% \mathcal{E} \mathcal{U} \mathcal{E} \% \mathcal{U} J^{\text{TM}} \dots i \dots \Omega_c x n \checkmark \text{"} n \checkmark \mathcal{E} \text{ } x \dots \mathcal{E} \mathcal{U} \mathcal{E} \mathcal{U} \dots \\
 & \mathcal{B} \mathcal{E} \mathcal{U} \int \dots \Delta \{ \dots n \checkmark \mathcal{E} \mathcal{U} V \dots \% \mathbb{R} \dots v^{\text{TM}} \dots | \dots n \checkmark \% \partial \dots \mathcal{E} \% \mathcal{U} \\
 & \mathbb{R} \dots \div J^{\text{TM}} \dots \mathbb{R} \dots \Delta j \dots \text{"} u \checkmark \dots \mathcal{A} \cdot \dots x \dots \mathbb{R} \dots x \dots n \hat{\mathcal{E}} \partial \dots i \dots \\
 & \mathcal{E} \mathcal{U}^{\text{TM}} \dots V \dots \mathcal{B} M \dots, \\
 & (= x i \dots \text{"} \int \dots) \mathbb{R} \dots v^{\text{TM}} \dots | \dots n \checkmark \% \partial \dots \mathcal{E} \% \mathcal{U} \mathcal{E} \mathcal{U} \int \dots \text{"} \mathcal{B} \mathcal{E} \mathcal{U} \\
 & \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots \mathcal{E} \mathcal{U} \dots \mathcal{E} \div \mathcal{U} \pm \dots \{ \dots i \dots, \\
 & V \dots \% \\
 & \mathcal{E} \div \mathcal{U} \pm \dots v \dots \{ \dots i \dots u \checkmark \dots \mathcal{A} \cdot \dots x \dots \mathbb{R} \dots x \dots n \hat{\mathcal{E}} \partial \dots i \dots \\
 & \mathcal{E} \mathcal{U}^{\text{TM}} \dots V \dots \mathcal{B} M \dots * \\
 & (2) \mathbb{R} \dots \Omega_c \dots - \{ \dots \mathcal{A} \cdot \pi \dots n \neg \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots \\
 & \mathcal{E} \mathcal{U} \dots \int \dots \mathbb{Y} \dots \hat{\mathcal{E}} S S \dots | \dots v \dots \mathcal{E} \mathcal{U} \mathcal{A} \cdot h \dots \\
 & \Omega_c \dots \% M \dots \\
 & (3) \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots \mathcal{E} \mathcal{U} \dots | \dots \partial \dots \int \dots x \dots, \\
 & | \dots \S \dots \Delta v \dots + \dots \mathcal{E} \mathcal{A} \cdot \text{ } x \dots^{\text{TM}} \dots \Delta j \dots h \dots + \dots \mathcal{E} \mathcal{A} \cdot \\
 & = \int \dots \mathcal{E} \mathcal{U} \text{"} \\
 & + \dots^{\text{TM}} \dots \mathbb{R} \dots \Omega_c \dots - \{ \dots \mathcal{A} \cdot \pi \dots n \neg \mathbb{R} \dots \hat{\mathcal{A}} \text{ } x \dots \Omega_c i \dots \Omega_c \dots \% M \dots \text{"}, \\
 & V \dots \% \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots^{\text{TM}} \dots \mathcal{E} \mathcal{U} \text{"} \\
 & \int \dots \Delta \{ \dots k \dots i \dots l \dots x \dots v \dots^{\text{TM}} \dots \hat{\mathcal{A}} \mathcal{E} \mathcal{U} \dots \% x \dots^{\text{TM}} \dots \Delta j \dots i \dots \\
 & + \dots \mathcal{E} \mathcal{A} \cdot | \dots \partial \dots \int \dots i \dots \mathcal{E} \mathcal{U} \mathcal{A} \cdot \% M \dots \text{"} *
 \end{aligned}$$

(1) $\mathbb{R} \dots \Omega \dots - \{ \dots \mathcal{A} \cdot \pi \dots n \sim \neg \text{E} \dot{\cup} \dots \% \circ$
 $\text{TM} \dots \dots = \int \dots \text{E} \% \circ \dot{\cup}$
 $+_{\text{X}} \text{TM} \dots \int \dots \mathbb{R} \dots \text{i} \dots \text{TM} \dots \hat{\text{A}} \text{E} \dot{\cup} \text{“}$
 $\text{E} \dot{\cup} \dots \mathcal{A} \cdot \ll \mathbb{Y} \dots \dots < \ll \text{E} \% \circ \dot{\cup} \{ \dots \div \text{x} \dots$
 $\mathbb{Y} \dots \dots \pm \dots \% \circ \text{E} \dot{\cup} \text{x} \dots \text{E} \dot{\cup} \text{“} \partial \dots \text{H} \dot{\cup} \P \dots \text{“}$
 $\Omega_{\epsilon} \ddot{\text{E}}, + \dots \mathbb{Y} \dots \partial \text{TM} \dots \text{E} \dot{\cup} \int \dots \mathbb{R} \dots \int \text{i} \dots \partial \dots$
 $\text{H} \dot{\cup} \text{TM} \dots \Delta \quad \Omega_{\epsilon} \dots \hat{\text{A}} \text{M} \dots \text{“}, + \dots \ddot{\text{E}} \mathcal{A}$
 $\mathbb{Y} \dots \Omega_{\epsilon} \quad \mathbb{Y} \dots \partial \mathbb{Y} \dots \quad \mathbb{Y} \dots \text{t} \dots \pm \dots \text{TM} \dots$
 $\text{E} \dot{\cup} \text{“} = \text{x} \dots \int \dots \mathbb{R} \dots \int \text{i} \dots \partial \dots \text{H} \dot{\cup} \text{TM} \dots \hat{\text{A}}$
 $\text{E} \dot{\cup} \dots | \dots \text{TM} \dots \% \circ \text{M} \dots \text{E} \dot{\cup} \mathcal{A} \cdot \% \circ \text{M} \dots \text{“}$
 $\text{V} \dots \dots \% \circ \leq \int \dots + \text{v} \dots \text{x} \dots \text{TM} \dots \mathbb{R} \dots$
 $\mathbb{R} \dots \hat{\text{A}} +_{\text{X}} \text{TM} \dots \text{l} \dots \dots = \{ \dots \S \dots \Delta \text{v} \dots \text{i} \dots$
 $\text{x} \dots \Omega_{\epsilon} \text{”} \Omega_{\epsilon} \ddot{\text{E}} \ast$

$$\begin{aligned} & (J\dots)\mathbb{Y}\dots\dots\tilde{A}\pi\dots E\acute{U}\ \mathcal{A}^{\cdot}\{\dots\dots\%_0\}\ll_1, \\ & \mathbb{Y}\dots k\dots{}^{\text{TM}}\dots|\dots\dots C E\acute{U}\pm\dots x\dots\dots\hat{A}\ i\dots l\dots\dots \\ & B\%_0\rfloor\dots\%_0\pm\dots\%_0 J\dots\dots+\dots\hat{A} \\ & E\acute{U}\lceil\dots\Delta\{\dots\mathcal{A}^{\cdot}\text{I}\dots\dots\ \mathcal{A}^{\cdot}\{\dots\dots\%_0\}\ll_1\{\dots\mathcal{A}^{\cdot} \\ & \mathbb{Y}\dots S\dots\dots\mathcal{A}^{\cdot}\ E\acute{U}\mathcal{A}\%_0\cdot M\dots{}^{\text{TM}}\ i\dots l\dots\dots \\ & \int\dots\Delta E\acute{U}\pm\{\dots\{\dots\dots\ \mathcal{A}^{\cdot}i\dots\ E\acute{U}\mathcal{A}\%_0\cdot M\dots{}^{\text{TM}}\}, \\ & +\dots\ddot{E}\mathcal{A}^{\cdot} \end{aligned}$$

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$$\begin{aligned} & |\dots\partial\dots\int\dots x\dots E\%Ú \pm\dots B \\ & +\dots\mathbb{Y}\dots\partial^{\text{TM}}\dots EÚ\int\dots\mathbb{R}\dots Z\dots\%_0^* \end{aligned}$$

$$\begin{aligned} & \mathbb{R}\dots\Omega\dots-\{\dots \quad 19. \quad (1) \quad \mathbb{R}\dots\Omega\dots-\{\dots \mathbb{A}\mathbb{E}'\pi\dots n\sim\mathbb{Y}\dots\pi\dots\ll \\ & \int\dots\mathbb{E}\mathbb{R}\mathbb{R} \quad EÚ\mathbb{A}\mathbb{E}'\%_0M\dots\text{“} \mathbb{R}\dots\Omega\dots-\{\dots \mathbb{A}\mathbb{E}'\pi\dots n\sim \\ & \Omega\dots\%_0M\dots\dots V\dots\dots\%_0 +v^{\text{TM}}\dots I\dots u\sim\dots\mathbb{A}\mathbb{E}'\dots x\dots v\dots\dots\ll \\ & \mathbb{A}\mathbb{E}'i\dots EÚ\text{“} V\dots\dots B^* \end{aligned}$$

$$\begin{aligned} & {}_{12}\int\dots\Delta\partial\dots\dots\%_0v\dots x\dots +v\dots x\dots^{\text{TM}}\dots\mathbb{R}\dots GÚ. 8 \int\dots x\dots\sim 2006 u\sim\dots\mathbb{A}\mathbb{E}'\dots\partial\dots\mathbb{S}n\sim"n\sim\dots\%_0 \\ & \mathbb{S}\dots\dots\mathbb{A}\mathbb{E}' E\%Ú \int l\dots\dots x\dots \{\dots\mathbb{A}\mathbb{E}'\partial\dots\mathbb{S}n\sim"BEÚ \mathbb{S}\dots\dots\mathbb{A}\mathbb{E}'\int l\dots\dots \{\dots i\dots EÚ^{\text{TM}}\dots\%_0 \\ & M\dots^{\text{TM}}\dots\%_0^* \end{aligned}$$

$$\begin{aligned} & (2) +v^{\text{TM}}\dots I\dots \int\dots \mathbb{R}\mathbb{R}\dots\pm\dots x\dots\dots\hat{\mathbb{A}} EÚ\text{“} \\ & +v^{\text{TM}}\dots I\dots i\dots\dots EÚ\mathbb{A}\mathbb{E}'\%_0M\dots\dots +\sqrt{v^{\text{TM}}\dots I\dots} \\ & EÚ\text{“} +x\dots\div\{\dots \int l\dots i\dots\mathbb{R}\dots\hat{\mathbb{A}}, \{\dots \mathbb{A}\mathbb{E}'\pi\dots n\sim \\ & +v^{\text{TM}}\dots I\dots i\dots\dots EÚ\mathbb{A}\mathbb{E}'x\dots\%_0 E\%Ú \pm\dots B \\ & +\{\dots x\dots\%_0 \int\dots n\sim^{\text{TM}}\dots\dots\hat{\mathbb{A}} \mathbb{R}\dots\hat{\mathbb{A}} \int\dots\%_0 \\ & BEÚ\int\dots n\sim^{\text{TM}}\dots EÚ\dots\%_0 x\dots\mathbb{Y}\dots\dots\ll S\dots i\dots \\ & EÚ\mathbb{A}\mathbb{E}'\%_0M\dots\text{“}^* \end{aligned}$$

$$\begin{aligned} & (3) \{\dots\mathbb{A}\mathbb{E}'\dots\ll\mathbb{Y}\dots i\dots\text{“}\ll\mathbb{Y}\dots\pi\dots\dots\hat{\mathbb{E}} E\%Ú \\ & n\sim\dots\mathbb{E}\mathbb{A}\mathbb{E}'\dots x\dots \mathbb{Y}\dots\partial\mathbb{Y}\dots\mathbb{Y}\dots t\dots\pm\dots^{\text{TM}}\dots \\ & E\%Ú EÚ\dots^{\text{TM}}\dots\ll EÚ\mathbb{A}\mathbb{E}'h\dots EÚ\text{“} BEÚ \\ & \mathbb{A}\mathbb{E}'\{\dots\dots\%_0]1\ll, +\dots\mathbb{E}\mathbb{A}\mathbb{E}'\int\dots\dots l\dots\Omega\dots\text{“} |\dots\dots \\ & \{i\dots^{\text{TM}}\dots\dots\hat{\mathbb{A}} +\dots\mathbb{E}\mathbb{A}\mathbb{E}' J\dots S\dots\hat{\mathbb{E}} E\%Ú \\ & \mathbb{Y}\dots\mathbb{Y}\dots\mathbb{A}\mathbb{E}'h\dots, ^{\text{TM}}\dots l\dots\dots\int\dots\Delta\{\dots\mathbb{A}\mathbb{E}'\text{“} I\dots i\dots \\ & i\dots\div\pm\dots x\dots-\{\dots j\dots i\dots l\dots\dots \mathbb{Y}\dots k\dots\text{“}^{\text{TM}}\dots \\ & +\dots\Delta EÚ\pm\dots x\dots E\div Ú\pm\dots\{\dots i\dots \\ & u\sim\dots\mathbb{A}\mathbb{E}'\dots\mathbb{R}\dots\Omega\dots\{\dots \mathbb{A}\mathbb{E}'\pi\dots n\sim EÚ\dots\%_0 \\ & =\int\dots E\%Ú \mathbb{Y}\dots\dots \pi\dots\ll EÚ \int\dots \mathbb{R}\mathbb{R}\dots\pm\dots x\dots \\ & E\%Ú \int\dots\mathbb{R}\dots^{\text{TM}}\dots |\dots\int i\dots\div i\dots EÚB \\ & V\dots\dots B\Delta M\dots\%_0^* \end{aligned}$$

$$\begin{aligned} & (4) \mathbb{R}\dots\Omega\dots\{\dots \mathbb{A}\mathbb{E}'\pi\dots n\sim EÚ\dots \int\dots \mathbb{R}\mathbb{R}\dots\pm\dots x\dots \\ & ^{\text{TM}}\dots\dots i\dots\dots\%_0 \int\dots\dots v\dots\dots\mathbb{A}\mathbb{E}'h\dots^{\text{TM}}\dots\dots \\ & \mathbb{Y}\dots\partial\dots\%_0\pi\dots\Omega\dots\dots\%_0M\dots\dots^* \end{aligned}$$

$$\begin{aligned} & (5) |\dots i^{\text{TM}}\dots\%_0 EÚ \int\dots \mathbb{R}\mathbb{R}\dots\pm\dots x\dots EÚ\text{“} \\ & i\dots\dots\mathbb{A}\mathbb{E}'\text{“} J\dots +v^{\text{TM}}\dots I\dots u\sim\dots\mathbb{A}\mathbb{E}'\dots +l\dots\mathbb{Y}\dots\dots \\ & =\int\dots EÚ\text{“} +x\dots\div\{\dots \int l\dots i\dots\mathbb{R}\dots\hat{\mathbb{A}} E\div Ú\pm\dots\{\dots \\ & i\dots u\sim\dots\mathbb{A}\mathbb{E}'\dots x\dots^{\text{TM}}\dots i\dots EÚ\text{“} \\ & V\dots\dots BM\dots\text{“}^* \end{aligned}$$

$$\begin{aligned} & (6) |\dots i^{\text{TM}}\dots\%_0 EÚ \int\dots \mathbb{R}\mathbb{R}\dots\pm\dots x\dots EÚ\text{“} \\ & \int\dots\mathcal{S}\dots x\dots\dots, =\int\dots E\%Ú \int\dots\mathbb{R}\dots^{\text{TM}}\dots +\dots\mathbb{E}\mathbb{A}\mathbb{E}' \\ & \int l\dots\dots x\dots i\dots l\dots\dots=\int\dots\mathbb{R}\dots\hat{\mathbb{A}} \int\dots\Delta\{\dots\dots n\sim i\dots \\ & EÚB V\dots\dots x\dots\%_0 \mathbb{Y}\dots\dots\pm\dots\%_0 \\ & EÚ\dots\mathbb{R}\dots EÚ\dots V\dots EÚ\dots\%_0 \mathbb{Y}\dots x\dots \end{aligned}$$

$n \sim \langle \pi \rangle_1 E \dot{U} \dot{A} \dot{E} \dot{i} \dots \% \Omega_c \div B, | \dots i^{TM} \dots \% E \dot{U}$
 $\int \dots n \sim f^{TM} \dots E \dot{U} \dots \% \P \dots \% V \dots \text{“} V \dots \dots B M \dots \text{“}$
 $+ \dots \ddot{E} \dot{A} \dot{E} \dot{i} \dots v \dots \dots \dot{A} \dot{E} \dot{h} \dots \int \dots \textcircled{R} \textcircled{R} \dots \pm \dots x \dots$
 $E \% \dot{U} \{ \dots / \dot{A} \dot{E} \dot{i} \% 15 \ n \sim x \dots \{ \dots \dot{A} \dot{E} \dots \langle + \dots \ddot{E} \dot{A} \dot{E} \dot{i}$
 $\P \dots \partial \dots \% \pi \dots \int \dots \textcircled{R} \textcircled{R} \dots \pm \dots x \dots E \% \dot{U}$
 $\{ \dots / \dot{A} \dot{E} \dot{i} \% 7 \ n \sim x \dots \{ \dots \dot{A} \dot{E} \dots \langle \P \dots \partial \P \dots$
 $\P \dots t \dots \pm \dots^{TM} \dots E \% \dot{U} E \dot{U} \dots^{TM} \dots \dots \langle \pm \dots^{TM} \dots$
 $\{ \dots \dot{A} \dot{E} \dot{i} | \dots n \sim \partial \dots \langle i \dots E \dot{U} \text{“} V \dots \dots B M \dots \text{“} :$

$\{ \dots \dot{A} \dot{E} \dot{i} x i \dots \div^{TM} \dots n \sim \int \dots \mathcal{S} \dots x \dots \dots,$
 $\P \dots \partial \P \dots \P \dots t \dots \pm \dots^{TM} \dots E \% \dot{U}$
 $E \dot{U} \dots^{TM} \dots \dots \langle \pm \dots^{TM} \dots \{ \dots \dot{A} \dot{E} \dot{i} | \dots n \sim$
 $\partial \dots \langle i \dots$
 $E \dot{U} \text{“} M \dots \langle \langle \Omega_c \ddot{E} i \dots \dots \% E \dot{U} \int \dots \text{“}$
 $\int \dots n \sim f^{TM} \dots \{ \dots \dot{A} \dot{E} \dot{i} = \int \dots E \dot{U} \text{“}$
 $i \dots \dots \textcircled{R} \dots \text{“} \pm \dots x \dots \Omega_c \dots \% x \dots \dots$
 $E \dot{U} \int \dots \text{“} \int \dots \textcircled{R} \textcircled{R} \dots \pm \dots x \dots E \dot{U} \text{“} \P \dots$
 $v \dots \textcircled{R} \dots x^{TM} \dots i \dots E \dot{U} \dots \%$
 $| \dots \P \dots \P \dots i \dots x \dots \Omega_c \text{”}$
 $E \dot{U} \dot{A} \dot{E} \dot{i} \% M \dots \dots *$

$(7) \int \dots \textcircled{R} \textcircled{R} \dots \pm \dots x \dots \textcircled{R} \dots \hat{A}, = \int \dots \int \dots \%$
 $\int \dots \Delta \S \dots \Delta v \dots i \dots \int \dots \mathcal{S} \dots x \dots \dots \textcircled{R} \dots \hat{A} \P \dots$
 $x \dots n \sim \langle \pi \rangle_1 \int \dots \% \P \dots z \dots E \dot{U} \dots \% \langle \P \dots \text{“}$
 $+ x^{TM} \dots E \dot{U} \dots \textcircled{R} \dots E \dot{U} \dots V \dots \int \dots \textcircled{R} \{ \dots \dots n \sim i \dots$
 $x \dots \Omega_c \text{”} E \dot{U}^{TM} \dots V \dots \dots B M \dots \dots *$

M...h...{

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$\textcircled{R} \dots \Omega_c \dots \{ \dots \dot{A} \dot{E} \dot{i} \pi \dots n \sim \neg E \% \dot{U} \int \dots$
 $M \dots \hat{x} \dots E \dot{U} \dot{A} \dot{E} \dot{i} x \dots \% \P \dots \dots \pm \dots \%$
 $\int \dots n \sim f^{TM} \dots \hat{A} E \dot{U} \text{“} E \div \dot{U} \pm \dots$
 $\int \dots \Delta J^{TM} \dots E \% \dot{U} B E \dot{U} i \dots \Omega_c \dots \langle \langle$
 $\int \dots \%$
 $\Omega_c \dots \% M \dots \text{“} + \dots \ddot{E} \dot{A} \dot{E} \dot{i}^{TM} \dots n \sim \int \dots$
 $\textcircled{R} \textcircled{R} \dots \pm \dots x \dots \textcircled{R} \dots \hat{A} M \dots h \dots \{ \dots / i \dots \langle$
 $x \dots \Omega_c \text{”} \Omega_c \dots \% i \dots \text{“} \Omega_c \ddot{E}, i \dots \dots \%$
 $\{ \dots \text{“} \wedge \dots \int \dots \text{“} x \dots + v \dots E \dot{U} \dots \dot{A} \dot{E} \dot{i} \dots \int \dots$
 $\textcircled{R} \textcircled{R} \dots \pm \dots x \dots E \dot{U} \dots \% B \% \int \dots \text{“}$
 $i \dots \dots \dot{A} \dot{E} \dot{i} \text{“} J \dots + \dots \ddot{E} \dot{A} \dot{E} \dot{i} \dots \int \dots \textcircled{R} \dots^{TM} \dots$
 $i \dots E \dot{U} E \% \dot{U} \pm \dots B \int l \dots M \dots i \dots$
 $E \dot{U} \dot{A} \dot{E} \dot{i} \% M \dots \dots, V \dots \ddot{E} \int \dots E \dot{U}$
 $= \int \dots E \% \dot{U} u \sim \dots \dot{A} \dot{E} \dot{i} \dots x \dots^{TM} \dots i \dots$
 $E \dot{U}^{TM} \dots V \dots \dots B :$

$\{ \dots \dot{A} \dot{E} \dot{i} x i \dots \div \int l \dots M \dots i \dots \int \dots$
 $\textcircled{R} \textcircled{R} \dots \pm \dots x \dots E \% \dot{U} \pm \dots B$
 $E \dot{U} \dots \% \langle \langle M \dots h \dots \{ \dots / i \dots \langle$

$$\begin{aligned}
 & + \dots \forall \dots \partial^{\text{TM}} \dots \text{E}\acute{\text{U}} \\
 & \text{x} \dots \Omega_{\epsilon} \text{''} \quad \Omega_{\epsilon} \dots \% \text{o} \text{M} \dots \text{''} \quad \text{i} \dots \text{l} \dots \\
 & \text{B} \% \text{j} \dots \% \text{o} \quad \text{j} \text{l} \dots \quad \text{M} \dots \text{i} \dots \quad \text{j} \dots \\
 & \text{\textcircled{R}} \text{\textcircled{R}} \dots \pm \dots \text{x} \dots \quad \text{\textcircled{R}} \dots \hat{\text{A}} \quad \forall \dots \text{S} \dots \text{A}\acute{\text{E}} \text{' } \\
 & \Omega_{\epsilon} \% \text{o} \text{i} \dots \div \quad \text{E}\acute{\text{U}} \dots \% \text{o} < \ll \\
 & \text{x} \dots \text{TM} \dots \quad \forall \dots \pi \dots \text{TM} \dots \quad \text{x} \dots \Omega_{\epsilon} \text{''} \\
 & \pm \dots \text{TM} \dots \quad \text{V} \dots \text{BM} \dots \text{*}_{13}
 \end{aligned}$$

20.

$$\begin{aligned}
 & + \text{v}^{\text{TM}} \dots \text{I} \dots + \text{l} \dots \forall \dots \\
 & \forall \dots \Omega \quad \text{''} \text{''} \text{''} \text{E}\acute{\text{U}} \int \dots \text{\textcircled{R}} \dots \text{Z} \dots \% \text{o}, \\
 & \text{E}\acute{\text{U}} \text{''} \partial \dots \quad \text{E} \% \text{o} \acute{\text{U}} \text{E}\acute{\text{U}} \text{\textcircled{R}} \dots \int \dots \% \text{o} \text{E}\acute{\text{U}} \text{\textcircled{R}} \dots 15
 \end{aligned}$$

$$\begin{aligned}
 & {}_{13} \int \dots \Delta \partial \dots \% \text{o} \text{v} \dots \text{x} \dots + \text{v} \dots \text{x} \dots \text{TM} \dots \text{\textcircled{R}} \dots \text{G}\acute{\text{U}}. 8 \int \dots \text{x} \dots \neg 2006 \text{u} \dots \text{A}\acute{\text{E}} \text{' } \dots \text{x} \dots < \ll \text{v} \dots \text{A}\acute{\text{E}} \text{' } \dots \\
 & \text{V} \dots \% \text{o} \text{c} \text{''} \text{''} \text{M} \dots < \ll \text{*}
 \end{aligned}$$

$$\begin{aligned}
 & \text{E} \% \text{o} \acute{\text{U}} \text{n} \sim \dots \% \text{o} \int \dots \{ \text{i} \dots \Omega_{\epsilon} \text{E} \% \text{o} \acute{\text{U}} \P \dots \text{''} \text{''} \text{''} \text{i} \dots \text{A}\acute{\text{E}} \text{' } \forall \dots \Omega_{\epsilon} \forall \dots \ddot{\text{E}} \int \dots \\
 & \text{E}\acute{\text{U}} \text{A}\acute{\text{E}} \text{' } \text{x} \dots \% \text{o} \text{E} \% \text{o} \acute{\text{U}} \quad \pm \dots \text{B} \S \dots \text{v}^{\text{TM}} \dots \Omega_{\epsilon} \dots \% \text{o} \text{M} \dots \text{*}
 \end{aligned}$$

$$\int \text{l} \dots \text{M} \dots \text{x} \dots$$

21.

$$\begin{aligned}
 & \text{\textcircled{R}} \dots \Omega_{\epsilon} \dots \{ \dots \text{A}\acute{\text{E}} \text{' } \pi \dots \text{n} \neg \text{E}\acute{\text{U}} \dots \text{E}\acute{\text{U}} \dots \% \text{o} < \ll \\
 & \S \dots \Omega_{\epsilon} \div \text{\textcircled{R}} \dots \text{i} \dots \text{E}\acute{\text{U}} \text{''} \quad \int \dots \Omega_{\epsilon} \text{\textcircled{R}} \dots \quad \text{i} \dots \\
 & \int \dots \% \text{o} \quad \text{E}\acute{\text{U}} \int \dots \text{''} \quad + \text{x}^{\text{TM}} \dots \quad \text{i} \dots \text{A}\acute{\text{E}} \text{' } \text{''} \text{''} \text{''} \text{J} \dots \\
 & \text{i} \dots \text{E}\acute{\text{U}} \quad \text{E} \% \text{o} \acute{\text{U}} \quad \pm \dots \text{B} \\
 & \int \text{l} \dots \quad \text{M} \dots \text{i} \dots \quad \text{E}\acute{\text{U}}^{\text{TM}} \dots \quad \text{V} \dots \\
 & \int \dots \text{E} \% \text{o} \acute{\text{U}} \text{M} \dots, \quad \text{E}\acute{\text{U}} \text{x} \text{i} \dots \div = \int \dots \\
 & \text{E}\acute{\text{U}} \dots \text{\textcircled{R}} \dots \text{E}\acute{\text{U}} \dots \text{V} \dots \quad \int \dots \% \text{o}, \quad \text{V} \dots \% \text{o} \\
 & \int \text{l} \dots \quad \text{M} \dots \text{i} \dots \quad \int \dots \quad \text{\textcircled{R}} \text{\textcircled{R}} \dots \pm \dots \text{x} \dots \quad \text{\textcircled{R}} \dots \hat{\text{A}} \\
 & \text{U}\grave{\text{U}} \dots \% \text{o} \text{c} \quad \text{n}^{\text{TM}} \dots \quad \text{M} \dots \text{TM} \dots \\
 & \text{l} \dots, \quad \P \dots \text{z} \dots \quad \text{E}\acute{\text{U}} \dots \% \text{o} < \ll \quad + \text{x}^{\text{TM}} \dots \\
 & \text{E}\acute{\text{U}} \dots \text{\textcircled{R}} \dots \text{E}\acute{\text{U}} \dots \text{V} \dots \quad + \dots \text{M} \dots \text{\textcircled{R}} \dots \text{''} \\
 & \int \dots \quad \text{\textcircled{R}} \text{\textcircled{R}} \dots \pm \dots \text{x} \dots \quad \text{\textcircled{R}} \dots \hat{\text{A}} \quad \int \dots \text{\textcircled{R}} \{ \dots \\
 & \text{n} \sim \text{i} \dots \quad \text{x} \dots \Omega_{\epsilon} \text{''} \quad \text{E}\acute{\text{U}}^{\text{TM}} \dots \\
 & \text{V} \dots \text{BM} \dots
 \end{aligned}$$

$$\begin{aligned}
 & \forall \dots \partial \forall \dots \quad \forall \dots \text{t} \dots \pm \dots \text{TM} \dots \quad \text{E} \% \text{o} \acute{\text{U}} \\
 & \text{E}\acute{\text{U}} \dots \text{TM} \dots \ll \pm \dots \text{TM} \dots \quad \text{\textcircled{R}} \dots \hat{\text{A}} = \int \dots \\
 & \text{n} \sim \text{x} \dots, \quad \text{V} \dots \int \dots \text{E}\acute{\text{U}} \dots \% \text{o} \quad \int \dots \\
 & \text{\textcircled{R}} \text{\textcircled{R}} \dots \pm \dots \text{x} \dots \\
 & \int \text{l} \dots \quad \text{M} \dots \text{i} \dots \quad \text{E}\acute{\text{U}}^{\text{TM}} \dots \quad \text{M} \dots \text{TM} \dots \\
 & \Omega_{\epsilon} \ddot{\text{E}}, \quad \pm \dots \text{M} \dots < \ll \quad \text{M} \dots < \ll \quad \text{B} \% \text{j} \dots \% \text{o} \\
 & \int \text{l} \dots \text{M} \dots \text{x} \dots \quad \text{E}\acute{\text{U}} \text{''} \quad \int \dots \text{S} \dots \text{x} \dots \\
 & \Omega_{\epsilon} \dots \% \text{o} \text{x} \dots \% \text{o} \\
 & \forall \dots \pm \dots \% \text{o} \quad + \dots \text{M} \dots \text{\textcircled{R}} \dots \text{''} \quad \int \dots \\
 & \text{\textcircled{R}} \text{\textcircled{R}} \dots \pm \dots \text{x} \dots \quad \text{E}\acute{\text{U}} \text{''} \quad \{ \dots \text{TM} \dots \ll \{ \text{i} \dots \\
 & \int \dots \text{S} \dots \text{x} \dots \quad \int \dots \text{\textcircled{R}} \dots \text{Z} \dots \text{''} \\
 & \text{V} \dots \text{BM} \dots \text{''} \text{*}
 \end{aligned}$$

$|\dots\partial x\dots\hat{A} E\acute{U}\dots \forall\dots x\dots\partial S\dots^{TM}\dots 22.\S\dots\Omega\div\textcircled{R}\dots i\dots u\checkmark\dots\mathcal{A}^{\cdot}\dots$
 $E\acute{U}^{TM}\dots\dots$
 $|\dots i^{TM}\dots\%E\acute{U}\int\dots n\checkmark^{TM}\dots E\acute{U}\dots BE\acute{U}\textcircled{R}\dots i\dots\Omega_c\dots\%M\dots\dots <\sqrt{\int}\dots$
 $+v\dots x\dots^{TM}\dots\textcircled{R}\dots u\checkmark\dots\mathcal{A}^{\cdot}\dots^{TM}\dots\dots=\int\dots E\%U +v\dots\text{“}x\dots$
 $+x^{TM}\dots 1\dots\dots=\{\dots\S\dots\Delta v\dots i\dots E\%U\int\dots\forall\dots\dots^{TM}\dots<\int\dots+v\dots$
 $x\dots^{TM}\dots\textcircled{R}\dots E\%U$
 $V\dots\dots^{TM}\dots\%M\dots\dots +v\dots\text{“}x\dots E\acute{U}B M\dots B\textcircled{R}\dots\Omega_c\dots\{\dots$
 $\mathcal{A}^{\cdot}\pi\dots n\checkmark\neg E\%U E\acute{U}\int\dots\text{“}\int\dots\textcircled{R}\textcircled{R}\dots\pm\dots x\dots E\%U\int\dots\textcircled{R}\dots I\dots$
 $\pm\dots\dots B M\dots B\int\dots\P\dots\text{“}|\dots\partial x\dots\hat{A}$
 $E\acute{U}\dots \forall\dots x\dots\partial S\dots^{TM}\dots=\{\dots\int l\dots i\dots\int\dots n\checkmark^{TM}\dots\dots\hat{A} E\%U$
 $\S\dots\Omega_c\div\textcircled{R}\dots i\dots u\checkmark\dots\mathcal{A}^{\cdot}\dots E\acute{U}^{TM}\dots\dots V\dots\dots BM\dots\dots$
 $+ \dots\ddot{E}\mathcal{A}^{\cdot}\textcircled{R}\dots i\dots\dots\hat{A} E\%U \S\dots\mathcal{A}^{\cdot}\dots\S\dots\mathcal{A}^{\cdot}\Omega_c\dots\%x\dots\% E\acute{U}\text{“}$
 $n\checkmark\partial\dots\dots\textcircled{R}\dots\hat{A}\int\dots\textcircled{R}\textcircled{R}\dots\pm\dots x\dots E\%U$
 $\{\dots\text{“}\wedge\dots\int\dots\text{“}x\dots|\dots\dots v\dots E\acute{U}\dots\mathcal{A}^{\cdot}\text{“}E\acute{U}\dots x\dots h\dots\dots\langle^{TM}\dots E\acute{U}$
 $\textcircled{R}\dots i\dots\Omega_c\dots\%M\dots\dots*$

$E\acute{U}\dots^{TM}\dots\langle\forall$ 23. (1) $\textcircled{R}\dots\Omega_c\dots\{\dots\mathcal{A}^{\cdot}\pi\dots n\checkmark\neg E\%U$
 $+ \dots\ddot{E}\mathcal{A}^{\cdot}=\int\dots\textcircled{R}\dots\hat{A}=\{\dots\int l\dots i\dots$
 $\int\dots n\checkmark^{TM}\dots\dots\hat{A} E\%U x\dots\dots\textcircled{R}\dots$
 $E\acute{U}\dots^{TM}\dots\langle\forall\dots fik\dots\{\dots\div\int i\dots E\acute{U}$
 $\textcircled{R}\dots\hat{A}$
 $|\dots \forall\dots\pi]_1 E\acute{U}B V\dots\dots B\Delta M\dots\%$
 $+ \dots\ddot{E}\mathcal{A}^{\cdot}=x\dots E\acute{U}\dots\{\dots\div\pi]_1 E\acute{U}\mathcal{A}^{\cdot}h\dots$
 $=\int\dots\text{“}^{TM}\dots\dots\Omega_c\dots\%x\dots\%$
 $\forall\dots\dots\pm\dots\%$
 $\wedge\text{“}E\acute{U} + \dots M\dots\dots\textcircled{R}\dots\text{“}\int\dots$
 $\textcircled{R}\textcircled{R}\dots\pm\dots x\dots\textcircled{R}\dots\hat{A}=\int\dots E\acute{U}\text{“}$
 $+v^{TM}\dots I\dots i\dots\dots E\acute{U}\mathcal{A}^{\cdot}x\dots\%$
 $\forall\dots\dots\pm\dots\%$
 $\forall^{TM}\dots H\acute{U} u\checkmark\dots\mathcal{A}^{\cdot}\dots E\acute{U}^{TM}\dots\dots$
 $V\dots\dots BM\dots\dots*$

(2) $\textcircled{R}\dots\Omega_c\dots\{\dots\mathcal{A}^{\cdot}\pi\dots n\checkmark\neg E\%U$
 $|\dots i^{TM}\dots\%E\acute{U}\int\dots\textcircled{R}\textcircled{R}\dots\pm\dots x\dots E\acute{U}\text{“}$
 $E\acute{U}\dots^{TM}\dots\langle\forall\dots\dots\Omega_c^{TM}\dots\dots\hat{A} E\acute{U}\text{“} BE\acute{U}|\dots$
 $i\dots\pm\dots\{\dots\mathcal{A}^{\cdot}\dots V^{TM}\dots\int\dots\mathcal{A}^{\cdot}E\acute{U}\dots\mathcal{A}^{\cdot}$
 $E\acute{U}\dots\% \int\dots\textcircled{R}\textcircled{R}\dots\pm\dots x\dots\int\dots\% \int\dots\dots i\dots$
 $n\checkmark x\dots\dots\hat{A} E\%U \P\dots\text{“}i\dots\mathcal{A}^{\cdot}+O\dots\% \pi\dots i\dots$
 $E\acute{U}\text{“} V\dots\dots BM\dots\dots\text{“}*$

(3) $<\int\dots v\dots\dots\mathcal{A}^{\cdot}\dots u\checkmark\dots\mathcal{A}^{\cdot}\dots \forall\dots\Omega_c i\dots$
 $E\acute{U}\dots^{TM}\dots\langle\forall\dots fik\dots\{\dots\div\int i\dots E\acute{U} \forall\dots\partial\forall\dots$
 $\forall\dots t\dots\pm\dots^{TM}\dots E\%U$
 $E\acute{U}\dots^{TM}\dots\dots\langle\pm\dots^{TM}\dots\textcircled{R}\dots\hat{A}\int\dots\P\dots\text{“}^{TM}\dots\div$

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$$\begin{aligned} & \text{EÚ}\int\ldots\text{“ S}\ldots^{\text{TM}}\ldots\text{x}\ldots \int\ldots \text{®}\ldots \text{i}\ldots \\ & \text{EÚ}\ldots \text{M}\ldots\text{`x}\ldots \text{EÚ}\text{Æ}\text{'x}\ldots\ldots \\ & +\ldots\text{¥}\ldots\partial^{\text{TM}}\ldots\text{EÚ} \quad \text{x}\ldots\text{Ω}_\epsilon\text{”} \\ & \text{Ω}_\epsilon\ldots\%_0\text{M}\ldots\ldots :- \end{aligned}$$

$$(\text{EÚ})\text{EÚ}\ldots\%_0<\ll + \text{v}\ldots\int\ldots\Delta\text{J}^{\text{TM}}\ldots \{\ldots\text{n}\sim (\int\ldots\div\{\ldots\text{Æ}\text{'x}\ldots^{\text{TM}}\ldots\text{®}\ldots\text{Æ}\text{'}\%_0\text{Æ}\text{'}\text{“}$$

$$\{\ldots\ldots\%_0\int\text{]1}\},^{\text{TM}}\ldots\ldots$$

$$\begin{aligned} & (\text{J}\ldots)+\ldots\text{S}\ldots\ldots^{\text{TM}}\ldots\ll \quad \text{EÚ}\ldots \\ & \text{B}\%_0\int\ldots\ldots \{\ldots\text{n}\sim, \quad \text{V}\ldots\int\ldots\%_0 \\ & \int\text{¥}\ldots\text{“EÚ}\ldots\text{Æ}\text{'} \quad \text{EÚ}\text{Æ}\text{'x}\ldots\%_0 \\ & \text{Ω}_\epsilon\%_0\text{i}\ldots\div \\ & \text{®}\ldots\text{Ω}_\epsilon\ldots\{\ldots \text{Æ}\text{'}\pi\ldots\text{n}\sim\text{¬} \text{u}\sim\ldots\text{Æ}\text{'}\ldots \\ & \text{EÚ}\int\ldots\text{“ ¥}^{\text{TM}}\ldots \text{HÚ} \text{EÚ}\ldots\%_0=\int\ldots\text{EÚ}\text{“} \\ & =\text{SS}\ldots \quad \partial\ldots\ddot{\text{E}}\text{I}\ldots \quad \text{h}\ldots\text{EÚ} \\ & \text{¥}\ldots \quad \partial\ldots\pi\text{]ii}\ldots\ldots, \text{J}^{\text{TM}}\ldots\ldots \text{i}\ldots \\ & \text{i}\ldots\text{l}\ldots\ldots \quad \text{¥}\ldots\text{fi} \quad \text{k}\ldots\text{EÚ} \\ & ^{\text{TM}}\ldots\ldots\%_0\text{M}^{\text{TM}}\ldots\text{i}\ldots\ldots \quad \text{E}\%_0\text{Ú} \\ & \text{EÚ}\ldots\text{Æ}\text{'h}\ldots \quad +\ldots\text{®}\ldots\Delta \quad \text{j}\ldots\text{i}\ldots \\ & \text{EÚ}^{\text{TM}}\ldots\ldots \text{M}\ldots^{\text{TM}}\ldots\ldots \text{Ω}_\epsilon\ddot{\text{E}}, \end{aligned}$$

$$\begin{aligned} & (\text{i}\ldots\text{“x}\ldots)|\ldots\partial\ldots\ldots\int\ldots \text{x}\ldots\text{EÚ}, +\text{x}\ldots\div\int\ldots \\ & \text{S}\ldots\text{¥}\ldots\text{“}^{\text{TM}}\ldots +\ldots\ddot{\text{E}}\text{Æ}\text{' } +\text{x}^{\text{TM}}\ldots \\ & +\ldots\text{¥}\ldots\partial^{\text{TM}}\ldots\text{EÚ} \{\ldots\text{n}\sim\ldots\hat{\text{A}} \text{EÚ}\ldots \\ & \int\ldots\text{fiV}\ldots\text{x}\ldots\text{EÚ}\text{Æ}\text{'x}\ldots\ldots, \text{B}\%_0\int\ldots\%_0 \{\ldots\text{n}\sim\ldots\hat{\text{A}} \\ & \text{EÚ}\text{“} \int\ldots\Delta\text{J}^{\text{TM}}\ldots\ldots \text{i}\ldots\text{l}\ldots\ldots =\text{x}\ldots\text{EÚ}\text{“}=\{\ldots\pm\ldots \\ & \S\text{v}^{\text{TM}}\ldots\ldots\Delta +\text{¥}\ldots\text{v}\ldots\ldots \text{Æ}\text{'i}\ldots\text{EÚ}\text{Æ}\text{'x}\ldots\ldots, \\ & \text{B}\%_0\int\ldots\%_0 \{\ldots\text{n}\sim\ldots\hat{\text{A}} \{\ldots\text{Æ}\text{' } \text{x}\ldots^{\text{TM}}\ldots\div \text{HÚ} \\ & \text{E}\%_0\text{Ú} \pm\ldots\text{B} \text{x}^{\text{TM}}\ldots\text{/x}\ldots\text{i}\ldots\text{®}\ldots +\text{Ω}_\epsilon\ll\text{i}\ldots\ldots \text{¥}\ldots \\ & \text{x}\ldots \text{n}\sim\langle\pi\text{]iEÚ}\text{Æ}\text{'x}\ldots\ldots +\ldots\ddot{\text{E}}\text{Æ}\text{' } + \\ & \text{v}\ldots\text{EÚ}\ldots\text{Æ}\text{“} \int\ldots\Delta\text{¥}\ldots\text{M}\ldots\ll \text{E}\%_0\text{Ú} \{\ldots\text{n}\sim\ldots\hat{\text{A}} \\ & \{\ldots\text{Æ}\text{' } ¥^{\text{TM}}\ldots \text{HÚ}^{\text{TM}}\ldots\ldots\hat{\text{A}} \text{EÚ}\text{“} \text{x}\ldots^{\text{TM}}\ldots\div \\ & \text{HÚ}\int\ldots\%_0\text{¥}\ldots\ldots \text{E}\%_0\text{Ú} \text{B}\%_0\int\ldots\%_0 \\ & \text{x}\ldots\S\ldots\Delta\text{v}\ldots\text{x}\ldots\ldots\hat{\text{A}} +\ldots\ddot{\text{E}}\text{Æ}\text{' } \partial\ldots\text{i}\ldots\ldots\hat{\text{E}} \\ & \{\ldots\text{Æ}\text{' } \text{EÚ}\text{Æ}\text{'x}\ldots\ldots \text{V}\ldots\ldots\%_0 <\int\ldots \text{x}\ldots \\ & \text{®}\ldots\text{k}\ldots\S\ldots\text{x}\ldots\ldots\text{B} \text{M}\ldots\text{B} \text{¥}\ldots \\ & \text{x}\ldots^{\text{TM}}\ldots\text{®}\ldots\ldots\hat{\text{A}} \text{u}\sim\ldots\text{Æ}\text{'}\ldots \text{¥}\ldots \text{Ω}_\epsilon\text{i}\ldots \text{EÚ}\text{“} \\ & \text{V}\ldots\ldots\text{B}\Delta^{\text{TM}}\ldots\ldots \text{x}\ldots^{\text{TM}}\ldots\div \text{HÚ} \text{EÚ}\text{“}\partial\ldots \\ & \text{HÚ}^{\text{TM}}\ldots\ldots\hat{\text{A}} \text{EÚ}\ldots \\ & |\ldots\text{i}^{\text{TM}}\ldots\ldots^{\text{TM}}\ldots\ldots\%_0\text{V}\ldots\text{x}\ldots \text{B}\%_0\int\ldots\%_0 |\ldots\ldots \\ & \text{v}\ldots\text{EÚ}\text{Æ}\text{'h}\ldots^{\text{TM}}\ldots\ldots |\ldots\ldots \text{v}\ldots\text{EÚ}\text{Æ}\text{'h}\ldots\ldots\hat{\text{A}} \\ & ^{\text{TM}}\ldots\ldots+\text{v}\ldots\text{EÚ}\ldots\text{Æ}\text{“}^{\text{TM}}\ldots\ldots +\text{v}\ldots\text{EÚ}\ldots \\ & \text{Æ}\text{'^{\text{TM}}\ldots\ldots\hat{\text{A}} \text{EÚ}\ldots\%_0 \text{EÚ}\text{Æ}\text{'x}\ldots\ldots \text{V}\ldots\ddot{\text{E}}\int\ldots\ldots \\ & \text{¥}\ldots\text{Ω}_\epsilon \text{`“EÚ} \int\ldots\text{®}\ldots\text{Z}\ldots\%_0, \end{aligned}$$

(S.....Æ´) ¥...∂¥... ¥...t...±...™... E%Ú
 ¥...k..., ±...%J...%, ¥... x...v.....x...,
 =∫...EÚ“ ∫...®{... k..., =∫...EÚ...
 EÚ...®...EÚ...V..., i...l..... =∫...E%Ú
 ∫...®...∫i... +x™... |...∂.....∫... x...EÚ
 GÚ™.....EÚ±.....{.....Â EÚ... |...§...Δv...
 +...ËÆ´ ¥... x...™...®...x... EÚÆ´x.....
 +...ËÆ´ =∫... |...™.....%V...x...E%Ú ±...B
 B%∫...% + ¶...EÚi.....« x...™...÷HÚ
 EÚÆ´x..... V...Ë∫..... ¥...Ω_ε ``EÚ
 ∫...®...Z...%,

({.....ΔS...) ¥...∂¥... ¥...t...±...™... E%Ú
 EÚxΩ_ε” ¶...“ v...x.....Â EÚ...,
 V...x...®...Â +x...÷{...™.....%
 V...i...+...™... ∫...Æ®®... ±...i... ΩË_ε,
 B%∫...% ∫]l...EÚ, x... v...™.....Â,
 +Δ∂.....Â ™..... |... i...¶.../
 i...™.....Â®...Â, V...Ë∫..... ¥...Ω_ε
 ∫...®...™...-∫...®...™... {...Æ´ ``EÚ
 ∫...®...Z...%, ™..... ¶.....Æ´i... ®...Â
 EÚ∫...“ ∫l.....¥...Æ´ ∫...®{... k... E%Ú
 GÚ™... ®...Â x... ¥...v.....x...
 EÚÆ´x....., B%∫...% ¥... x...v.....x.....Â
 ®...Â ∫...®...™...-∫...®...™... {...Æ´
 °%ÚÆ´°Ú...Æ´ EÚÆ´x...% EÚ“
 i...i∫...®...∂... HÚ E%Ú ∫.....l...,
 (UÛΩ_ε)Æ´...V™... ∫...Æ´EÚ...Æ´ EÚ“ +x...÷Y.....
 ∫...% EÚ∫...“ V...ΔM...®... ™..... ∫l.....¥...Æ´
 ∫...®{... k...

EÚ... ¥...∂¥... ¥...t...±...™... EÚ“ +...%Æ´ ∫...% +xi... Æ´i...
 EÚÆ´x..... ™..... =x...E%Ú
 +xi...Æ´h.....Â EÚ...% |... i...M...fiΩ_ε“i...
 EÚÆ´x.....,

(∫.....i...) ¥...∂¥... ¥...t...±...™... EÚ“ +...%Æ´
 ∫...% ∫...Δ ¥...n~...BΔ EÚÆ´x....., =x...®...Â
 °%ÚÆ´°Ú...Æ´

EÚÆ´x....., =x...EÚ... x...π{.....ñx... EÚÆ´x..... ™..... =xΩ_ε Â
 Æ´q~ EÚÆ´x..... +...ËÆ´ =∫...
 |...™.....%V...x... E%Ú ±...B B%∫...% + v...EÚ... Æ´™.....Â
 EÚ...% x...™...÷HÚ EÚÆ´x..... V...Ë∫..... ¥...Ω_ε
 ``EÚ ∫...®...Z...%,

$$\begin{aligned}
& (+\dots\text{'}) \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{\text{TM}} \dots E\acute{U} \dots \\
& E\acute{U} \dots \textcircled{R} \dots E\acute{U} \dots V \dots S \dots \pm \dots x \dots \% E\% \acute{U} \pm \dots B \\
& + \dots \forall \dots \partial^{\text{TM}} \dots E\acute{U} \P \dots \forall \dots x \dots \hat{A}, \\
\{ \dots \mathcal{A} \int \dots \mathcal{A} \dots \hat{A}, & = \{ \dots \int E\acute{U} \mathcal{A} \dots \hat{A} i \dots l \dots \int \dots \Delta v \dots j \dots \hat{A} + \dots \ddot{E} \mathcal{A} \dots \\
& + x^{\text{TM}} \dots \int \dots v \dots x \dots \hat{A} E\acute{U} \text{“} \forall^{\text{TM}} \dots \forall \dots \int l \dots \\
& E\acute{U} \mathcal{A} \dots x \dots, \\
& (x \dots \ddot{E}) \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{\text{TM}} \dots E\% \acute{U} = x \dots + \\
& v \dots E\acute{U} \dots \mathcal{A}^{\text{TM}} \dots \hat{A} + \dots \ddot{E} \mathcal{A} \dots + v^{\text{TM}} \dots \{ \dots E\acute{U} \dots \hat{A} \\
& E\acute{U} \text{“} V \dots \% , \\
& E\acute{U} \dots \%]_1 \ll E\% \acute{U} E\acute{U} \int \dots \text{“} E\acute{U} \dots^{\text{TM}} \dots \ll \int \dots \% \forall^{\text{TM}} \dots l \dots i \dots x \dots \\
& \Omega_{\epsilon} \dots \% E\acute{U} \mathcal{A} \dots + x^{\text{TM}} \dots l \dots E\acute{U} \int \dots \text{“} \\
& E\acute{U} \dots \mathcal{A} \dots h \dots \int \dots \% \forall^{\text{TM}} \dots l \dots i \dots \Omega_{\epsilon} \ddot{E}, \partial \dots E\acute{U} \dots^{\text{TM}} \dots i \dots \hat{A} E\acute{U} \dots \% \\
& O \dots \Omega_{\epsilon} h \dots E\acute{U} \mathcal{A} \dots x \dots, x^{\text{TM}} \dots^{\text{TM}} \dots - \\
& x \dots h \dots \langle i \dots E\acute{U} \mathcal{A} \dots x \dots + \dots \ddot{E} \mathcal{A} \dots^{\text{TM}} \dots n \check{\forall} \dots \Omega_{\epsilon} = S \dots i \dots \\
& \int \dots \textcircled{R} \dots Z \dots \% i \dots \% B \% \int \dots \text{“} E\acute{U} x \Omega_{\epsilon} \text{”} \\
& \partial \dots E\acute{U} \dots^{\text{TM}} \dots i \dots \hat{A} E\acute{U} \dots \% n \check{\mathcal{A}} E\acute{U} \mathcal{A} \dots x \dots, \\
& (n \check{\int} \dots) B \% \int \dots \text{“} + x^{\text{TM}} \dots \partial \dots H\acute{U}^{\text{TM}} \dots \hat{A} E\acute{U} \dots \\
& | \dots^{\text{TM}} \dots \% M \dots i \dots l \dots B \% \int \dots \% + x^{\text{TM}} \dots \\
& E\acute{U} k \dots \ll \forall^{\text{TM}} \dots \hat{A} E\acute{U} \dots \\
& + x \dots \div \{ \dots \pm \dots x \dots E\acute{U} \mathcal{A} \dots x \dots V \dots \% < \int \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots \\
& u \check{\dots} \mathcal{A} \dots^{\text{TM}} \dots = \int \dots E\% \acute{U} + v \dots \text{“} x \dots \\
& = \int \dots \% | \dots n \check{k} \dots^{\text{TM}} \dots = \int \dots \{ \dots \mathcal{A} \dots + v \dots \mathcal{A} \dots \% \{ \dots i \dots E\acute{U} B \\
& V \dots B \Delta^* \\
& \textcircled{R} \dots \Omega \dots - \{ \dots 25. (1) < \int \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots i \dots l \dots < \int \dots \\
& \int l \dots^{\text{TM}} \dots \text{“} \int \dots \textcircled{R} \dots i \dots E\acute{U} \dots \\
& M \dots \text{' } x \dots + \dots \ddot{E} \mathcal{A} \dots i \dots n \check{l} \dots \ll \\
& \int \dots \textcircled{R} \dots i \dots^{\text{TM}} \dots \hat{A} E\acute{U} \text{“} x \dots^{\text{TM}} \dots \div H\acute{U} \\
& (2) \textcircled{R} \dots \Omega_{\epsilon} \dots - \{ \dots \mathcal{A} \dots \pi \dots n \check{\neg}, E\acute{U} \int \dots \text{“} \int l \dots^{\text{TM}} \dots \text{“} \int \dots \textcircled{R} \dots i \dots^{\text{TM}} \dots i \dots n \check{l} \dots \ll \\
& \int \dots \textcircled{R} \dots i \dots \textcircled{R} \dots \hat{A} B \% \int \dots \% \\
& \forall \dots t \dots \{ \dots 26. (1) \forall \dots t \dots \{ \dots \mathcal{A} \dots \pi \dots n \check{\forall} \dots \partial \forall \dots \\
& \Omega_{\epsilon} \dots \% M \dots + \dots \ddot{E} \mathcal{A} \dots \forall \dots \Omega_{\epsilon} < \int \dots + \\
& v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots i \dots l \dots \forall \dots \\
& x \dots^{\text{TM}} \dots \textcircled{R} \dots \hat{A} E\% \acute{U} \\
& = \{ \dots \S \dots x v \dots \hat{A} E\% \acute{U} \\
& + v^{\text{TM}} \dots v \dots \text{“} x \dots \mathcal{A} \dots \Omega_{\epsilon} i \dots \% \Omega_{\epsilon} \div B, \\
& \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{\text{TM}} \dots E\% \acute{U} \\
& \partial \dots I \dots h \dots, \partial \dots I \dots + \dots \ddot{E} \mathcal{A} \dots \\
& \{ \dots \mathcal{A} \dots \text{“} I \dots E\acute{U} \dots \int i \dots \mathcal{A} \dots \textcircled{R} \dots x \dots \\
& \S \dots x \dots B \mathcal{A} \dots J \dots x \dots \% E\% \acute{U} \pm \dots B
\end{aligned}$$

$=k...Æ' n...^{TM}...“ \quad \Omega_c... \% M...“$
 $i...l.....$
 $\forall... \Omega_c B \% \int...“ + x^{TM}... \partial... H^{TM}... \hat{A}$
 $E^{U}... |...^{TM}... \% M... +... \ddot{E} \ddot{A} \ddot{B} \% \int... \%$
 $+ x^{TM}... E^{U} k... \ll \forall^{TM}... \hat{A} E^{U}... \{... \pm... x... \\ E^{U} \ddot{A} \% M...“ V... \% < \int... + v... \\ x...^{TM}... \textcircled{R}...^{TM}... \forall... x...^{TM}... \textcircled{R}... \hat{A} \\ u \sim... \ddot{A} \ddot{B}... = \int... \% |... n \sim k...^{TM}... + \\ v... \ddot{A} \ddot{B}... \% \{... i... E^{U} B V... B \Delta = \sqrt{\int... \%} \\ \textcircled{R}... \Omega_c... - \{... \ddot{A} \ddot{B} \pi... n \sim \neg, E^{U}... \% \partial... I... \\ \int... \Delta \S... \Delta v... “ \int... \P...“ \forall... \pi...^{TM}... \hat{A} \\ \{... \ddot{A} \ddot{B} \int... \pm... \Omega_c n \sim \% x... \% E^{U}... + \\ v... E^{U}... \ddot{A} \ddot{B} \Omega_c... \% M... * \\ (2) \forall... t... \{... \ddot{A} \ddot{B} \pi... n \sim \neg \textcircled{R}... \hat{A} x... \textcircled{R} x... \pm... \\ J... i... \forall^{TM}... H^{U} \Omega_c... \hat{A} M... \% , + l... \ll i... \neg \\ :- (E^{U}) E \div \hat{U} \pm... \{... i... V... \% = \int... E^{U}... \\ \int... \Delta^{TM}... \% V... E^{U} \Omega_c... \% M..., \\ (J...) J^{TM}... i... |... \{i... \partial... I... \\ \forall... n \sim \hat{A}^{TM}... \forall... J^{TM}... i... \forall^{TM}... \\ H^{U}... \hat{A}^{TM}... \forall... u \sim i... \forall... f i k... E \% \hat{U} \\ \int... n \sim \int^{TM}... \hat{A}^{TM}... V... x... i... \textcircled{R}... \hat{A} \\ J^{TM}... i... |... \{i... \forall^{TM}... H^{U}... \hat{A} \\ \textcircled{R}... \hat{A} \int... \% i... “ x... \forall^{TM}... H^{U} V... \% \\ \forall... \partial \forall... \forall... t... \pm...^{TM}... E^{U} “ \int... \% \forall... \\ \textcircled{R}... \hat{A} x... \Omega_c... \hat{A} V... x... E^{U}... \\ E^{U} x... \textcircled{R}... x... n \hat{E} \partial... x... \int... \P... \{... i... \\ u \sim... \ddot{A} \ddot{B}... \textcircled{R}... \Omega_c... \{... \ddot{A} \ddot{B} \pi... n \sim \neg E \% \hat{U} \\ \{... \ddot{A} \ddot{B}... \textcircled{R}... \partial... \ll \int... \% \\ E^{U}... V... B M..., \\ (M...) \int... \Delta S... \pm... E^{U}, \\ V... x... \int... \Delta \{... E \ll \hat{U}, \textcircled{R}... v^{TM}... |... n \sim \% \partial... \\ \int... \ddot{A} \ddot{B} E^{U}... \ddot{A} \ddot{B}, \\ (P...) \textcircled{R}... \Omega_c... - \{... \ddot{A} \ddot{B} \pi... n \sim \neg, \textcircled{R}... \hat{A}, E^{U}... \\ B b \sim \int \int... \ll M... \pm b \sim E^{U}... B E^{U} x... \textcircled{R}... \\ x... n \hat{E} \partial... i... “, (R \hat{U}) \forall... \partial \forall... \\ \forall... t... \pm...^{TM}... E \% \hat{U} \int... \P... “ \\ \forall... \P... M... v^{TM}... I..., \\ (S...) \forall... \P... M... v^{TM}... I... \hat{A} \int... \% \\ \P... z... \int... \P... “ +... S...^{TM}... \ll,^{TM}... n \sim \\ E^{U}... \% \ll \Omega_c \hat{E}, (U \hat{U}) \forall... \partial \forall... \\ \forall... t... \pm...^{TM}... E^{U}... E \div \hat{U} \pm... v... \int... \\ S... \forall...,$

(V...) EÚſ...“ ſ...÷ ¥...JTM.....i... Ω_cxn[~]“
n[~]Ë x...EÚ EÚ... BEÚ ſ...Δ{.....n[~]EÚ,
V.....%₀Æ'...VTM... ſ...Æ' EÚ...Æ'
u[~]...Æ'... x.....®... x... n[~]«π]₁ EÚTM.....
V.....BM.....,
(Z...) {...j...EÚ... Æ'i..... EÚ... BEÚ
+vTM.....{...EÚ V.....%₀ ®...Ω_c...- {...
Æ'π...n[~]¬, EÚ...ſ...n[~]ſTM... Ω_c...%₀, +...ËÆ'
(\...) ®...vTM...|...n[~]%₀∂... EÚ... BEÚ
V...x...ſ...ΔS.....Æ' ¥...∂...%₀π...Y...
V.....%₀ Æ'...VTM...
ſ...Æ' EÚ...Æ'u[~]...Æ'... x.....®... x... n[~]«π]₁
EÚTM..... V.....BM.....

(3) {...n[~]%₀x... ſ...n[~]ſTM.....Â ſ...%₀

¥...t... {... 27. <ſ... + v... x...TM...®... i...l..... ¥...
∂... HÚTM.....Δ i...l..... EÚi...«¥TM...

Ω_c÷B ¥...t... {... Æ'π...n[~]¬ EÚ...%₀=x... ſ...¶...“ ∂...
HÚTM.....Â E%₀Ú + i... Æ'HÚ, V.....%₀=ſ...®...Â x... Ω_ci...
Ω_cÈ, x...®x... ±... J...i... ∂... HÚTM.....Δ Ω_c...ÂM...“,
+l.....«i...¬ :-

(BEÚ)®...Ω_c...- {... Æ'π...n[~]¬ u[~]...Æ'... =ſ... EÚ...%₀ x...n[~]Ê
∂...i...TM.....|...iTM.....%₀ V...i... EÚſ...“ ¶...“ ¥...π...TM...
{...Æ' Æ' {.....%₀]₁« n[~]%₀x.....,

(n[~]...%₀) +vTM.....{...x... {...n[~]...%₀ ΔE%₀Ú ſ...fiV...x...,
ſ...®..... {i...TM..... ¥...M...“«EÚÆ'h...E%₀Ú ſ...Δ§...Δv...
®...Â i...l..... =x...E%₀Ú EÚi...«¥TM.....Â +...ËÆ' =x...EÚ“
={...±... §v...TM.....Â E%₀Ú §.....Æ'%₀ ®...Â ®...Ω_c...- {...
Æ'π...n[~]¬, EÚ...%₀ ſ...°Ú... Æ'∂...Â EÚÆ'x.....,

(i...“x...)ſ...ΔEÚ...TM.....Â E%₀Ú M...`x... E%₀Ú
±...BTM.....%₀V...x.....+...Â EÚ...%₀
§...x.....x..... i...l..... =xΩ_cÂ

= {.....Δi... Æ'i... EÚÆ'x.....TM..... {...÷x...Æ'“ I...i... EÚÆ'x.....
+...ËÆ' B%₀ſ...%₀ ſ...ΔEÚ...TM.....Â EÚ...%₀
=x...E%₀Ú + {...x...%₀- + {...x...%₀ ¥...π...TM.....Â EÚ...%₀
ſ...®...x...÷n[~]%₀ ∂...i... EÚÆ'x..... i...l..... ®...Ω_c...-
{... Æ'π...n[~]¬, EÚ...%₀, EÚſ...“ ſ...ΔEÚ...TM... EÚ...%₀ ſ...®..... {i...
EÚÆ'x...%₀TM..... EÚſ...“

ſ...ΔEÚ...TM... EÚ... = {... ¥...¶.....V...x... EÚÆ'x...%₀TM.....
EÚſ...“ BEÚ ſ...ΔEÚ...TM... EÚ...

J...S.....Ê EÚ...% x...™...i... EÚÆ`x...% E%Ú ¥...π...™... ®...Â
®...Ω_ç...- { ... Æ`π...n~¬, EÚ...% ∫...°Ú... Æ`∂...Â
EÚÆ`x.....,

(M™.....Æ`Ω<sub>ç</sub>) { ... Æ`“I.....+...Â E%Ú
∫...ΔS.....±...x... E%Ú ±...B <Δi...V.....®...
EÚÆ`x..... i...l..... =x...EÚ...%

EÚÆ`...x...% E%Ú ±...B i.....Æ`“J...Â x...™...i...
EÚÆ`x.....,

(§.....Æ`Ω<sub>ç</sub>) ¥... ¶...z... { ... Æ`“I.....+...Â E%Ú { ...
Æ`h.....®.....Â EÚ...% P.....% π...i...
EÚÆ`x....., ™..... B%∫.....

EÚÆ`x...% E%Ú ±...B ∫... ®... i...™.....Â ™..... + v...EÚ...
Æ`™.....Â EÚ“ x...™...÷ HÚ EÚÆ`x.....,
+...ËÆ` = { v...™.....Δ, ∫...®®.....x...EÚ { ...j.....% {
v...™.....Δ, ∫...<«]±... +...ËÆ` ∫...®®.....x...-
|...i...“EÚ |...n~...x... EÚÆ`x...% E%Ú ¥...π...™... ®...Â
∫...°Ú... Æ`∂...Â EÚÆ`x.....,

(i...%Æ`Ω_ç)¥...fi k...EÚ...+...Â, UÚ...j...¥...fi
k...™.....Â, { ...n~EÚ...Â +...ËÆ`
{ ...÷Æ`∫EÚ...Æ`...Â EÚ...% n~%x..... i...l.....
¥... x...™...®.....Â +...ËÆ`
B%∫...“ +x™... ∂...i.....Ê E%Ú
+x...÷∫.....Æ`, V.....%
{ ...÷Æ`∫EÚ...Æ`...Â ∫...%
∫...®§...n~P... Ω_ç...Â, +x™...
{ ...÷Æ`∫EÚ...Æ` n~%x.....,

(S.....Ën~Ω_ç) ¥... Ω_çi... ™..... ∫...°Ú...
Æ`∂... EÚ“ M...<« { .....`~ { ...÷∫i...EÚ...Â
EÚ“ ∫...S...“ |...EÚ... ∂...i...EÚÆ`x.....,
+...ËÆ` ¥... Ω<sub>ç</sub>i... { .....`~GÚ®.....Â
E%Ú {`~ ¥...¥...Æ`h... |...EÚ...
∂...i...EÚÆ`x.....,

({ ...Δp~Ω_ç) B%∫...% |...∞, { ... +...ËÆ` Æ`
V...∫]Æ` i...Ë™.....Æ` EÚÆ`x.....
V.....% ∫...®...™...-∫...®...™... { ...Æ` ¥...
x...™...®.....Â u~...Æ`... ¥... Ω_çi... EÚB
V.....BΔ, +...ËÆ`

(∫.....%±...Ω_ç)∂...Ë I...EÚ ¥...π...™.....Â
E%Ú ∫...Δ§...Δv... ®...Â B%∫...%

$$\begin{aligned} & \int \dots \textcircled{R} \dots \int i \dots E\acute{U}i \dots \ll \textcircled{\text{A}}^{\text{TM}} \dots \hat{A} E\acute{U} \dots \\ & + x \dots \div \{ \dots \pm \dots x \dots E\acute{U} \textcircled{\text{A}} \textcircled{x} \dots i \dots l \dots \\ & B \% \int \dots \% \int \dots \textcircled{R} \dots \int i \dots E\acute{U} \dots^{\text{TM}} \dots \ll E\acute{U} \textcircled{\text{A}} \textcircled{x} \dots \\ & V \dots \% < \int \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots i \dots l \dots \\ & \textcircled{\text{A}} \dots x \dots^{\text{TM}} \dots \textcircled{R} \dots \hat{A} E \% \acute{U} = \{ \dots \S \dots \Delta v \dots \hat{A} \\ & E \% \acute{U} \int \dots \textcircled{R} \dots \div S \dots i \dots \\ & G \acute{U}^{\text{TM}} \dots x \textcircled{\text{A}} \dots^{\text{TM}} \dots x \dots E \% \acute{U} \pm \dots B \\ & + \dots \textcircled{\text{A}} \dots \partial^{\text{TM}} \dots E\acute{U} \Omega \dots \hat{A}^* \end{aligned}$$

$$\textcircled{\text{A}} \dots t \dots \{ \dots \quad 28. (1) \quad \textcircled{\text{A}} \dots t \dots \{ \dots \textcircled{\text{A}} \pi \dots n \neg \textcircled{\text{A}} \int \dots \textcircled{\text{A}} \textcircled{\text{R}} \dots \pm \dots x \dots E\acute{U} \dots | \dots G \acute{U}^{\text{TM}} \dots$$

$$\begin{aligned} & {}_{16}(2) \textcircled{\text{A}} \dots t \dots \{ \dots \textcircled{\text{A}} \pi \dots n \neg E \% \acute{U} E\acute{U} \int \dots \textcircled{\text{R}} \dots \pm \dots x \dots E \% \acute{U} \pm \dots B \\ & M \dots h \dots \{ \dots / i \dots \ll = H \acute{U} \{ \dots \textcircled{\text{A}} \pi \dots n \neg E\acute{U} \dots M \dots \textcircled{x} \dots E\acute{U} \textcircled{\text{A}} \textcircled{x} \dots \% \\ & \textcircled{\text{A}} \dots \pm \dots \% \int \dots n \neg^{\text{TM}} \dots \hat{A} E\acute{U} \textcircled{\text{A}} E \div \acute{U} \pm \dots \int \dots \Delta J^{\text{TM}} \dots E \% \acute{U} B E\acute{U} \\ & i \dots \Omega \dots < \ll \int \dots \% \Omega \dots \% M \dots \textcircled{\text{A}} + \dots \ddot{E} \textcircled{\text{A}} \textcircled{\text{A}} + \{ \dots \% I \dots i \dots M \dots h \dots \{ \dots / \\ & i \dots \ll E \% \acute{U} + \textcircled{\text{A}} \dots \textcircled{\text{A}} \dots \textcircled{\text{A}} \dots \textcircled{\text{A}} \dots = H \acute{U} \{ \dots \textcircled{\text{A}} \pi \dots n \neg E \% \acute{U} \int \dots \\ & \textcircled{\text{R}} \textcircled{\text{R}} \dots \pm \dots x \dots E\acute{U} \dots \% = \int \dots \int l \dots x \dots \{ \dots \textcircled{\text{A}} \textcircled{\text{A}} = \int \dots \textcircled{\text{A}} \dots^{\text{TM}} \dots \ll \\ & \int \dots \textcircled{\text{S}} \dots \textcircled{\text{A}} (B V \dots \% \textcircled{x} \textcircled{b} \dots) \int \dots \Omega \dots i \dots \textcircled{\text{R}} \dots \pm \dots x \dots \% \Omega \dots \% i \dots \div + \dots v \dots \% \\ & P \dots \Delta \int l \% E \% \acute{U} \pm \dots^{\text{TM}} \dots \% \int l \dots M \dots i \dots E\acute{U}^{\text{TM}} \dots V \dots B M \dots : \end{aligned}$$

$$\begin{aligned} & \{ \dots \textcircled{\text{A}} \textcircled{x} i \dots \div \int l \dots M \dots i \dots \int \dots \textcircled{\text{R}} \textcircled{\text{R}} \dots \pm \dots x \dots E \% \acute{U} \pm \dots B \\ & E\acute{U} \dots \% < \ll M \dots h \dots \{ \dots / i \dots \ll + \dots \textcircled{\text{A}} \dots \partial^{\text{TM}} \dots E\acute{U} x \dots \Omega \dots \textcircled{\text{A}} \\ & \Omega \dots \% M \dots \textcircled{\text{A}}^*_{16} \end{aligned}$$

$$\begin{aligned} & (3) | \dots i^{\text{TM}} \dots \% E\acute{U} \int \dots n \neg^{\text{TM}} \dots E\acute{U} \dots B E\acute{U} \textcircled{\text{R}} \dots i \dots \Omega \dots \% M \dots \textcircled{\text{A}}^* < \sqrt{\int \dots} \\ & + v \dots x \dots^{\text{TM}} \dots \textcircled{\text{R}} \dots E \% \acute{U} + v \dots \textcircled{x} \dots + x^{\text{TM}} \dots l \dots = \{ \dots \S \dots \Delta v \dots i \dots \\ & E \% \acute{U} \int \dots \textcircled{\text{A}} \dots^{\text{TM}} \dots < \int \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{\text{R}} \dots E \% \acute{U} + v \dots \textcircled{x} \dots E\acute{U} B \\ & M \dots B \textcircled{\text{A}} \dots t \dots \{ \dots \textcircled{\text{A}} \pi \dots n \neg E \% \acute{U} E\acute{U} \int \dots \textcircled{\text{R}} \textcircled{\text{R}} \dots \pm \dots x \dots E \% \acute{U} \\ & \int \dots \textcircled{\text{R}} \dots I \dots \pm \dots B M \dots B \int \dots \textcircled{\text{A}} \dots | \dots \partial x \dots = \{ \dots \int l \dots i \dots \int \dots n \neg^{\text{TM}} \dots \hat{A} \\ & E \% \acute{U} \S \dots \Omega \dots \div \textcircled{\text{R}} \dots i \dots u \dots \textcircled{\text{A}} \dots \textcircled{\text{A}} \dots x \dots \partial S \dots i \dots E\acute{U} B \\ & V \dots B \Delta M \dots \% i \dots l \dots \textcircled{\text{R}} \dots i \dots \hat{A} E \% \acute{U} \S \dots \textcircled{\text{A}} \dots \S \dots \textcircled{\text{A}} \dots \\ & \Omega \dots \% x \dots \% E\acute{U} \textcircled{\text{A}} n \neg \partial \dots \textcircled{\text{R}} \dots \hat{A} \int \dots \textcircled{\text{R}} \textcircled{\text{R}} \dots \pm \dots x \dots \\ & E\acute{U} \textcircled{\text{A}} + v^{\text{TM}} \dots I \dots i \dots E\acute{U} \textcircled{\text{A}} \textcircled{x} \dots \% \textcircled{\text{A}} \dots \pm \dots \% | \dots v \dots E\acute{U} \dots \textcircled{\text{A}} \textcircled{\text{A}} \\ & E\acute{U} \dots x \dots h \dots \ll^{\text{TM}} \dots E\acute{U} \textcircled{\text{R}} \dots i \dots \Omega \dots \% M \dots \textcircled{\text{A}}^* \end{aligned}$$

$$(4) \textcircled{\text{A}} \dots t \dots \{ \dots \textcircled{\text{A}} \pi \dots n \neg E\acute{U} \textcircled{\text{A}} | \dots i^{\text{TM}} \dots \% E\acute{U} \int \dots \textcircled{\text{R}} \textcircled{\text{R}} \dots \pm \dots x \dots E\acute{U} \textcircled{\text{A}} + v^{\text{TM}} \dots I \dots i \dots \int \dots \Delta^{\text{TM}} \dots \% V \dots E\acute{U}$$

$$\begin{aligned} & {}_{15} \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{\text{TM}} \dots \textcircled{\text{R}} \dots G \acute{U} \dots 8 \int \dots x \dots \neg 2006 \\ & u \dots \textcircled{\text{A}} \dots \textcircled{\text{A}} \partial \dots \S n \neg \textcircled{\text{A}} \textcircled{\text{U}} \Omega \dots \S \dots \textcircled{\text{A}} \textcircled{\text{A}} E \% \acute{U} \int l \dots x \dots \{ \dots \textcircled{\text{A}} \dots \\ & \partial \dots \S n \neg \textcircled{\text{A}} \dots \% \S \dots \textcircled{\text{A}} \textcircled{\text{A}} \int l \dots \{ \dots i \dots^* {}_{16} \int \dots \Delta \partial \dots \% v \dots x \dots + \\ & v \dots x \dots^{\text{TM}} \dots \textcircled{\text{R}} \dots G \acute{U} \dots 8 \int \dots x \dots \neg 2006 u \dots \textcircled{\text{A}} \dots \int l \dots \{ \dots i \dots^* \end{aligned}$$

$$\begin{aligned} & (5)^{\text{TM}} \dots n \neg \textcircled{\text{A}} \dots t \dots \{ \dots \textcircled{\text{A}} \pi \dots n \neg u \dots \textcircled{\text{A}} \dots \\ & i \dots i E\acute{U} \dots \pm \dots E\acute{U} \dots \textcircled{\text{A}} \textcircled{\text{A}} \ll \textcircled{\text{A}} \dots < \ll E\acute{U} \textcircled{\text{A}} \textcircled{x} \dots \\ & + \dots \textcircled{\text{A}} \dots \partial^{\text{TM}} \dots E\acute{U} \Omega \dots \% V \dots i \dots \Omega \dots \ddot{E} \\ & i \dots \% \textcircled{\text{A}} \dots t \dots \{ \dots \textcircled{\text{A}} \pi \dots n \neg E\acute{U} \dots \\ & \int \dots \Delta^{\text{TM}} \dots \% V \dots E\acute{U}, E \div \acute{U} \pm \dots v \dots \int \dots \end{aligned}$$

S...¥... EÚ...%∫... ®®... ±...i... EÚÆ`i...%
 $\Omega_c \div B$ EÚ®... ∫...% EÚ®... {.....ΔS...
 ∫...nTM.....Â EÚ...% EÚ...M...V...-
 {...j.....Â E%Ú {... Æ`S.....±...x...
 uTM...Æ`... EÚ...®...EÚ...V... EÚ...
 ∫...®{.....nTMx... EÚB V.....x...%EÚ“
 +x...÷Y..... nTM% ∫...E%ÚM.....
 EÚ√...M...V... {...j... ¥...t... {... Æ`π...nTM-
 EÚ“ +M...±...“§...Ë`EÚ E%Ú ∫...®...I...
 {...÷π] E%Ú ±...B Æ`J...%
 V.....BΔM...%*

|...§...Δv... 29. BEÚ |...§...Δv... ∫... ®... i...
 ∫... ®... i... (BEÚ ®...vTM...|...nTM%∂... EÚ... ®...÷JTM...
 (nTM... ¶.....Æ`∫.....v...EÚ ®...Δj...“;
 17(i...“ ¥...∂¥... ¥...t...±...TM... EÚ...
 (S... ∫... S...¥..., V...x...∫...®{...E«Ú
 17({... ¥...∂¥... ¥...t...±...TM... EÚ...
 (UÛ ®...Ω_c...- {... Æ`π...nTM- E%Ú i...“x...
 x...nTMÊ ∂...i... EÚB V.....BΔM...%*

|...§...Δv... 1830.(1) |...§...Δv... ∫... ®... i... |...∂.....∫...
 ∂... HÚTM.....Δ i...l..... EfiÚiTM...
 (2) |...§...Δv... ∫... ®... i... + {...x...“ ∂... HÚTM.....Δ EÚ∫...“={...-∫... ®...
 i... TM..... E÷Ú±...{... i...

|...§...Δv... 31. 19(1) |...§...Δv... ∫... ®... i... EÚ... ∫...
 ∫...Æ®®...±...x.....Â EÚ“ |... GÚTM.....
 (2) |...§...Δv... ∫... ®... i... E%Ú ∫...nTM∫... EÚ“ {...nTM...¥... v..., ®...Ω_c...-
 {... Æ`π...nTM- ®...Â=∫...EÚ“
 +¥... v... E%Ú ∫...®.....x... Ω_c...%M...“*
 (3) |...§...Δv... ∫... ®... i... E%Ú ∫...¶.....“ ¥... x...∂S...TM...={... ∫l...i...
 ∫...nTM∫...Â E%Ú §...Ω_c÷®...i...
 uTM...Æ`... EÚB V.....BΔM...%*
 (4)∫...¶.....{... i... EÚ“ +x...÷{... ∫l... i... ®...Â |...§...Δv... ∫... ®... i... E%Ú
 EÚ∫...“ ∫... ®®...±...x...

17∫...Δ∂.....%v...x... + v...
 x...TM...®... GÚ. 8 ∫...x...¬ 2006
 uTM...Æ`... ∫l..... {...i...*
 18∫...Δ∂.....%v...x... + v...
 x...TM...®... GÚ. 8 ∫...x...¬ 2006
 uTM...Æ`... ∫l..... {...i...*
 19∫...Δ∂.....%v...x... + v...
 x...TM...®... GÚ. 8 ∫...x...¬ 2006
 uTM...Æ`... ∫l..... {...i...*

$$\begin{aligned}
 & (5) \int \dots \mathbb{R} \dots i \dots E\dot{U} \dots \int \dots \mathbb{R} \mathbb{R} \dots \pm \dots x \dots \\
 & \quad \S \dots \div \pm \dots x \dots \% E \% \dot{U} \quad \pm \dots B \quad E \div \dot{U} \pm \dots \{ \dots i \dots \\
 & \quad \int \dots i \dots n \tilde{x} \dots E\dot{U} \text{“} \\
 & \quad \int \dots \mathcal{S} \dots x \dots n \% M \dots \\
 & \quad {}_{20}(5 \ E\dot{U}) | \dots \S \dots \Delta v \dots \int \dots \mathbb{R} \dots i \dots E \% \dot{U} \int \dots \mathbb{R} \mathbb{R} \dots \pm \dots x \dots E\dot{U} \text{“} \\
 & \quad M \dots h \dots \{ \dots / i \dots \ll, \int \dots n \tilde{f}^{TM} \dots \hat{A} \ E\dot{U} \text{“} \ E \div \dot{U} \pm \dots \\
 & \quad \int \dots \Delta J^{TM} \dots E \% \dot{U} \ B E\dot{U} \quad i \dots \Omega_{\epsilon} \dots < \ll \int \dots \% \Omega_{\epsilon} \dots \% M \dots \text{“} + \dots \ddot{E} \mathcal{A} \cdot \\
 & \quad + \{ \dots \% I \dots i \dots M \dots h \dots \{ \dots / i \dots \ll \ E \% \dot{U} \\
 & + \P \dots \mathbb{Y} \dots \mathbb{R} \dots \hat{A}, = H\dot{U} \int \dots \mathbb{R} \dots i \dots E \% \dot{U} \int \dots \mathbb{R} \mathbb{R} \dots \pm \dots x \dots E\dot{U} \dots \% \\
 & \quad = \int \dots \text{“} \int l \dots x \dots \{ \dots \mathcal{A} \cdot, \\
 & = \int \dots \text{“} \ E\dot{U} \dots^{TM} \dots \ll \int \dots \mathcal{S} \dots \text{“} \ (B V \dots \% x b \tilde{} \dots) \int \dots \Omega_{\epsilon} i \dots \mathbb{R} \dots \pm \dots x \dots \% \\
 & \quad \Omega_{\epsilon} \% i \dots \div + \dots v \dots \% P \dots \Delta]_1 \% E \% \dot{U} \quad \pm \dots B \\
 & \quad \int l \dots M \dots i \dots E\dot{U} \mathcal{A} \cdot \quad n \tilde{f}^{TM} \dots V \dots B M \dots : \\
 & \quad \{ \dots \mathcal{A} \cdot x i \dots \div \int l \dots M \dots i \dots \int \dots \mathbb{R} \mathbb{R} \dots \pm \dots x \dots E \% \dot{U} \quad \pm \dots B \ E\dot{U} \dots \% < \ll \\
 & \quad M \dots h \dots \{ \dots / i \dots \ll + \dots \mathbb{Y} \dots \partial^{TM} \dots E\dot{U} \\
 & \quad x \dots \Omega_{\epsilon} \text{”} \ \Omega_{\epsilon} \dots \% M \dots \text{“} *_{20} \\
 & \quad \mathbb{Y} \dots k \dots \int \dots \quad 32. \quad (1) \quad \mathbb{R} \dots \Omega_{\epsilon} \dots - \{ \dots \mathcal{A} \cdot \pi \dots n \tilde{\neg} u \dots \mathcal{A} \cdot \dots \\
 & \quad M \dots \tilde{i} \dots E\dot{U} \text{“} \ V \dots B M \dots \text{“}, + l \dots \ll i \dots \neg :- \\
 & \quad (E\dot{U}) \ \mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots^{TM} \dots E\dot{U} \dots E \div \dot{U} \pm \dots \{ \dots i \dots, \\
 & \quad (J \dots) \ E \div \dot{U} \pm \dots v \dots \int \dots S \dots \mathbb{Y} \dots, \\
 & \quad (M \dots) \int \dots S \dots \mathbb{Y} \dots, \mathbb{R} \dots v^{TM} \dots | \dots n \% \partial \dots \\
 & \quad \int \dots \mathcal{A} \cdot E\dot{U} \dots \mathcal{A} \cdot, V \dots x \dots \int \dots \Delta \{ \dots E \ll \dot{U} \ \mathbb{Y} \dots \P \dots M \dots \\
 & \quad^{TM} \dots = \{ \dots \int \dots S \dots \mathbb{Y} \dots \int \dots \% \\
 & + x \dots \mathbb{R} x \dots \{ \dots n \tilde{\prod} \dots \% h \dots \text{“} \ E\dot{U} \dots = \int \dots E\dot{U} \dots x \dots \mathbb{R} \dots \\
 & \quad x \dots n \tilde{\hat{E}} \partial \dots i \dots \text{“}, \\
 & \quad (P \dots) \mathbb{R} \dots \Omega_{\epsilon} \dots - \{ \dots \mathcal{A} \cdot \pi \dots n \tilde{\neg} E \% \dot{U} \quad n \tilde{} \dots \% \int \dots n \tilde{f}^{TM} \dots, \\
 & \quad V \dots \% \mathbb{R} \dots \Omega_{\epsilon} \dots - \{ \dots \mathcal{A} \cdot \pi \dots n \tilde{\neg} u \dots \mathcal{A} \cdot \dots \\
 & \quad x \dots \mathbb{R} \dots x \dots n \tilde{\hat{E}} \partial \dots i \dots \\
 & \quad E\dot{U} B \ V \dots B \Delta M \dots \% , \\
 & \quad (R\hat{U}) \sqrt{\int \dots S \dots \mathbb{Y} \dots, \mathbb{R} \dots v^{TM} \dots | \dots n \% \partial \dots} \\
 & \quad \int \dots \mathcal{A} \cdot E\dot{U} \dots \mathcal{A} \cdot, \mathbb{Y} \dots k \dots \mathbb{Y} \dots \P \dots M \dots^{TM} \dots \\
 & \quad = \{ \dots \int \dots S \dots \mathbb{Y} \dots \int \dots \% + x \dots \mathbb{R} x \dots \\
 & \quad \{ \dots n \tilde{\prod} \dots \% h \dots \text{“} \ E\dot{U} \dots = \int \dots E\dot{U} \dots x \dots \mathbb{R} \dots x \dots n \tilde{\hat{E}} \\
 & \quad \partial \dots i \dots \text{“}, \\
 & \quad (2) \ \mathbb{Y} \dots k \dots \int \dots \mathbb{R} \dots i \dots E \% \dot{U} \int \dots n \tilde{f}^{TM} \dots \{ \dots n \% x \dots \\
 & \quad \Omega_{\epsilon} \dots \hat{A} M \dots \% \\
 & \quad (3) \ \mathbb{Y} \dots k \dots \int \dots \mathbb{R} \dots i \dots E \% \dot{U} \ E f i \dot{U} i^{TM} \dots i \dots l \dots \\
 & \quad E\dot{U} k \dots \ll \mathbb{Y}^{TM} \dots x \dots \mathbb{R} x \dots x \dots \div \int \dots \mathcal{A} \cdot \\
 & \quad \Omega_{\epsilon} \dots \hat{A} M \dots \% , + l \dots \ll i \dots \neg
 \end{aligned}$$

$$\begin{aligned}
 & (BE\acute{U}) \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{TM} \dots E\% \acute{U} \forall \dots \tilde{A} \pi \dots E\acute{U} \\
 & \S \dots V \dots]_1 E\acute{U} \dots \{ \dots \mathcal{A} \dots \text{"I...h... i...l...} \dots \\
 & \int \dots \Delta \forall \dots \text{"I...} \dots \\
 & E\acute{U} \mathcal{A} \text{'x} \dots i \dots l \dots \textcircled{R} \dots \Omega_c \dots - \{ \dots \mathcal{A} \pi \dots n \neg E\acute{U} \dots \% \forall \dots k \dots \text{"TM} \dots \\
 & \textcircled{R} \dots \textcircled{R} \dots \pm \dots \hat{A} \{ \dots \mathcal{A} \dots \int \dots \circ \acute{U} \dots \mathcal{A} \partial \dots \\
 & E\acute{U} \mathcal{A} \text{'x} \dots, \\
 & (n \neg \dots \%) E\acute{U} \dots \pm \dots E\acute{U} \pm \dots \% J \dots + \dots \hat{A} E \% \acute{U} \\
 & \forall \dots \forall \dots \mathcal{A} \text{'h} \dots \{ \dots \mathcal{A} \dots \forall \dots S \dots \mathcal{A} \dots E\acute{U} \mathcal{A} \text{'x} \dots \\
 & i \dots l \dots \int \dots \textcircled{R} \dots^{TM} \dots - \\
 & \int \dots \textcircled{R} \dots^{TM} \dots \{ \dots \mathcal{A} \dots \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{TM} \dots E \% \acute{U} \forall \dots k \dots E\acute{U} \dots \\
 & \{ \dots \div x \dots \forall \dots \ll \pm \dots \% E\acute{U} x \dots E\acute{U} \mathcal{A} \text{'x} \dots + \dots \ddot{E} \mathcal{A} \text{' } \\
 & \{ \dots \div x \dots \forall \dots \ll x \dots^{TM} \dots \% M \dots \forall \dots \forall \dots \mathcal{A} \text{'h} \dots i \dots l \dots \\
 & \int \dots \Delta \{ \dots \mathcal{A} \text{"I...} \dots \mathcal{A} \text{' } \{ \dots \% \}]_1 \ll \{ \dots \mathcal{A} \dots \forall \dots S \dots \mathcal{A} \dots E\acute{U} \mathcal{A} \text{'x} \dots \\
 & + \dots \ddot{E} \mathcal{A} \text{' } \textcircled{R} \dots \Omega_c \dots - \{ \dots \mathcal{A} \pi \dots n \neg E\acute{U} \dots \% \int \dots \circ \acute{U} \dots \mathcal{A} \partial \dots \hat{A} \\
 & E\acute{U} \mathcal{A} \text{'x} \dots, \\
 & (i \dots \text{"x...}) \textcircled{R} \dots \Omega_c \dots - \{ \dots \mathcal{A} \pi \dots n \neg E\acute{U} \dots \% , \forall \dots \partial \forall \dots \\
 & \forall \dots t \dots \pm \dots^{TM} \dots E\acute{U} \dots \% | \dots \P \dots \forall \dots i \dots E\acute{U} \mathcal{A} \text{'x} \dots \% \\
 & \forall \dots \pm \dots \% E\acute{U}] \dots \text{" } \\
 & \forall \dots k \dots \text{"TM} \dots | \dots \partial x \dots \{ \dots \mathcal{A} \dots^{TM} \dots i \dots \% \int \forall \dots^{TM} \dots \Delta E\acute{U} \text{" } \{ \dots \Omega_c \pm \dots \\
 & \{ \dots \mathcal{A} \dots^{TM} \dots \textcircled{R} \dots \Omega_c \dots - \{ \dots \mathcal{A} \pi \dots n \neg^{TM} \dots \\
 & E \div \acute{U} \pm \dots \{ \dots i \dots E \% \acute{U} \dots x \dots n \hat{E} \partial \dots \{ \dots \mathcal{A} \text{' } , + \{ \dots x \dots \% \forall \dots S \dots \mathcal{A} \text{' } \\
 & i \dots l \dots \int \dots \circ \acute{U} \dots \mathcal{A} \partial \dots \hat{A} n \neg \% x \dots \text{" } * \\
 & (4) \quad \forall \dots k \dots \int \dots \textcircled{R} \dots i \dots E\acute{U} \dots \int \dots \\
 & \hline
 & 20 \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{TM} \dots \textcircled{R} \dots G\acute{U} . 8 \int \dots x \dots \neg 2006 u \neg \dots \mathcal{A} \text{' } \dots x \dots < \ll - \\
 & = \{ \dots v \dots \mathcal{A} \text{' } \dots V \dots \% c \neg \text{" } M \dots < \ll * \\
 & 21 \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{TM} \dots \textcircled{R} \dots G\acute{U} . 8 \int \dots x \dots \neg 2006 u \neg \dots \mathcal{A} \text{' } \dots \partial \dots \S n \neg \text{" } S \dots \mathcal{A} \text{' } \\
 & \S \dots \mathcal{A} \text{' } E \% \acute{U} \int l \dots x \dots \{ \dots \mathcal{A} \partial \dots \S n \neg \text{" } BE\acute{U} \S \dots \mathcal{A} \text{' } \int l \dots \{ \dots i \dots * \\
 & \Omega_c \dots \% M \dots \sqrt{\forall \dots k \dots \int \dots \textcircled{R} \dots i \dots E \% \acute{U} i \dots \text{"x...} \int \dots n \neg^{TM} \dots \hat{A} \\
 & \int \dots \% M \dots h \dots \{ \dots / i \dots \ll \Omega_c \dots \% M \dots \text{" } * \\
 & (5) \int \dots n \neg^{TM} \dots \hat{A} E\acute{U} \text{" } \S \dots \text{"S...} \textcircled{R} \dots i \dots \P \dots z \dots i \dots \\
 & \Omega_c \dots \% x \dots \% E\acute{U} \text{" } n \neg \dots \textcircled{R} \dots \hat{A} , = \{ \dots \int l \dots i \dots \\
 & \int \dots n \neg^{TM} \dots \hat{A} E \% \acute{U} \S \dots \Omega_c \div \textcircled{R} \dots i \dots E\acute{U} \dots \textcircled{R} \dots i \dots + \\
 & \P \dots \P \dots \forall \dots \text{" } \Omega_c \dots \% M \dots \text{" } * \\
 & S \dots^{TM} \dots x \dots \quad 33. (1) \quad \textcircled{R} \dots \Omega_c \dots - \{ \dots \mathcal{A} \pi \dots n \neg , \\
 & \int i \dots \mathcal{A} \text{' } E \% \acute{U} + x^{TM} \dots E\acute{U} \textcircled{R} \dots \ll S \dots \mathcal{A} \text{' } \text{" } \forall \dots \text{fix} n \neg E\acute{U} \text{" } x \dots^{TM} \dots \div H\acute{U} \\
 & E \% \acute{U} \pm \dots^{TM} \dots \% \textcircled{R} \dots \Omega_c \dots - \{ \dots \mathcal{A} \pi \dots n \neg \\
 & E\acute{U} \dots \% \int \dots \circ \acute{U} \dots \mathcal{A} \partial \dots E\acute{U} \mathcal{A} \text{'x} \dots \% \Omega_c \% i \dots \div S \dots^{TM} \dots x \dots \int \dots \textcircled{R} \dots \\
 & i \dots^{TM} \dots \hat{A} E\acute{U} \dots M \dots \text{'x...} E\acute{U} \mathcal{A} \text{' } \% M \dots \text{" } * \\
 & (2) S \dots^{TM} \dots x \dots \int \dots \textcircled{R} \dots i \dots \textcircled{R} \dots \hat{A} \dots x \dots \textcircled{R} x \dots \pm \dots \\
 & J \dots i \dots \int \dots n \neg^{TM} \dots \Omega_c \dots \hat{A} M \dots \% :-
 \end{aligned}$$

$$\begin{aligned}
& {}_{22}(E\acute{U}) E\div\acute{U}\pm\ldots\{\ldots i\ldots, V\ldots\ldots\% \int\ldots \textcircled{R}\ldots i\ldots E\acute{U}\ldots \\
& \int\ldots\Delta^{\text{TM}}\ldots\ldots\% V\ldots E\acute{U} \Omega_{\epsilon}\ldots\% M\ldots\ldots* \\
& (J\ldots)\textcircled{R}\ldots v^{\text{TM}}\ldots|\ldots n\sim\% \partial\ldots E\% \acute{U} \text{¥}\ldots\partial\text{¥}\ldots \\
& \text{¥}\ldots t\ldots\pm\ldots^{\text{TM}}\ldots E\acute{U}\ldots E\div\acute{U}\pm\ldots\{\ldots i\ldots V\ldots\ldots\% \\
& \textcircled{R}\ldots\Omega_{\epsilon}\ldots-\{\ldots \mathcal{A}\pi\ldots n\sim, \\
& E\acute{U}\ldots BE\acute{U} \int\ldots n\sim^{\text{TM}}\ldots \Omega_{\epsilon}\ldots\% M\ldots\ldots*_{22} \\
& (M\ldots)\textcircled{R}\ldots\Omega_{\epsilon}\ldots-\{\ldots \mathcal{A}\pi\ldots n\sim, \textcircled{R}\ldots\hat{A} B b\sim]_1\int\ldots\ll \\
& M\ldots\pm b\sim E\acute{U}\ldots |\ldots i\ldots x\ldots v\ldots* \\
& (P\ldots)\int\ldots\Delta\mathcal{S}\ldots\Delta v\ldots i\ldots \text{¥}\ldots\P\ldots\ldots M\ldots\ldots v^{\text{TM}}\ldots I\ldots, \\
& ^{\text{TM}}\ldots n\sim E\acute{U}\ldots\% \ll \Omega_{\epsilon}\ldots\%, \{\ldots \mathcal{A}xi\ldots\div^{\text{TM}}\ldots\Omega_{\epsilon} \\
& i\ldots\mathcal{S}\ldots V\ldots\mathcal{S}\ldots E\acute{U} \\
& \text{¥}\ldots\Omega_{\epsilon} = \int\ldots \{\ldots n\sim E\% \acute{U} \int i\ldots \mathcal{A} \int\ldots\%, V\ldots\int\ldots E\% \acute{U} \pm\ldots B S\ldots^{\text{TM}}\ldots x\ldots \\
& E\acute{U}^{\text{TM}}\ldots V\ldots\ldots x\ldots\ldots \Omega_{\epsilon} \ddot{E}, \\
& E\acute{U}\textcircled{R}\ldots \int i\ldots \mathcal{A} E\acute{U}\ldots \{\ldots n\sim v\ldots\ldots \mathcal{A}h\ldots x\ldots E\acute{U}\mathcal{A}i\ldots\ldots \\
& \Omega_{\epsilon}\ldots\%* \\
& (R\hat{U}\sim)\sqrt{+}\ldots S\ldots\ldots^{\text{TM}}\ldots\hat{E}, \int\ldots\Omega_{\epsilon}-+\ldots S\ldots\ldots^{\text{TM}}\ldots\hat{A} \\
& i\ldots l\ldots\ldots \int\ldots\Omega_{\epsilon}\ldots^{\text{TM}}\ldots E\acute{U} +\ldots S\ldots\ldots^{\text{TM}}\ldots\hat{E} E\% \acute{U} \\
& S\ldots^{\text{TM}}\ldots x\ldots E\% \acute{U} \\
& \pm\ldots^{\text{TM}}\ldots\% n\sim\ldots\% \text{¥}\ldots\partial\ldots\% \pi\ldots Y\ldots, V\ldots\ldots\% \text{¥}\ldots t\ldots \{\ldots \mathcal{A}\pi\ldots n\sim \\
& u\sim\ldots \mathcal{A}\pi\ldots x\ldots\ldots\textcircled{R}\ldots-x\ldots n\sim\hat{E} \partial\ldots i\ldots E\acute{U}B \\
& V\ldots\ldots B\Delta M\ldots\%* \\
& (S\ldots)\int\ldots S\ldots\text{¥}\ldots, V\ldots x\ldots\int\ldots\Delta\{\ldots E\ll\acute{U}, \\
& \textcircled{R}\ldots v^{\text{TM}}\ldots|\ldots n\sim\% \partial\ldots \int\ldots \mathcal{A}E\acute{U}\ldots \mathcal{A}^* \\
& (3) S\ldots^{\text{TM}}\ldots x\ldots \int\ldots \textcircled{R}\ldots i\ldots E\acute{U}\ldots \int\ldots \textcircled{R}\textcircled{R}\ldots\pm\ldots x\ldots, \\
& V\ldots\mathcal{S}\ldots E\acute{U}\P\ldots\text{“} +\ldots\text{¥}\ldots\partial^{\text{TM}}\ldots E\acute{U} \Omega_{\epsilon}\ldots\%, E\div\acute{U}\pm\ldots\{\ldots \\
& i\ldots \\
& u\sim\ldots \mathcal{A}\pi\ldots, \mathcal{S}\ldots\div\pm\ldots\ldots^{\text{TM}}\ldots V\ldots\ldots BM\ldots\ldots S\ldots\sqrt{\text{TM}}\ldots x\ldots \int\ldots \textcircled{R}\ldots i\ldots \\
& E\% \acute{U} \int\ldots \textcircled{R}\textcircled{R}\ldots\pm\ldots x\ldots\ldots\hat{A} E\acute{U}\text{“} +v^{\text{TM}}\ldots I\ldots i\ldots\ldots \\
& E\div\acute{U}\pm\ldots\{\ldots i\ldots u\sim\ldots \mathcal{A}\pi\ldots E\acute{U}\text{“} V\ldots\ldots BM\ldots\text{“}* \\
& \text{¥}\ldots\partial\text{¥}\ldots \quad 34. \quad (1) \quad \text{¥}\ldots\partial\text{¥}\ldots \text{¥}\ldots t\ldots\pm\ldots^{\text{TM}}\ldots E\acute{U}\text{“} BE\acute{U} \\
& x\ldots \quad \int\ldots\textcircled{R}\ldots\ldots \text{¥}\ldots\pi]_1 \Omega_{\epsilon}\ldots\hat{A}M\ldots\% :- \\
& v\ldots^{\text{TM}}\ldots \quad (E\acute{U}) \quad \mathcal{A}\pi\ldots V^{\text{TM}}\ldots \int\ldots \mathcal{A}E\acute{U}\ldots \mathcal{A}\pi\ldots u\sim\ldots \mathcal{A}\pi\ldots \\
& \ldots\Delta \quad (J\ldots \quad \text{¥}\ldots\partial\text{¥}\ldots \text{¥}\ldots t\ldots\pm\ldots^{\text{TM}}\ldots \\
& M\ldots^{\text{TM}}\ldots\ldots E\acute{U}\ldots\% \ll + \P\ldots n\sim\ldots^{\text{TM}}\ldots^{\text{TM}}\ldots\ldots \\
& +x\ldots\div n\sim\ldots x\ldots, \\
& (M\ldots)\int\ldots\ldots\text{¥}\ldots\ll V\ldots x\ldots E\acute{U} I\ldots\% j\ldots E\% \acute{U} \\
& =\{\ldots G\acute{U}\textcircled{R}\ldots\ldots\hat{A} u\sim\ldots \mathcal{A}\pi\ldots E\acute{U}^{\text{TM}}\ldots\ldots M\ldots^{\text{TM}}\ldots\ldots \\
& E\acute{U}\ldots\% \ll + \P\ldots n\sim\ldots^{\text{TM}}\ldots, *
\end{aligned}$$

$$\begin{aligned} & (P...) | \dots \langle \forall \dots \% \rangle_1 \forall^{\text{TM}} \dots H^{\text{U}} \dots \hat{A}^{\text{TM}} \dots \\ & \int \dots \Delta \int \dots + \dots \hat{A} \text{ u} \dots \mathcal{E} \dots E^{\text{U}} \text{“} M \dots \langle \langle E^{\text{U}} \dots \% \rangle \langle \langle \\ & \forall \dots \int \dots \text{“}^{\text{TM}} \dots i \dots, \\ & E^{\text{U}} \dots M \dots^{\text{TM}} \dots n \dots x \dots, \forall \dots x^{\text{TM}} \dots \int \dots^{\text{TM}} \dots \\ & \quad + x^{\text{TM}} \dots + x \dots \div n \dots x \dots, \end{aligned}$$

$$\begin{aligned} & (R\hat{U}) \sqrt{\quad} \quad \forall \dots \partial \forall \dots \forall \dots \sqrt{t} \dots \pm \dots^{\text{TM}} \dots \text{u} \dots \mathcal{E} \dots \\ & \hline & {}_{22} \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{\text{TM}} \dots \text{“} \dots G^{\text{U}}. 8 \int \dots x \dots \neg 2006 \text{ u} \dots \mathcal{E} \dots \int \dots \{ \dots i \dots^* \\ & (S \dots) E^{\text{U}} \int \dots \text{“} + x^{\text{TM}} \dots \int \dots \% i \dots \int \dots \% | \dots \{ i \dots \\ & \mathcal{E}^{\text{U}} E^{\text{U}} \text{“} \dots^* \end{aligned}$$

$$\begin{aligned} (2) &= H^{\text{U}} \quad x \dots v \dots E^{\text{U}} \dots v \dots x \dots \\ & \P \dots \mathcal{E}^{\text{U}} i \dots \text{“}^{\text{TM}} \dots \mathcal{E}^{\text{U}} V \dots \forall \dots \langle \S \dots \mathcal{E} E^{\text{U}} + v \dots \\ & x \dots^{\text{TM}} \dots \text{“} \dots, 1934 \text{“} \dots \hat{A}^{\text{TM}} \dots l \dots \{ \dots \\ & \mathcal{E}^{\text{U}} \P \dots \pi \dots i \dots E^{\text{U}} \int \dots \text{“} + x \dots \div \int \dots / S \dots i \dots \\ & \S \dots \mathcal{E} E^{\text{U}} \text{“} \dots \hat{A} \mathcal{E}^{\text{U}} J \dots V \dots \text{BM} \dots \\ &^{\text{TM}} \dots = \int \dots E^{\text{U}} \dots \forall \dots x \dots v \dots x \dots B \% \int \dots \text{“} \\ & | \dots i \dots \P \dots / i \dots^{\text{TM}} \dots \hat{A} \text{“} \dots \hat{A} E^{\text{U}} \dots^{\text{TM}} \dots \\ & V \dots \text{BM} \dots V \dots \% \\ & \P \dots \mathcal{E}^{\text{U}} i \dots \text{“}^{\text{TM}} \dots x^{\text{TM}} \dots \int \dots + v \dots \\ & x \dots^{\text{TM}} \dots \text{“} \dots, 1882 \text{ u} \dots \mathcal{E}^{\text{U}} \dots | \dots v \dots E f i \mathcal{U} i \dots \\ & E^{\text{U}} \text{“} M \dots \langle \langle \Omega \mathcal{E}, V \dots \mathcal{E} \int \dots \\ & \P \dots \text{“} \text{“} \text{“} \dots \Omega \mathcal{E} \dots \{ \dots \mathcal{E}^{\text{U}} \pi \dots n \neg \text{ u} \dots \mathcal{E}^{\text{U}} \dots \forall \dots \\ & x \dots \partial S \dots i \dots E^{\text{U}} \dots V \dots B^* \end{aligned}$$

$$\begin{aligned} (3) &= H^{\text{U}} \quad x \dots v \dots E^{\text{U}} \text{“} \int \dots \Delta G^{\text{U}} \dots^{\text{TM}} \dots \\ & E \div \mathcal{U} \pm \dots \{ \dots i \dots \text{u} \dots \mathcal{E}^{\text{U}} \dots^{\text{TM}} \dots \forall \dots \partial \forall \dots \\ & \forall \dots t \dots \pm \dots^{\text{TM}} \dots \text{u} \dots \mathcal{E}^{\text{U}} \dots = \int \dots \\ & | \dots^{\text{TM}} \dots \% V \dots x \dots E \% \mathcal{U} \pm \dots^{\text{TM}} \dots \% | \dots \\ & v \dots E f i \mathcal{U} i \dots \forall \dots \mathcal{E}^{\text{U}} \pi^{\wedge} + v \dots E^{\text{U}} \dots \mathcal{E}^{\text{U}} \dots \hat{A} \\ & \text{u} \dots \mathcal{E}^{\text{U}} \dots B \% \int \dots \text{“} \mathcal{E}^{\text{U}} \text{“} i \dots \text{“} \text{“} \hat{A} \int \dots \Delta S \dots \\ & \pm \dots i \dots E^{\text{U}} \text{“} V \dots \text{BM} \dots \text{“} V \dots \% \forall \dots \\ & x \dots^{\text{TM}} \dots \text{“} \dots \hat{A} \text{ u} \dots \mathcal{E}^{\text{U}} \dots \forall \dots \Omega \mathcal{E} i \dots \\ & E^{\text{U}} \text{“} V \dots B^* \end{aligned}$$

$$\begin{aligned} & \forall \dots \tilde{A} \pi \dots E^{\text{U}} \quad 35. (1) \quad \forall \dots \partial \forall \dots \forall \dots t \dots \pm \dots^{\text{TM}} \dots E \% \mathcal{U} \forall \dots \\ & \int \dots \Delta \{ \dots \quad + v \dots \text{“} x \dots i \dots \mathcal{E}^{\text{TM}} \dots \mathcal{E}^{\text{U}} E^{\text{U}} B \\ & \mathcal{E}^{\text{U}} \text{“} \text{“} \text{“} \dots \quad (2) \quad \text{“} \dots \Omega \mathcal{E} \dots - \{ \dots \mathcal{E}^{\text{U}} \pi \dots n \neg \text{ u} \dots \mathcal{E}^{\text{U}} \dots \\ & E \% \mathcal{U} \pm \dots \% J \dots + \dots \hat{A} E^{\text{U}} \text{“} \int \dots \Delta \{ \dots \mathcal{E}^{\text{U}} \text{“} \text{“} \text{“} \dots E^{\text{U}} \text{“} \\ & \quad V \dots \text{BM} \dots \text{“}^* \end{aligned}$$

$$\begin{aligned} (3) & \mathcal{E}^{\text{U}} \dots V^{\text{TM}} \dots \int \dots \mathcal{E}^{\text{U}} E^{\text{U}} \dots \mathcal{E}^{\text{U}} / E \% \mathcal{U} x p^{\sim} \\ & \int \dots \mathcal{E}^{\text{U}} E^{\text{U}} \dots \mathcal{E}^{\text{U}} E^{\text{U}} \dots \%^{\text{TM}} \dots \Omega \mathcal{E} \quad x \dots n \neg \% \partial \dots \\ & n \neg \% x \dots \% E^{\text{U}} \text{“} \partial \dots H^{\text{U}} \Omega \mathcal{E} \dots \% M \dots \text{“} E^{\text{U}} \\ & = \int \dots E \% \mathcal{U} \text{ u} \dots \mathcal{E}^{\text{U}} \dots E^{\text{U}} \int \dots \text{“} \forall \dots \partial \dots \pi \int \dots \end{aligned}$$

$|\dots^{\text{TM}}\dots\%V\dots x\dots E\%Ú \pm\dots^{\text{TM}}\dots\%$
 $\% \dots \partial \% \dots \% \dots t \dots \pm \dots^{\text{TM}}\dots EÚ \dots \% n^{\text{TM}}\dots\%$
 $M\dots^{\text{TM}}\dots\% +x\dots \div n^{\sim} \dots x \dots \hat{A} EÚ^{\text{“}}$
 $\int \dots \Delta \{ \dots \mathcal{A}^{\text{“}} \text{“} I \dots EÚ^{\text{“}} V \dots B^*$
 $_{23}(4) \int \dots \Delta \{ \dots \mathcal{A}^{\text{“}} \text{“} I \dots i \dots \pm \dots \% J \dots + \dots \hat{A} EÚ^{\text{“}}$
 $|\dots i \dots E\%Ú \int \dots 1 \dots \int \dots \Delta \{ \dots \mathcal{A}^{\text{“}} \text{“} I \dots$
 $\mathcal{A}^{\text{“}} \{ \dots \% \}_1 \ll \textcircled{R} \dots \Omega_{\epsilon} \dots \{ \dots \mathcal{A}^{\text{“}} \pi \dots n^{\sim} \neg E\%Ú$
 $\int \dots \textcircled{R} \textcircled{R} \dots \pm \dots x \dots \textcircled{R} \dots \hat{A} \mathcal{A}^{\text{“}} J \dots^{\text{“}}$
 $V \dots^{\text{TM}}\dots \% M \dots^{\text{“}} + \dots \ddot{E} \mathcal{A}^{\text{“}} \mathcal{A}^{\text{“}} \dots V^{\text{TM}} \dots$
 $\int \dots \mathcal{A}^{\text{“}} EÚ \dots \mathcal{A}^{\text{“}} EÚ \dots \% \P \dots^{\text{“}} | \dots \int i \dots \div i \dots EÚ^{\text{“}}$
 $V \dots^{\text{TM}}\dots \% M \dots^{\text{“}} i \dots 1 \dots < \int \dots E\%Ú$
 $\{ \dots \partial S \dots i \dots \neg < \int \dots \% | \dots EÚ \dots \partial \dots i \dots$
 $EÚ^{\text{TM}} \dots V \dots^{\text{TM}}\dots \% M \dots^{\text{“}} *_{23}$

$(5) \textcircled{R} \dots \Omega_{\epsilon} \dots - \{ \dots \mathcal{A}^{\text{“}} \pi \dots n^{\sim} \neg u^{\sim} \dots \mathcal{A}^{\text{“}} \dots$
 $+ \{ \dots x \dots \% \% \dots \pi \dots \ll EÚ \int \dots \textcircled{R} \textcircled{R} \dots \pm \dots x \dots$
 $\textcircled{R} \dots \hat{A} \% \dots \pi \dots \ll EÚ \pm \dots \% J \dots + \dots \hat{A} \{ \dots \mathcal{A}^{\text{“}}$
 $\% \dots S \dots \mathcal{A}^{\text{“}} EÚ^{\text{TM}} \dots V \dots BM \dots$
 $+ \dots \ddot{E} \mathcal{A}^{\text{“}} = x \Omega_{\epsilon} \hat{A} \{ \dots \mathcal{A}^{\text{“}} i \dots EÚ^{\text{TM}} \dots$
 $V \dots^{\text{TM}}\dots \% M \dots^{\text{“}} *$

$\% \dots k \dots^{\text{TM}}\dots$ 36. (1) $\textcircled{R} \dots \Omega_{\epsilon} \dots - \{ \dots \mathcal{A}^{\text{“}} \pi \dots n^{\sim} \neg B \% \int \dots^{\text{“}}$
 $EÚ^{\text{“}} V \dots B, + \dots M \dots \textcircled{R} \dots^{\text{“}}$
 $\% \dots \pi \dots \ll E\%Ú \% \dots k \dots^{\text{TM}}\dots$
 $|\dots CEÚ \pm \dots x \dots \hat{A} EÚ \dots$
 $+x \dots \div \textcircled{R} \dots \% n^{\sim} x \dots$
 $EÚ \mathcal{A}^{\text{“}} \% M \dots^{\text{“}} *$

$(2) E \div Ú \pm \dots \{ \dots i \dots, B \% \int \dots \%$
 $\textcircled{R} \dots \textcircled{R} \dots \pm \dots \% \textcircled{R} \dots \hat{A} V \dots \Omega_{\epsilon} \dots \Delta \S \dots V \dots]_1$
 $\textcircled{R} \dots \hat{A} = \{ \dots \S \dots \Delta v \dots i \dots \mathcal{A}^{\text{“}} EÚ \textcircled{R} \dots \int \dots \% +$
 $v \dots EÚ \mathcal{A}^{\text{“}} EÚ \textcircled{R} \dots EÚ \dots \% ^{\text{TM}} \dots^{\text{TM}} \dots$
 $= \{ \dots M \dots i \dots EÚ^{\text{TM}} \dots V \dots x \dots \Omega_{\epsilon} \dots \%$
 $^{\text{TM}} \dots + i^{\text{TM}} \dots \% \partial^{\text{TM}} \dots EÚ i \dots E\%Ú$
 $\textcircled{R} \dots \textcircled{R} \dots \pm \dots \hat{A} \textcircled{R} \dots \hat{A}, + \P \dots \pm \dots J \dots i \dots$
 $EÚ B V \dots x \dots \% \% \dots \pm \dots \%$
 $EÚ \dots \mathcal{A}^{\text{“}} h \dots \hat{A} \int \dots \%, \% \dots x \dots^{\text{TM}}\dots \textcircled{R} \dots \hat{A}$
 $\textcircled{R} \dots \hat{A} \% \dots x \dots n^{\sim} \ll \pi]_1 x \dots \S \dots \ll xv \dots x \dots \hat{A}$
 $i \dots 1 \dots \partial \dots i \dots \hat{E} E\%Ú + v^{\text{TM}} \dots v \dots^{\text{“}} x \dots$
 $\mathcal{A}^{\text{“}} \Omega_{\epsilon} i \dots \% \Omega_{\epsilon} \div B \% ^{\text{TM}} \dots^{\text{TM}} \dots = \{ \dots M \dots i \dots$
 $EÚ \mathcal{A}^{\text{“}} \int \dots E\%Ú M \dots V \dots \sqrt{\Omega_{\epsilon}} \dots \Delta \S \dots V \dots]_1$
 $\textcircled{R} \dots \hat{A} EÚ \int \dots^{\text{“}} B \% \int \dots \% + v \dots EÚ \% ^{\text{TM}} \dots^{\text{TM}} \dots$
 $E\%Ú \pm \dots^{\text{TM}}\dots \% EÚ \dots \% < \ll = \{ \dots \S \dots \Delta v \dots$

$$x... E\acute{U}^{TM}..... M...^{TM}..... \Omega_{\epsilon}... \%,$$

$$\forall... \Omega_{\epsilon}... \Delta \textcircled{R}... \Omega_{\epsilon}... -$$

$$_{23} \int... \Delta \partial... \% v... x... + v... x...^{TM}... \textcircled{R}... G\acute{U}. 8 \int... x... \neg 2006 u\check{...} \acute{A}... \int l... \{... i... *$$

$$\{... \acute{A} \pi... n \neg E\acute{U}... \% = \int... E \% \acute{U}$$

$$+... M... \textcircled{R}... " \int... \textcircled{R} \textcircled{R}... \pm... x...$$

$$\textcircled{R}... \hat{A} BE\acute{U} \acute{A} \{... \% \} _1 \ll |... \int i... \div i...$$

$$E\acute{U} " V... BM... "*"$$

$$(3) E \div \acute{U} \pm... \{... i... u\check{...} \acute{A}... i... \ddot{E}^{TM}... \acute{A} \cdot$$

$$E\acute{U} " M... < \ll \forall... \pi... \ll E\acute{U} \acute{A} \{... \% \} _1 \ll$$

$$\textcircled{R}... \Omega_{\epsilon}... - \{... \acute{A} \pi... n \neg$$

$$E \% \acute{U} + x... \div \textcircled{R}... \% n \check{x}... \Omega_{\epsilon} \% i... \div$$

$$= \int... E \% \acute{U} \forall... \pi... \ll E\acute{U} \int... \textcircled{R} \textcircled{R}... \pm... x...$$

$$\textcircled{R}... \hat{A} |... \int i... \div i... E\acute{U} " V... BM... "*"$$

$$(4) \forall... \pi... \ll E\acute{U} \acute{A} \{... \% \} _1 \ll E\acute{U} " |...$$

$$i...^{TM}... \Delta \acute{A}... V^{TM}... \int... \acute{A} E\acute{U}... \acute{A} \cdot$$

$$E\acute{U}... \% |... \int i... \div i... E\acute{U} " V... B \Delta M... "$$

$$\sqrt{\acute{A} \cdot \{... \% \} _1 \ll, \acute{A} \cdot... V^{TM}... \int... \acute{A} E\acute{U}... \acute{A} \cdot$$

$$u\check{...} \acute{A}..., = \int... E \% \acute{U} |... \{ i... \Omega_{\epsilon}... \% x... \%$$

$$E \% \acute{U}^{TM}... 1... \int... \Delta \P... \forall... \partial... " Q...,$$

$$\acute{A} \cdot... V^{TM}... \forall... v... x... - \textcircled{R}... \Delta b \sim \pm... E \% \acute{U}$$

$$\int... \textcircled{R}... I... \acute{A} J... " V... BM... "*"$$

$$\int... \Delta \quad _{24} 37. \quad \forall... \partial \forall... \forall... t... \pm...^{TM}... E \% \acute{U} |... \S... \Delta v...$$

$$\textcircled{R}... \Omega_{\epsilon}... \{... \acute{A} \pi... n \neg u\check{...} \acute{A}... E\acute{U} "$$

$$E \div \acute{U} \pm... \{... i...^{TM}... = \int... E \% \acute{U} u\check{...} \acute{A}... |... v... E f i \acute{U} i... +$$

$$v... E\acute{U}... \acute{A} " u\check{...} \acute{A}... E\acute{U}^{TM}... V... BM... *_{24}$$

$$38. \quad E\acute{U}... \% < \ll \forall... t... 1... " \ll E\acute{U} \int... " = \{... ..$$

$$|... \forall... \% \partial... \quad E \% \acute{U} \pm...^{TM}... \% i... \S... i... E\acute{U} \{... .. j...$$

$$\{... .. j \quad B \% \int... " + \Omega_{\epsilon} \ll i... B \Delta x... \Omega_{\epsilon}... \hat{A}$$

$$U\grave{U}... j... \quad 39. \quad \forall... \partial \forall... \forall... t... \pm...^{TM}..., = \int... E \% \acute{U}$$

$$\{... \div \emptyset^{\circ} \pi... i... 1... \textcircled{R}... \Omega_{\epsilon} \pm... ..$$

$$\forall... t... 1... \ll^{TM}... \hat{A}, \P... M...$$

$$\pm... \% x... \% \forall... \pm... \% \forall^{TM}...$$

$$H\acute{U}^{TM}... \hat{A} E \% \acute{U}$$

$$\pm...^{TM}... \% \{... f i l... E\acute{U} \neg - \{... f i l... E\acute{U} \neg$$

$$U\grave{U}... j... \forall... \int... \S... x... B$$

$$\acute{A} J... \% M... *$$

$$\textcircled{R}... x... n \sim \quad 40.$$

$$^{TM}... n \sim \forall... t... \{... \acute{A} \pi... n \neg E \% \acute{U}$$

$$^{TM}... \Omega_{\epsilon} \int... ^{\circ} \acute{U}... \acute{A} \cdot \partial... E\acute{U} " \Omega_{\epsilon} \ddot{E} E\acute{U}$$

$$E\acute{U} \int... " \quad \forall^{TM}... \quad H\acute{U} \quad E\acute{U}... \%$$

$$\textcircled{R}... x... n \sim = \{... .. v...^{TM}... ..$$

$$\forall... t... \int... \Delta \S... \Delta v... " \quad \forall... \partial... \% \pi...$$

$$\begin{aligned}
 &= \{ \dots v \dots \langle \int \dots + \dots v \dots \mathcal{A} \cdot \{ \dots \mathcal{A} \cdot \\
 &| \dots n \dots x \dots \mathcal{E} \mathcal{U} \text{“} \mathcal{V} \dots \mathcal{B} \mathcal{E} \mathcal{U} \\
 &\mathbb{V} \dots \Omega_{\epsilon}, = x \dots \mathcal{E} \mathcal{U} \text{“} \mathcal{A} \cdot \dots \text{TM} \dots \mathbb{R} \dots \hat{\mathcal{A}}, \\
 &= \int \dots \mathcal{E} \mathcal{U} \text{“} = i \mathcal{E} \mathcal{f} i \mathcal{U} \pi]_1 \\
 &\text{TM} \dots \mathbb{M} \text{TM} \dots i \dots + \dots \ddot{\mathcal{E}} \mathcal{A} \cdot \int l \dots \\
 &i \dots \mathcal{E} \mathbb{M} \mathcal{U} \\
 &\mathcal{E} \mathcal{U} \dots \mathcal{A} \cdot h \dots \mathcal{B} \mathbb{M} \int \dots \text{“} = \{ \dots v \dots \\
 &\text{TM} \dots \mathbb{V} \dots t \dots \int \dots \Delta \S \dots \Delta v \dots \text{“} \\
 &\mathbb{V} \dots \partial \dots \mathbb{M} \pi \dots = \{ \dots v \dots \{ \dots x \dots \mathbb{M} \\
 &\mathcal{E} \mathbb{M} \mathcal{U} \pm \dots \text{TM} \dots \mathbb{M} \\
 &= \{ \dots \text{TM} \dots \div \mathcal{H} \mathcal{U} + \dots \ddot{\mathcal{E}} \mathcal{A} \cdot = \mathcal{S} \dots i \dots \\
 &\mathbb{V} \text{TM} \dots \mathcal{H} \mathcal{U} \Omega_{\epsilon} \ddot{\mathcal{E}} i \dots \mathbb{M} \mathbb{R} \dots \Omega_{\epsilon} \dots - \{ \dots \\
 &\mathcal{A} \cdot \pi \dots n \neg, \int \dots \Delta \mathcal{E} \mathcal{U} \pm \{ \dots u \dots \mathcal{A} \cdot \dots, \\
 &\text{TM} \dots \Omega_{\epsilon} \mathbb{V} \dots x \dots \partial \mathcal{S} \dots i \dots \mathcal{E} \mathcal{U} \mathcal{A} \cdot \\
 &\int \dots \mathcal{E} \mathbb{M} \mathcal{U} \mathcal{M} \dots \text{“} \mathcal{E} \mathcal{U} \mathbb{V} \dots \Omega_{\epsilon} \langle \int \dots \\
 &| \dots \mathcal{E} \mathcal{U} \dots \mathcal{A} \cdot + x \dots \div \partial \dots \Delta \int \dots i \dots \\
 &\mathbb{V} \text{TM} \dots \mathcal{H} \mathcal{U} \mathcal{E} \mathcal{U} \dots \mathbb{M} | \dots n \dots x \dots \mathcal{E} \mathcal{U} \text{“} \\
 &\mathcal{V} \dots \mathcal{B}^*
 \end{aligned}$$

$$\begin{aligned}
 &= \{ \dots v \dots \\
 &\mathcal{E} \mathcal{U} \dots \\
 &\mathcal{V} \dots x \dots
 \end{aligned}$$

$$\begin{aligned}
 (1) \quad &\mathbb{R} \dots \Omega_{\epsilon} \dots - \{ \dots \mathcal{A} \cdot \pi \dots n \neg, \mathcal{E} \mathcal{U} \int \dots \text{“} \\
 &\mathbb{V} \dots t \dots \int \dots \Delta \S \dots \Delta v \dots \text{“} \mathcal{E} \mathcal{U} \dots \mathbb{M} \langle \mathbb{V} \dots \\
 &\int \dots \mathbb{R} \mathbb{R} \dots \pm \dots x \dots \mathbb{R} \dots \hat{\mathcal{A}} = \{ \dots \int l \dots i \dots \\
 &\mathcal{E} \mathcal{U} \mathbb{R} \dots \int \dots \mathbb{M} \mathcal{E} \mathcal{U} \mathbb{R} \dots n \dots \mathbb{M} \\
 &i \dots \Omega_{\epsilon} \dots \langle \mathbb{V} \dots \int \dots n \neg \text{TM} \dots \hat{\mathcal{A}} \mathcal{E} \mathbb{M} \mathcal{U} \\
 &\S \dots \Omega_{\epsilon} \div \mathbb{R} \dots i \dots u \dots \mathcal{A} \cdot \dots \{ \dots \mathcal{A} \cdot i \dots \\
 &\mathcal{E} \mathcal{U} \int \dots \text{“} \\
 &\int \dots \Delta \mathcal{E} \mathcal{U} \pm \{ \dots u \dots \mathcal{A} \cdot \dots \mathbb{V} \dots \{ \dots \int \dots \\
 &\pm \dots \mathbb{M} \int \dots \mathcal{E} \mathbb{M} \mathcal{U} \mathcal{M} \dots \text{“}, \text{TM} \dots n \\
 &\mathcal{B} \mathbb{M} \int \dots \mathbb{V} \text{TM} \dots \mathcal{H} \mathcal{U} \mathcal{E} \mathcal{U} \int \dots \text{“} \mathbb{V} \dots v \dots \\
 &x \text{TM} \dots \text{TM} \dots \pm \dots \text{TM} \dots u \dots \mathcal{A} \cdot \dots \\
 &\mathcal{E} \mathcal{U} \int \dots \text{“} \mathcal{B} \mathbb{M} \int \dots \mathbb{M} + \{ \dots \mathcal{A} \cdot \dots v \dots \mathcal{E} \mathbb{M} \mathcal{U} \\
 &\pm \dots \mathcal{B}, \mathcal{V} \dots \int \dots \mathbb{R} \dots \hat{\mathcal{A}} \mathbb{R} \dots \Omega_{\epsilon} \dots - \\
 &\{ \dots \mathcal{A} \cdot \pi \dots n \neg \mathcal{E} \mathcal{U} \text{“} \mathcal{A} \cdot \dots \text{TM} \dots \mathbb{R} \dots \hat{\mathcal{A}} \\
 &x \dots \ddot{\mathcal{E}} i \dots \mathcal{E} \mathcal{U} + v \dots \mathbb{R} \dots i \dots + x i \dots \mathbb{V} \dots \langle \\
 &\pm \dots i \dots \Omega_{\epsilon} \ddot{\mathcal{E}}, \int \dots r \neg \dots \mathbb{M} \pi \dots \\
 &\text{“} \Omega_{\epsilon} \mathcal{A} \cdot \dots \text{TM} \dots \mathcal{M} \dots \text{TM} \dots \Omega_{\epsilon} \ddot{\mathcal{E}} \\
 &\text{TM} \dots \text{TM} \dots n \neg \mathbb{V} \dots \Omega_{\epsilon} \mathcal{P} \dots \mathbb{M} \mathcal{A} \cdot \\
 &+ \mathbb{V} \dots \mathcal{S} \dots \mathcal{A} \cdot \mathcal{E} \mathcal{U} \dots n \neg \dots \mathbb{M} \pi \dots \text{“} \Omega_{\epsilon} \ddot{\mathcal{E}} \\
 &*
 \end{aligned}$$

$${}_{24} \int \dots \Delta \partial \dots \mathbb{M} v \dots x \dots + v \dots x \dots \text{TM} \dots \mathbb{R} \dots \mathcal{G} \mathcal{U}. 8 \int \dots x \dots \neg 2006 u \dots \mathcal{A} \cdot \dots \int l \dots \{ \dots i \dots *$$

$$\begin{aligned}
 (2) \quad &\langle \int \dots v \dots \mathcal{A} \cdot \dots \mathcal{E} \mathbb{M} \mathcal{U} + v \dots \text{“} x \dots \mathcal{E} \mathcal{U} \int \dots \text{“} \\
 &\mathbb{V} \text{TM} \dots \mathcal{H} \mathcal{U} \mathcal{E} \mathbb{M} \mathcal{U} \mathbb{V} \dots \infty, n \neg \mathcal{P} \dots \mathcal{E} \mathcal{U} \dots \mathbb{M} \langle \mathbb{V} \\
 &\mathcal{E} \mathcal{U} \dots \mathcal{A} \cdot \langle \mathbb{V} \dots \langle \mathbb{V} \dots \S \dots i \dots \mathcal{E} \mathcal{U} x \dots \Omega_{\epsilon} \text{“} \mathcal{E} \mathcal{U} \text{“}
 \end{aligned}$$

V.....BM...“ V...§... i...EÚ =∫...% EÚB
V.....x...% E%Ú ±...™...%|...∫i.....
¥...i... EÚ...Æ'«¥.....<« E%Ú
¥...∞,n~P... EÚ...Æ'h... n~∂...«i...
EÚÆ'x...% EÚ... +¥...∫...Æ'x... n~%
n~™..... M...™..... Ω_ε...%*

(3)®...Ω_ε...- { ... Æ'π...n~¬ u~...Æ'... {.....
Æ'i... ∫...ΔEÚ± { ... EÚ“ BEÚ |... i...
∫...Δ§...Δ v...i... ¥™... HÚEÚ...%
i...÷Æ'xi... ¶...%V...“ V.....BM...“*

(4) B%∫...% ®.....®...±.....Â ®...%
+x...÷∂... 42. (1) ¥...∂¥... ¥...t...±...™... E%Ú ¥...t...
E%Ú ±...B =k...Æ'n~...™...“ +Δ
i...®... |..... v...EÚ...Æ'“
E÷Ú±... { ... i... Ω_ε...%M.....
=√∫...E%Ú =∫...
x... ®...k... n~™...% M...B
x...n~%∂.....Â EÚ...
EÚ...™.....«x¥...™...x... E÷Ú±.....
v...∫... S...¥... i...l.....
¥...¶.....M.....v™...I...,
UÙ...j.....¥.....∫.....Â +...ËÆ'
∫...Δ∫l.....+...Â E%Ú
|...®...÷J.....Â u~...Æ'... EÚ™.....
V.....BM.....*

(2)={...J...hb~ (1) ®...Â +Δi... ¥...«π]1
EÚ∫...“ §.....i... E%Ú Ω_ε...%i...% Ω_ε÷B
¶...“, EÚ∫...“ ¥...t...l...“« EÚ...%
{...Æ'“I..... ∫...% ¥...¥... V...«i...
EÚÆ'x...%™..... ¥...∂¥... ¥...t...±...™...
™..... EÚ∫...“ UÙ...j.....¥.....∫...™.....
EÚ∫...“ ∫...Δ∫l..... ∫...% x...πEÚ... ∫...i...
EÚÆ'x...% EÚ...n~hb~, ¥...t... { ...
Æ'π...n~¬ EÚ..., V.....% +Δ i...®... |.....
v...EÚÆ'h... Ω_ε...%M.....,
+...M.....®...“∫... ®®...±...x...
Ω_ε...%x...% i...EÚ +x...Δ i...®...
Æ'Ω_ε%M..... :

{...Æ'xi...÷ B%∫..... EÚ...%<«
n~hb~, ∫...Δ§...Δ v...i...
¥...t...l...“« EÚ...% =∫...E%Ú

¥...∞,n¬P...

EÚB V.....x...% E%Ú ±...B
|...i..... ¥...i... EÚ...Æ'«¥.....<«
E%Ú ¥...∞,n¬P... EÚ...Æ'h...
n~ ∂...«i... EÚÆ'x...% EÚ...™...÷
HÚ™...÷HÚ +¥...∫...Æ' n~B
§...x....., + v...Æ'...% {...i...
x...Ω_ε” EÚ™..... V.....BM.....*

|.....™..... 43.

V...§... EÚ¶...“ ∫...Δ∫l.....x... EÚ...%
+...™.....%M...™..... +x™... +
¶...EÚÆ'h.....Â ∫...%, V.....%
∫...Δ∫l.....x... u~...Æ'...
EÚ...™.....« x¥...i...
EÚB V.....x...% E%Ú ±...B
EÚ...%<« ∫EÚ“®... |.....™.....%
V...i... EÚÆ'i...% Ω_εÈ, EÚ...%<«
v...x...
|.....{i... Ω_ε...%oi..... Ω_εË i...§...
<∫... + v... x...™...®... i...l..... ¥...
x...™...®.....Â ®...Â EÚ∫...“
§.....i...
E%Ú Ω_ε...%oi...% Ω_ε÷B ¶...“ -
(EÚ)|.....{i... Æ'EÚ®...
∫...Δ∫l.....x... u~...Æ'...
∫...Δ∫l.....x... x... v... ∫...%
{...fil...EÚ¬
Æ'J...“ V.....BM...“ +...ËÆ'
=∫...EÚ... ={...™.....%M...
E%Ú¥...±... ∫EÚ“®... E%Ú
|...™.....%V...x...
E%Ú ±...B Ω_ε“ EÚ™.....
V.....BM....., +...ËÆ'
(J...)∫EÚ“®... E%Ú
x...π{.....n~x... E%Ú ±...B
+{...% I...i...
EÚ®...«S.....Æ'“¥...fixn~
EÚ“ ¶...Æ'i...“
|.....™.....%V...EÚ
∫...ΔM...^x... u~...Æ'...
x...™...i... EÚB M...B
x...§...Δv...x.....Â

$$\begin{aligned}
 & i...1..... \partial...i.....\hat{E} \quad E\%_0\hat{U} \\
 & +x... \div \int.....\hat{E} \quad E\hat{U} \text{“} V.....BM... \text{“}^* \\
 & \text{¥}... \partial \text{¥}... \quad 44. \quad {}_{25} \hat{E}...V^{TM}... \int... \hat{E} \cdot E\hat{U}... \hat{E} \cdot \text{¥}... \partial \text{¥}... \\
 & +x... \div n^{\sim} \quad + i... \hat{E} \cdot H\hat{U} \quad \text{¥}... \partial \text{¥}... \text{¥}...t... \pm...^{TM}... \\
 & \int... \%_0, i...1..... +x^{TM}... \int... \Delta \int l..... +... \hat{A} \int... \%_0 \quad \text{¥}... \partial... \pi]_1^{TM}..... \\
 & \int..... \textcircled{R}..... x^{TM}... +x... \div n^{\sim}... x... |..... \{i... \\
 & E\hat{U} \hat{E} \cdot \int... E\%_0 \hat{U} M... \text{“}^*_{25}
 \end{aligned}$$

$$\begin{aligned}
 & \int... \textcircled{R} \textcircled{R}... k... E\hat{U}... + \Delta i... \hat{E} \cdot h... 45. \\
 & \hat{E} \cdot ...V^{TM}... \int... \hat{E} \cdot E\hat{U}... \hat{E} \cdot, < \int... + v... x...^{TM}... \textcircled{R}... E\%_0 \hat{U} \\
 & |...^{TM}..... \%_0 V... x..... \hat{A} \quad E\%_0 \hat{U} \quad \pm...^{TM}... \%_0 \quad \text{¥}... \partial \text{¥}... \\
 & \text{¥}...t... \pm...^{TM}... u^{\sim}... \hat{E} \cdot ... = \{...^{TM}..... \%_0 M... i...1..... |... \S... \Delta v... \\
 & E\hat{U} B \quad V..... x... \%_0 \quad E\%_0 \hat{U} \quad \pm... B \quad \text{¥}... \partial \text{¥}... \quad \text{¥}...t... \pm...^{TM}... \\
 & E\hat{U}... \%_0 \P... \text{¥}... x..... \hat{A}, \P... / \textcircled{R}...^{TM}..... \hat{A}^{TM}..... +x^{TM}... \int... \Delta \{... \\
 & k... \quad E\hat{U}..., \quad S..... \Omega_{\epsilon} \%_0 \quad \text{¥}... \Omega_{\epsilon} \quad \int l..... \text{¥}... \hat{E} \cdot \quad \Omega_{\epsilon}... \%_0 \\
 & ^{TM}..... V... \Delta M... \textcircled{R}..., +xi... \hat{E} \cdot h... \quad B\%_0 \int... \text{“} \quad \partial... i..... \hat{E} \quad \{... \hat{E} \cdot \\
 & i...1..... \quad B\%_0 \int... \text{“} \quad \{... \hat{E} \cdot \int... \text{“} \textcircled{R}..... +... \hat{A} \quad E\%_0 \hat{U} + v^{TM}... v... \text{“} x... \\
 & E\hat{U} \hat{E} \cdot \int... E\%_0 \hat{U} M... \text{“} \quad V..... \%_0 \quad \hat{E} \cdot ...V^{TM}... \int... \hat{E} \cdot E\hat{U}... \hat{E} \cdot \text{“}^{\sim} E\hat{U} \\
 & \int... \textcircled{R}... Z... \%_0^*
 \end{aligned}$$

$$\begin{aligned}
 & \text{¥}... \partial \text{¥}... \text{¥}...t... \pm...^{TM}... E\hat{U} \text{“} \quad 46. \quad \text{¥}... \partial \text{¥}... \\
 & \text{¥}...t... \pm...^{TM}... E\%_0 \hat{U} \quad E\hat{U} \int... \text{“} |..... v... E\hat{U} \hat{E} \cdot h..., \int... \textcircled{R}... i... \\
 & ^{TM}..... \{... \hat{E} \cdot \pi... n^{\sim} E\hat{U}... E\hat{U}...^{TM}... \ll \text{¥}..... \Omega_{\epsilon}^{TM}..... \Delta \quad \hat{E} \cdot \\
 & H\hat{U}^{TM}..... \hat{A} \quad E\hat{U}... \%_0 < \ll \P... \text{“} E\hat{U}...^{TM}... \ll ^{TM}..... \\
 & E\hat{U}...^{TM}... \ll \text{¥}..... \Omega_{\epsilon} \text{“} E\%_0 \hat{U} \text{¥}... \pm... < \int... E\hat{U}... \hat{E} \cdot h... \int... \%_0 + \\
 & \text{¥}... v... \textcircled{R}..... x^{TM}... E\%_0 \hat{U} \quad E\hat{U}... \hat{E} \cdot h... + \text{¥}... v... \textcircled{R}..... x^{TM}... \\
 & x... \Omega_{\epsilon} \text{“} \Omega_{\epsilon}... \%_0 M... \text{“} E\hat{U} :- \\
 & x... \Omega_{\epsilon} \text{“} \Omega_{\epsilon}... \hat{A} M... \text{“}^*
 \end{aligned}$$

$$\begin{aligned}
 & (E\hat{U}) = \int... \textcircled{R}... \hat{A} \quad E\hat{U}... \%_0 < \ll \\
 & \int l..... x... \quad \hat{E} \cdot H\hat{U} \quad \Omega_{\epsilon} \ddot{E}^{TM}..... \\
 & = \int... E\%_0 \hat{U} \quad M... \text{“}^{\sim} x... \textcircled{R}... \hat{A} \\
 & E\hat{U}... \%_0 < \ll \\
 & j... \div]_1 \Omega_{\epsilon} \ddot{E}, ^{TM}..... \\
 & (J...) = \int... E\%_0 \hat{U} \quad \int... n^{\sim} \int^{TM}... E\%_0 \hat{U} \\
 & \quad \infty, \{... \textcircled{R}... \hat{A} \quad E\hat{U}...^{TM}... \ll \\
 & \quad E\hat{U} \hat{E} \cdot x... \%_0 \text{¥}..... \pm... \%_0 \\
 & \quad E\hat{U} \int... \text{“} \\
 & \quad \text{¥}^{TM}... H\hat{U} \quad E\%_0 \hat{U} \\
 & \quad x... \text{¥}..... \ll S... x..., x..... \textcircled{R}... \\
 & \quad x... n^{\sim} \hat{E} \partial... x... ^{TM}..... \\
 & \quad x...^{TM}... \div H\hat{U} \quad \textcircled{R}... \hat{A} \\
 & \quad E\hat{U}... \%_0 < \ll j... \div]_1 \Omega_{\epsilon} \ddot{E}, ^{TM}.....
 \end{aligned}$$

$$\begin{aligned} (M...) &= \int \dots E\acute{U} \dots | \dots G\acute{U}^{TM} \dots \textcircled{R} \dots \hat{A} \\ B\% \int \dots \text{“} + x \dots^{TM} \dots \textcircled{R} \dots i \dots i \dots \\ \Omega_{\epsilon} \ddot{E} V \dots \% \textcircled{R} \dots \textcircled{R} \dots \pm \dots \% \\ E\% \acute{U} M \dots \div h \dots M \dots \div h \dots \{ \dots \mathcal{A} \cdot \\ | \dots \P \dots \mathbb{Y} \dots x \dots b \sim \dots \pm \dots i \dots \text{“} \\ \Omega_{\epsilon} \dots \%^{*} \end{aligned}$$

$$\begin{aligned} E\acute{U} \quad 47. \quad (1) \quad &^{TM} \dots n \sim < \int \dots + v \dots x \dots^{TM} \dots \textcircled{R} \dots E\% \acute{U} \\ &E\acute{U} \sim x \dots < \ll = n \neg \P \dots \mathcal{A} \dots \Omega_{\epsilon} \dots \% i \dots \text{“} \\ u \sim \dots \mathcal{A} \cdot \dots = \int \dots \% n \sim \mathcal{A} \cdot E\acute{U} \mathcal{A} \cdot \int \dots E\% \acute{U} M \dots \text{“} : \end{aligned}$$

$$\begin{aligned} &\{ \dots \mathcal{A} \cdot x i \dots \div E\acute{U} \dots \% < \ll \P \dots \text{“} \\ B\% \int \dots + \dots n \sim \% \partial \dots < \int \dots + v \dots \\ x \dots^{TM} \dots \textcircled{R} \dots E\% \acute{U} \\ &= \{ \dots \S \dots \Delta v \dots \hat{A} \int \dots \% \\ &+ \int \dots \Delta M \dots i \dots x \dots \Omega_{\epsilon} \text{”} \Omega_{\epsilon} \dots \% M \dots \\ &: \end{aligned}$$

$$\begin{aligned} &\{ \dots \mathcal{A} \cdot x i \dots \div^{TM} \dots \Omega_{\epsilon} + \dots \ddot{E} \mathcal{A} \cdot \P \dots \text{“} \\ E\acute{U} &< \int \dots v \dots \mathcal{A} \cdot \dots E\% \acute{U} \\ &+ v \dots \text{“} x \dots E\acute{U} \dots \% < \ll \P \dots \text{“} \\ &+ \dots n \sim \% \partial \dots < \int \dots + v \dots x \dots^{TM} \dots \textcircled{R} \dots \\ E\% \acute{U} &| \dots \mathcal{A} \cdot \Delta \P \dots \int \dots \% i \dots \text{“} x \dots \\ \mathbb{Y} \dots \pi \dots \ll &\int \dots \textcircled{R} \dots \{ i \dots \\ \Omega_{\epsilon} \dots \% x \dots \% \\ E\% \acute{U} &\{ \dots \partial S \dots i \dots \neg x \dots \Omega_{\epsilon} \text{”} \\ E\acute{U}^{TM} \dots V \dots BM \dots^{*} \end{aligned}$$

$$\begin{aligned} (2) &< \int \dots v \dots \mathcal{A} \cdot \dots E\% \acute{U} + v \dots \text{“} x \dots \\ E\acute{U}^{TM} \dots M \dots^{TM} \dots | \dots i^{TM} \dots \% E\acute{U} \\ &+ \dots n \sim \% \partial \dots \mathbb{Y} \dots v \dots x \dots \int \dots \P \dots \\ E\% \acute{U} &\{ \dots \}_{\pm} \dots \{ \dots \mathcal{A} \cdot \mathcal{A} \cdot J \dots \\ V \dots BM \dots^{*} \end{aligned}$$

$$\begin{aligned} + \int l \dots^{TM} \quad 48. \quad &< \int \dots + v \dots x \dots^{TM} \dots \textcircled{R} \dots i \dots l \dots \\ &\frac{v \dots^{TM} \dots \hat{A} \dots \hat{A}}{25 \int \dots \Delta \partial \dots \% v \dots x \dots + v \dots x \dots^{TM} \dots \textcircled{R} \dots G\acute{U} \cdot 8 \int \dots x \dots \neg 2006 u \sim \dots \mathcal{A} \cdot \dots \int l \dots \{ \dots i \dots^{*} \\ &E \div \acute{U} \pm \dots \{ \dots i \dots, \int \dots \P \dots \{ \dots i \dots \\ E\% \acute{U} &\{ \dots \mathcal{A} \cdot \dots \ll + x \dots \div \textcircled{R} \dots \% n \sim x \dots \\ \int \dots \% i \dots l \dots x \dots v \dots^{TM} \dots \hat{A} E\acute{U} \text{“} \\ &= \{ \dots \pm \dots \P^{TM} \dots i \dots E\% \acute{U} \\ &+ v^{TM} \dots v \dots \text{“} x \dots \mathcal{A} \cdot \Omega_{\epsilon} i \dots \% \Omega_{\epsilon} \div B < \int \dots \\ &+ v \dots x \dots^{TM} \dots \textcircled{R} \dots i \dots l \dots \mathbb{Y} \dots \\ x \dots^{TM} \dots \textcircled{R} \dots \hat{A} \\ E\% \acute{U} &+ v \dots \text{“} x \dots E\% \acute{U} \int \dots \P \dots \text{“}^{TM} \dots \\ &= x \dots \textcircled{R} \dots \hat{A} \int \dots \% E\acute{U} \int \dots \text{“} E f i \acute{U} i^{TM} \dots \end{aligned}$$

$\int \dots \Delta \mathcal{E} \cdot \mathbf{I} \dots \mathbf{h}$
49.
 $\mathbb{Y} \dots \partial \mathbb{Y} \dots \mathbb{Y} \dots t \dots \pm \dots \text{TM} \dots, \mathcal{E} \div \mathcal{U} \pm \dots \{ \dots \mathbf{i} \dots,$
 $+ \mathbf{v} \dots \mathcal{E} \mathcal{U} \dots \mathcal{A} \text{“} \text{TM} \dots \dots \mathcal{E} \mathcal{U} \int \dots \text{“}$
 $+ \mathbf{x}^{\text{TM}} \dots \mathbb{Y}^{\text{TM}} \dots \mathcal{H} \mathcal{U} \mathcal{E} \% \mathcal{U} \mathbb{Y} \dots \infty, \mathbf{n} \neg \mathbf{P} \dots$
 $\mathcal{E} \mathcal{U} \int \dots \text{“} \quad \P \dots \text{“} \quad \mathbf{B} \% \mathcal{U} \int \dots \text{“}$
 $\S \dots \dots \mathbf{i} \dots \mathcal{E} \% \mathcal{U} \int \dots \Delta \S \dots \Delta \mathbf{v} \dots \text{\textcircled{R}} \dots \hat{\mathbf{A}},$
 $\mathbf{V} \dots \dots \% \mathcal{U} < \int \dots + \mathbf{v} \dots \mathbf{x} \dots^{\text{TM}} \dots \text{\textcircled{R}} \dots$
 $\text{TM} \dots \dots = \int \dots \mathcal{E} \% \mathcal{U} + \mathbf{v} \dots \text{“} \mathbf{x} \dots$
 $\S \dots \mathbf{x} \dots \dots \mathbf{B}$
 $\mathbf{M} \dots \mathbf{B} \mathcal{E} \mathcal{U} \mathbf{x} \Omega_{\mathcal{C}} \text{”} \mathbb{Y} \dots \mathbf{x} \dots^{\text{TM}} \dots \text{\textcircled{R}} \dots \hat{\mathbf{A}}$
 $\mathcal{E} \% \mathcal{U} + \mathbf{x} \dots \div \int \dots \mathcal{A} \cdot \mathbf{h} \dots \text{\textcircled{R}} \dots \hat{\mathbf{A}}$
 $\int \dots \mathbf{n} \neg \P \dots \dots \mathbb{Y} \dots \{ \dots \mathcal{A} \dots \ll \mathcal{E} \mathcal{U} \quad \mathcal{E} \mathcal{U} \text{“}$
 $\mathbf{M} \dots < \ll$
 $\Omega_{\mathcal{C}} \dots \% \mathcal{U} \quad \text{TM} \dots \dots \mathbf{V} \dots \int \dots \mathcal{E} \mathcal{U} \dots$
 $\int \dots \mathbf{n} \neg \P \dots \dots \mathbb{Y} \dots \{ \dots \mathcal{A} \dots \ll \mathcal{E} \mathcal{U}$
 $\mathcal{E} \mathcal{U}^{\text{TM}} \dots \dots \mathbf{V} \dots \dots \mathbf{x} \dots \dots \mathbf{i} \dots \dots \mathbf{i} \{ \dots$
 $\text{TM} \dots \ll \mathbf{i} \dots \quad \Omega_{\mathcal{C}} \dots \% \mathcal{U}, \quad \mathcal{E} \mathcal{U} \dots \% \mathcal{U} < \ll$
 $\mathbb{Y} \dots \dots \mathbf{n} \neg, \quad + \quad \P \dots^{\text{TM}} \dots \dots \% \mathcal{U} \mathbf{V} \dots \mathbf{x} \dots$

$$\begin{aligned} & \text{TM} \dots + \text{x}^{\text{TM}} \dots \quad \text{¥} \dots \quad \text{v} \dots \text{EÚ} \\ & \text{EÚ} \dots \text{Æ} \cdot \ll \text{¥} \dots \ll \quad \text{x} \dots \Omega_{\epsilon} \text{”} \\ & \Omega_{\epsilon} \dots \% \text{M} \dots \text{“} \quad \text{+} \dots \ddot{\text{E}} \text{Æ} \cdot \\ & \text{EÚ} \int \dots \text{“} \quad \text{x} \dots \div \text{EÚ} \int \dots \text{x} \dots \text{“} \quad \text{EÚ} \dots \\ & \text{EÚ} \dots \% \ll \quad \text{n} \sim \dots \text{¥} \dots \quad \text{x} \dots \Omega_{\epsilon} \text{”} \\ & \text{EÚ}^{\text{TM}} \dots \text{V} \dots \text{BM} \dots * \end{aligned}$$

$$\begin{aligned} & + \text{v} \dots \quad 50. \quad < \int \dots + \text{v} \dots \text{x} \dots^{\text{TM}} \dots \text{®} \dots \text{i} \dots \text{l} \dots = \int \dots \text{E} \% \text{Ú} \\ & \quad \quad \quad + \text{v}^{\text{TM}} \dots \text{Æ} \cdot \dots \% \Omega_{\epsilon} \text{“} \mid \dots \P \dots \text{¥} \dots \Omega_{\epsilon} \dots \% \text{M} \dots \\ & \text{E} \% \text{Ú} = \{ \dots \S \dots \Delta \text{v} \dots, \text{i} \dots \int \dots \text{®} \dots^{\text{TM}} \dots \mid \dots \text{¥} \dots \text{f} \text{k} \dots \text{EÚ} \int \dots \text{“} + \text{x}^{\text{TM}} \dots \\ & \text{¥} \dots \text{v} \dots^{\text{TM}} \dots < \int \dots + \text{v} \dots \text{x} \dots^{\text{TM}} \dots \text{®} \dots \int \dots \% \quad \P \dots \text{z} \dots \text{EÚ} \int \dots \text{“} \\ & \text{¥} \dots \text{v} \dots \text{E} \% \text{Ú} + \dots \text{v} \dots \text{Æ} \cdot \{ \dots \text{Æ} \cdot \mid \dots \P \dots \text{¥} \dots \partial \dots \text{“} \pm \dots \text{EÚ} \int \dots \text{“} \\ & \pm \dots \text{J} \dots \text{i} \dots \text{®} \dots \hat{\text{A}} + \text{x} \text{i} \dots \text{¥} \dots \ll \pi \}_1 = \int \dots \int \dots \% + \int \dots \Delta \text{M} \dots \text{i} \dots \text{EÚ} \int \dots \text{“} \\ & \S \dots \text{i} \dots \text{E} \% \text{Ú} \quad \Omega_{\epsilon} \dots \% \text{i} \dots \% \quad \Omega_{\epsilon} \div \text{B} \quad \P \dots \text{“} \\ & \mid \dots \P \dots \text{¥} \dots \text{“} \Omega_{\epsilon} \dots \hat{\text{A}} \text{M} \dots \% * \end{aligned}$$

$$\begin{aligned} & \text{®} \dots \Omega \dots - \{ \dots \quad 51. \quad \text{®} \dots \Omega \dots - \{ \dots \text{Æ} \cdot \pi \dots \text{n} \sim \neg = \text{x} \dots \int \dots \P \dots \text{“} \\ & \quad \quad \quad \text{¥} \dots \quad \quad \quad + \text{v} \dots \text{x} \dots^{\text{TM}} \dots \text{®} \dots \text{E} \% \text{Ú} + \text{v} \dots \text{“} \text{x} \dots \\ & \partial \dots \quad \quad \quad + \{ \dots \% \text{I} \dots \text{i} \dots \Omega_{\epsilon} \ddot{\text{E}}, < \int \dots + \text{v} \dots \text{x} \dots^{\text{TM}} \dots \text{®} \dots \\ & \quad \quad \quad \S \dots \text{x} \dots \int \dots \text{E} \% \text{Ú} \text{M} \dots \text{“} : \end{aligned}$$

$$\begin{aligned} & \{ \dots \text{Æ} \cdot \text{x} \text{i} \dots \div \quad \text{®} \dots \Omega_{\epsilon} \dots - \{ \dots \\ & \text{Æ} \cdot \pi \dots \text{n} \sim \neg \text{B} \% \int \dots \% \text{EÚ} \dots \% \ll \text{¥} \dots \\ & \text{x} \dots^{\text{TM}} \dots \text{®} \dots, \text{V} \dots \% \quad \text{¥} \dots \partial \text{¥} \dots \\ & \text{¥} \dots \text{t} \dots \pm \dots^{\text{TM}} \dots \\ & \text{E} \% \text{Ú} \text{EÚ} \int \dots \text{“} \mid \dots \text{v} \dots \text{EÚ} \text{Æ} \cdot \text{h} \dots \\ & \text{EÚ} \text{“} \mid \dots \int \text{l} \dots \text{i} \dots, \partial \dots \text{H}^{\text{TM}} \dots \hat{\text{A}} \\ & \text{TM} \dots = \int \dots \text{E} \% \text{Ú} \\ & \text{M} \dots \text{`x} \dots \text{EÚ} \dots \% \mid \dots \P \dots \text{¥} \dots \text{i} \dots \\ & \text{EÚ} \text{Æ} \cdot \text{i} \dots \% \Omega_{\epsilon} \dots \hat{\text{A}}, \text{i} \dots \S \dots \text{i} \dots \text{EÚ} \\ & \text{x} \dots \Omega_{\epsilon} \text{”} \S \dots \text{x} \dots \text{BM} \dots \text{“} \text{V} \dots \S \dots \\ & \text{i} \dots \text{EÚ} \text{B} \% \int \dots \% \mid \dots \text{v} \dots \text{EÚ} \text{Æ} \cdot \text{h} \dots \\ & \text{EÚ} \dots \% \mid \dots \int \text{i} \dots \text{¥} \dots \text{i} \dots \{ \dots \\ & \text{Æ} \cdot \text{¥} \dots \text{i} \dots \ll \text{x} \dots \hat{\text{A}} \quad \text{E} \% \text{Ú} \\ & \S \dots \text{Æ} \cdot \% \quad \text{®} \dots \hat{\text{A}} \\ & + \{ \dots \text{x} \dots \text{“} \pm \dots \text{J} \dots \text{i} \dots \text{Æ} \cdot \dots^{\text{TM}} \dots + \\ & \P \dots \text{¥}^{\text{TM}} \dots \text{H}^{\text{TM}} \text{EÚ} \text{Æ} \cdot \text{x} \dots \% \text{EÚ} \dots \\ & + \text{¥} \dots \int \dots \text{Æ} \cdot \quad \text{x} \dots \quad \text{n} \sim \% \\ & \text{n} \sim^{\text{TM}} \dots \text{M} \dots^{\text{TM}} \dots \Omega_{\epsilon} \dots \% \\ & + \dots \ddot{\text{E}} \text{Æ} \cdot < \int \dots \mid \dots \text{EÚ} \dots \text{Æ} \cdot + \\ & \P \dots \text{¥}^{\text{TM}} \dots \text{H}^{\text{TM}} \text{EÚ} \text{“} \text{M} \dots \ll \text{EÚ} \int \dots \text{“} \\ & \text{Æ} \cdot \dots^{\text{TM}} \dots \{ \dots \text{Æ} \cdot \text{®} \dots \Omega_{\epsilon} \dots - \{ \dots \\ & \text{Æ} \cdot \pi \dots \text{n} \sim \neg \text{u} \sim \dots \text{Æ} \cdot \dots \text{¥} \dots \text{S} \dots \text{Æ} \cdot \\ & \text{EÚ}^{\text{TM}} \dots \text{V} \dots \text{BM} \dots * \end{aligned}$$

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